# Adversarially learned transferable representations

Project Presentation for EE392A - Undergraduate Project

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April 19, 2018

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Introduction

#### **Motivation - Domain Adaptation**

- · Large amount of data is usually unlabeled
- · Annotations are expensive
- · Large datasets available but can not represent every situation
- Domain adaptation allows us to learn generalizable functions for desired task

### **Problem Description - Domain Adaptation**

- · Attracted researches from different domains
- · Setting assumes:
  - · A labeled dataset in Source Domain with distribution P(S)
  - An unlabeled dataset in Target Domain with distribution P(T)
  - Since  $P(S) \neq P(T)$  what we can have  $P(z|X_s) \sim P(z|X_t)$
- Hence, the task often converts to the one of finding generalizable representations

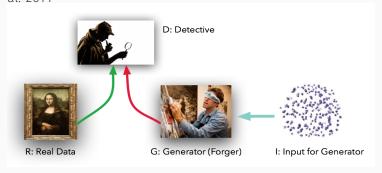
#### Lab to Real World



## **Previous Work**

#### **Preliminaries-GAN**

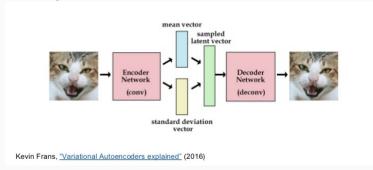
 A generative modeling technique introduced by Goodfellow et al. 2014



Hard to train(mode collapse)

#### **Preliminaries-VAE**

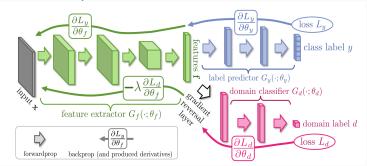
More mathematically understood method of generative modeling



· Image visual quality inferior to GANs

#### **Previous Approaches**

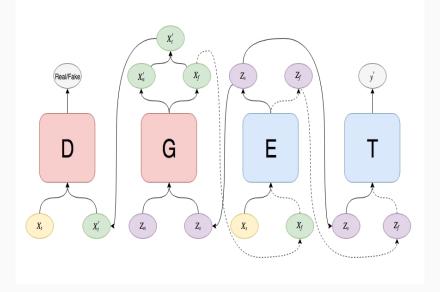
 Deep Adversarial Neural Network(DANN) based approaches were instantiated by the Ganin et al. 2014



- Different variants which worked one reducing the distance of representations(Long et al. 2015, Tzeng et al. 2015)
- Google recently approached the problem with a conditioned-GAN approach(Bousmalis et al. 2017)

## Our Approach

#### Model architecture



#### **Different Loss functions**

$$\begin{split} \mathcal{L}_{GAN}(D,G) = & \mathbb{E}_{\mathbf{x}_t}[\log D(\mathbf{x}_t;\theta_D)] + \alpha \mathbb{E}_{\mathbf{x}_s}[\log(1-D(G(E(\mathbf{x}_S;\theta_G);\theta_G);\theta_D)] \\ & + \beta \mathbb{E}_{\mathbf{z}_n}[\log(1-D(G(\mathbf{z}_n;\theta_G);\theta_D)] \\ \mathcal{L}_{Task}(E,T) = & \mathbb{E}_{\mathbf{x}_S,\mathbf{y}_S,\mathbf{x}_f}[-\mathbf{y}_S^\top \log(T(E(\mathbf{x}_f;\theta_E);\theta_T)) \\ & - \mathbf{y}_S^\top \log(T(E(\mathbf{x}_S;\theta_E);\theta_T))] \\ \mathcal{L}_{prior} = & D_{KL}(q(\mathbf{z}_S|\mathbf{x}_S)||p(\mathbf{z}_S)) \\ \mathcal{L}_{C} = & D_{KL}(q(\mathbf{z}_S|\mathbf{x}_S)||q(\mathbf{z}_f|\mathbf{x}_f)) \end{split}$$

#### Dataset

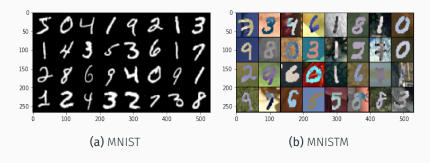


Figure 1

**Experiments and Observations** 

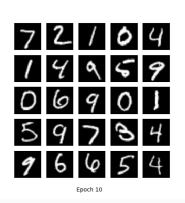
#### **Methods of Training**

#### · End-to-end Training:

- Train the entire model simultaneously(introduce some penalty to fake images)
- Generates fake images(uncontrolled) but failed to perform on the task
- · Sequential Training:
  - Train the encoder first and keep it fixed for the rest of the generation process
  - · Performs on the task but failed to generate images

### **Experiments to Debug**

- · Training without the task supervision :
  - · Generates fake images but no control on generation
  - No negative alignments
  - · Possible explanation : Source images not encoded



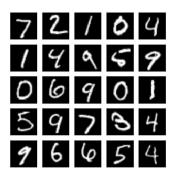
Epoch 20

(a) Encoder Input

(b) Generator Output

#### **Experiments to Debug**

- Training without prior end-to-end :
  - · Remove the prior requirement from the setting
  - · Generates fake images but no control on generation
  - · Modal collapse
  - · Fails on classification task
  - · Possible explanation : Stronger prior that satisfies both the tasks



Epoch 10

Epoch 18

#### **Experiments to Debug**

After finding hints that having a weak prior might be the culprit, we tested how does imposing this strong prior requirement affect the pure classification task.

To do this we used the same encoder-task network combination that we had been using but introduced and removed sampling process to create different losses. We also experimented with inclusion of the "Prior Loss" function.

#### Some more tests

• Training the standard Le-Net Classifier :

**Table 1:** Accuracy on MNISTM dataset(w/o VAE architecture)

Method	Accuracy
Target Only	96.3
Source Only	58.9
Target and Source Both	96.4

Training with sampling(Prior Loss not included):

Table 2: Accuracy on MNISTM dataset(w/ VAE architecture)

Method	Accuracy
Target Only	96.2
Source Only	58.7
Target and Source Both	93.8

#### Some more tests

Training with sampling(Prior Loss included):

Table 3: Accuracy on MNISTM dataset(w/ VAE architecture)

Method	Accuracy
Target Only	95.2
Source Only	55.4
Target and Source Both	11.8

Inferences drawn/Future work

#### Inferences drawn/Future work

- · Inferences:
  - We need a different set of priors than can model such complex distributions
  - Encode more information for controllable generation
- · Future Work:
  - · Stay with the same architecture
    - Use stronger Gaussian priors
    - Use transformations such as normalizing flows and real valued non-volume preserving(r-nvp) flows
  - · Change to different architectural designs
    - Inspired from Cycle GAN and Bi-GAN approach for encoding more information

#### Acknowledgements

- I express my gratitude for Prof. Vinay P. Namboodiri for providing me with valuable support and guidance as and when needed
- I am also equally grateful to **Prof. Tanaya Guha** for agreeing to be the co-advisor on this project.
- A special thanks to Mr. Vinod Kumar Kurmi for essential discussions and getting me introduced to the field of domain adaptation.

**Questions?**