## AS1

1. "She moves at a constant speed in a constant direction". Rephrase the same sentence in a fewer words using concets related to motion.

Ans: The above sentence in a fewrer words can be written as - "She moves at a constant velocity".

2. In the figure given below, distance Vs. time graphs showing motion of two cars A and B are given. Which car moves fast?

Ans: Out of the two cars whose Distance - time graphs are shown in the figure, car A moves faster than car B as seen from the graph.

3. Derive the equation for uniform accelerated motion for the displacement covered in its  $n^{th}$  second of its motion. ( $s_n = u + a(n - 0.5)$ )

Ans: Let  $S_n$  be displacement covered, in the  $n^{th}$  second of the motion of a uniformly accelerated body. Let its initial velocity be 'u' and 'a' be its acceleration.

The displacement of the body  $S_t = ut + 0.5at^2$  (formula).

Displacement in n seconds  $\Rightarrow$  S<sub>n</sub> = un + 0.5an<sup>2</sup>....(1)

Displacement in (n-1) seconds =>  $S_{n-1} = u(n-1) + 0.5a(n-1)^2....(2)$ 

Subtracting S<sub>n-1</sub> from S<sub>n</sub>

$$S_n - S_{n-1} = (un + 0.5an^2) - [u(n-1) + 0.5a(n-1)^2]$$

$$= un + 0.5an^2 - un + u - 0.5a(n-1)^2$$

$$= 0.5an^2 + u - 0.5a(n^2 - 2n + 1)$$

$$= 0.5an^2 + u - o.5an^2 + an - 0.5a$$

$$= u - + an - 0.5a$$

$$= u + a(n - 0.5)$$
 [Taking 'a' common]

Hence, displacement undergone in  $n^{th}$  second,  $s_n = u + a(n - 0.5)$ 

[Here, 
$$0.5 = 1/2$$
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