

# **B.E. PROJECT ON EDGE DETECTION IN MEDICAL IMAGES USING GENETIC ALGORITHM**



**Under the guidance of  
Dr. Tarun Kumar Rawat**

---

**Submitted By:**  
Riya Ghai (2017UEC2083)  
Abhishek Rawat (2017UEC2116)  
Avishi Rathore (2017UEC2121)  
Prateek (2016UEC2093)

# Introduction

---

- In our project we have considered the problem of edge detection as a problem of cost minimization
- The edge configurations are seen as two-dimensional chromosomes whose fitness values are inversely proportional to their costs
- We have used the knowledge-augmented mutation operator which uses the principle of local edge structure that results in rapid convergence
- To minimize the cost function we evaluated the quality edge configuration. The function is a linear sum of weighted cost factors.

# Introduction (cont..)

---

- Edges are detected by finding the edge configurations that minimize the cost function
- There are many edge detection techniques which exist like the gradient operator and the laplacian operator techniques. Most techniques out there are not able to identify the true edges that are related to physical boundaries of the object in that image. In these techniques it is considered that the edge detection problem is dependent on the output of the edge detector at a particular pixel location i.e the characteristic of the edge structure at a particular pixel location is mostly ignored.
- To overcome these problems, a new technique has emerged i.e edge detection by minimizing the cost function. In this technique, a cost measure is allotted to the edge image. This cost measure is a function of the local edge structure which is dependent on the factors like edge thickness, dissimilarity, fragmentation and continuity.

# Genetic Algorithm

---

1. An initial population of chromosomes is created randomly and this is refined using the threshold in dissimilarity matrix to narrow down our region of concern, and each individual is evaluated by the objective function
2. Two mates are selected for reproduction with probabilities in proportion to their fitness values (in our project the candidate with the least cost is the fittest) using roulette wheel selection
3. Crossover and mutation operators are applied to the selected mates passing on the probability of mutation and probability of crossover, and offsprings are generated.
4. Each individual offspring generated using crossover and mutation is evaluated by the objective function

# Genetic Algorithm

---

5. Steps 2 to 4 are repeated until an entirely new candidate population of chromosomes is generated
6. The pre-existing population is replaced by the new population
7. If the number of iterations is not finished and the most optimum cost is above a certain value, go to step 2, otherwise return the best chromosome that is the candidate edge image in the new population as the solution to the problem

# Main Components of Genetic Algorithm

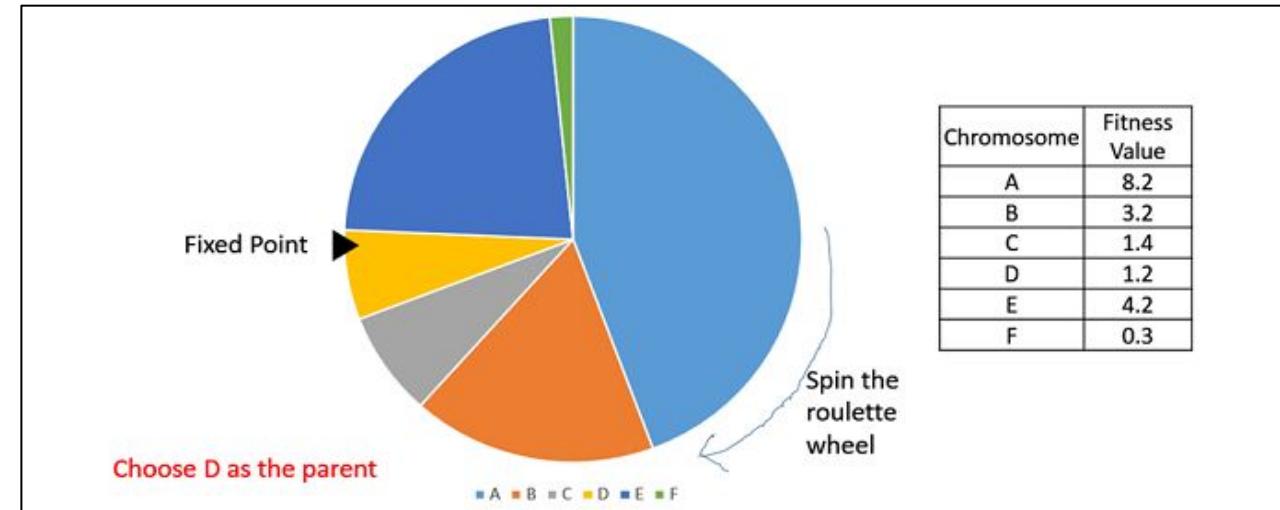
---

- Selection
- Crossover
- Mutation
- Dissimilarity Function
- Cost Function

# Selection

---

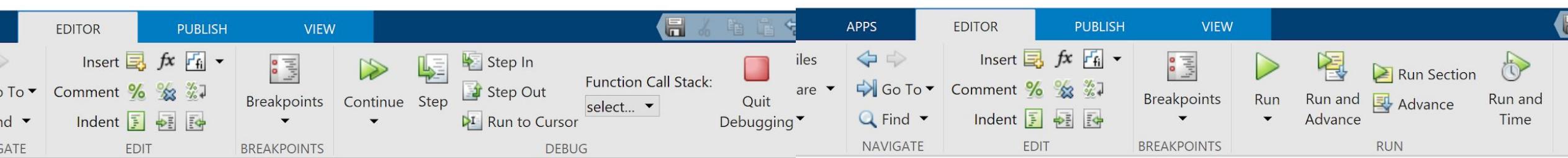
- Two parents are selected, and then mating is performed to produce children
- Individuals are selected based on their fitness values
- Roulette wheel is used in which every chromosome has a roulette wheel slot proportional to its fitness value



# Implementation of Selection Process

---

- For each individual the fitness function is calculated
- This fitness function gives fitness values, which is then normalized
- Calculate accumulated normalized fitness values
- A random number  $R$  is chosen using the `rand()` function in MATLAB
- The selected individual is the first one whose accumulated normalized value is greater than or equal to  $R$



Editor - C:\BTP\selection.m

```
+7 GeneticRep.m x dismat.m x caldiff.m x checkdiff.m x mutation_mat.m x compare.m x
4 cost_vals=zeros(1,m);
5 for i=1:m
6     cost_vals(i)= 1/population.chromosome(i).cost;
7 end
8
9 if any(cost_vals(:)<0)
10    a=1;
11    b=abs(min(cost_vals))+1;
12    cost_vals=a.*cost_vals+b;
13 end
14
15 normalised_cost = cost_vals./sum(cost_vals);
16 [normalised_cost,indx]=sort(normalised_cost, 'ascend');
17 New_pop=population;
18 for i=1:m
19     New_pop.chromosome(i).gene(:)= population.chromosome(indx(i)).gene;
20     New_pop.chromosome(i).cost= population.chromosome(indx(i)).cost;
21     New_pop.chromosome(i).normalised_cost=normalised_cost(i);
22 end
23
24 cum_sum=normalised_cost;
25 for i=1:m-1
26     cum_sum(m-i)=cum_sum(m-i+1)+cum_sum(m-i);
27 end
```

Editor - C:\BTP\selection.m

```
-6 gaa.m x GeneticRep.m x dismat.m x caldiff.m x checkdiff.m x mutation_mat.m x cor
3
4 r=rand();
5 parent1_ind=m;
6 for i=1:m
7     if(r>cum_sum(i))
8         parent1_ind=i-1;
9         break;
10    end
11 end
12
13 parent2_ind=parent1_ind;
14 while parent1_ind==parent2_ind
15    r=rand();
16    for i=1:m
17        if(r>cum_sum(i))
18            parent2_ind=i;
19            break;
20        end
21    end
22 end
23
24 parent1= New_pop.chromosome(parent1_ind).gene;
25 parent2= New_pop.chromosome(parent2_ind).gene;
```

Command Window

**Variables - New\_pop.chromosome**

**PLOTS**    **VARIABLE**    **VIEW**

New from Selection  
Open Print Rows Columns Insert Delete Transpose Sort

**VARIABLE**    **SELECTION**    **EDIT**

population    population.chromosome    New\_pop    New\_pop.chromosome

Fields gene cost normalised

1	225x225 do...	1.0261e+04	0.0559
2	225x225 do...	9.5305e+03	0.0602
3	225x225 do...	9.3920e+03	0.0610
4	225x225 do...	9.3777e+03	0.0611
5	225x225 do...	9.3516e+03	0.0613
6	225x225 do...	9.2968e+03	0.0617
7	225x225 do...	9.2635e+03	0.0619
8	225x225 do...	9.2486e+03	0.0620
9	225x225 do...	9.2110e+03	0.0622
10	225x225 do...	9.1156e+03	0.0629
11	225x225 do...	8.9540e+03	0.0640
12	225x225 do...	8.9278e+03	0.0642
13	225x225 do...	8.8095e+03	0.0651
14	225x225 do...	8.7770e+03	0.0653
15	225x225 do...	8.7770e+03	0.0653
16	225x225 do...	8.7007e+03	0.0659
17			
18			
19			
20			
21			
22			
23			

**Workspace - selection**

Name	Value
m	16
New_pop	1x1 str...
normalised_c...	1x16 d...
parent1	225x22...
parent1_ind	15
parent2	225x22...
parent2_ind	10
population	1x1 str...
r	0.4883

Paused in debugger

**Workspace - selection**

Name	Value
m	16
New_pop	1x1 str...
normalised_c...	1x16 d...
parent1	210x25...
parent1_ind	14
parent2	210x25...
parent2_ind	6
population	1x1 str...
r	0.7152

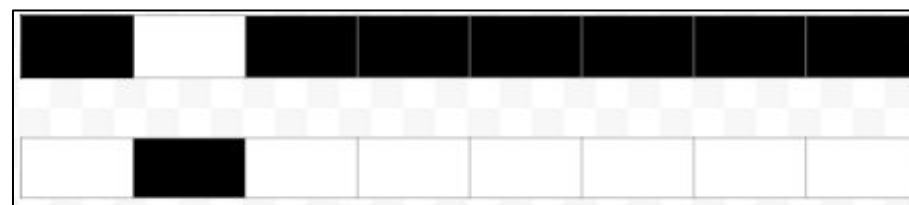
5 usages of "parent1\_ind" found

**Here are the outputs of 2 runs of the selection function and we can observe that the genes which provide better fitness are favoured.**

# Crossover

---

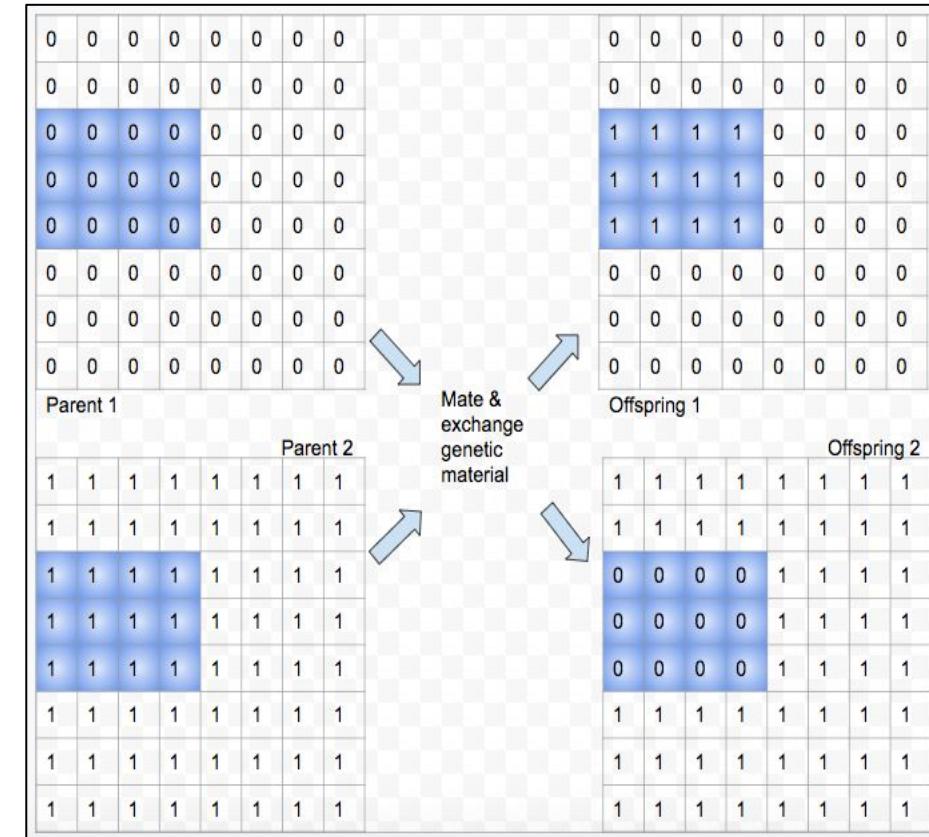
- In crossover new child chromosomes are created from parent chromosomes
- The crossover operator makes copies of the two mates selected by the roulette wheel selection operator, and exchanges parts of chromosomes
- After crossover, genetic material in the parent chromosomes is recombined and new child chromosomes (hopefully of better fitness values) are created



1-D Crossover

# Crossover

- We took a vector of length two to represent the selected points
- Used the reduced surrogate crossover
- In case a part of the gene is common between the two parents, we select crossover points again.
- We try this activity at most 5 times, the parents are supplanted with two new mates and the process is repeated



2 D Crossover

Editor - C:\Users\AIR\Desktop\crossOverBTP.m

```
crossOverBTP.m x crossover22.m x +
```

```
1 %crossoverBTP
2 function [child1,child2] = crossOverBTP(parent1,parent2,Pc,dis_mat)
3
4 child1=parent1;
5 child2=parent2;
6 [m,n]= size(parent1);% size of parent1 matrix
7 lb=2;
8 ub1=m-1;
9
10 x1=lb+round((ub1-lb)*rand());
11 y1=lb+round((ub1-lb)*rand());
12
13 ub2=n-1;
14 x2=lb+round((ub2-lb)*rand());
15 y2=lb+round((ub2-lb)*rand());
16
17 if(x1>x2)
18     temp= x1;
19     x1= x2;
20     x2 =temp;
21 end
22 if(y1>y2)
23     temp= y1;
24     y1 = y2;
25     y2= temp;
26 end
27
28 iter=5; % after 5 unsuccessful trials, the parents are replaced with two new mates and the process is repeated
29 while iter>0
30 for i=1:m
31 for j=1:n
32 if(i>x1 && i<=x2 && j>y1 && j<=y2)
33     child1(i,j)=parent2(i,j);
34     child2(i,j)=parent1(i,j);
```

Editor - C:\Users\AIR\Desktop\crossOverBTP.m

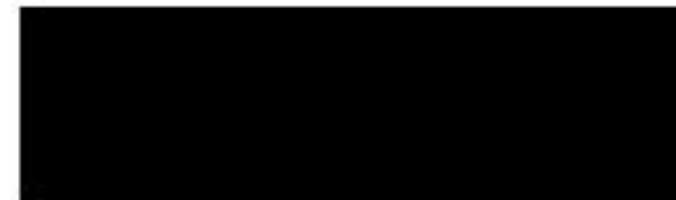
```
crossover22.m x +
```

```
34
35
36
37
38
39
40
41
42
43
44
45
46
47
48
49
50
51
52
53
54
55
56
57
58
59
60
61
62
63
64
65
66
67
68
69
70
71
72
73
74
75
76
77
78
79
```

```
    child2(i,j)=parent1(i,j);
else
    child1(i,j)=parent1(i,j);
    child2(i,j)=parent2(i,j);
end
end
for i= x1:x2
    for j=y1:y2
        if parent1(i,j) ~= parent2(i,j)
            break;
        else
            continue;
        end
    end
end
iter= iter-1;
x1=lb+round((ub1-lb)*rand());
y1=lb+round((ub1-lb)*rand());
ub2=n-1;
x2=lb+round((ub2-lb)*rand());
y2=lb+round((ub2-lb)*rand());
if(x1>x2)
    temp= x1;
    x1= x2;
    x2 =temp;
end
if(y1>y2)
    temp= y1;
    y1 = y2;
    y2= temp;
end
-----
end;
c1 = costfunction(image,parent1,dis_mat);
c2 = costfunction(image,parent2,dis_mat);
c3 = costfunction(image,child1,dis_mat);
c4 = costfunction(image,child2,dis_mat);
r=rand();
if (c1<c3 && c2<c4 && r<Pc)
    child1=parent1;
    child2=parent2;
end
end
```



**Child 1**



**Child 2**

**Outputs of crossover function(child1, child2) if parent1 is black image & parent2 is white image**

# Mutation

---

- Mutation is used for genetic diversity in a genetic algorithm
- During crossover it is possible that some traits that may be beneficial for evolution be lost or sometimes during selection some special features of the population are not carried forward to the next generations
- In the context of optimization, mutation prevents a genetic algorithm from being stuck in an undesired local optimum

# Mutation

---

- There is a parameter called probability of mutation.
- It is passed to the genetic algorithm and is chosen to be small during the initial iterations and is increased during the latter part of the algorithm.
- We choose a site of mutation based on the probability of mutation and then consider a 3X3 matrix around it to be mutated.
- This matrix is matched to a predefined set of matrices, once a match is found we consider all the matrices it can be converted into using only one alteration and all these possibilities are assessed and assigned a probability.
- These matrices are selected using Roulette Wheel and then the selected site is altered.

# Favorability Factors of an Edge Structure

---

- Structures that result in a straight line are provided with a higher probability
- Structures that provide curvature of 45 degrees are considered more suitable than those with more than 45 degrees
- Resulting structures that are valid and thin are more favored than invalid local edges. A certain non-zero probability is given to a mutation that would result in the local edge to be a  $3 \times 3$  window of all zeros
- A random mutation in a  $3 \times 3$  window is also assigned a certain small probability.

# Example of Mutation

---

Site Matrix		Option 1	Option 2
0 1 1 0 1 0 1 0 0	Mutated to:	0 0 1 0 1 0 1 0 0	0 1 0 0 1 0 1 0 0
0 0 1 1 1 0 0 0 0	Mutated to:	0 0 0 1 1 1 0 0 0	0 1 1 1 0 0 0 0 0

Editor - C:\BTP\mutation\_mat.m\*

76

77 mat13=[[1,1,0];[1,1,0];[0,0,0]];  
78 mat131=[[1,0,0];[0,1,0];[0,0,0]];  
79 mat132=[[1,1,0];[0,0,0];[0,0,0]];  
80 mat133=[[0,1,0];[0,1,0];[0,0,0]];  
81 mat134=[[0,1,0];[1,0,0];[0,0,0]];  
82 p13=[0.4,0.1,0.25,0.25];  
83

84 mat14=[[1,0,0];[0,1,0];[0,0,0]];  
85 mat141=[[1,0,0];[0,1,0];[0,0,1]];  
86 mat142=[[1,0,0];[0,1,1];[0,0,0]];  
87 mat143=[[1,0,0];[0,1,0];[0,1,0]];  
88 mat144=[[1,0,0];[0,0,0];[0,0,0]];  
89 p14=[0.4,0.1,0.4,0.1];  
90

91 mat15=[[0,0,0];[0,1,0];[0,1,0]];  
92 mat151=[[0,1,0];[0,1,0];[0,1,0]];  
93 mat152=[[0,1,0];[0,1,0];[1,0,0]];  
94 mat153=[[0,1,0];[0,1,0];[0,0,1]];  
95 mat154=[[0,1,0];[0,0,0];[0,0,0]];  
96 p15=[0.4,0.25,0.25,0.1];  
97

98 mat16=[[0,1,0];[0,1,0];[0,1,0]];  
99 mat161=[[0,1,0];[1,0,0];[0,1,0]];

76

77

78

79

80

81

82

83

84

85

86

87

88

89

90

91

92

93

94

95

96

97

98

99

Editor - C:\BTP\checkdiff.m

76

77

78

79

80

81

82

83

84

85

86

87

88

89

90

91

92

93

94

95

96

97

98

99

end

elseif(compare(img,x,y,mat13))

r=rand();

matn=1;

sum=0;

for i=1:size(p13,2)

sum=sum+p13(i);

if(sum>=r)

matn=i; break;

end

end

if(matn==1)

img=convert\_gene(img,x,y,mat13\_1);

end

if(matn==2)

img=convert\_gene(img,x,y,mat13\_2);

end

if(matn==3)

img=convert\_gene(img,x,y,mat13\_3);

end

if(matn==4)

img=convert\_gene(img,x,y,mat13\_4);

end

elseif(compare(img,x,y,mat14))

Command Window

Hand Window

TOOLBOX PREFERENCES

Command Window

```
img =
```

0	0	0
0	1	0
0	1	0

```
img =
```

0	1	0
0	1	0
0	1	0

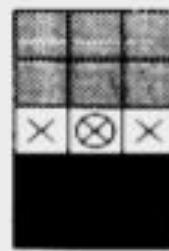
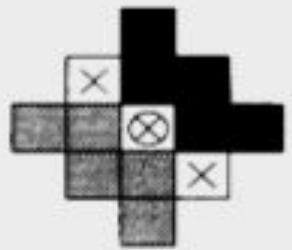
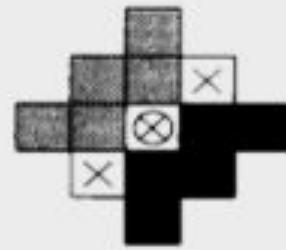
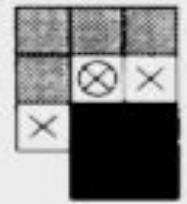
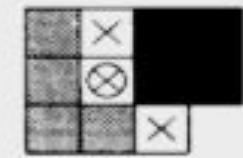
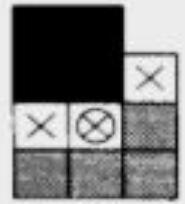
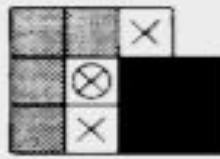
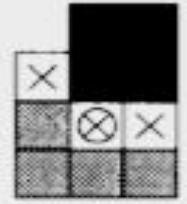
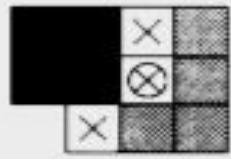
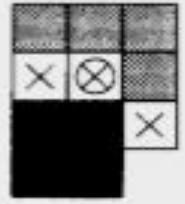
  

**fx >>**

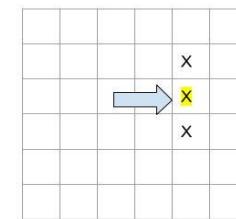
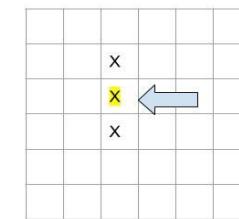
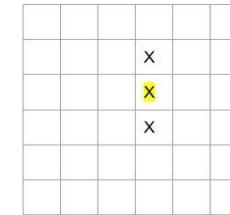
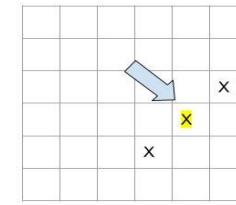
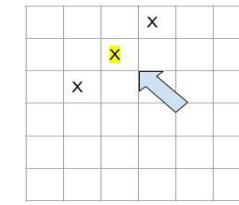
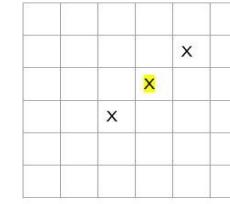
# Dissimilarity Function

---

- This function is used to separate out the regions we need to work with by helping us eliminate regions with dissimilarity below a certain threshold so that we can make our algorithm faster and more optimized.
- We have a basis set that contains all the possible valid edge structures that are shown in Fig 4.1. The pixel site  $I$  is chosen as the center pixel for each edge structure from the basis set. We then calculate the difference between the average gray level of region  $R_1$  and region  $R_2$  that is the value of  $f(R_1, R_2)$  for each fitted edge structure. The edge structure that results in the maximum value of  $f(R_1, R_2)$  is deemed to be the best fitting structure for the given site  $I$ .



**Set of all possible edge structures with region division and Non Maxima Suppression**



# Different Cases in Dissimilarity Function

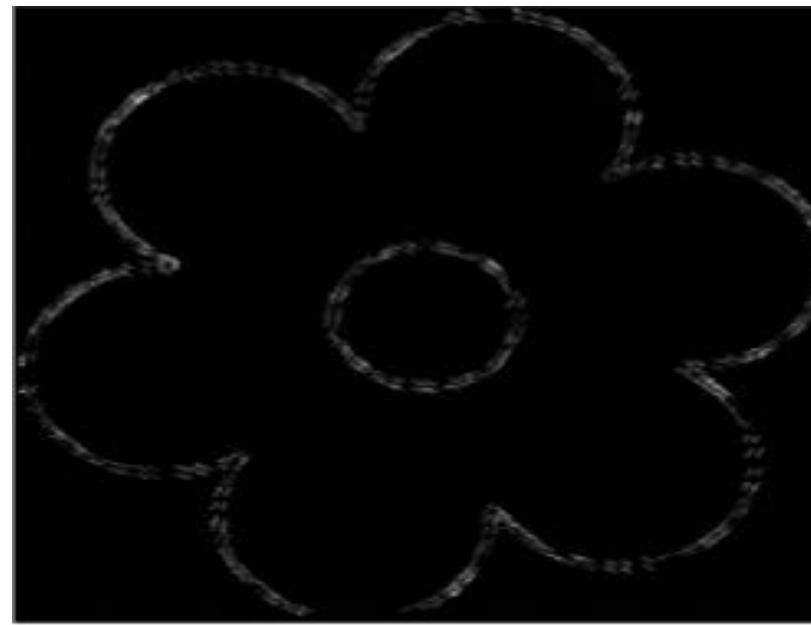
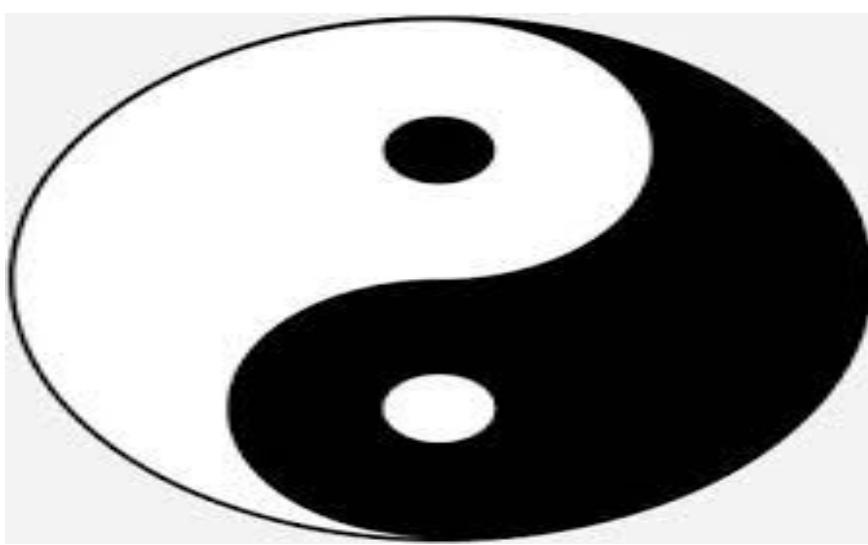
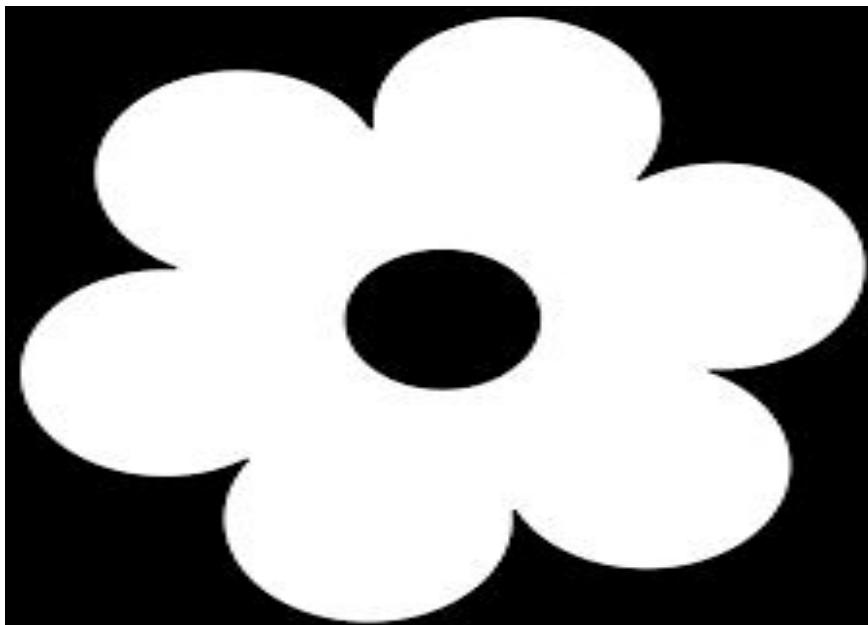
---

- Next, we perform non-maxima suppression by shifting the location of the best fitting edge structure in a direction determined by the matched edge structures.
- If no larger value of  $f(R_1, R_2)$  results from shifting the best fitting edge structure, we set  $d = f(R_1, R_2)/3$  where  $f(R_1, R_2)$  is computed from the best fitting structure for edge. We increment the value of each of the pixels  $D(1)$ ,  $D(11)$  and  $D(12)$  by  $d$ .
- If the shifting results in a larger value of  $f(R_1, R_2)$  than the original site  $I$  then the pixel values  $D(1)$ ,  $D(11)$  and  $D(12)$  are left unaltered.

```

diffmax=0.0;
matn=1;
for k=1:8
    a=0.0;
    b=0.0;
    for m=1:4
        a=a+img(x+R1x(k,m),y+R1y(k,m));
        b=b+img(x+R2x(k,m),y+R2y(k,m));
    end
    c=a-b;
    if(c<0)
        c=-1.0*c;
    end
    c=(c*1.0)/4.0;
    if(c>diffmax)
        diffmax=c;
        matn=k;
    end
end|
for k=1:4

```



**Output of Dissimilarity Function**

# Cost Function

---

- A genetic algorithm works with a set of elements, called chromosomes. Fitness of these chromosomes is evaluated using a cost function.
- The problem of edge detection is formulated as a problem of cost minimization. We adopt the minimization of cost function used by Tan et al. [3], [14] here.
- This cost function is a linear sum of weighted cost factors. The cost factor evaluates useful traits of edges such as accuracy in localization, curvature, dissimilarity, thinness and continuity.

# Cost Function

---

- The point cost at a pixel site of an edge configuration is defined as the following linear sum of weighted point cost factors  $C_i(S, I)$ :

$$F(S, I) = \sum w_i C_i(S, I)$$

where  $w_i \geq 0$ ,  $0 \leq C_i \leq 1$ , and  $i \in \{c, d, e, f, t\}$

- The total cost of an edge configuration is the sum of the point costs at every pixel site of the image:

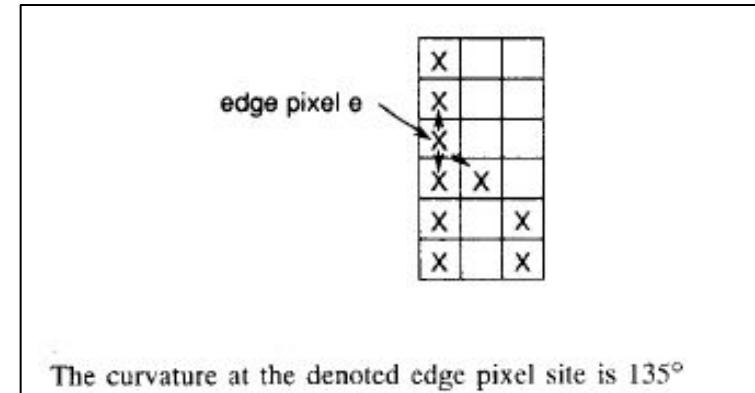
$$F(S) = \sum F(S, I)$$

where  $I \in L$

# Cost Factors

- **Cost for Curvature :** The cost of curvature designates a cost to non-endpoint edge pixels based on a local measure of curvature

$$\begin{aligned} Cc(S, I) &= 0, && \text{if } \theta(I) = 0 \\ &= 0.5, && \text{if } \theta(I) = 45 \\ &= 1.0, && \text{if } \theta(I) \geq 90 \end{aligned}$$



- **Cost for Region Dissimilarity :** This cost for region dissimilarity assigns a cost to non-edged pixels that is proportionate with the degree of dissimilarity

$$\begin{aligned} Cd(S, I) &= 0, && \text{is } s(I) \text{ is an edge pixel} \\ &= d(I), && \text{is } s(I) \text{ is not an edge pixel} \end{aligned}$$

Where  $d(I)$  is the dissimilarity value of pixel location  $I$  obtained from the dissimilarity function.

# Cost Factors

---

- **Cost for Number of Edge Points:** The cost for the number of edge points allocates a unit cost to each edge pixel. this cost factor  $C_e(S, I)$  is used to suppress this tendency of an excessive number of edge pixels to be detected.  
$$C_e(S, I) = \begin{cases} 1, & \text{if } s(I) \text{ is an edge pixel} \\ 0, & \text{if } s(I) \text{ is not an edge pixel} \end{cases}$$

- **Cost for Fragmentation:** This cost factor tends to locally link up or remove fragmented edges.  
$$C_f(S, I) = \begin{cases} 1.0, & \text{if } s(I) \text{ is an isolated endpoint edge pixel} \\ 0.5, & \text{if } s(I) \text{ is a nonisolated endpoint edge pixel} \\ 0, & \text{else} \end{cases}$$

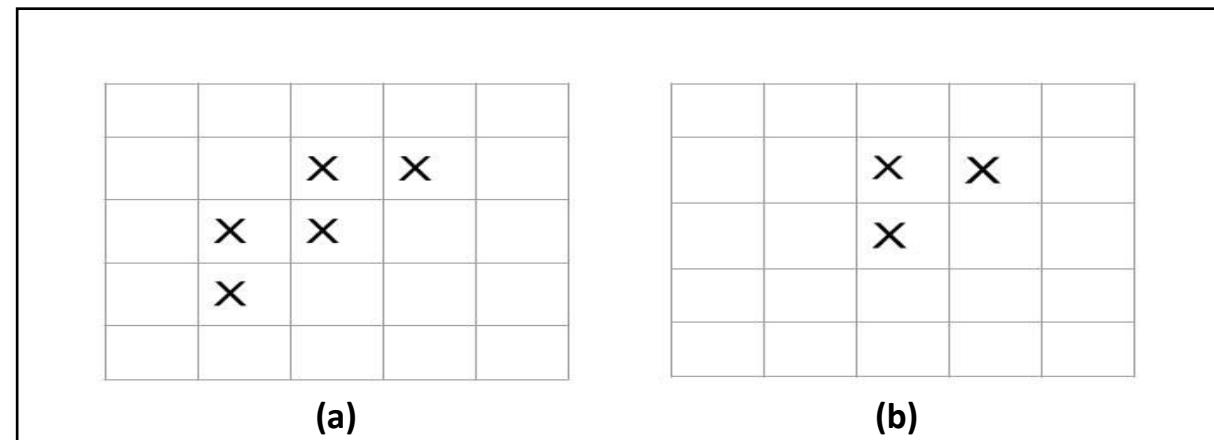
# Cost Factors

---

- **Cost for Edge Thickness:** The cost for edge thickness assigns a unit cost to thick edged pixels.

$$C_t(S, I) = 1, \text{ if } s(I) \text{ is a thick edge pixel}$$

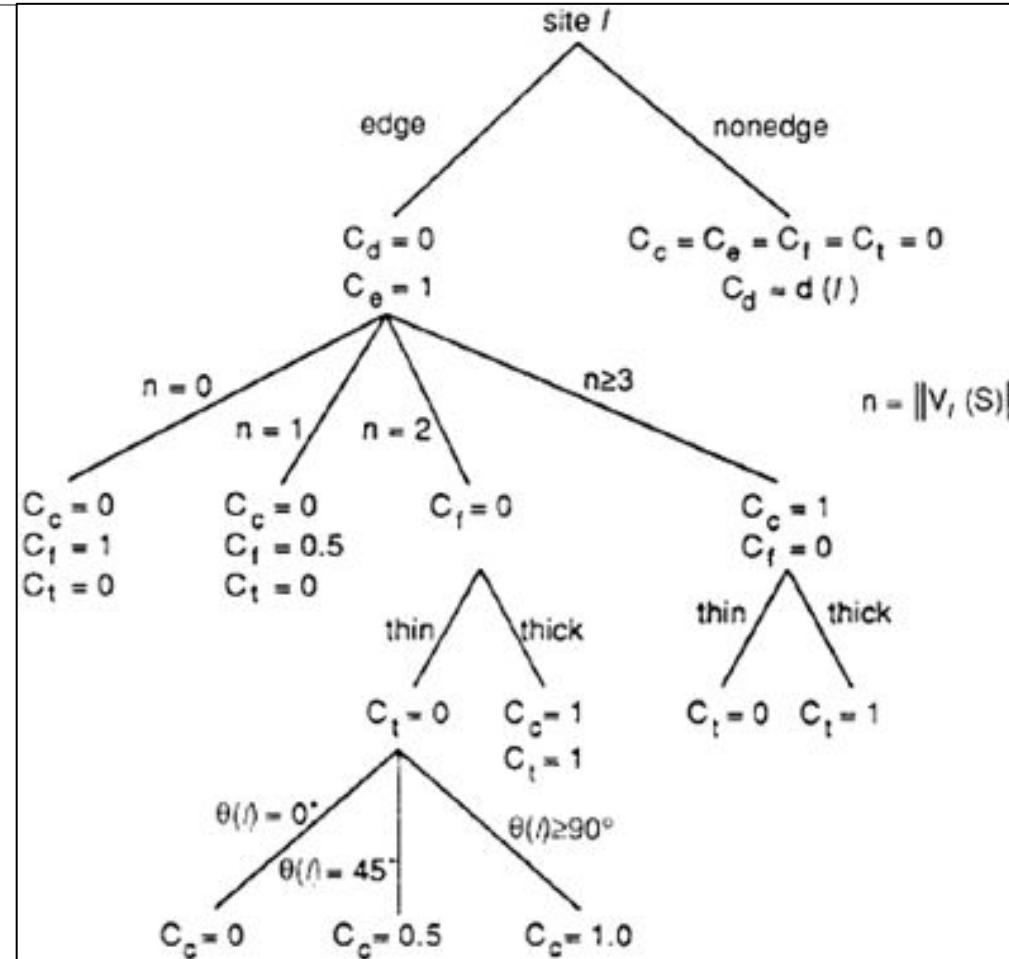
$$= 0, \text{ if } s(I) \text{ is not a thick edge pixel}$$



Examples of thick edges (a) with 5 pixels (b) with 3 pixels

# Decision Tree

Significant reduction in computation time can be obtained by integrating information influencing each of the different cost factors and establishing it in a form that will enable efficient computation. This is achieved by the decision tree structure as shown.



```

Editor - C:\BTP\costFunction1.m*
+9 checkdiff.m mutation_mat.m compare.m checkcomp.m
1 function [cost] = costFunction1 (img,dis_mat)
2
3 wd = 2;
4 wc = 0.5;
5 wf = 3;
6 wt = 6.51;
7 % load disMap
8 cost=0.0; %total cost
9
10 for i=2:size(img,1)-1
11     for j=2:size(img,2)-1
12         we = img(i,j)*1.0;
13         if img(i,j)==0
14             cd=dis_mat(i,j);
15             cc=0;
16             ce=0;
17             cf=0;
18             ct=0;
19         else
20             cd=0;
21             ce=1.0; %Ce
22             n=-1; %no of neighbour edges
23             for ki=i-1:i+1
24                 for kj=j-1:j+1
25                     if img(ki,kj)==1
26                         n=n+1;
27                     end
28                 end
29             end
30             if n==0
31                 cc=0;
32                 ct=0;
33                 cf=1.0; %cf
34             elseif n==1
35                 cc=0.0;
36                 ct=0.0;
37                 cf=0.5; %cf
38             elseif n==2
39                 cf=0.0;
40                 %thick egde
41                 if ((img(i-1,j)==1)&&((img(i-1,j-1)==1)|| (img(i-1,j+1)==1)))
42                     ||((img(i,j-1)==1)&&((img(i-1,j-1)==1)|| (img(i+1,j-1)==1)))
43                     ||((img(i,j+1)==1)&&((img(i-1,j+1)==1)|| (img(i+1,j+1)==1)))
44                     ||((img(i+1,j)==1)&&((img(i+1,j-1)==1)|| (img(i+1,j+1)==1)))
45                     ct=1.0;
46                 end
47             end
48             if n>2
49                 cc=1.0;
50                 ct=0.5;
51                 cf=0.5;
52             end
53             if ((img(i-1,j)==1)&&((img(i-1,j-1)==1)|| (img(i-1,j+1)==1)))
54                 ||((img(i,j-1)==1)&&((img(i-1,j-1)==1)|| (img(i+1,j-1)==1)))
55                 ||((img(i,j+1)==1)&&((img(i-1,j+1)==1)|| (img(i+1,j+1)==1)))
56                 ||((img(i+1,j)==1)&&((img(i+1,j-1)==1)|| (img(i+1,j+1)==1)))
57                 ct=0.5;
58             end
59         end
60         if ct>0
61             if ((img(i-1,j)==1)&&((img(i-1,j-1)==1)|| (img(i-1,j+1)==1)))
62                 ||((img(i,j-1)==1)&&((img(i-1,j-1)==1)|| (img(i+1,j-1)==1)))
63                 ||((img(i,j+1)==1)&&((img(i-1,j+1)==1)|| (img(i+1,j+1)==1)))
64                 ||((img(i+1,j)==1)&&((img(i+1,j-1)==1)|| (img(i+1,j+1)==1)))
65                 ct=0.5;
66             end
67         end
68     end
69 end
70
71 %finding min jump
72 for k=2:8
73     if nbs(1,k)==1
74         if jmp>4
75             jmp=8-jmp;
76         end
77     end
78 end
79
80 minjmp=min(jmp);
81
82 if minjmp>0
83     minjmp=min(minjmp,jmp);
84 end
85
86
87
88
89
90
91
92
93
94
95
96
97
98
99

```

Editor - C:\BTP\costFunction1.m

```
+9 checkdiff.m mutation_mat.m compare.m checkcomp.m convert_
64-           jmp=8-jmp;
65-       end
66-       minjmp=min(minjmp,jmp);
67-       jmp=0;
68-   end
69-   jmp=jmp+1;
70- end
71 %curvature cost
72 if (minjmp==1) || (minjmp==2)
73     cc=1.0; %>=90 Cc=1
74 elseif minjmp==3
75     cc=0.5; %=45 Cc=0.5
76 else
77     cc=0.0;
78 end
79 end
80 % n>=3
81 else
82     cc=1.0; %Cc=1
83     cf=0.0;
84 if ((img(i-1,j)==1)&&((img(i-1,j-1)==1) || (img(i-1,j+1)
85     ct=1.0; %Ct=1
86 else
87     ct=0.0;
88 end
89 end
90 end
91 end
92 wd = 2.0; wc = 0.5; wf = 3.0; wt = 6.51;
93 c =double((ce*we)*1.0+(cd*wd)+(cc*wc)+(cf*wf)+(ct*wt));
94 cost=cost+c;
95
96 end
97 end
98 end
```

Editor - C:\BTP\costFunction1.m

```
+9 checkdiff.m mutation_mat.m compare.m checkcomp.m convert_gene.m selection.m costl
75- cc=0.5; %=45 Cc=0.5
76- else
77-     cc=0.0;
78- end
79- end
80- % n>=3
81- else
82-     cc=1.0; %Cc=1
83-     cf=0.0;
84- if ((img(i-1,j)==1)&&((img(i-1,j-1)==1) || (img(i-1,j+1)
85-     ct=1.0; %Ct=1
86- else
87-     ct=0.0;
88- end
89- end
90- end
91- end
92- wd = 2.0; wc = 0.5; wf = 3.0; wt = 6.51;
93- c =double((ce*we)*1.0+(cd*wd)+(cc*wc)+(cf*wf)+(ct*wt));
94- cost=cost+c;
95-
96- end
97- end
98- end
```

# Input and Output of MATLAB

---

**Input Edge Configuration :**

1	1	0	0
0	1	1	0
0	0	0	0

**Code Output:**

16.0200

(If we calculate the cost manually, following the decision tree structure established above, we will obtain the same result)

- o An edge structure is defined only in a 3x3 neighborhood, so only pixel locations (2,2) and (2,3) are evaluated.

Cost weights are:  $we = 1$ ,  $wd = 2$ ,  $wc = 0.5$ ,  $wf = 3$ , and  $wt = 6.51$

Cost at each pixel location is given by:  $C = Ce*we + Cd*wd + Cc*wc + Cf*wf + Ct*wt$

- For pixel location (2,2):

- o Since it is an edge (=1),  $Cd=0$  and  $Ce=1$ .
- o Number of neighbors for this pixel is 3, i.e. (1,1), (1,2) and (2,3). So,  $Cc=1$  and  $Cf=0$ .
- o Now, there exists multiple links between neighboring pixels, hence it is a thick edge, and  $Ct=1$ .
- o Total cost for pixel (2,2) =  $Ce*we + Cd*wd + Cc*wc + Cf*wf + Ct*wt$   
 $= (1*1)+(0*2)+(1*0.5)+(0*3)+(1*6.51) = 8.01$

- For pixel location (2,3):

- o Since it is an edge (=1),  $Cd=0$  and  $Ce=1$ .
- o Number of neighbors for this pixel is 2, i.e. (1,2) and (2,2). So  $Cf=0$ .
- o Now, there exists multiple links between neighboring pixels, hence it is a thick edge, and  $Cc=1$  and  $Ct=1$ .
- o Total cost for pixel (2,3) =  $Ce*we + Cd*wd + Cc*wc + Cf*wf + Ct*wt$   
 $= (1*1)+(0*2)+(1*0.5)+(0*3)+(1*6.51) = 8.01$

Total cost for given edge configuration = Cost (2,2) + Cost (2,3) =  $8.01+8.01 = 16.02$  (which is equal to the output obtained)

# Future Work & Conclusion

---

- We aim to improve our algorithm to fetch better results and a decent convergence curve
- We will explore more parameters that we can include in the cost function for it to work more efficiently and use strategies like elitism.
- We aim to write a function that calculates the efficiency and compares it to that of different algorithms

# References

---

- Suchendra M. Bhandarkar, “ An Edge Detection Technique Using Genetic Algorithm-Based Optimization”, Pattern Recognition, Vol. 27, No. 9, pp. 1159 1180, 1994 Elsevier Science Ltd
- Saul.B Gelfand, Edward J. Delp, “ A Cost Optimization Approach to Edge Detection Using Simulated Annealing, IEEE Transaction on Pattern Analysis and Machine Intelligence, Vol 14, No. 1, January 1991
- Markus Gudmundsson, and Mansur R. Kabuka, ”Edge Detection in Medical Images Using a Genetic Algorithm”, IEEE Transactions on Medical Imaging, VOL. 17, NO. 3, JUNE 1998

# THANK YOU