

Physics 5a: Homework 1

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Newtons Laws

K.K. Ch. 2

Known properties

We know:

Objects have **mass**

Four fundamental forces: **Gravity, Electromagnetic Force, Strong Force, Weak Force**

First Law

In English: An object at rest stays at rest, an object in motion stays in motion.

More mathematical rigorous: If $\vec{F}_i = 0$, then \vec{v}_i is constant ($\vec{a}_i = 0$). (True only in an "inertial frame")

Inertial Frames

Graph outlining $R(t)$ to a point that extends another vector r -prime, which has the combined vector of r .

R is location of plane.

$$\begin{aligned}\vec{r}(t) &= \vec{R}(t) + \vec{r}'(t) \\ \vec{v}(t) &= d/dt \vec{R}(t) + d/dt \vec{r}'(t) = V(t) + v'(t) \\ \vec{a}(t) &= d/dt \vec{V}(t) + \vec{a}'(t)\end{aligned}$$

Case 1) $R(t) = R_0 + tV \Rightarrow a(t) = a'(t)$

Case 2) $R(t) = R_0 + 1/2t^2 \vec{A} \Rightarrow a(t) \neq a'(t)$

In english: People can disagree whether or not things are moving, i.e. frames of reference, and a frame of reference is inertial if it doesn't start accelerating in the frame without forces from the frame.

Second Law

$$\vec{F}_i = m_i \vec{a}_i$$

$$\vec{F}_i = F_{2 \rightarrow 1}(r_1, r_2, v_1, v_2) + F_{3 \rightarrow 1}(r_1, r_3, v_1, v_3) = \sum_i F_{i \rightarrow 1}$$

Example based elaborations

Gravity:

$$F_{E \rightarrow 1} = -m_i g \hat{j}$$

Diagram of tree and earth. Force $a = F_{earth \rightarrow apple}$ pulling down on the apple, a little algebra later you have $a = -g \hat{j}$.

Contact force:

Ball on slope diagram. Force is pushing on ball, then another diagram showing a ball on a vertical wall showing how the contact isn't pushing in that case. The contact force of $\vec{F}_{1 \rightarrow 2} = \hat{n} \cdot f$.

More examples of normal force.

Tension

You can only ever pull with a rope. Tension can be worked out with normal forces and seeing what things aren't falling, i.e. if gravity is pulling down on a hanging block, the rope must be pulling up.

$$F_{s \rightarrow 1} = T \hat{t}.$$