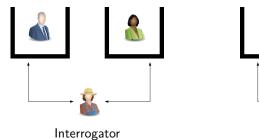
Abhijat Vatsyayan <sup>1</sup>

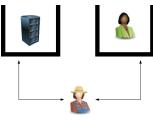
November 19, 2020

## Summary

- 1 Introduction
- 2 A little bit of math
- 3 Image processing
- 4 Machine learning
- 5 Fitting functions
- References

## **Imitation** game





Interrogator

# Artificial intelligence

- Logic machines (50s)
- Knowledge based expert systems (80s)
- Language translation (60s), 2000s, 2014 and later.
- Machine learning
  - Neural networks including deep learning (started in 1943)
  - Support vector machines
  - Baysian learning
- Graphs
- Genetic algorithms and genetic programs.

## Expert systems

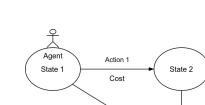
Introduction

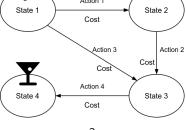
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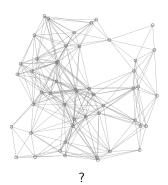
- Database of formally described "facts" or "knowledge".
- A reasoning engine for answering questions or solving problems.

Not to be confused with a true natural language processing and question-answering system.

Introduction







Introduction

000000

- 1943: Warren McCulloch and Walter Pits connected neurons, computation, logic and learning.
- 1950: Minsky and Dean Edmonds build first neural network computer. 3000 vacuum tubes, surplus auto-pilot parts from B-24 bomber. 40 Neurons.
- 1969: Minsky and Papert publishobama-funny perceptron simple linear networks could not learn basic functions.
- 1980s: David Rumelhart, Jeff Hinton and Ronald Williams applied back propagation (again) for training multi-layer neural networks. Rumelhart's work also created the foundations for Recurrent Neural Networks.
- 1990s: LSTM networks by Hochreiter and Schmidhuber 1997. CNN for handwritten digit recognition Yann LeCun.
- 2000s: LSTMs show promise in speech recognition
- 2012: Deep learning

A little bit of math Image processing Machine learning Fitting functions References 0000 00000 0000 0000 0

### Different views

Introduction



Agent



Tool

General

Narrow

# Composition of functions

$$f(x) = ax + b \tag{1}$$

$$g(x) = \frac{1}{e^{-x} + 1}$$
 (2)

$$g(f(x)) = \frac{1}{e^{-(ax+b)} + 1}$$
 (3)



Composite

### **Derivatives**

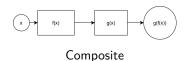
$$f(x) = ax + b \tag{4}$$

$$\frac{df(x)}{dx} = a \tag{5}$$

$$\sigma(z) = \frac{1}{e^{-z} + 1} \tag{6}$$

$$\frac{d\sigma(z)}{dz} = \sigma(z)(1 - \sigma(z)) \quad (7)$$

$$\frac{d\sigma(f(x))}{dx} = ? (8)$$



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### **Derivatives**

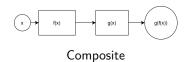
$$z = ax + b \tag{9}$$

$$\frac{dz}{dx} = a \tag{10}$$

$$\sigma(z) = \frac{1}{e^{-z} + 1} \tag{11}$$

$$\frac{d\sigma}{dz} = \sigma(z)(1 - \sigma(z)) \qquad (12)$$

$$\frac{d\sigma}{dx} = \frac{d\sigma}{dz}\frac{dz}{dx} \tag{13}$$



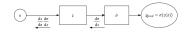
$$z = ax + b \tag{14}$$

$$\frac{dz}{dx} = a \tag{15}$$

$$\sigma(z) = \frac{1}{e^{-z} + 1} \tag{16}$$

$$\frac{d\sigma}{dz} = \sigma(z)(1 - \sigma(z)) \qquad (17)$$

$$\frac{d\sigma}{dx} = \frac{d\sigma}{dz}\frac{dz}{dx} = \frac{dz}{dx}\frac{d\sigma}{dz}$$
 (18)



Back propagation of gradients

#### Datasets

- Modified National Institute of Standards and Technology -MNIST (60k/10k)
- Canadian Institute For Advanced Research CIFAR-10 (50k/10k) and CIFAR-100 (2 level, 500/100)
- Pascal Visual Object Classes (VOC) 22k images, 20 classes
- **.** . . .
- ImageNet

## ImageNet Large Scale Visual Recognition Challenge

### MNIST Dataset (60k, 10k)

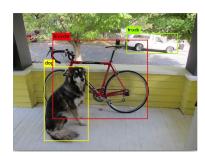
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### ImageNet (14M+, 22k)

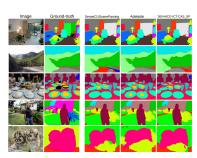


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## Image processing



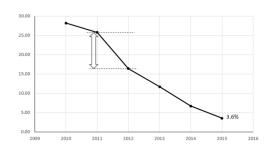
Localization



Segmentation

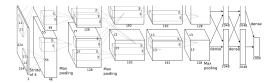
# ImageNet Large Scale Visual Recognition Challenge

- Publicly available dataset -ImageNet (14M+, 22k categories)
- Annual competition
  - Image classification
  - Object detection and localization
- Increasing depth
  - 8 layer AlexNet
  - 19 layer GoogLeNet
  - 152 layer ResNet



Top 5 classification error rate

### AlexNet 2012



Alex Krizhevsky, Sutskever, Ilya and Hinton, Geoffrey E., "ImageNet Classification with Deep Convolutional Neural Networks", 2012

AlexNet: 61m parameters, 8 layers

GoogLeNet: 6.7m parameter, 22 layers

ResNet: ResNet-50, ResNet-101, ResNet-152

Question: Are deeper networks always better?

### Not hotdog



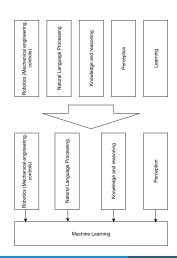
https://www.youtube.com/watch?v=vIci3C4JkL0

# Why do you think this picture is funny?



Credit: http://karpathy.github.io/2012/10/22/state-of-computer-vision/

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- Image classification, localization and segmentation
- Neural machine translation, question answering, summary.
- Game playing, helicopter flying (stunts)
- Planning, self driving cars
- Text, audio and video processing, generation
- **.** . . .

## Machine learning I

### Models

- Build a model of the world
- Infer/predict using the model.

### Machine learning

- Supervised learning
- Unsupervised learning
- Reinforcement learning

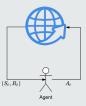
# Machine learning II

#### Unsupervised learning

- Training a model to find patterns in a dataset, typically an unlabeled dataset.
- Learning how to extract interesting features.
- Learning data distribution for generating data.

### Reinforcement learning

A family of algorithms that learn an optimal policy, whose goal is to maximize return when interacting with an environment.

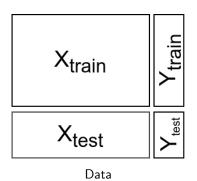


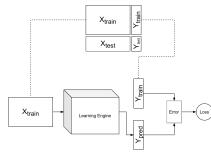
# sepal_length =	# sepal_width =	# petal_length =	# petal_width =	A species →
5.7	2.9	4.2	1.3	Iris-versicolor
5.2	2.9	4.3	1.3	Iris-versicolor
5.1	2.5	3	1.1	Iris-versicolor
5.7	2.8	4.1	1.3	Iris-versicolor
6.3	3.3	6	2.5	Iris-virginica
5.8	2.7	5.1	1.9	Iris-virginica
7.1	3	5.9	2.1	Iris-virginica
6.3	2.9	5.6	1.8	Iris-virginica
6.5	2	5.0	2.2	Triesvirginica



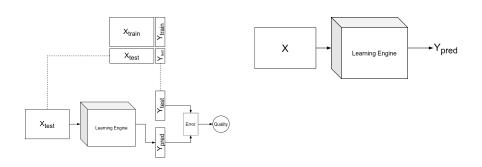
Source: https://www.kaggle.com/arshid/iris-flower-dataset?select=IRIS.csv

150 rows, 5 attributes (columns), 4 numerical and 1 categorical.





## Supervised learning III



Introduction to Artificial Intelligence

Testing

Predicting

## Fitting a function to data

### Description (supervised learning)

Given a set of data  $(x_1, y_1), (x_2, y_2), \dots, (x_n, y_n)$ , can we find a function y = f(x) that "fits" this data?

#### Questions

- What is this function f(x)?
- What does "fit" mean?
- How do we know this works?
- What kinds of problems can we solve?

# More about f(x)

#### Class of functions

Starting with a function  $f(x; \theta_1, \theta_2, \dots, \theta_n)$  where x is the input to the function and  $\theta s$  are its parameters, we need to find the set of  $\theta s$  that best "fits" the give data  $(x_1, y_1), (x_2, y_2), \dots, (x_n, y_n)$ 

#### Class of linear functions

Consider f(x)=ax+b. If we can say, with some confidence, that our data is linearly related, we need to find  $\theta_1=a$ ,  $\theta_2=b$  that fits the given data. We can also write it as f(x;a,b)=ax+b. Preferred,

$$f(x; \theta_1, \theta_2) = \theta_1 x + \theta_2 \tag{19}$$

### Fit

#### Mean squared Euclidean distance as one possible measure of fit

Let  $L_i$  be the squared Euclidean distance between the predicted value,  $\hat{y}_i = f(x_i)$  and the actual,  $y_i$ . Then,

$$L_i = z_i^2 \tag{20}$$

$$z_i = y_i - f(x_i) \tag{21}$$

$$= y_i - \theta_1 x_i - \theta_2 \tag{22}$$

Minimizing  $L_i$  with respect to the parameters  $\theta_1$  and  $\theta_2$ ,

$$\frac{\partial L_i}{\partial \theta_1} = \frac{\partial z_i^2}{\partial z_i} \frac{\partial z_i}{\partial \theta_1} \tag{23}$$

$$\frac{\partial L_i}{\partial \theta_2} = \frac{\partial z_i^2}{\partial z_i} \frac{\partial z_i}{\partial \theta_2} \tag{24}$$

$$L = \frac{1}{n} \sum_{i=1}^{n} L_i = \frac{1}{n} \sum_{i=1}^{n} (y_i - \theta_1 x_i - \theta_2)^2$$

#### In practice

- Choose a small (64 or 128) random subset of training data.
- Compute predicted values, then loss.
- Compute gradients of loss W.R.T. parameters then update parameters.

An **epoch** refers to a single iteration over all training data.

#### Two different spaces

- Space spanned by x and y. Optimization tries to find the surface (model) in this space that best fits the data.
- Space spanned by  $\theta s$ . We minimize the loss function in this space.

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