# Stock portfolia performance Dataset analysis

The dataset of performances of weighted scoring stock portfolios are obtained with mixture design from the US stock market historical database.

Dataset source (UCI Machine Learning Repository): https://archive.ics.uci.edu/ml/datasets/Stock+portfolio+performance Dataset download link, direct link: stock portfolio performance data set.xlsx

Data Set Characteristics:	Multivariate	Number of Instances:	315	Area:	Business
Attribute Characteristics:	Real	Number of Attributes:	12	Date Donated	2016-04-22
Associated Tasks:	Regression	Missing Values?	N/A	Number of Web Hits:	82017

https://s3-us-west-2.amazonaws.com/secure.notion-static.com/455d1a47-a00a-4e75-8677-51d893d3f2ed/stock\_portfolio\_performance\_data\_set.xlsx

If we look at excel file, we will see the following:

## About Dataset - Stock Portfolio Perform

Dataset distribution (six sheets of excel file) -

- Sheet 1 4<sup>th</sup> period (65 rows, 63 lds or stocks and 19 columns).
- Sheet 2 3<sup>rd</sup> period (65 rows, 63 lds or stocks and 19 columns).
- Sheet 3 2<sup>nd</sup> period (65 rows, 63 lds or stocks and 19 columns).
- Sheet 4 1<sup>st</sup> period (65 rows, 63 lds or stocks and 19 columns).
- Sheet 5 all period (65 rows, 63 lds or stocks and 19 columns).
- Sheet 6 Time frame (5 rows and 5 columns).

Data columns names (3 subsets - the weight of the stock-picking concept, the original investment performance indicator and the normalized investment performance indicator) (only in  $4^{th}$ ,  $3^{rd}$ ,  $2^{nd}$ ,  $1^{st}$  and all period sheets) -

'ID', 'Large B/P', 'Large ROE', 'Large S/P', 'Large Return Rate in the last quarter', 'Large Market Value', 'Small systematic Risk', 'Annual Return', 'Excess Return', 'Systematic Risk', 'Total Risk', 'Abs. Win Rate', 'Rel. Win Rate', 'Annual Return' (normalized), 'Excess Return' (normalized), 'Systematic Risk' (normalized), 'Total Risk' (normalized), 'Abs. Win Rate' (normalized), and 'Rel. Win Rate' (normalized).

### Code info:

Used anaconda jupyter to do data analysis.

## checking versions

## # checking versions

```
In [2]: !python --version # Python version

# Load Module ---
import numpy as np, pandas as pd

print('numpy version:',np.__version__)
print('pandas version: ',pd.__version__)

Python 3.7.10
numpy version: 1.19.5
pandas version: 1.1.5
```

## pandas, numpy warmup

we used numpy to generate random numbers and pandas to make it in series(as given in output)

## **Generating 2d random data frames**

```
[4]: # Genrate two dimension data - dataframe (rows and columns)
two_d_data=np.random.randn(11,6) # normal distribution (random variable with a Gaussian distribution)
print('two_d_data:\n',two_d_data,sep='')

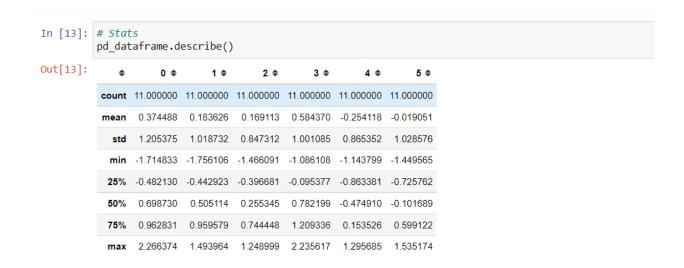
two_d_data:
[[ 0.03024512  0.50511375  1.24899931  0.20928989 -0.47490977 -0.89977549]
[ 2.26637449 -0.35148803  0.25534478 -0.72811915 -0.69917574  1.53179337]
[ 0.41398662  0.53985547  0.42538685  0.87461099  1.2956849 -1.44956502]
[ 1.03998284  1.264679   0.89577547  1.45059898 -0.40823682 -0.55174932]
[ -1.00260081  -0.53435822  0.59312139  2.23561696 -0.19932813  0.14625376]
[ -0.99450457  -0.99283831  -0.68039512  -1.08610794  0.50637957  -0.10168937]
[ 0.82489574  1.11154294  1.23895392  -0.40004446  -0.78221198  -0.19062221]
[ 1.67141209  0.80761513  -0.23664303  0.7821994  1.15189517  -0.0620839 ]
[ 0.88567916  -0.06809755  -1.46609073  1.13948543  -1.09704302  -1.21928878]
[ -1.71483322  -1.75610579  -0.55671873  1.27918576  -0.94455069  1.53517421]
[ 0.69872964  1.49396406  0.14250355  0.67135143  -1.14379916  1.05199055]]
```

### Then, i created dataframes using pandas

here, head() gives the initial values of data.

```
In [9]: # Info
       pd_dataframe.info()
       <class 'pandas.core.frame.DataFrame'>
       Index: 11 entries, a to 6
       Data columns (total 6 columns):
            Column Non-Null Count Dtype
                   -----
                   11 non-null
                                  float64
        1
           1
                  11 non-null
                                 float64
        2
                   11 non-null
                                 float64
        3
                   11 non-null
                                  float64
                   11 non-null
                                  float64
        5
            5
                   11 non-null
                                  float64
        dtypes: float64(6)
       memory usage: 616.0+ bytes
```

now we move on to get info where we can see data has non null values and datatypes is float.



Then we check the stats of datasets where we can see the mean,25% ,50%, & 75% of datasets

then we check null values on how many null values do we have.

## Lets move to our main dataset.

Dataset download link: stock portfolio performance data set.xlsx

```
#!wget https://archive.ics.uci.edu/ml/machine-learning-databases/00390/stock%20portfolio%20performance%
# Read dataset
data_file_link_xlsx='https://archive.ics.uci.edu/ml/machine-learning-databases/00390/stock%20portfolio%
data=pd.read_excel(data_file_link_xlsx,sheet_name='4th period',header=1)
```

### reading the data



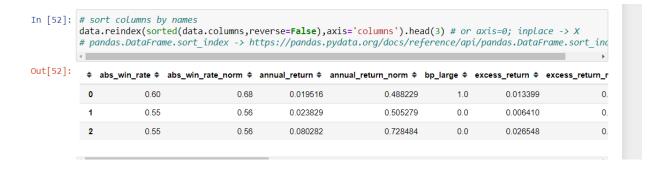
rename the columns in dataset



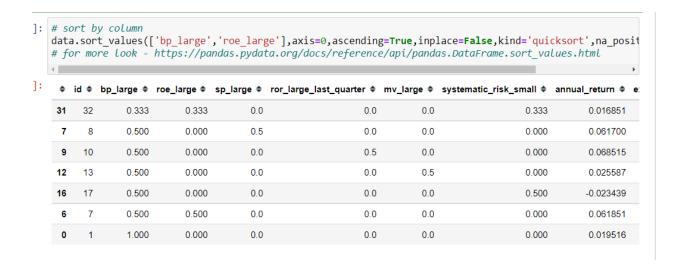
we can transpose the dataset using .t where the rows and columns will interchange.

### 2.0.2 sort

Lets move into sorting where we sort our datasets.



we sort the columns using names I.E using capital letters a,b,c,d...



next we sort using columns, where we specify the columns names and sorting algo. Here its quicksort.

## Lets come to ml part

#### 3.0.12 data normalization

```
In [72]: # import function
    from sklearn.preprocessing import normalize
    # doc -> https://scikit-learn.org/stable/modules/generated/sklearn.preprocessing.Normalizer.html#skle
    # axis -> # 0:column; 1:rows |
    # l1 -> value/sum(respective row or column) --> norm_value -> sum axis wise
    # l2 -> value/sqrt(sum of square of each element wise of respective row or column)) --> norm_value -
    # 'max' -> value/max(respective row or column) --> norm_value -> maximum value of axis
```

Lets normalize the data.

Note: Machine learning algorithms tend to perform better or converge faster when the different features (variables) are on a smaller scale. Therefore it is common practice to normalize the data before training machine learning models on it.

```
: # Method 1 - direct
  data_small_norm_matrix,_=normalize(data_small[data_small.columns[1:]].values,norm='12',axis=0,copy=True
  data_small_norm=pd.DataFrame(data=data_small_norm_matrix,index=None,columns=data_small.columns[1:],
                             dtype=None,copy=True)
  #data_small_norm['id']=data_small.id
 data_small_norm.head()
   0.000000
                 0.000000
                                   0.000000
                                             0.000000
                                                                    0.0
       0.487267
                0.000000
                                   0.000000
                                             0.000000
                                                                    0.0
   1
   2
      0.000000
                0.487267
                                   0.000000
                                             0.000000
                                                                    0.0
   3
       0.000000
                0.000000
                                   0.487267
                                             0.000000
                                                                    0.0
       0.000000
                 0.000000
                                   0.000000
                                             0.487267
                                                                    0.0
```

we normalize the dataset here and get the data which we want as an input, you can see in output of the code - these are columns which are inputs

```
In [63]: # data x
x=data_small_norm.to_numpy()
```

Now we set our x after normalizing the inputs value.

```
In [64]: # label y
y=data.annual_return_norm.to_numpy()|
```

and set y as our outputs.

now we use regression model to fit the test data (we use linear regression here)

we do predict the output now.

```
0.54443801, 0.60937582]))

In [70]: sum((y_pred-y_test)**2)

Out[70]: 0.017407222699613572

In [ ]:
```

Now we calculate total mean squared error .

## note: we have put all input datas as

### and output as annual return.

as you can see what our model predicated and what is the actual number

## Now we will go for DAY@2

#### 1.0.1 long term

Here we see long term stocks which are good to buy or add in portfolio

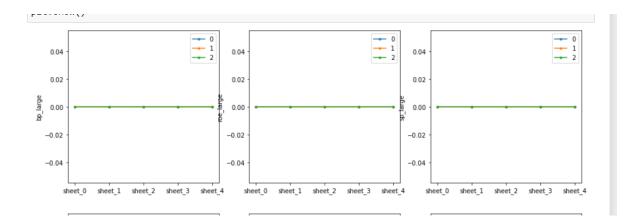
```
In [6]: # plot 20 years data for worse three
plt.figure(figsize=(15,10))

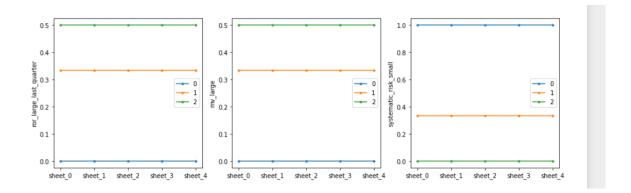
# plot trends
# x - axis

x_axis=['sheet_'+str(x) for x in range(total_sheets-1)]

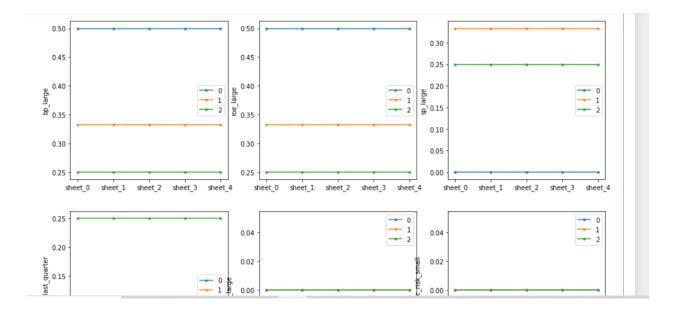
for n_plot,column in enumerate(data3d.columns[1:7],1):
    plt.subplot(2,3,n_plot)
    # y - axis
    y_axis_all=[data3d.loc[pd.IndexSlice[:,ltm_worse_three_idx[y]],column].values for y in range(3)]
# plot
    for n,y_axis in enumerate(y_axis_all,0):
        plt.plot(x_axis,y_axis,label=str(n),marker='.')
    plt.legend(),plt.ylabel(column)

plt.show()
```





here in graph we can see best 3 and worst 3 stocks.



### Similary short term investments

```
### short term

In [8]: # See down trends - top three from bottom
    stm_worse_three_idx=data3d.sort_values('annual_return',ascending=True).index[:3]
    stm_worse_three=data3d.sort_values('annual_return',ascending=True).id.values[:3]
    print('worse_three',stm_worse_three)

# See down trends - top three from top
    stm_best_three_idx=data3d.sort_values('annual_return',ascending=False).index[:3]
    stm_best_three=data3d.sort_values('annual_return',ascending=False).id.values[:3]
    print('best_three',stm_best_three)

data3d.loc[mId[stm_worse_three_idx],data3d.columns[:10]]

worse_three [ 6 17 16]
    best_three [ 22 7 3]
```

<pre>data3d.sort_values(['annual_return','systemtic_risk_actual'],ascending=False).head()</pre>									
<b>\$</b>	<b>\$</b>	id \$	bp_large \$	roe_large \$	sp_large \$	ror_large_last_quarter \$	mv_large \$	systematic_risk_small \$	annual_re
sheet_1	21	22	0.333	0.333	0.333	0.0	0.0	0.0	0.
	6	7	0.500	0.500	0.000	0.0	0.0	0.0	0
	2	3	0.000	0.000	1.000	0.0	0.0	0.0	0.
sheet_3	6	7	0.500	0.500	0.000	0.0	0.0	0.0	0
	21	22	0.333	0.333	0.333	0.0	0.0	0.0	0.

Lets take a look at short term and minimum risks.

### Now we will do the predication for long term investment model.

here we will take some inputs, say first seven columns as an inputs

#### 1.0.4 predection - long term

#output--6 rows given in in\_names

Out[12]: ((63, 6), (63, 3))

in get data we took the output as aanual return, excess return and total risk. and we redicated number of rows and columns for input and output for the same.

```
In [13]: # import function
from sklearn.preprocessing import normalize
# doc -> https://scikit-learn.org/stable/modules/generated/sklearn.preprocessing.Normalizer.html#sklean

X_norm,norms_of_x=normalize(X,norm='l1',axis=0,copy=True,return_norm=True)
y_norm,norms_of_y=normalize(y,norm='l1',axis=0,copy=True,return_norm=True)

# split
from sklearn.model_selection import train_test_split
# Source: https://scikit-learn.org/stable/modules/generated/sklearn.model_selection.train_test_split.ht
nX_train,nX_test,ny_train,ny_test=train_test_split(X_norm,y_norm,test_size=0.10,random_state=7)

# split - un-norm data
X_train,X_test,y_train,y_test=train_test_split(X,y,test_size=0.10,random_state=7)

# shape
nX_train.shape,nX_test.shape,ny_train.shape,ny_test.shape
```

we split the data ,normalize it

(here n stands for normalized data)

### 

NOW we will check the multiple outputs and single output model.

here in multiple output model nlinear multi we gave as name where n is normalizied

here is the output where we used linear regression in multiple outputs so our equation will be y=m1x1+m2x2+m3x3. so we will get 18(6\*3) outputs and 3 y value.

#### 1.0.7.2 single outputs

```
In [15]: # make model for single outputs - norm data
nliner_single=LinearRegression()

# train model
nliner_single.fit(nX_train,ny_train[:,0])
# print coef_
print('coef_ of shape:',nliner_single.coef_.shape,': value -\n',nliner_single.coef_)
# print intercept_
print('intercept_ of shape:',nliner_single.intercept_.shape,': value -\n',nliner_single.intercept_)

# make model for single outputs - un-norm data
liner_single=LinearRegression()
# train model
liner_single.fit(X_train,y_train[:,0])
```

```
coef_ of shape: (6,) : value -
    [2.202696     2.23229594     2.24975041     2.15741387     2.13026079     2.12529582]
    intercept_ of shape: () : value -
        -0.19191141657389413

5]: LinearRegression()
```

Here we can see the output is same from multiple out.

```
[16]: # error - mean absolute error
from sklearn.metrics import mean_absolute_error
# source: https://scikit-learn.org/stable/modules/generated/sklearn.metrics.mean_absolute_error.html

print('error multi-outputs norm:',mean_absolute_error(ny_test,nliner_multi.predict(nX_test),multioutput
print('error single-outputs norm:',mean_absolute_error(ny_test[:,0],nliner_single.predict(nX_test))*nor
print('error single-outputs un-norm:',mean_absolute_error(y_test[:,0],liner_single.predict(x_test)))
print('absolute difference:',(ny_test[:,0]-nliner_single.predict(nX_test))*norms_of_y[0])

error multi-outputs norm: [0.01927095 0.005284  0.00775093]
error single-outputs norm: 0.019270951142947867
error single-outputs un-norm: 0.019270951142947516
absolute difference: [-0.02585069 -0.03771539  0.01296044 -0.02185498  0.01766048  0.00254028
-0.01631441]
```

Now we will compare the mean error of both models(single vs multiple).we can see its same.

and we got absolute difference which tells difference of actual and predicated of each row.

Now we go on trees, decision tree

```
|: # make model for single output
      from sklearn.tree import DecisionTreeRegressor
      # source: https://scikit-learn.org/stable/modules/generated/sklearn.tree.DecisionTreeRegressor.html
      # calculations
      \# MSE = (sum_square_of_left / w_l) + (sum_square_of_right / w_r)
      # FriedmanMSE = (w_r * total_left_sum - w_l * total_rigth_sum)**2 / (w_r * w_l)
      # make model - un-norm
      tree\_single=DecisionTreeRegressor(criterion='friedman\_mse', random\_state=7) \# friedman\_mse-\ making\ model\ friedman\_mse', random\_state=7) \# friedman\_mse', random\_state=7) \# friedman\_mse', random\_state=8) \# friedman\_m
      tree_single.fit(X_train,y_train[:,0])
      print('error \ single-outputs \ un-norm:', mean\_absolute\_error(y\_test[:,0], tree\_single.predict(X\_test)))
      # make model - norm
      ntree_single=DecisionTreeRegressor(criterion='friedman_mse',random_state=7)
      # train model
      ntree_single.fit(nX_train,ny_train[:,0])
      print('error single-outputs norm'.mean absolute error(nv test[:.0].ntree single.predict(nX test))*norms
      ntree_single=DecisionTreeRegressor(criterion='triedman_mse',random_state=7)
       # train model
       ntree_single.fit(nX_train,ny_train[:,0])
       print('error single-outputs norm',mean_absolute_error(ny_test[:,0],ntree_single.predict(nX_test))*norms
       error single-outputs un-norm: 0.011428571428571423
       error single-outputs norm 0.009142857142857128
 19]: # make model for single output
            from sklearn.tree import plot_tree
             plt.figure(figsize=(20,10))
             sample_tree_single=DecisionTreeRegressor(max_depth=7).fit(X_train[:,0].reshape(-1,1),y_train[:,0])
            plot_tree(sample_tree_single)
            plt.show()
                                                                                                     X[0] \le 0.083
                                                                                                     mse = 0.001
                                                                                                     samples = 56
                                                                                                     value = 0.149
                                                                                                                           X[0] \le 0.292
                                                                                mse = 0.001
                                                                                                                              mse = 0.0
                                                                                samples = 26
                                                                                                                           samples = 30
                                                                                value = 0.14
                                                                                                                           value = 0.157
                                                                               X[0] \le 0.225
                                                                                                                                                                        X[0] <= 0.75
                                                                                  mse = 0.0
                                                                                                                                                                         mse = 0.0
                                                                               samples = 16
                                                                                                                                                                       samples = 14
                                                                               value = 0.163
                                                                                                                                                                       value = 0.15
                                                         X[0] \le 0.183
                                                                                                                                                X[0] \le 0.417
                                                                                                                                                                                               mse = 0.0
                                                                                                        mse = 0.0
                                                            mse = 0.0
                                                                                                                                                    mse = 0.0
                                                                                                     samples = 10
                                                                                                                                                                                              samples = 1
                                                                                                                                                 samples = 13
                                                           samples = 6
                                                                                                     value = 0.161
                                                                                                                                                                                            value = 0.139
                                                         value = 0.168
                                                                                                                                                 value = 0.15
                                      mse = 0.0
                                                                                  mse = 0.0
                                                                                                                              mse = 0.0
                                                                                                                                                                       mse = 0.001
                                     samples = 1
                                                                                 samples = 5
                                                                                                                            samples = 8
                                                                                                                                                                        samples = 5
                                                                               value = 0.167
                                                                                                                           value = 0.149
                                                                                                                                                                       value = 0.153
                                    value = 0.173
```

### comparing between tree and linear regression

#### 1.0.10 tree vs linear

```
In [20]: print('error linear single-outputs un-norm:',mean_absolute_error(y_test[:,0],liner_single.predict(X_test))
    print('error tree single-outputs un-norm:',mean_absolute_error(y_test[:,0],tree_single.predict(X_test))
    print('absolute difference linear:',y_test[:,0]-liner_single.predict(X_test))
    print('absolute difference tree:',y_test[:,0]-tree_single.predict(X_test))
    print('absolute difference linear-tree:',liner_single.predict(X_test))
    error linear single-outputs un-norm: 0.019270951142947516
    error tree single-outputs un-norm: 0.011428571428571423
    absolute difference linear: [-0.02585069 -0.03771539  0.01296044 -0.02185498  0.01766048  0.00254028
    -0.01631441]
    absolute difference tree: [-0.003  0.003  0.019  0.008 -0.025  0.008 -0.014]
    absolute difference linear-tree: [ 0.02285069  0.04071539  0.00603956  0.02985498 -0.04266048  0.0054
    5972
        0.00231441]
```

here decision tree has less error so it is a good model for the same.

### **Improving trees**

we will use gradientboosting technique and randomforest regressor

```
# make model for single output - Gradient Boosting
from sklearn.ensemble import GradientBoostingRegressor
# source: https://scikit-learn.org/stable/modules/generated/sklearn.ensemble.GradientBoostingRegressor.

# make model - un-norm
gboost_tree_single=GradientBoostingRegressor(learning_rate=0.1,criterion='friedman_mse')
# train model
gboost_tree_single.fit(X_train,y_train[:,0])
print('error Gradient Boosting Regressor-outputs un-norm:',mean_absolute_error(y_test[:,0],gboost_tree_
```

here gradient boosting allows multiple model where one model learns from previous and with learning rate given in code

```
# make model - un-norm
gboost_tree_single=GradientBoostingRegressor(learning_rate=0.1,criterion='friedman_mse')
# train model
gboost_tree_single.fit(X_train,y_train[:,0])
print('error Gradient Boosting Regressor-outputs un-norm:',mean_absolute_error(y_test[:,0],gboost_tree_

# make model for single output -
from sklearn.ensemble import RandomForestRegressor
# source: https://scikit-learn.org/stable/modules/generated/sklearn.ensemble.RandomForestRegressor.html

# make model - un-norm
forest_single=RandomForestRegressor(criterion='friedman_mse')
# train model
forest_single.fit(X_train,y_train[:,0])
print('error Forest Regressor-outputs un-norm:',mean_absolute_error(y_test[:,0],forest_single.predict())
```

#### This is random forest regressor code

```
print('error Gradient Boosting Regressor-outputs un-norm:',mean_absolute_error(y_test[:,0],gboost_tree_print('error tree single-outputs un-norm:',mean_absolute_error(y_test[:,0],tree_single.predict(X_test)) print('error linear single-outputs un-norm:',mean_absolute_error(y_test[:,0],liner_single.predict(X_test)) print('Gradient Boosting Regressor score:',gboost_tree_single.score(X_test,y_test[:,0])) print('tree score:',tree_single.score(X_test,y_test[:,0])) print('linear score:',liner_single.score(X_test,y_test[:,0]))

error Gradient Boosting Regressor-outputs un-norm: 0.007529135019854578 error tree single-outputs un-norm: 0.011428571423 error linear single-outputs un-norm: 0.019270951142947516 Gradient Boosting Regressor score: 0.9057719335358216 tree score: 0.811187390827477 linear score: 0.5278509157028655
```

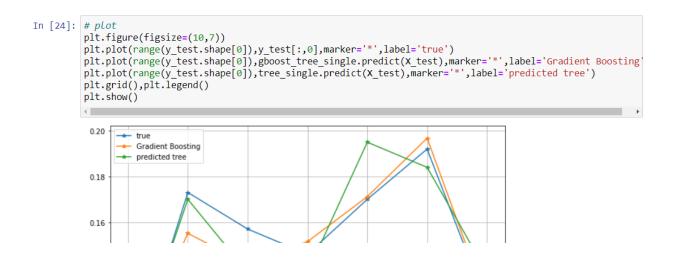
checking the score of different models:

Score qualty 0<score<1

1- overfitting

0 - bad

the one which highest score wins



Here, the plots of the same.

## Now we will go with the real datas

## 

#### columns

```
In dick to scroll output double dick to hide

'Symbol':'symbol','Name':'name','Sector':'sector',

'Price':'price','Price/Earnings':'profit','Dividend Yield':'divident',

'Earnings/Share':'earning_share','52 Week Low':'low','52 Week High':'high',

'Market Cap':'market_cap','EBITDA':'ebitda','Price/Sales':'price_sales',

'Price/Book':'book_price','SEC Filings':'links'}

# rename columns

mdf_snp_500=snp_500.rename(columns=rename_dict_500)

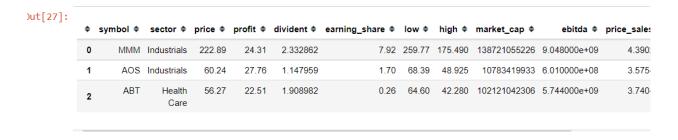
# drop - name,links

mdf_snp_500.drop(columns=['name','links'],inplace=True)

mdf_snp_500.head(3)

Out[27]:
```

we are renaming columns.



#EBITDA, or earnings before interest, taxes, depreciation, and amortization and drop null values

Lets do predication now

### gradient boosting

```
from sklearn.feature_selection import RFE
sample_tester_rfe=GradientBoostingRegressor()

f_selector=RFE(sample_tester_rfe,n_features_to_select=2,step=1)

f_selector.fit(X_500_4_cv,y_500_4_cv[:,1])
```

Check similar models on the same page.

### Super model test- feature selecting models.

```
# x-data - ['low', 'high', 'market_cap', 'ebitda', 'price_sales', 'book_price']
X_500=sample_data.loc[:,mdf_snp_500.columns[-6:]].values
# y-labels - ['price', 'profit']
y_500=sample_data.loc[:,['price', 'profit']].values
# normalize
X_500_4_cv,norms_of_x_500=normalize(X_500,norm='12',axis=0,copy=True,return_norm=True)
y_500_4_cv,norms_of_y_500=normalize(y_500,norm='12',axis=0,copy=True,return_norm=True)
```

here firstly we took inputs - X , outputs -Y and normalized the data.

```
from sklearn.model_selection import cross_validate,KFold,GridSearchCV
from sklearn.feature_selection import RFE

# creating a KFold object with 5 splits
folds = KFold(n_splits = 5, shuffle = True, random_state = 100)

# specify range of hyperparameters
hyper_params = [{'n_features_to_select': list(range(1, 7))}]

# Test classifier - GradientBoostingRegressor
test_clf_GradientBoostingRegressor=GradientBoostingRegressor(learning_rate=0.05,criterion='mse')
test_clf_GradientBoostingRegressor.fit(X_500_4_cv,y_500_4_cv[:,1])

# set up GridSearchCV()
model_f_select = GridSearchCV(estimator = RFE(test_clf_GradientBoostingRegressor),param_grid = hyper_pascoring= 'r2', cv = folds, verbose = 1, return_train_score=True)

# fit the model
model_f_select.fit(X_500_4_cv,y_500_4_cv[:,1])
```

### then we took cross\_validate,KFold,GridSearchCV

and we import *RFE* which is used for feature selecting

```
from sklearn.model_selection import cross_validate, KFold, GridSearchCV
from sklearn.feature_selection import RFE
```

Kfold breaks the datasets into trainsets and test sets-basically split our dataset into 5 different ways.

```
# creating a KFold object with 5 splits
folds = KFold(n_splits = 5, shuffle = True, random_state = 100)
# specify range of hyperparameters
hyper_params = [{'n_features_to_select': list(range(1, 7))}]
```

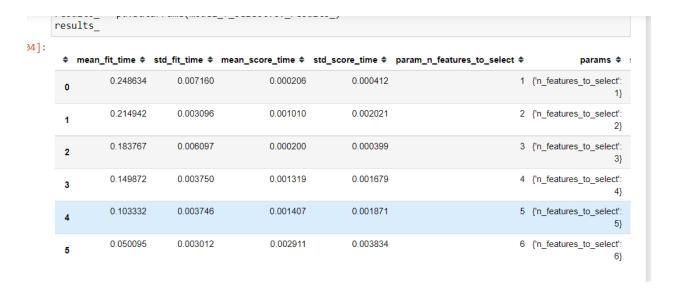
now the hyperparameter does is take all features - say 1st it takes one then 2 and then 3.

```
# Test classifier - GradientBoostingRegressor
test_clf_GradientBoostingRegressor=GradientBoostingRegressor(learning_rate=0.05,criterion='mse')
test_clf_GradientBoostingRegressor.fit(X_500_4_cv,y_500_4_cv[:,1])

# set up GridSearchCV()
model_f_select = GridSearchCV(estimator = RFE(test_clf_GradientBoostingRegressor),param_grid = hyper_pascoring= 'r2', cv = folds, verbose = 1, return_train_score=True)

# fit the model
model_f_select.fit(X_500_4_cv,y_500_4_cv[:,1])
```

we will train our model here using gradientboostingregressor.



in output we get different features.

### note:

split0_to	params 💠	param_n_features_to_select \$	std_score_time \$	mean_score_time \$	std_fit_time \$	an_fit_time \$
	{'n_features_to_select': 1}	1	0.000412	0.000206	0.007160	0.248634
	{'n_features_to_select': 2}	2	0.002021	0.001010	0.003096	0.214942
	{'n_features_to_select': 3}	3	0.000399	0.000200	0.006097	0.183767
	{'n_features_to_select': 4}	4	0.001679	0.001319	0.003750	0.149872
	{'n_features_to_select': 5}	5	0.001871	0.001407	0.003746	0.103332
	{'n_features_to_select': 6}	6	0.003834	0.002911	0.003012	0.050095

v 21 columns

here we get 2 feature select- we will select from first 2 features not random feature.