



LOGGING IN PYTHON



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The logging module in Python is a standard library module that provides a flexible event logging and tracking system for Python applications. It allows you to track events that occur while your program is running, and you can use it to record information about errors, warnings, and other events that occur during program execution.



Day 4.py

```
import logging
logger = logging.getLogger(__name__)
logger.setLevel(logging.DEBUG)
logger.debug("This is a debug message.")
logger.error("This is an error message.")
```

EXAMPLE

Day 4.py

```
l1_int = []
l2_str = []
for i in l:
    logging.info("we are iterating throuhg our list and our local var is
{}".format(l ))
    if type(i ) == list :
        logging.info("i am inside if statement and i am trying to check list
type" + str(i))
        for j in i :
            logging.info("i am in anothe for loop for list inside list element "+
str(j))
            if type(j) == int :
                logging.info("i am inside if statement")
                l1_int.append(j)
            elif type(i) == int :
                l1_int.append(i)
            else :
                if type(i) == str :
                    l2_str.append(i)
logging.info("my final result for int is {l1} and str is {l2}".format(l1
=l1_int , l2 = l2_str ))
```

LOGGING LEVELS

DEBUG:

- This level is used for detailed information, typically of interest only when diagnosing problems.

INFO:

- This level is used to confirm that things are working as expected.

WARNING:

- This level is used as an indication that something unexpected happened, or is indicative of some problem in the near future.

ERROR:

- This level is used to indicate that an error occurred, but the program can continue running.

CRITICAL:

- This level is used to indicate that a critical error occurred, and the program can no longer continue running.

EXAMPLES



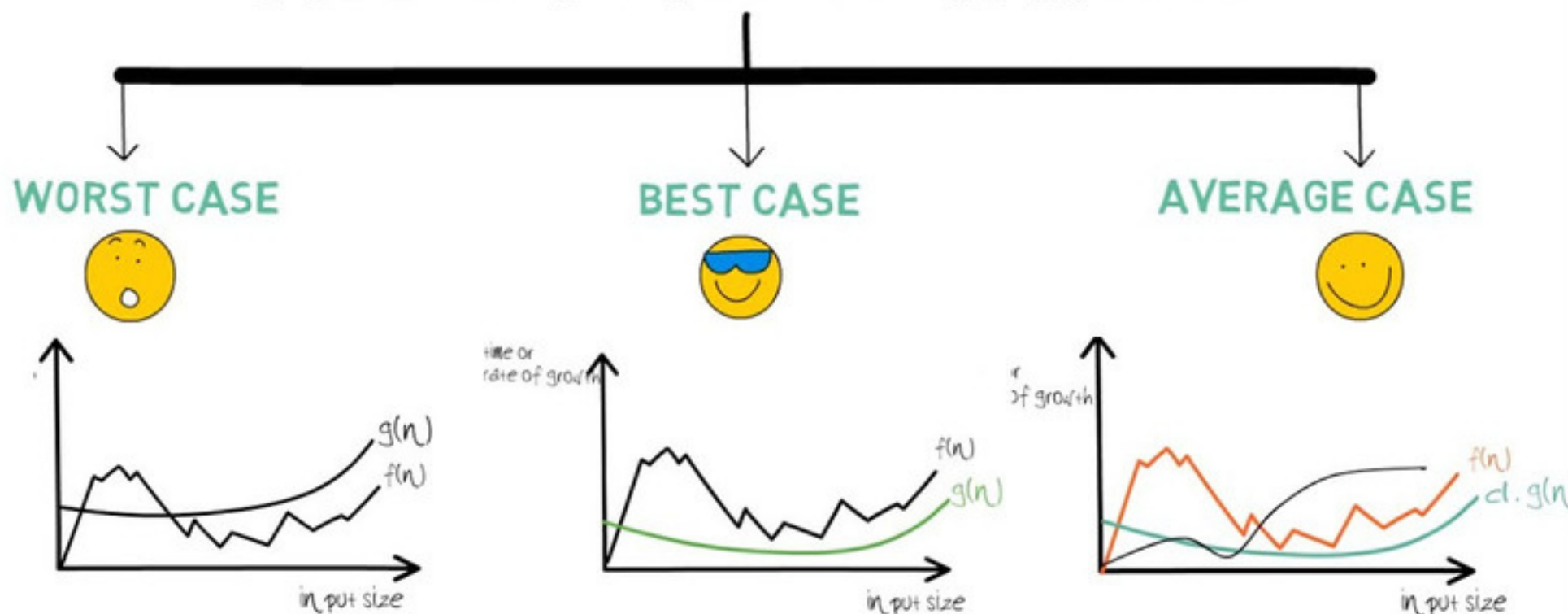
Day 4.py

```
import logging
logging.basicConfig(filename = "test.log" ,level = logging.INFO)
logging.info("log this line of execution" )
logging.debug("this is my msg")
logging.warning("this is my warning msg")
logging.error("this is my error")
logging.critical("this is my critical msg")
logging.shutdown()
```



ASYMPTOTIC NOTATION

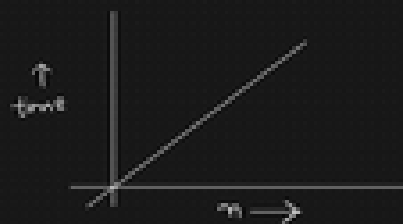
TIME COMPLEXITY AND ASYMPTOTIC NOTATION



BIG-O NOTATION

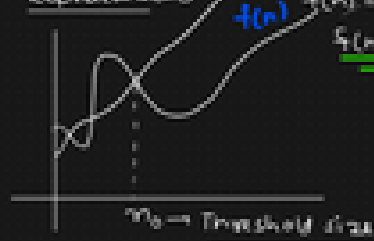
Asymptotic Notation

- 1) Worst case scenario \star \rightarrow Big O \leftarrow optimize
- 2) Best case scenario $\rightarrow \Omega$
- 3) Average case scenario $\rightarrow \Theta$
- Problem Statement \rightarrow $n \rightarrow$ size of an array (very large)
- Summation ($n=10$) \rightarrow 10 ms
- $n=1000 \rightarrow$ 100 ms



Graphical

Representation



Big O notation (Main focus)

$f(n) = O(g(n))$ \leftarrow Mathematical Intuition

$f(n) \leq c \cdot g(n)$

$\left\{ \begin{array}{l} \exists n \geq n_0 \\ c > 0 \\ n_0 > 1 \end{array} \right\} \rightarrow$ constant

$f(n) = 5n$
 $g(n) = n$

Example 1

$f(n) = O(g(n)) \leftarrow$ True

$f(n) \leq c \cdot g(n)$

$5n \leq c \cdot n$

$c \geq 5$

satisfied

Example 2

$f(n) = n$

$g(n) = 5n$

$f(n) = O(g(n)) \rightarrow$ True

$f(n) \leq c \cdot g(n)$

$n \leq c \cdot 5n \leftarrow$ Satisfied

$c = \frac{1}{5} \rightarrow$ constant

Example 3

$f(n) = n^2$

$g(n) = n$

$f(n) = O(g(n)) \rightarrow$ ~~True~~ False

$f(n) \leq c \cdot g(n)$


$n^2 \leq c \cdot n \rightarrow$ True

$c = n \rightarrow c \propto n$

OMEGA NOTATION

Omega Notation (Ω)

→ Best case scenario



$f(n) = \Omega(g(n))$
 $f(n) \geq c \cdot g(n)$
 $\begin{cases} c > 0 \\ n_0 \geq 1 \end{cases}$

Constant

Example 1

$f(n) = n$ $g(n) = 5n$
 $f(n) = \Omega(g(n))$ → True
 $f(n) \geq c \cdot g(n)$
 $n \geq c \cdot 5n$ → True
 $c = \frac{1}{5}$

Example 2

$f(n) = n^2$
 $g(n) = n^2 + n + 10$ $n \rightarrow 1000000$
 $f(n) = \Omega(g(n))$ → True
 $f(n) \geq c \cdot g(n)$
 $n^2 \geq c \cdot (n^2 + n + 10)$
 $c = \frac{1}{2}$

Example 3

$f(n) = n$
 $g(n) = n^2$

True

$f(n) = \Omega(g(n))$
 $f(n) \geq c \cdot g(n)$
 $n \geq c \cdot n^2$

$f(n) \neq \Omega(g(n))$
 $\begin{cases} c = \frac{1}{n} \\ n \geq \frac{1}{n} \cdot n^2 \\ n \geq n \end{cases}$

Not constant (Inversely)

THETA NOTATION

Theta Notation (Average case scenario)

↳ Average case scenario $f(n) = \Theta(g(n))$

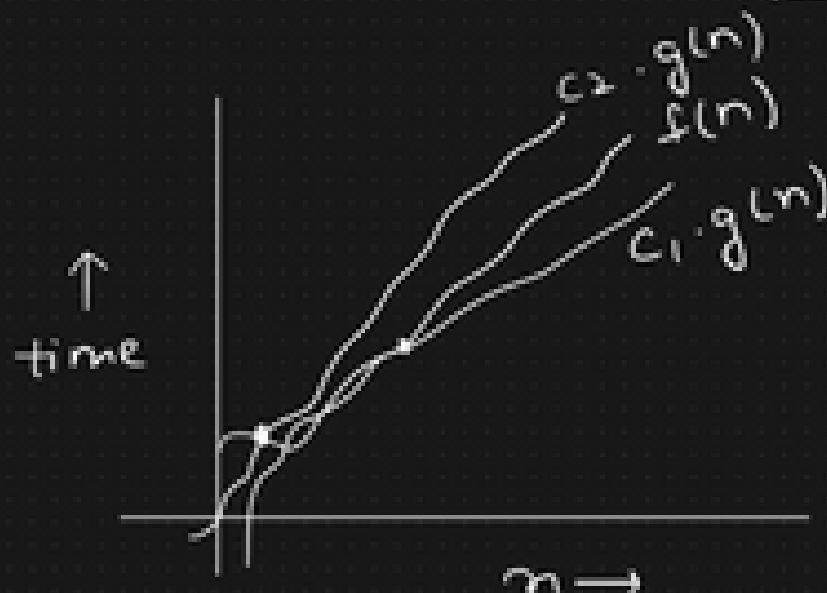
Theta Notation $\leftarrow \begin{cases} f(n) \leq c_1 g(n) \rightarrow \text{Big O Notation} \\ f(n) \geq c_2 g(n) \rightarrow \text{Omega Notation} \end{cases}$

$$\begin{cases} f(n) = n \\ g(n) = 5n \end{cases} \rightarrow \begin{cases} f(n) \leq c \cdot g(n) - \text{Case 1} \\ n \leq c \cdot 5n \rightarrow c = 1/5 \end{cases}$$

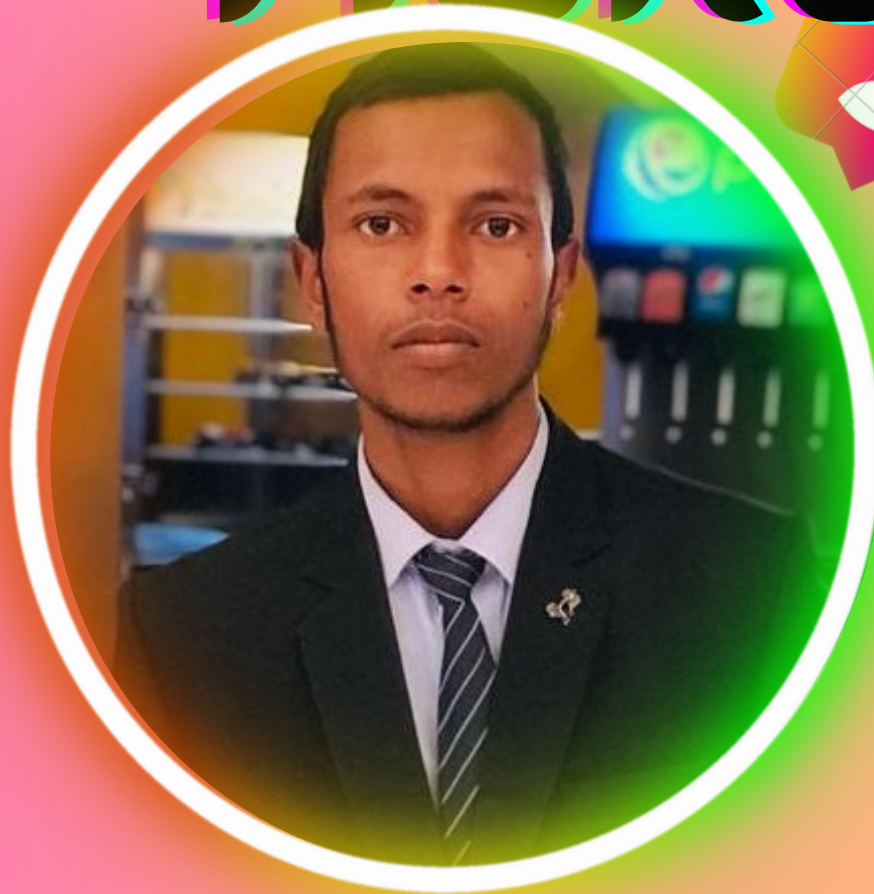
$c = 1$

Case 2 \rightarrow

$$\begin{cases} f(n) \geq c \cdot g(n) \\ n \geq c \cdot 5n \rightarrow c = 1/5 \end{cases}$$



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