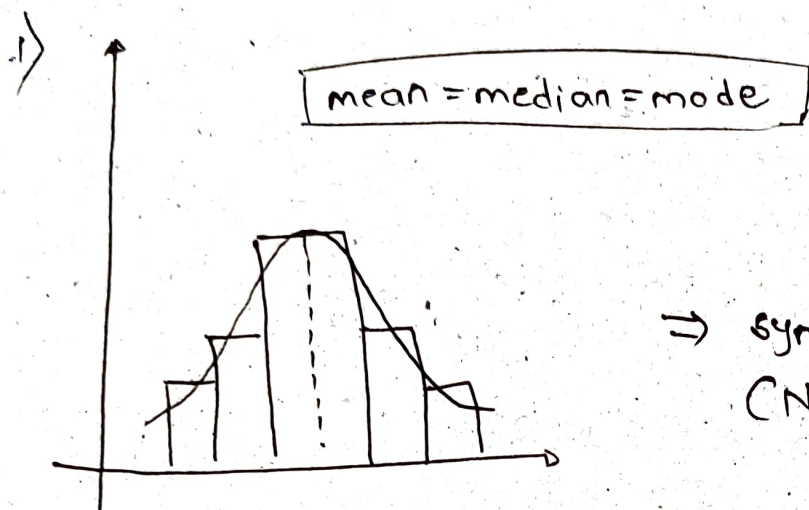


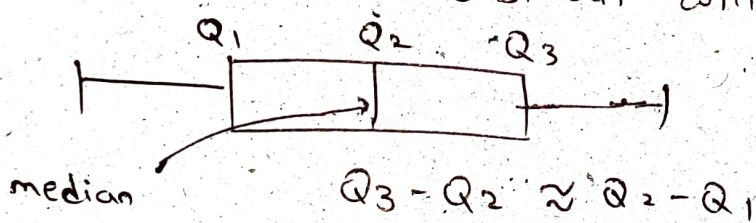
Skewness



⇒ symmetrical distribution
(NO SKEWNESS)

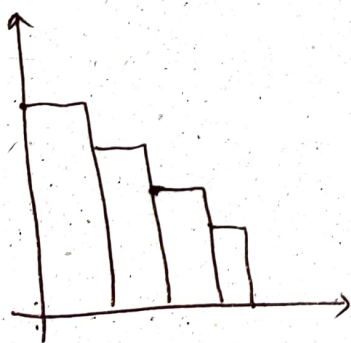
The mean, median and mode all are perfectly at the center.

Hence, boxplot for above distribution will look like:

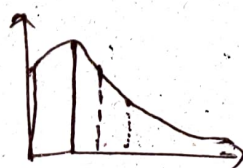


eg → Normal / Gaussian Distribution

2) Right skewed

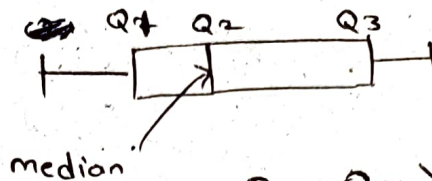


⇒ positive skewed
(right)



— mean
- - median
... mode

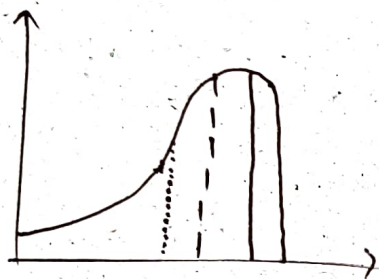
Boxplot for right skewed \rightarrow



$$Q_3 - Q_2 > Q_2 - Q_1$$

$$\text{mean} > \text{median} > \text{mode}$$

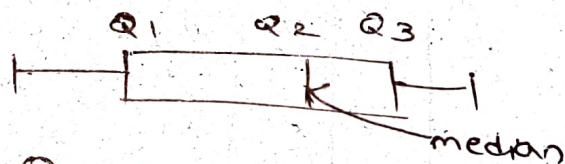
3) Left skewed (-ve skewed)



..... mean
--- median
— mode

$$\text{mean} < \text{median} < \text{mode}$$

box-plot for left skewed \rightarrow



$$Q_2 - Q_1 > Q_3 - Q_2$$

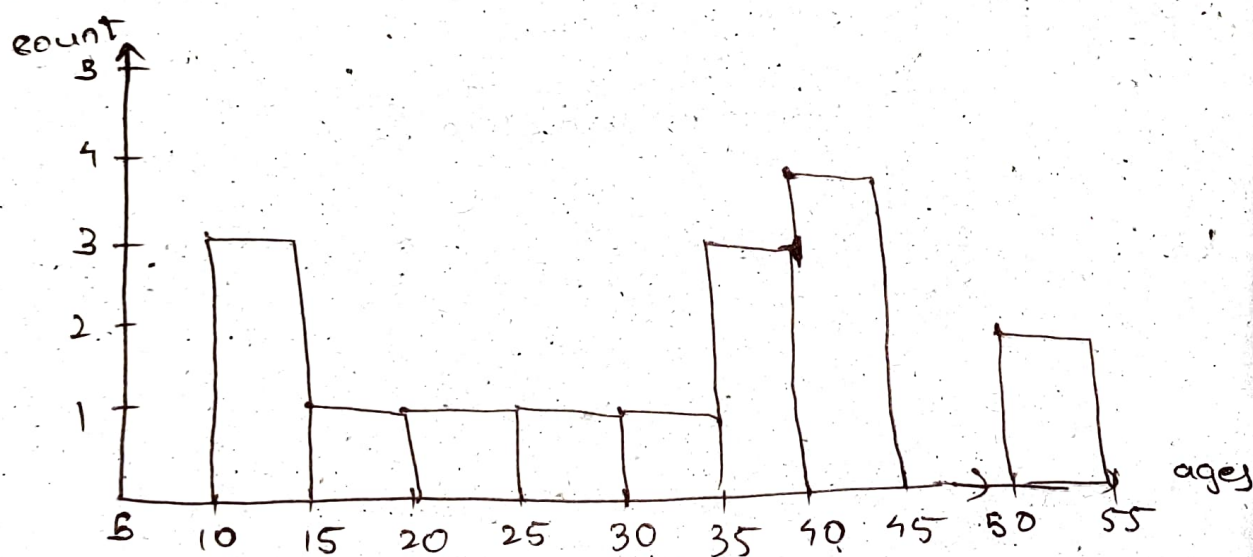
① Histograms - It is nothing but representation of frequency of elements.

ages = {10, 12, 14, 18, 24, 26, 30, 35, 36, 37, 40, 41, 42, 43, 50, 51}

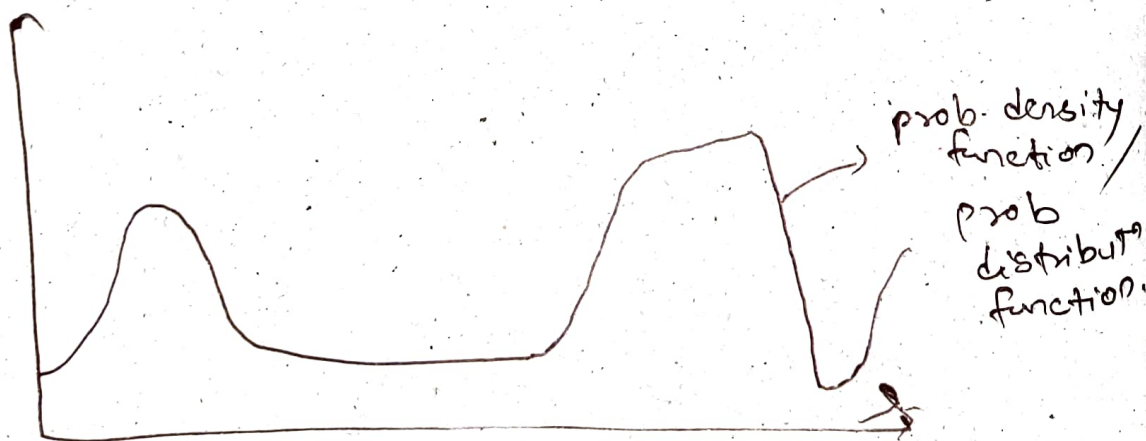
Suppose bins = 10

$$\therefore \text{bin size} = \frac{50 - 0}{10} = 5 //$$

Note: while checking range (say 10 to 15), we check for ≥ 10 but < 15 .



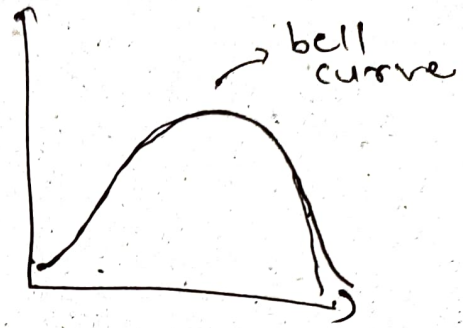
Smoothing above histogram



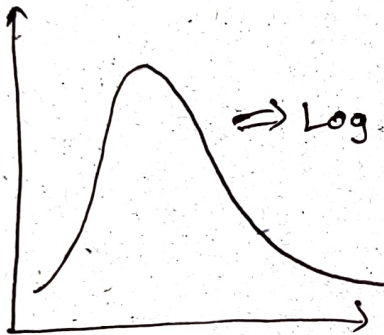
histogram



smoother



normal / gaussian
distribution



⇒ Log Normal Distribution