Time Series Forecasting Project

Content

- 1. Read the data as an appropriate Time Series data and plot the data.
- 2. Perform appropriate Exploratory Data Analysis to understand the data and also perform decomposition.
- 3. Split the data into training and test. The test data should start in 1991.
- 4. Build all the exponential smoothing models on the training data and evaluate the model using RMSE on the test data. Other additional models such as regression, naïve forecast models, simple average models, moving average models should also be built on the training data and check the performance on the test data using RMSE.
- 5. Check for the stationarity of the data on which the model is being built on using appropriate statistical tests and also mention the hypothesis for the statistical test. If the data is found to be non-stationary, take appropriate steps to make it stationary. Check the new data for stationarity and comment. Note: Stationarity should be checked at alpha = 0.05.
- 6. Build an automated version of the ARIMA/SARIMA model in which the parameters are selected using the lowest Akaike Information Criteria (AIC) on the training data and evaluate this model on the test data using RMSE.
- 7. Build ARIMA/SARIMA models based on the cut-off points of ACF and PACF on the training data and evaluate this model on the test data using RMSE.
- 8. Build a table with all the models built along with their corresponding parameters and the respective RMSE values on the test data.
- 9. Based on the model-building exercise, build the most optimum model(s) on the complete data and predict 12 months into the future with appropriate confidence intervals/bands.
- 10. Comment on the model thus built and report your findings and suggest the measures that the company should be taking for future sales.

Problem:

For this particular assignment, the data of different types of wine sales in the 20th century is to be analysed. Both of these data are from the same company but of different wines. As an analyst in the ABC Estate Wines, you are tasked to analyse and forecast Wine Sales in the 20th century.

Data set for the Problem: Sparkling.csv and Rose.csv

1. Read the data as an appropriate Time Series data and plot the data.

Importing Sparkling and Rose wine sale data:

Di	ata set for	Sparkling	Wine	D	ata	set	for	Rose	Wine
	YearMonth	Sparkling			Yea	arMor	nth	Rose	е
0	1980-01	1686		0		1980-	-01	112.0	ð
1	1980-02	1591		1		1980-	-02	118.0	a
2	1980-03	2304		2	:	1980-	-03	129.0	9
3	1980-04	1712		3		1980-	-04	99.0	a
4	1980-05	1471		4		1980-	-05	116.0	9

Converting Sparkling and Rose Wine sale Time range in Year-Month-Day formant

Fitting Sparkling and Rose Wine sale Year-Month-Day formant into Dataframe

```
Fitting Sparkling Wine sale Year-Month-Day formant into Dataframe
YearMonth Sparkling Time_Stamp
0 1980-01 1686 1980-01-31
1 1980-02 1591 1980-02-29
2 1980-03 2304 1980-03-31
3 1980-04 1712 1980-04-30
4 1980-05 1471 1980-05-31
```

Fitting Rose Wine sale Year-Month-Day formant into Dataframe
YearMonth Rose Time_Stamp
0 1980-01 112.0 1980-01-31
1 1980-02 118.0 1980-02-29
2 1980-03 129.0 1980-03-31
3 1980-04 99.0 1980-04-30

Droping unwanted column and fixing index column for the both the dataset

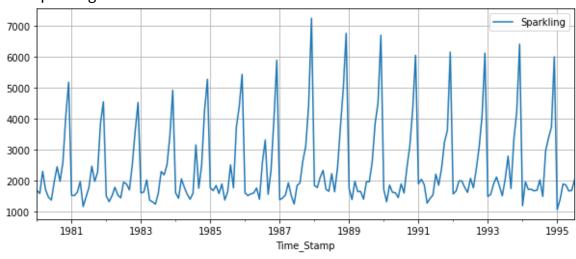
	Sparkling		Rose
Time_Stamp		Time Stamp	
1980-01-31	1686	1980-01-31	112.0
1980-02-29	1591	1980-02-29	118.0
1980-03-31	2304	1980-03-31	129.0
1980-04-30	1712	1980-04-30	99.0
1980-05-31	1471	1980-05-31	116.0

Now, we have our data ready for the Time Series Analysis.

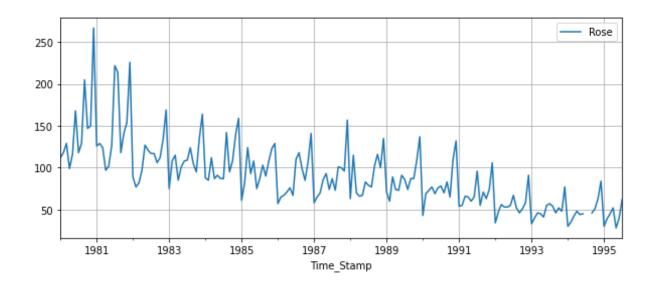
1980-05 116.0 1980-05-31

Plot the Time Series to understand the behaviour of the data

Plot for Sparkling Wine Sale



Plot for Rose Wine Sale



2. Perform appropriate Exploratory Data Analysis to understand the data and also perform decomposition.

Information of Data

```
<class 'pandas.core.frame.DataFrame'>
DatetimeIndex: 187 entries, 1980-01-31 to 1995-07-31
Data columns (total 1 columns):
# Column Non-Null Count Dtype
    Sparkling 187 non-null
                             int64
dtypes: int64(1)
memory usage: 2.9 KB
None
<class 'pandas.core.frame.DataFrame'>
DatetimeIndex: 187 entries, 1980-01-31 to 1995-07-31
Data columns (total 1 columns):
# Column Non-Null Count Dtype
    -----
    Rose 185 non-null float64
dtypes: float64(1)
memory usage: 2.9 KB
```

Finding the missing Value

Sparkling 0 dtype: int64 Rose 2 dtype: int64

There is missing value in rose wine sales data. Using Interpolate() Method I am filling null value.

This method is more complex than the above fillna() method. It consists of different methodologies, including 'linear', 'quadratic', 'nearest'.

Interpolation is a powerful method to fill missing values in time-series data.

Checking for duplicate values

Sparkling = 11 Rose = 89

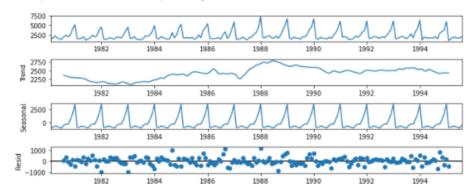
Due to time series data set we are not deleting the duplicate values.

Check the basic measures of descriptive statistics of the Time Series

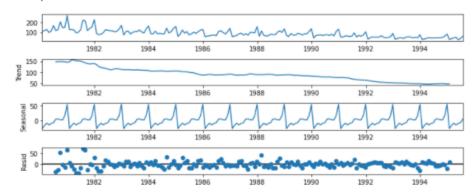
Descriptive statistics for Sparkling Wine Sale	Descriptive statistics for Rose Wine Sale
Sparkling	Rose
count 187.000	count 187.000
mean 2402.417	mean 89.914
std 1295.112	std 39.238
min 1070.000	min 28.000
25% 1605.000	25% 62.500
50% 1874.000	50% 85.000
75% 2549.000	
max 7242.000	75% 111.000
	max 267.000

Decomposition

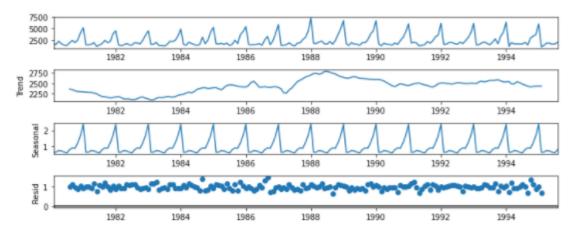
Decompose time series of Sparkling Wine Sale with additive model



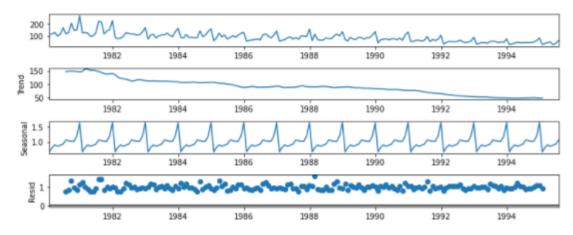
Decompose time series of Rose Wine Sale with additive model



Decompose time series of Sparkling Wine Sale with multiplicative model



Decompose time series of Rose Wine Sale with multiplicative model



3. Split the data into training and test. The test data should start in 1991.

Split the data into train and test and plot the training and test data. (Test data should start 1991)

Shape of train and test of Sparkling Wine Sale Data $(132,\ 1)$ $(55,\ 1)$

Shape of train and test of Rose Wine Sale Data (132, 1) (55, 1)

First few rows of Training Data(Sparkling) Last few rows of Training Data(Sparkling)

S				

Time_Stamp	
1980-01-31	1686
1980-02-29	1591
1980-03-31	2304
1980-04-30	1712
1980-05-31	1471

Sparkling

Time_Stamp	
1990-08-31	1605
1990-09-30	2424
1990-10-31	3116
1990-11-30	4286
1990-12-31	6047

First few rows of Test Data(Sparkling) Last few rows of Test Data(Sparkling)

Sparkling

Time_Stamp	
1991-01-31	1902
1991-02-28	2049
1991-03-31	1874
1991-04-30	1279
1991-05-31	1432

Sparkling

Time_Stamp	
1995-03-31	1897
1995-04-30	1862
1995-05-31	1670
1995-06-30	1688
1995-07-31	2031

Last few rows of Training Data(Rose)

First few rows of Training Data(Rose)

Time_Stamp 1990-08-31 1990-09-30 1990-10-31 1990-11-30 1990-12-31	
1990-09-30 1990-10-31 1990-11-30	_Stamp
1990-10-31 1990-11-30	80-01-31
1990-11-30	02-29
	1
1990-12-31	0
	1

First few rows of Test Data(Rose)

Last few rows of Test Data(Rose)

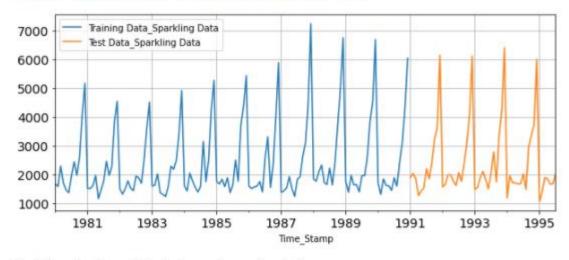
	Q	n	Q	Α	
1000	•	v	•	•	

Time_Stamp	
1991-01-31	54.0
1991-02-28	55.0
1991-03-31	66.0
1991-04-30	65.0
1991-05-31	60.0

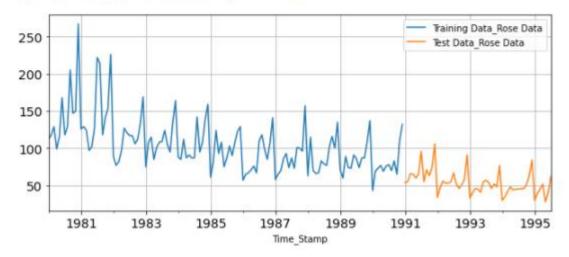
Rose

Time_Stamp			
1995-03-31	45.0		
1995-04-30	52.0		
1995-05-31	28.0		
1995-06-30	40.0		
1995-07-31	62.0		

Plot for train and test of Sparkling wine sale data



Plot for train and test Rose wine sale data



5. Build all the exponential smoothing models on the training data and evaluate the model using RMSE on the test data. Other additional models such as regression, naïve forecast models, simple average models, moving average models should also be built on the training data and check the performance on the test data using RMSE.

Exponential smoothing

SES - ETS(A, N, N) - Simple Exponential Smoothing with additive errors

The simplest of the exponentially smoothing methods is naturally called simple exponential smoothing (SES).

This method is suitable for forecasting data with no clear trend or seasonal pattern.

In Single ES, the forecast at time (t + 1) is given by Winters, 1960

•
$$F_{t+1} = \alpha Y_t + (1-\alpha)F_t$$

Parameter α is called the smoothing constant and its value lies between 0 and 1. Since the model uses only one smoothing constant, it is called Single Exponential Smoothing.

Step1: Creating class for Sparkling wine sale dataset

Step2: Fitting the Simple Exponential Smoothing model for Sparkling wine data and asking python to choose the optimal parameters

Step3: Check the parameters for Sparkling wine data

Parameters for Sparkling wine sales data

{'smoothing_level': 0.0, 'smoothing_slope': nan, 'smoothing_seasonal': nan, 'damping_slope': nan, 'initial_level': 2403.762550263244, 'initial_slope': nan, 'initial_seasons': array([], dtype=float64), 'use_boxcox': False, 'lamda': None, 'remove_bias': False}

Parameters for Rose wine sales data

{'smoothing_level': 0.09874995867958046, 'smoothing_slope': nan, 'smoothing_seasonal': nan, 'damping_slope': nan, 'initial_level': 134.38699135899094, 'initial_slope': nan, 'initial_seasons': array([], dtype=float64), 'use_boxcox': False, 'lamda': None, 'remove_bias': False}

Step4: Using the fitted model on the training set to forecast on the test set(Sparkling Wine sales data)

```
    1991-01-31
    2403.76255

    1991-02-28
    2403.76255

    1991-03-31
    2403.76255

    1991-04-30
    2403.76255

    1991-05-31
    2403.76255

    1991-06-30
    2403.76255

    1991-08-31
    2403.76255

    1991-09-30
    2403.76255

    1991-10-31
    2403.76255

    1991-11-30
    2403.76255

    1991-12-31
    2403.76255

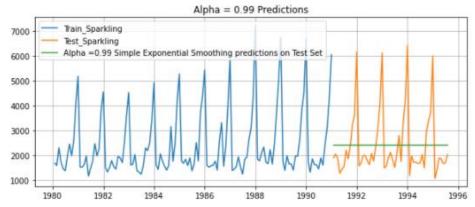
    1992-01-31
    2403.76255

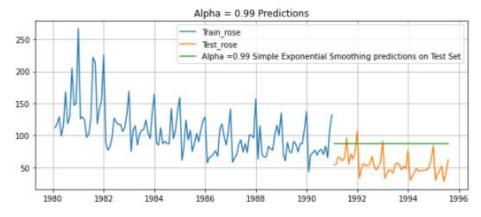
    1992-02-29
    2403.76255
```

Using the fitted model on the training set to forecast on the test set(Rose Wine sales data)

```
1991-01-31
          87.105001
          87.105001
1991-02-28
1991-03-31 87.105001
1991-04-30 87.105001
1991-05-31 87.105001
1991-06-30 87.105001
1991-07-31 87.105001
1991-08-31 87.105001
1991-09-30 87.105001
1991-10-31 87.105001
1991-11-30 87.105001
1991-12-31 87.105001
1992-01-31 87.105001
1992-02-29 87.105001
```

Plotting the Training data, Test data and the forecasted values for sparkling and Rose wine sale data





Mean Absolute Percentage Error (MAPE) - Function Definition def MAPE(y_true, y_pred):

return np.mean((np.abs(y_true-y_pred))/(y_true))*100

Calculating RMSE value for sparkling and Rose wine sale data using mean_squared_error

Test RMSE Sparkling wine sale data

	Test RMSE Sparkling
Alpha=0.99,SES	1275.081739

Test RMSE Rose wine sale data

	Test RMSE Rose
Alpha=0.99,SES	36.796244

Holt - ETS(A, A, N) - Holt's linear method with additive errors

Double Exponential Smoothing

- One of the drawbacks of the simple exponential smoothing is that the model does not do well
 in the presence of the trend.
- This model is an extension of SES known as Double Exponential model which estimates two smoothing parameters.
- · Applicable when data has Trend but no seasonality.
- Two separate components are considered: Level and Trend.
- · Level is the local mean.
- One smoothing parameter α corresponds to the level series
- A second smoothing parameter β corresponds to the trend series.

Double Exponential Smoothing uses two equations to forecast future values of the time series, one for forecating the short term avarage value or level and the other for capturing the trend.

- Intercept or Level equation, L_t is given by: L_t = αY_t + (1 − α)F_t
- Trend equation is given by $T_t = \beta(L_t L_{t-1}) + (1 \beta)T_{t-1}$

Here, α and β are the smoothing constants for level and trend, respectively,

• $0 < \alpha < 1$ and $0 < \beta < 1$.

The forecast at time t + 1 is given by

- $\bullet \quad F_{t+1} = L_t + T_t$
- $F_{t+n} = L_t + nT_t$

Step1: Initializing the Double Exponential Smoothing Model for sparkling and Rose wine sale data

Step2: Fitting the model

Step3:

Holt model Exponential Smoothing Estimated Parameters for sparkling wine sale data

{'smoothing_level': 0.6477838823329748, 'smoothing_slope': 0.0, 'smoothing_seasonal': nan, 'damping_slope': nan, 'initial_level': 1686.0837646037185, 'initial_slope': 27.05547124370359, 'initial_seasons': array([], dtype=float64), 'use_boxcox': False, 'lamda': None, 'remove_bias': False}

Holt model Exponential Smoothing Estimated Parameters for rose wine sale data

{'smoothing_level': 0.15789473684210525, 'smoothing_slope': 0.15789473684210525, 'smoothing_seasonal': nan, 'damping_slope': nan, 'initial_level': 112.0, 'initial_slope': 6.0, 'initial_seasons': array([], dtype=float64), 'use_boxcox': False, 'lamda': None, 'remove_bias': False}

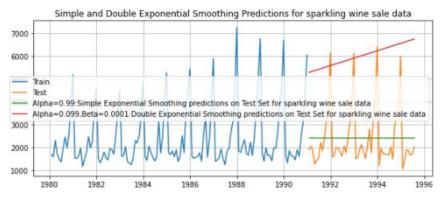
Forecasting using this model for the duration of the test set or sparkling wine sale data

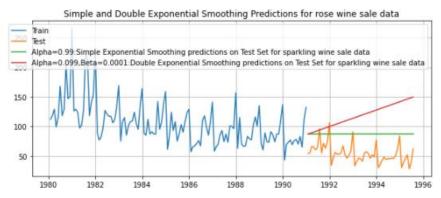
1991-01-31	5281.408344
1991-02-28	5308.463815
1991-03-31	5335.519286
1991-04-30	5362.574758
1991-05-31	5389.630229
1991-06-30	5416.685700
1991-07-31	5443.741171
1991-08-31	5470.796643
1991-09-30	5497.852114
1991-10-31	5524.907585

Forecasting using this model for the duration of the test set or Rose wine sale data

1991-01-31	86.863579
1991-02-28	88.028056
1991-03-31	89.192534
1991-04-30	90.357011
1991-05-31	91.521488
1991-06-30	92.685966
1991-07-31	93.850443
1991-08-31	95.014921
1991-09-30	96.179398
1991-10-31	97.343876
1991-11-30	98.508353

Plotting the Training data, Test data and the forecasted values for sparkling and Rose wine





Calculate RMSE value for sparkling wine sale data by mean_squared_error

Test RMSE Sparkling and Rose wine sale data:

DES RMSE Sparkling: 3850.8478154538407 DES RMSE Rose: 70.57245196981661

Holt-Winters - ETS(A, A, A) - Holt Winter's linear method with additive errors

Step1: Initializing the Double Exponential Smoothing Model for sparkling and Rose wine sale data

Step2: Fitting the model

Step3:

Holt Winters model Exponential Smoothing Estimated Parameters for sparkling wine sale data

{'smoothing_level': 0.08621043130197674, 'smoothing_slope': 4.534154798535049e-09, 'smoothing_seasonal': 0.47637161151204716, 'damping_slope': nan, 'initial_level': 1684.9037953795528, 'initial_slope': 0.003939090229177399, 'initial_seasons': array([39.17594081, -37.22346237, 464.45609233, 206.27645763,

-140.60405271, -156.56958591, 338.10668461, 856.91481885, 403.65380447, 971.29856276, 2401.54344377, 3426.51448586]), 'use_boxcox': False, 'lamda': None, 'remove_bias': False}

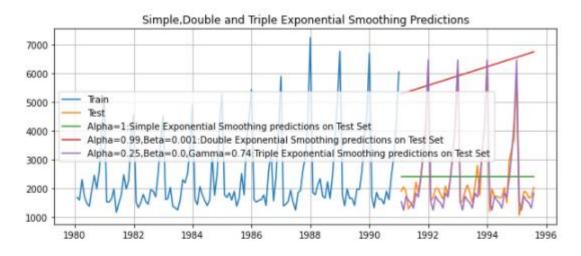
Holt Winters model Exponential Smoothing Estimated Parameters for rose wine sale data

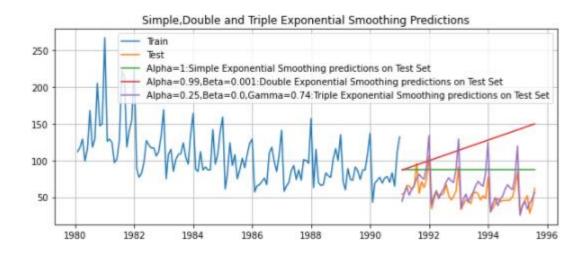
{'smoothing_level': 0.13346905584155852, 'smoothing_slope': 0.013798044930131528, 'smoothing_seasonal': 0.0, 'damping_slope': nan, 'initial_level': 77.90998273991845, 'initial_slope': 0.0, 'initial_seasons': array([37.19347871, 49.53447903, 57.45342246, 46.82461047, 55.5675085, 60.9978818, 70.94829431, 76.95581437, 72.98548228, 71.11492918, 89.18261025, 131.38117683]), 'use boxcox':

False, 'lamda': None, 'remove_bias': False}

Step4: Forecasting using this model for the duration of the test set(Sparkling and Rose Wine)

Step5: Plotting the Training data, Test data and the forecasted values for sparkling and rose wine data set





Calculating RMSE value for sparkling and Rose wine sale data by mean_squared_error

TES RMSE Sparkling: 362.7541597031013 TES RMSE Rose: 16.443203233657176

Linear Regression

Step1:

For this particular linear regression, we are going to regress the 'Sparkling' and 'Rose' variable against the order of the occurrence. For this we need to modify our training data before fitting it into a linear regression.

Training Time instance for sparkling data

[1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20, 21, 22, 23, 24, 25, 26, 27, 28, 29, 30, 31, 32, 33, 34, 35, 36, 37, 38, 39, 40, 41, 42, 43, 44, 45, 46, 47, 48, 49, 50, 51, 52, 53, 54, 55, 56, 57, 58, 59, 60, 61, 62, 63, 64, 65, 66, 67, 68, 69, 70, 71, 72, 73, 74, 75, 76, 77, 78, 79, 80, 81, 82, 83, 84, 85, 86, 87, 88, 89, 90, 91, 92, 93, 94, 95, 96, 97, 98, 99, 100, 101, 102, 103, 104, 105, 106, 107, 108, 109, 110, 111, 112, 113, 114, 115, 116, 117, 118, 119, 120, 121, 122, 123, 124, 125, 126, 127, 128, 129, 130, 131, 132]

Test Time instance for sparkling data

[133, 134, 135, 136, 137, 138, 139, 140, 141, 142, 143, 144, 145, 146, 147, 148, 149, 150, 151, 152, 153, 154, 155, 156, 157, 158, 159, 160, 161, 162, 163, 164, 165, 166, 167, 168, 169, 170, 171, 172, 173, 174, 175, 176, 177, 178, 179, 180, 181, 182, 183, 184, 185, 186, 187]

Training Time instance for rose data

[1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20, 21, 22, 23, 24, 25, 26, 27, 28, 29, 30, 31, 32, 33, 34, 35, 36, 37, 38, 39, 40, 41, 42, 43, 44, 45, 46, 47, 48, 49, 50, 51, 52, 53, 54, 55, 56, 57, 58, 59, 60, 61, 62, 63, 64, 65, 66, 67, 68, 69, 70, 71, 72, 73, 74, 75, 76, 77, 78, 79, 80, 81, 82, 83, 84, 85, 86, 87, 88, 89, 90, 91, 92, 93, 94, 95, 96, 97, 98, 99, 100, 101, 102, 103, 104, 105, 106, 107, 108, 109, 110, 111, 112, 113, 114, 115, 116, 117, 118, 119, 120, 121, 122, 123, 124, 125, 126, 127, 128, 129, 130, 131, 132]

Test Time instance for rose data

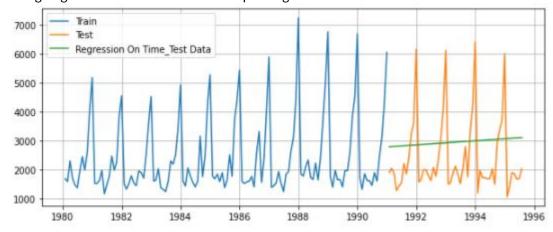
[133, 134, 135, 136, 137, 138, 139, 140, 141, 142, 143, 144, 145, 146, 147, 148, 149, 150, 151, 152, 153, 154, 155, 156, 157, 158, 159, 160, 161, 162, 163, 164, 165, 166, 167, 168, 169, 170, 171, 172, 173, 174, 175, 176, 177, 178, 179, 180, 181, 182, 183, 184, 185, 186, 187]

We see that we have successfully the generated the numerical time instance order for both the training and test set. Now we will add these values in the training and test set.

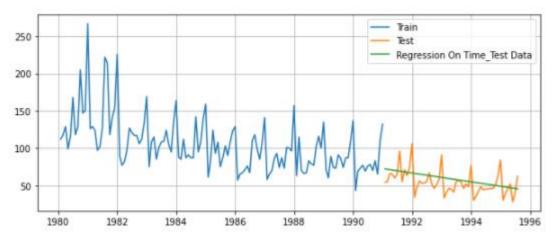
Step2: Fitting Time Instant data to Sparkling and RoseDataset

Now that our training and test data has been modified, let us go ahead use *LinearRegression* to build the model on the training data and test the model on the test data.

Plotting Regression on time test data for Sparkling wine sale data



Plotting Regression on time test data for Rose wine sale data



Model Evaluation:

RMSE for Sparkling Wine Sale Data using mean_squared_error

For RegressionOnTime forecast on the Test Data of Sparkling Wine Sale Data , RMSE is 1389.135

For RegressionOnTime forecast on the Test Data of Rose Wine Sale Data , RMSE is 15.269

Naive Approach: $\hat{y}_{t+1} = y_t$

For this particular naive model, we say that the prediction for tomorrow is the same as today and the prediction for day after tomorrow is tomorrow and since the prediction of tomorrow is same as today, therefore the prediction for day after tomorrow is also today.

Step1: np.asarray for both Dataset

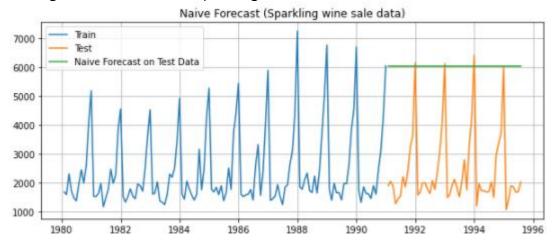
Time_Stamp	
1991-01-31	6047
1991-02-28	6047
1991-03-31	6047
1991-04-30	6047
1991-05-31	6047

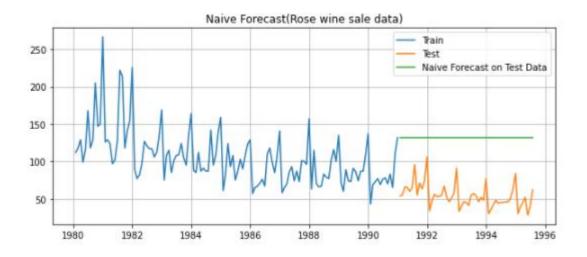
Name: naive, dtype: int64

Time_Stamp	
1991-01-31	132.0
1991-02-28	132.0
1991-03-31	132.0
1991-04-30	132.0
1991-05-31	132.0

Name: naive, dtype: float64

Plotting Naives on data for Sparkling and Rose wine sale data





Model Evaluation:

RMSE for Sparkling and Rose Wine Sale Data using mean_squared_error

For Naives forecast on the Test Data for Sparkling wine sale data, RMSE is 3864.279 For Naives forecast on the Test Data for Rose wine sale data, RMSE is 3864.279

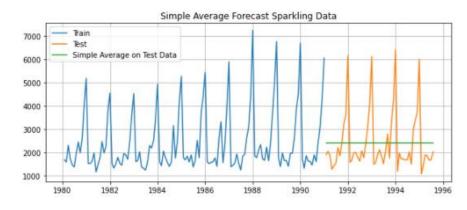
Simple Average

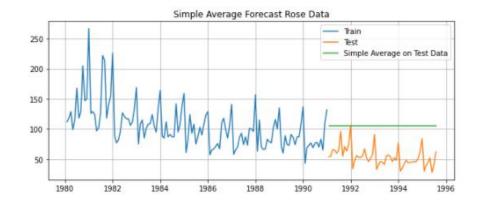
For this particular simple average method, we will forecast by using the average of the training values

Step1: Applying Mean value for Sparkling wine sale data

	Sparkling	mean_forecast		Rose	mean_forecast
Time_Stamp			Time_Stamp		
1991-01-31	1902	2403.780303	1991-01-31	54.0	104.939394
1991-02-28	2049	2403.780303	1991-02-28	55.0	104.939394
1991-03-31	1874	2403.780303	1991-03-31	66.0	104.939394
1991-04-30	1279	2403.780303	1991-04-30	65.0	104.939394
1991-05-31	1432	2403.780303	1991-05-31	60.0	104.939394

Plotting Average on time test data for Sparkling and Rose wine sale data





Model Evaluation:

RMSE for Sparkling and Rose Wine Sale Data using mean_squared_error

For Simple Average forecast on the Test Data of Sparkling Wine Sale Data, RMSE is 1275.082

For Simple Average forecast on the Test Data of rose Wine Sale Data, RMSE is 53.461

5. Check for the stationarity of the data on which the model is being built on using appropriate statistical tests and also mention the hypothesis for the statistical test. If the data is found to be non-stationary, take appropriate steps to make it stationary. Check the new data for stationarity and comment.

Check for stationarity of the whole Time Series data.

The Augmented Dickey-Fuller test is an unit root test which determines whether there is a unit root and subsequently whether the series is non-stationary.

The hypothesis in a simple form for the ADF test is:

- H₀: The Time Series has a unit root and is thus non-stationary.
- H₁: The Time Series does not have a unit root and is thus stationary.

We would want the series to be stationary for building ARIMA models and thus we would want the p-value of this test to be less than the α value.

alpha = 0.05

Augmented Dickey Fuller Test (ADF Test) for Sparkling Wine sale data

Augmented Dickey Fuller Test (ADF Test) for Sparkling Wine sale data DF test statistic is -1.798 DF test p-value is 0.7055958459932714 Number of lags used 12

Augmented Dickey Fuller Test (ADF Test) for Rose Wine sale data

Augmented Dickey Fuller Test (ADF Test) for Rose Wine sale data DF test statistic is -2.240 DF test p-value is 0.46713716277930917 Number of lags used 13 We see that at 5% significant level the Time Series is non-stationary.

There are various ways that Python allows us to select the appropriate number of lags at which we check whether the Time Series is stationary. To know more about the how to select the various ways, please refer to the link over <u>here</u>.

Let us take one level of differencing to see whether the series becomes stationary.

One level of differencing for Sparkling Wine sale data

DF test statistic is -44.912 DF test p-value is 0.000 Number of lags used 10

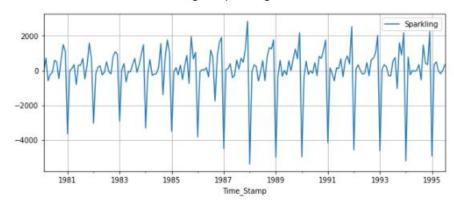
One level of differencing for Rose Wine sale data

One level of differencing for Rose Wine sale data DF test statistic is -8.162 DF test p-value is 0.000 Number of lags used 12

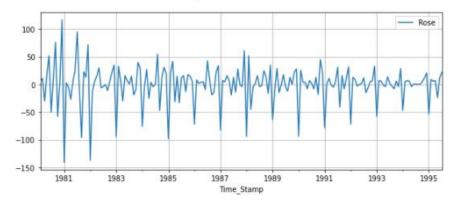
Now, let us go ahead and plot the stationary series.

Plot for One level of differencing for Sparkling and Rose wine sale data

Plot for one level of differencingfor Sparkling Wine sale data



Plot for one level of differencing for Rose Wine sale data



6. Build an automated version of the ARIMA/SARIMA model in which the parameters are selected using the lowest Akaike Information Criteria (AIC) on the training data and evaluate this model on the test data using RMSE.

<u>Build an Automated version of a SARIMA model for which the best parameters are</u> selected in accordance with the lowest Akaike Information Criteria (AIC).

Step1:

Build an Automated version of a ARIMA model for which the best parameters are selected in accordance with the lowest Akaike Information Criteria (AIC).

The loop helps us in getting a combination of different parameters of p and q in the range of 0 and 2

We have kept the value of d as 1 as we need to take a difference of the series to make it stationary.

```
Examples of the parameter combinations for the Model
Model: (0, 1, 0)
Model: (0, 1, 1)
Model: (0, 1, 2)
Model: (0, 1, 3)
Model: (1, 1, 0)
Model: (1, 1, 1)
Model: (1, 1, 2)
Model: (1, 1, 3)
Model: (2, 1, 0)
Model: (2, 1, 1)
Model: (2, 1, 2)
Model: (2, 1, 3)
Model: (3, 1, 0)
Model: (3, 1, 1)
Model: (3, 1, 2)
Model: (3, 1, 3)
```

Step2: Creating an empty Data frame with column names only for sparkling data

```
Empty DataFrame
Columns: [param sparkling, AIC sparkling]
Index: []

Empty DataFrame
Columns: [param rose, AIC rose]
Index: []
```

Step3:

Running a loop within the pdq parameters defined by itertools. Using the parameters from the loop.

Appending the AIC values and the model parameters to the previously created data frame Sparkling.

```
ARIMA(0, 1, 0) - AIC sparkling:2267.6630357855465
ARIMA(0, 1, 1) - AIC sparkling:2263.060015591812
ARIMA(0, 1, 2) - AIC sparkling:2234.408323132853
ARIMA(0, 1, 3) - AIC sparkling:2233.9948577616415
ARIMA(1, 1, 0) - AIC sparkling:2266.6085393190097
warn('Non-invertible starting MA parameters found.'
ARIMA(1, 1, 1) - AIC sparkling:2235.755094660315
ARIMA(1, 1, 2) - AIC sparkling:2234.5272004515837
ARIMA(1, 1, 3) - AIC sparkling:2235.607807333272
ARIMA(2, 1, 0) - AIC sparkling:2260.365743968097
ARIMA(2, 1, 1) - AIC sparkling:2233.777626229804
ARIMA(2, 1, 2) - AIC sparkling:2213.509212349606
ARIMA(2, 1, 3) - AIC sparkling:2232.9369831015447
ARIMA(3, 1, 0) - AIC sparkling:2257.72337899794
ARIMA(3, 1, 1) - AIC sparkling:2235.4985697021007
ARIMA(3, 1, 2) - AIC sparkling:2230.7664562362497
ARIMA(3, 1, 3) - AIC sparkling:2221.459071080334
```

Appending the AIC values and the model parameters to the previously created data frame Rose.

```
ARIMA(0, 1, 0) - AIC rose:1333.1546729124348
ARIMA(0, 1, 1) - AIC rose:1282.3098319748274
ARIMA(0, 1, 2) - AIC rose:1279.6715288535775
ARIMA(0, 1, 3) - AIC rose:1280.5453761734652
ARIMA(1, 1, 0) - AIC rose:1317.3503105381546
ARIMA(1, 1, 1) - AIC rose:1280.5742295380087
ARIMA(1, 1, 2) - AIC rose:1279.870723423192
ARIMA(1, 1, 3) - AIC rose:1281.8707223309975
ARIMA(2, 1, 0) - AIC rose:1298.6110341604958
ARIMA(2, 1, 1) - AIC rose:1281.507862186847
ARIMA(2, 1, 2) - AIC rose:1281.8707222264254
```

Step3: Sort the above AIC values in the ascending order to get the parameters for the minimum AIC value

```
AIC values in the ascending order to get the parameters for the minimum AIC value (Sparkling Data)
param sparkling AIC sparkling
10 (2, 1, 2) 2213.569212
15 (3, 1, 3) 2221.459071
14 (3, 1, 2) 2230.766456
11 (2, 1, 3) 2232.936983
9 (2, 1, 1) 2233.777626

AIC values in the ascending order to get the parameters for the minimum AIC value (Rose Data)
param rose AIC rose
11 (2, 1, 3) 1274.695786
15 (3, 1, 3) 1278.659033
2 (0, 1, 2) 1279.671529
6 (1, 1, 2) 1279.870723
3 (0, 1, 3) 1278.545376
```

Step4: Fitting minimum AIC value for Sparkling wine sale data

J	SARIMAX Results							
========								
Dep. Varia	ble:	Spark	ling No.	Observations:		132		
Model:			., 2) Log	Likelihood		-1101.755		
Date:	Su	ın, 20 Mar	2022 AIC			2213.509		
Time:		20:0	3:23 BIC			2227.885		
Sample:		01-31-	1980 HQIC			2219.351		
		- 12-31-	1990					
Covariance	Type:		opg					
	coef	std err	Z	P> z	[0.025	0.975]		
ar.L1	1.3121	0.046	28.781	0.000	1.223	1.401		
ar.L2	-0.5593	0.072	-7.741	0.000	-0.701	-0.418		
ma.L1	-1.9917	0.109	-18.217	0.000	-2.206	-1.777		
ma.L2	0.9999	0.110	9.109	0.000	0.785	1.215		
sigma2	1.099e+06	1.99e-07	5.51e+12	0.000	1.1e+06	1.1e+06		
====								
Ljung-Box	(Q):		293.72	Jarque-Bera	(JB):	1		
4.46								
Prob(Q):			0.00	Prob(JB):				
0.00								
Heterosked	dasticity (H):		2.43	Skew:				
0.61								
Prob(H) (t	:wo-sided):		0.00	Kurtosis:				
4.08								

Warnings:

- [1] Covariance matrix calculated using the outer product of gradients (complex-step).
- [2] Covariance matrix is singular or near-singular, with condition number 1.84e +28. Standard errors may be unstable.

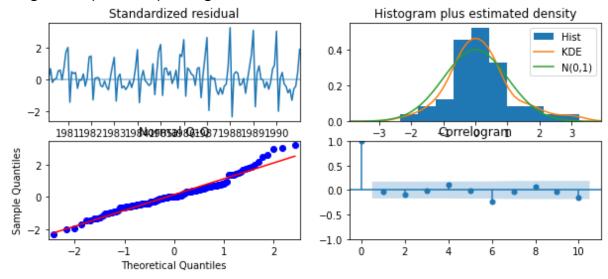
Fitting minimum AIC value for Rose wine sale data

SARIMAX Results

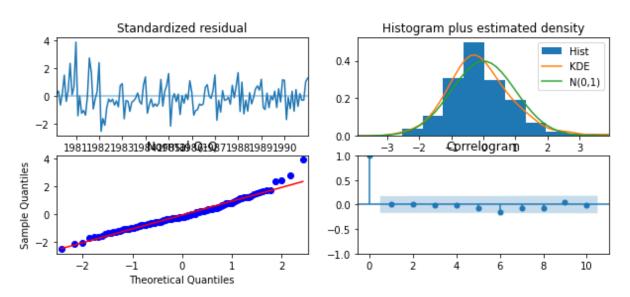
Dep. Vari	iable:		Rose	No.	Observations:		132
Model:		ARIMA(2, 1	l, 3)	Log	Likelihood		-631.348
Date:		Sun, 20 Mar	2022	AIC			1274.696
Time:		20:0	3:23	BIC			1291.947
Sample:		01-31	1980	HQIC			1281.706
		- 12-31	1990				
Covariand			opg				
=======	coef				P> z	[0.025	0.975]
ar.L1					0.000		
ar.L2					0.000		
					0.067		
ma.L2					0.000		
ma.L3					0.079		
sigma2	859.4992	477.796	1.	799	0.072	-76.964	1795.962
							_
Ljung-Box	c (Q):		101.	08	Jarque-Bera	(JB):	2
4.43							
Prob(Q):			0.	00	Prob(JB):		
0.00							
	edasticity (H	I):	0.	40	Skew:		
0.71							
	(two-sided):		0.	00	Kurtosis:		
4.57							
=======							
====							
Warnings:							

[1] Covariance matrix calculated using the outer product of gradients (complex-step).

Diagnostics plot for Sparkling Wine sale data



Diagnostics plot for Rose Wine sale data



Predict on the Test Set using this model and evaluate the model.

RMSE of Sparkling Wine Sale Data: 1299.9795334022403 MAPE of Sparkling Wine Sale Data: 47.099972867001924

RMSE of Rose Wine Sale Data: 36.8159446995155 MAPE of Rose Wine Sale Data: 75.84498541161119 Build an Automated version of a SARIMA model for which the best parameters are selected in accordance with the lowest Akaike Information Criteria (AIC).

```
Examples of the parameter combinations for the Model are
Model: (0, 1, 1)(0, 0, 1, 6)
Model: (0, 1, 2)(0, 0, 2, 6)
Model: (0, 1, 3)(0, 0, 3, 6)
Model: (1, 1, 0)(1, 0, 0, 6)
Model: (1, 1, 1)(1, 0, 1, 6)
Model: (1, 1, 2)(1, 0, 2, 6)
Model: (1, 1, 3)(1, 0, 3, 6)
Model: (2, 1, 0)(2, 0, 0, 6)
Model: (2, 1, 1)(2, 0, 1, 6)
Model: (2, 1, 2)(2, 0, 2, 6)
Model: (2, 1, 3)(2, 0, 3, 6)
Model: (3, 1, 0)(3, 0, 0, 6)
Model: (3, 1, 1)(3, 0, 1, 6)
Model: (3, 1, 2)(3, 0, 2, 6)
Model: (3, 1, 3)(3, 0, 3, 6)
```

Creating Empty Data frame

```
Empty DataFrame
Columns: [param sparkling, seasonal sparkling, AIC sparkling]
Index: []
Empty DataFrame
Columns: [param rose, seasonal rose, AIC rose]
Index: []
```

Appending the AIC values and the model parameters to the previously created data frame Sparkling.

```
SARIMA(0, 1, 0)x(0, 0, 0, 6) - AIC sparkling:2251.3597196862966
SARIMA(0, 1, 0)x(0, 0, 1, 6) - AIC sparkling:2152.3780761716307
SARIMA(0, 1, 0)x(0, 0, 2, 6) - AIC sparkling:1955.6355536892759
SARIMA(0, 1, 0)x(0, 0, 3, 6) - AIC sparkling:1863.784515497349
SARIMA(0, 1, 0)x(1, 0, 0, 6) - AIC sparkling:2164.4097581959904
```

Appending the AIC values and the model parameters to the previously created data frame Rose.

```
SARIMA(0, 1, 0)x(0, 0, 0, 6) - AIC rose:1323.9657875279158
SARIMA(0, 1, 0)x(0, 0, 1, 6) - AIC rose:1264.4996261113863
SARIMA(0, 1, 0)x(0, 0, 2, 6) - AIC rose:1144.7077471827183
SARIMA(0, 1, 0)x(0, 0, 3, 6) - AIC rose:1081.271383062523
SARIMA(0, 1, 0)x(1, 0, 0, 6) - AIC rose:1274.7897737087983
SARIMA(0, 1, 0)x(1, 0, 1, 6) - AIC rose:1241.787094514905
SARIMA(0, 1, 0)x(1, 0, 2, 6) - AIC rose:1146.3093266722124
SARIMA(0, 1, 0)x(1, 0, 3, 6) - AIC rose:1058.9861743124393
SARIMA(0, 1, 0)x(2, 0, 0, 6) - AIC rose:1137.9167236212038
```

Sorting SARIMA Model AIC value for Sparkling Wine Sale data

param	sparkling	seasonal sparkling	AIC sparkling
191	(2, 1, 3)	(3, 0, 3, 6)	1630.863939
187	(2, 1, 3)	(2, 0, 3, 6)	1632.639230
59	(0, 1, 3)	(2, 0, 3, 6)	1633.327863
123	(1, 1, 3)	(2, 0, 3, 6)	1633.988369
251	(3, 1, 3)	(2, 0, 3, 6)	1634.617345

Sorting SARIMA Model AIC value for Rose Wine Sale data

	para	m r	ose	seas	ona.	l r	ose	AIC rose
187	(2,	1,	3)	(2,	0,	3,	6)	951.744298
59	(0,	1,	3)	(2,	0,	3,	6)	952.073632
251	(3,	1,	3)	(2,	0,	З,	6)	952.582102
191	(2,	1,	3)	(3,	0,	3,	6)	953.205612
123	(1,	1,	3)	(2,	0,	З,	6)	953.684951

Fitting best value for Sparkling value

SARIMAX Results

	SARIMAA RESULLS								
Dep. Variak Model: Date: Time: Sample: Covariance	SAR		3)x(2, 0, 3 in, 20 Mar 20:2	0:07 BIC 1980 HQIC			132 -805.309 1634.617 1666.914 1647.715		
				P> z					
ar.L1 ar.L2 ar.L3 ma.L1 ma.L2 ma.L3 ar.S.L6 ar.S.L12 ma.S.L12 ma.S.L12	-1.1695 -0.9186 0.0197 0.4248 -0.1132 -0.8639 -0.0015 1.0451 -0.0478 -0.6461 0.1289	0.154 0.163 0.143 0.172 0.129 0.110 0.030 0.022 0.168 0.107 0.184	-7.615 -5.631 0.137 2.465 -0.875 -7.885 -0.051 47.830 -0.285 -6.051 0.699	0.000 0.000 0.891 0.014 0.381 0.000 0.959 0.000 0.776 0.000 0.484 0.000	-1.471 -1.238 -0.261 0.087 -0.367 -1.079 -0.059 1.002 -0.376 -0.855 -0.233	-0.869 -0.599 0.301 0.763 0.140 -0.649 0.056 1.088 0.281 -0.437 0.490			
Ljung-Box (Q): 23.94 Jarque-Bera (JB): 22.00 Prob(Q): 0.98 Prob(JB): 0.00 Heteroskedasticity (H): 1.40 Skew: 0.35 Prob(H) (two-sided): 0.32 Kurtosis: 5.09							.00		

Warnings:

^[1] Covariance matrix calculated using the outer product of gradients (complex-step).
[2] Covariance matrix is singular or near-singular, with condition number 2.71e+27. Standard

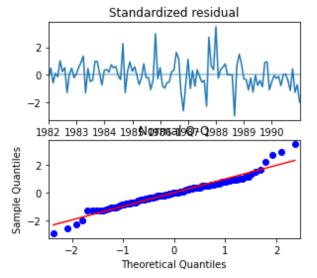
^[2] Covariance matrix is singular or near-singular, with condition number 2.71e+27. Standard errors may be unstable.

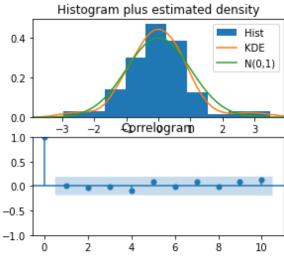
Fitting best value for Rose value

SARIMAX Results

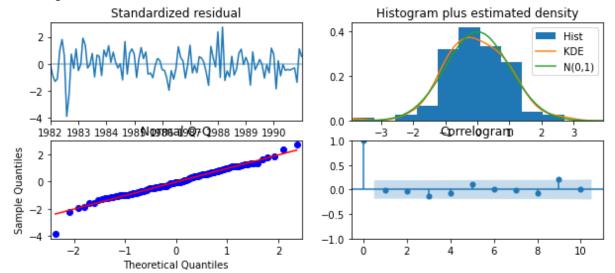
Dep. Varia	ble:			Rose No. (Observations:		132
Model:	SAR	IMAX(1, 1, 3)x(2, 0, 3	, 6) Log 1	Likelihood		-466.842
Date:		Su	n, 20 Mar	2022 AIC			953.685
Time:			20:2	0:10 BIC			980.598
Sample:			01-31-	1980 HQIC			964.599
			- 12-31-	1990			
Covariance	Type:			opg			
	coef	std err	Z	P> z	[0.025	0.975]	
					1 202		
					-1.203		
ma.L1					-1195.095		
ma.L2					-551.438		
ma.L3	-0.0474	28.890	-0.002	0.999	-56.671	56.576	
ar.S.L6	-0.1229	0.057	-2.170	0.030	-0.234	-0.012	
ar.S.L12	0.7304	0.057	12.771	0.000	0.618	0.842	
ma.S.L6	0.1249	0.132	0.944	0.345	-0.134	0.384	
ma.S.L12	-0.3300	0.122	-2.695	0.007	-0.570	-0.090	
ma.S.L18	0.2257	0.131	1.725	0.085	-0.031	0.482	
sigma2	288.1495	1.76e+05	0.002	0.999	-3.44e+05	3.45e+05	
=======			=======				-===
Ljung-Box (Q):			26.29	Jarque-Bera	a (JB):	8	3.05
Prob(Q):			0.95	Prob(JB):		(0.02
Heteroskedasticity (H):				Skew:		-(.26
Prob(H) (t	wo-sided):		0.13	Kurtosis:		4	1.23

Plot diagnostics for SARIMA model for Sparkling Data





Plot diagnostics for SARIMA model for Rose Data



Predict on the Test Set using this model and evaluate the model.

redict off ti	ic rest set	using tilis i	nouci and cvai	date the model.
Sparkling	mear	n mean_	se mean_ci_low	ver mean_ci_upper
1991-01-31	1378.393489	377.4007	43 638.7016	2118.085349
1991-02-28	954.866398	388.3688	45 193.6774	1716.055347
1991-03-31	1670.225707	7 389.8010	36 906.2297	715 2434.221698
1991-04-30	1545.929557	7 393.1141	27 775.4400	2316.419087
1991-05-31	1276.520749	400.9412	84 490.6902	273 2062.351225
Rose	mean	mean_se	mean_ci_lower	mean_ci_upper
1991-01-31	65.285579	17.052379	31.863531	98.707628
1991-02-28	70.867347	17.560736	36.448937	105.285756
1991-03-31	78.690357	17.559171	44.275014	113.105700
1991-04-30	77.074617	17.557584	42.662385	111.486849
1991-05-31	78.126966	17.557813	43.714284	112.539647

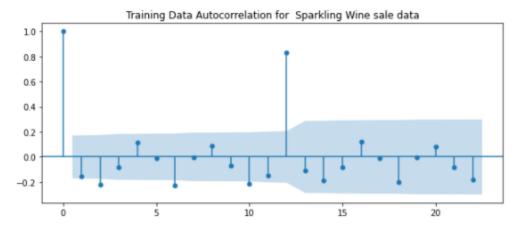
Sparkling wine sale data SARIMA RMSE: 735.8331873635088 Sparkling wine sale data SARIMA MAPE: 32.11660171496043

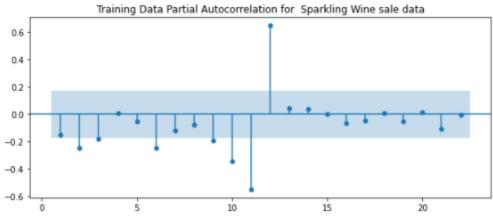
Rose wine sale data SARIMA RMSE: 30.9467970263849 Rose wine sale data SARIMA MAPE: 63.310743577469964

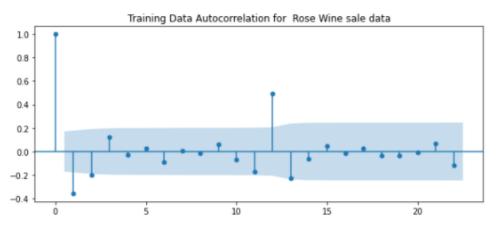
7. Build ARIMA/SARIMA models based on the cut-off points of ACF and PACF on the training data and evaluate this model on the test data using RMSE.

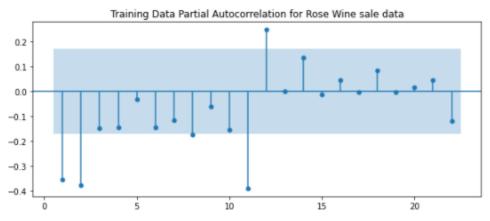
Build a version of the ARIMA model for which the best parameters are selected by looking at the ACF and the PACF plots.

Let us look at the ACF and the PACF plots once more.









By looking at the above plots, we will take the value of p and q to be 1 and 1 respectively. Sparkling Data $\,$

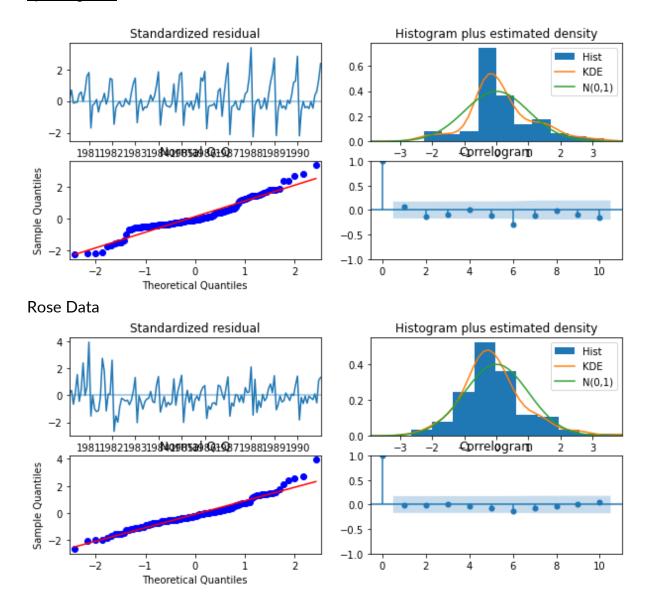
		SA	ARIMAX Resu	ults		
Dep. Varial Model: Date: Time: Sample:	Sı	ARIMA(1, 1 un, 20 Mar 20:2	1, 1) Log 2022 AIC 20:15 BIC 1980 HQI	Ξ		132 -1114.878 2235.755 2244.381 2239.260
Covariance	Type:		opg			
	coef	std err	:	z P> z	[0.025	0.975]
				0.000		
				1 0.000 3 0.000		
====						
Ljung-Box	(Q):		342.00	Jarque-Bera	(JB):	1
Prob(Q): 0.01			0.00	Prob(JB):		
Heterosked	asticity (H):	:	2.64	Skew:		
0.46 Prob(H) (to 4.03	wo-sided):		0.00	Kurtosis:		
========						

Rose Data

SARIMAX Results

Dep. Variable: Rose No. Observations: 132 Model: ARIMA(2, 1, 2) Log Likelihood -635.935 Date: Sun, 20 Mar 2022 AIC 1281.871 Time: 20:20:15 BIC 1296.247 Sample: 01-31-1980 HQIC 1287.712 - 12-31-1990 Covariance Type: opg coef std err z P> z [0.025 0.975] ar.L1 -0.4540 0.469 -0.969 0.333 -1.372 0.464 ar.L2 0.0001 0.170 0.001 0.999 -0.334 0.334 ma.L1 -0.2541 0.459 -0.554 0.580 -1.154 0.646 ma.L2 -0.5984 0.430 -1.390 0.164 -1.442 0.245 sigma2 952.1601 91.424 10.415 0.000 772.973 1131.347 ==== Ljung-Box (Q): 112.12 Jarque-Bera (JB): 3 4.16 Prob(Q): 0.00 Prob(JB): 0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis: 4.94			201	MINA NESUS			
Model: ARIMA(2, 1, 2) Log Likelihood -635.935 Date: Sun, 20 Mar 2022 AIC 1281.871 Time: 20:20:15 BIC 1296.247 Sample: 01-31-1980 HQIC 1287.712 - 12-31-1990 Covariance Type: opg - coef std err z P> z [0.025 0.975] ar.L1 -0.4540 0.469 -0.969 0.333 -1.372 0.464 ar.L2 0.0001 0.170 0.001 0.999 -0.334 0.334 ma.L1 -0.2541 0.459 -0.554 0.580 -1.154 0.646 ar.L2 0.0984 0.430 -1.390 0.164 -1.442 0.245 sigma2 952.1601 91.424 10.415 0.000 772.973 1131.347	B	1			01		430
Date: Sun, 20 Mar 2022 AIC 1281.871 Time: 20:20:15 BIC 1296.247 Sample: 01-31-1980 HQIC 1287.712 - 12-31-1990 Covariance Type: opg coef std err z P> z [0.025 0.975] ar.L1 -0.4540 0.469 -0.969 0.333 -1.372 0.464 ar.L2 0.0001 0.170 0.001 0.999 -0.334 0.334 ma.L1 -0.2541 0.459 -0.554 0.580 -1.154 0.646 ma.L2 -0.5984 0.430 -1.390 0.164 -1.442 0.245 sigma2 952.1601 91.424 10.415 0.000 772.973 1131.347 ==== Ljung-Box (Q): 112.12 Jarque-Bera (JB): 3 4.16 Prob(Q): 0.00 Prob(JB): 0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis:		le:					
Time: 20:20:15 BIC 1296.247 Sample: 01-31-1980 HQIC 1287.712 - 12-31-1990 Covariance Type: opg coef std err z P> z [0.025 0.975] ar.L1 -0.4540 0.469 -0.969 0.333 -1.372 0.464 ar.L2 0.0001 0.170 0.001 0.999 -0.334 0.334 ma.L1 -0.2541 0.459 -0.554 0.580 -1.154 0.646 ma.L2 -0.5984 0.430 -1.390 0.164 -1.442 0.245 sigma2 952.1601 91.424 10.415 0.000 772.973 1131.347 ==== Ljung-Box (Q): 112.12 Jarque-Bera (JB): 3 4.16 Prob(Q): 0.00 Prob(JB): 0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis:					Likelihood		
Sample: 01-31-1980 HQIC 1287.712 - 12-31-1990 Covariance Type: opg coef std err z P> z [0.025 0.975] ar.L1 -0.4540 0.469 -0.969 0.333 -1.372 0.464 ar.L2 0.0001 0.170 0.001 0.999 -0.334 0.334 ma.L1 -0.2541 0.459 -0.554 0.580 -1.154 0.646 ma.L2 -0.5984 0.430 -1.390 0.164 -1.442 0.245 sigma2 952.1601 91.424 10.415 0.000 772.973 1131.347 ==== Ljung-Box (Q): 112.12 Jarque-Bera (JB): 3 4.16 Prob(Q): 0.00 Prob(JB): 0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis:	Date:	S	un, 20 Mar 1	2022 AIC			1281.871
Covariance Type: opg coef std err z P> z [0.025 0.975]	Time:		20:20	0:15 BIC			1296.247
Covariance Type: opg coef std err z P> z [0.025 0.975]	Sample:		01-31-3	1980 HQIC			1287.712
coef std err z P> z [0.025 0.975] ar.L1 -0.4540 0.469 -0.969 0.333 -1.372 0.464 ar.L2 0.0001 0.170 0.001 0.999 -0.334 0.334 ma.L1 -0.2541 0.459 -0.554 0.580 -1.154 0.646 ma.L2 -0.5984 0.430 -1.390 0.164 -1.442 0.245 sigma2 952.1601 91.424 10.415 0.000 772.973 1131.347 ==== Ljung-Box (Q): 112.12 Jarque-Bera (JB): 3 4.16 Prob(Q): 0.00 Prob(JB): 0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis:	-		- 12-31-3	1990			
ar.L1	Covariance	Type:		opg			
ar.L1							
ar.L2		coef	std err	Z	P> z	[0.025	0.975]
ar.L2							
ma.L1 -0.2541 0.459 -0.554 0.580 -1.154 0.646 ma.L2 -0.5984 0.430 -1.390 0.164 -1.442 0.245 sigma2 952.1601 91.424 10.415 0.000 772.973 1131.347 Email of the colspan="6">Email of th							
ma.L2 -0.5984 0.430 -1.390 0.164 -1.442 0.245 sigma2 952.1601 91.424 10.415 0.000 772.973 1131.347 Ijung-Box (Q): 112.12 Jarque-Bera (JB): 3 4.16 Prob(Q): 0.00 Prob(JB): 0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis:							
sigma2 952.1601 91.424 10.415 0.000 772.973 1131.347 Eljung-Box (Q): 112.12 Jarque-Bera (JB): 3 4.16 0.00 Prob(JB): 0.00 Prob(Q): 0.00 Prob(JB): 0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis:	ma.L1	-0.2541	0.459	-0.554	0.580	-1.154	0.646
==== Ljung-Box (Q): 112.12 Jarque-Bera (JB): 3 4.16 Prob(Q): 0.00 Prob(JB): 0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis:	ma.L2	-0.5984	0.430	-1.390	0.164	-1.442	0.245
Ljung-Box (Q): 112.12 Jarque-Bera (JB): 3 4.16 Prob(Q): 0.00 Prob(JB): 0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis:	sigma2	952.1601	91.424	10.415	0.000	772.973	1131.347
Ljung-Box (Q): 112.12 Jarque-Bera (JB): 3 4.16 Prob(Q): 0.00 Prob(JB): 0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis:							
4.16 Prob(Q): 0.00 Prob(JB): 0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis:	====						
4.16 Prob(Q): 0.00 Prob(JB): 0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis:	Ljung-Box (Q):		112.12	Jarque-Bera	(JB):	3
0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis:	4.16	-,					
0.00 Heteroskedasticity (H): 0.37 Skew: 0.79 Prob(H) (two-sided): 0.00 Kurtosis:	Prob(0):			0.00	Prob(JB):		
0.79 Prob(H) (two-sided): 0.00 Kurtosis:	· -/				` '		
0.79 Prob(H) (two-sided): 0.00 Kurtosis:	Heteroskedasticity (H):		0.37	Skew:			
			-				
			0.00	Kurtosis:			
		,		-			
	========						

Let us analyse the residuals from the various diagnostics plot. Sparkling Data



Predict on the Test Set using this model and evaluate the model.

Sparkling wine sale data with Arima with ACF and PACF model, RMSE: 1319.936733605669

Rose wine sale data with Arima with ACF and PACF model, RMSE: 36.87119661928125

Build a version of the SARIMA model for which the best parameters are selected by looking at the ACF and the PACF plots. - Seasonality at 6.

For sparkling

		S/	ARIMAX Resu	lts		
Dep. Variab	le:	Sparl	kling No.	Observations	:	132
Model:		SARIMAX(1, :	_			-1099.467
Date:		Sun, 20 Mar	- /			2204.934
Time:		20:	20:19 BIC			2213.513
Sample:		01-31	-1980 HQI	С		2208.420
		- 12-31	-1990			
Covariance	Type:		opg			
========	.=======			========		========
	coef	std err	z	P> z	[0.025	0.9751
ar.L1	0.4324	0.106	4.074	0.000	0.224	0.640
ma.L1	-0.9865	0.080	-12,291	0.000	-1.144	-0.829
sigma2	1.756e+06	2.14e+05	8.215	0.000	1.34e+06	2.17e+06
========						
====						
Ljung-Box (0):		343.21	Jarque-Bera	(JB):	1
1.75						
Prob(Q):			0.00	Prob(JB):		
0.00						
Heteroskeda	sticitv (H	1):	2.69	Skew:		
0.55	, ,	,				
Prob(H) (tw	o-sided):		0.00	Kurtosis:		
4.00	,					
========						
====						

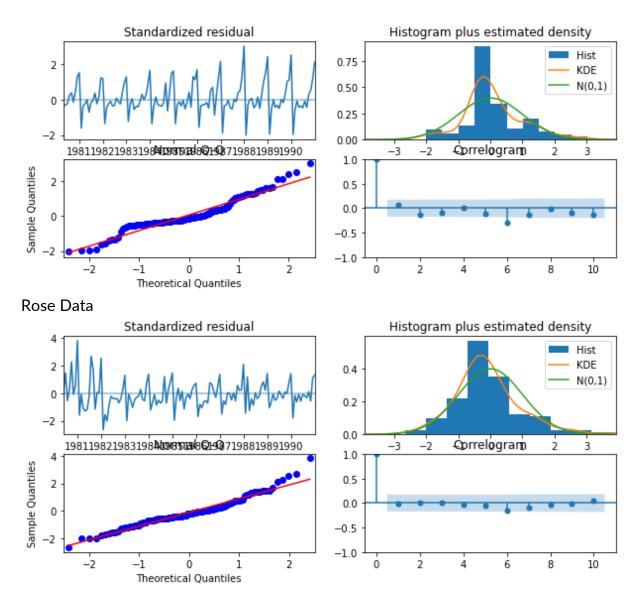
For Rose

	SARIMAX	Results
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Dep. Variab	ole:		Rose No.	Observations:		132
Model:		SARIMAX(2, 1	1, 2) Log	Likelihood		-621.955
Date:		Sun, 20 Mar	2022 AIC			1253.910
Time:		20:2	20:20 BIC			1268.170
Sample:		01-31	-1980 HQI	C		1259.704
		- 12-31	-1990			
Covariance	Type:		opg			
	coet	f std err	z	P> z	[0.025	0.9/5]
ar.L1	-0.4096	0.491	-0.834	0.405	-1.373	0.553
ar.L2	-0.0222			0.897		
ma.L1	-0.3042	0.484	-0.629	0.530	-1.253	0.644
ma.L2	-0.5496	0.452	-1.217	0.223	-1.435	0.335
sigma2	965.2525	98.026	9.847	0.000	773.124	1157.381
=======================================						
Ljung-Box ((Q):		113.77	Jarque-Bera	(JB):	2
8.11						
Prob(Q):			0.00	Prob(JB):		
0.00						
Heteroskeda	sticity (H	1):	0.38	Skew:		
0.76 Prob(H) (tw	n-sided).		0.00	Kurtosis:		
4.72	io-sided).		0.00	Rui COSIS.		
====						

Let us analyse the residuals from the various diagnostics plot.

Sparkling Data



Predict on the Test Set using this model and evaluate the model.

RMSE for Sparkling Data: 1325.3363028682475

RMSE for Rose Data: 36.807209578009605

8. Build a table (create a data frame) with all the models built along with their corresponding parameters and the respective RMSE values on the test data.

For Sparkling Wine sale Data

	Test RMSE Sparkling	Test RMSE Sparkling
Alpha=0.99,SES	1275.081739	NaN
Alpha=1,Beta=0.0189:DES	3850.847815	NaN
Alpha=0.25,Beta=0.0,Gamma=0.74:TES	362.754160	NaN
RegressionOnTime	1389.135175	NaN
NaiveModel	3864.279352	NaN
SimpleAverageModel	1275.081804	NaN
ARIMA(2,1,2)	1299.979533	NaN
SARIMA(3,1,3)(2,0,3,6)	NaN	735.833187
ARIMA ACF,PACF(1,1,1)	1319.936734	NaN
SARIMA ACF PACF (1,1,1)(0,0,0,6)	1325.336303	NaN

For Rose Wine sale Data

Test RMSE Rose

36.796244
70.572452
16.443203
15.268955
79.718773
53.460570
36.815945
30.946797
36.871197
36.807210
36.807210

9. Based on the model-building exercise, build the most optimum model(s) on the complete data and predict 12 months into the future with appropriate confidence intervals/bands.

Here, we have a scenario where our training data was stationary but our full data was not stationary. So, we will use the same parameters as our training data but with adding a level of differencing which is needed for the data to be stationary.

Holt-Winters - ETS(A, A, A) - Holt Winter's linear method with additive errors is the most optimum

Step1:

Initializing the Double Exponential Smoothing Model for sparkling wine sale data Step2:

Fitting the model

==Holt Winters model Exponential Smoothing Estimated Parameters for sparkling wine sale data ==

{'smoothing_level': 0.05263157894736842, 'smoothing_slope': 0.05263157894736842, 'smoothing_seasonal': 0.3684210526315789, 'damping_slope': nan, 'initial_level': 1580.0, 'initial_slope': 0.01, 'initial_seasons': array([106., 11., 724., 132., -109., -203., 386., 873., 404., 1016., 2507

Forecasting using this model for the duration of the whole set(Sparkling Wine sale data)

Evaluate the model on the whole data and predict 12 months into the future (till the end of next year).

10. Comment on the model thus built and report your findings and suggest the measures that the company should be taking for future sales.

There is a need for increase the sale by reducing price or some other parameter