

# Lab 3

## Question:

Write a python program to build a neural network model with different learning models.

## Solution:

### Import and Libraries and Data

```
In [ ]: from functools import reduce
import logging
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt

# Logging for debugging purposes
logging.basicConfig(filename = "lab3.log", level = logging.INFO)
```

```
In [ ]: df = pd.read_csv('iris.data')
df.head()
```

```
Out[ ]:    5.1  3.5  1.4  0.2  Iris-setosa
0  4.9  3.0  1.4  0.2  Iris-setosa
1  4.7  3.2  1.3  0.2  Iris-setosa
2  4.6  3.1  1.5  0.2  Iris-setosa
3  5.0  3.6  1.4  0.2  Iris-setosa
4  5.4  3.9  1.7  0.4  Iris-setosa
```

### Data Pre-Processing

```
In [ ]: def target_converter(Lable):
    # To change class lable into numerical variable
    A = []
    output = []
    x = 0
    # Append value if not present in A
    for i in Lable:
        if (i not in A):
            A.append(i)
            x += 1
    # Increase Count If Present in A
    for i in Lable:
        x = A.index(i)
        output.append(x)

    return(np.array(output))
```

```
In [ ]: X = np.array(df)[: ,0:4]
X[:5]
```

```
Out[ ]: array([[4.9, 3.0, 1.4, 0.2],
               [4.7, 3.2, 1.3, 0.2],
               [4.6, 3.1, 1.5, 0.2],
               [5.0, 3.6, 1.4, 0.2],
               [5.4, 3.9, 1.7, 0.4]], dtype=object)
```

```
In [ ]: Y = np.array(df)[: ,4]
Y = target_converter(Y)
Y[:5]
```

```
Out[ ]: array([0, 0, 0, 0, 0])
```

## Transfer Function and Error

```
In [ ]: # Sigmoid(Log Sigmoidal) transfer function
def sigmoid(n):
    return 1/(1+np.exp(-n))

# Misclassification Error
def error(val,tar):
    if val == tar:
        return 0

    else:
        return 1
```

```
In [ ]: len(Y)
```

```
Out[ ]: 149
```

```
In [ ]: def multiClassConverter(target):
    # Converting Targets to Multiclass Labels (0 -> [1, 0, 0], 1 -> [0, 1, 0] etc.)
    val = list(set(target))
    val.sort()
    out_dict = {}
    n = len(val)
    # Creating dictionary object by using keys as targets and values as Multiclass La
    for i in range(n):
        l = [0] * n
        l[i] = 1
        out_dict[val[i]] = l
    return out_dict

T = multiClassConverter(Y)
T
```

```
Out[ ]: {0: [1, 0, 0], 1: [0, 1, 0], 2: [0, 0, 1]}
```

## Neural Network Architecture

Neural Network with 4 input and 3 output layer, sigmoid as transfer function and mean error as valuation parameter, learning over different learning algorithms.

Learning Algorithms includes:

- Hebbian Learning
- Perceptron Learning
- Delta Learning
- Least Mean Square Learning

```

In [ ]: class neural_net:

    def __init__(self,x,y,epoch,alpha,learning) -> None:
        '''Learning : hebb - Hebbian Learning, per - Perceptron, delta - Delta Learning'''
        self.x = x
        self.y = y
        self.epoch = epoch
        self.alpha = alpha
        self.learning = learning

    def neural_learning(self,w,err,pat,ao,net) -> np.array:
        # Return updated weights as per learning rule
        if err == 0:
            # if error is 0 no weight updation required
            return w

        else:
            if self.learning == 'hebb':
                # Weight updation for hebbian learning:  $w = w + \alpha * x * y$ 
                try:
                    if err > 0:
                        w = w + self.alpha * ao * pat
                    else:
                        w = w - self.alpha * ao * pat

                return w
                except Exception as e:
                    logging.error(e)

            elif self.learning == 'per':
                # Weight updation for perceptron learning:  $w = w + \alpha * t * x$ 
                try:
                    w = w + self.alpha * pat
                return w

                except Exception as e:
                    logging.error(e)

            elif self.learning == 'delta':
                # Weight updation for delta learning
                try:
                    # Derivative of Sigmoidal function
                    sig_der = sigmoid(net)*(1 - sigmoid(net))
                    #  $w = w + \alpha * (t - y) * g'(h) * x$ 
                    w = w + self.alpha * err * sig_der * pat

                return w
                except Exception as e:
                    logging.error(e)

            elif self.learning == 'lms':
                # Weight updation for LMS Learning:  $w(k+1) = w(k) + 2 * \alpha * e(k) * x$ 
                try:
                    w = w + 2 * self.alpha * err * pat
                return w

                except Exception as e:
                    logging.error(e)

            else:
                logging.error('Wrong Input')
                raise Exception('Wrong Input. Please provide, hebb - Hebbian Learning

```

```

def nn(self):
    # Total and Mean Error
    tot_err = []
    mean_err = []
    # All the updated weights of each iteration for every epoch
    w_new = []
    # Loop through n(Epoch) number of times
    for eph in range(self.epoch):
        # Error List for each Epoch
        err_list = []

        for i in range(len(self.y)):
            # For each iteration actual output list
            ao_list = []

            # Getting weights of previous epochs
            if len(w_new) >= len(self.y):
                w = w_new[eph*len(self.y) + i - len(self.y)]

            else:
                # Randomly Generated Weight
                w = np.random.rand(3,4)

            # Logging the weight matrices output for debugging
            logging.info('Epoch : ' + str(eph)+' Iteration : ' + str(i) + 'Old w:')

            net = np.dot(self.x[i],w.T)

            # Actual output List for each iteration
            for n in net:
                ao = sigmoid(n)
                ao_list.append(ao)

            # Using Multiclass Converter to convert targets into multiclass number
            T = multiClassConverter(Y)
            tar = T[self.y[i]]
            error_array = np.array(tar) - np.array(ao_list)

            # Root Mean Square Error
            err = np.mean(error_array)
            mean_ao = np.mean(np.array(ao_list))
            mean_net = np.mean(np.array(net))

            # Learning
            w = self.neural_learning(w,err,self.x[i],mean_ao,mean_net)
            w_new.append(w)

            # Logging the new weight matrices output for debugging
            logging.info('New w:' + str(w))

            # Error and mean Error of every iteration
            err_list.append(err)
            ms_err = reduce(lambda x,y: (x**2 + y**2)/2 ,err_list)

        tot_err.append(err_list)
        mean_err.append(ms_err)

    # Plot Variables
    fig = plt.figure(figsize=plt.figaspect(.3))
    if self.learning == 'hebb':
        fig.suptitle('Hebbian Learning (Learning Rate:{alpha})'.format(alpha = se

    elif self.learning == 'per':

```

```

fig.suptitle('Perceptron Learning (Learning Rate:{alpha})'.format(alpha =
elif self.learning == 'delta':
    fig.suptitle('Delta Learning (Learning Rate:{alpha})'.format(alpha = self
elif self.learning == 'lms':
    fig.suptitle('Least Mean Square learning Learning (Learning Rate:{alpha})

# 3D Plot of RMS Error
ax = fig.add_subplot(1, 2, 1, projection='3d')
# X and Y axis for plotting
x_axis = np.arange(1,len(self.y) + 1,step = 1)
y_axis = np.arange(1,self.epoch + 1,step = 1)
# Using Meshgrid for generating 2D Matrices of X and Y axis
X_Axis, Y_Axis = np.meshgrid(x_axis,y_axis)
z_axis = np.array(tot_err)

# Plotting 3D Scatter Plot
ax.scatter3D(X_Axis,Y_Axis,z_axis, c = z_axis)
ax.set_xlabel('Pattern')
ax.set_ylabel('Epoch')
ax.set_zlabel('Error')
plt.title('Mean Error')

# 2D Plot of Mean of RMS
ax = fig.add_subplot(1, 2, 2)
ep = np.arange(1,self.epoch + 1,step = 1)
ax.plot(ep,mean_err)
ax.set_xlabel('Epoch')
ax.set_ylabel('Mean Squear of Mean Error')
plt.show()

```

## Hebbian Learning:

- Information is stored in the connections between neurons in neural networks, in the form of weights.
- Weight change between neurons is proportional to the product of activation values for neurons.

$$\Delta w \propto xy \Rightarrow \Delta w = \alpha xy$$

( $x$  is pattern,  $y$  is actual output and  $\alpha$  is learning rate)

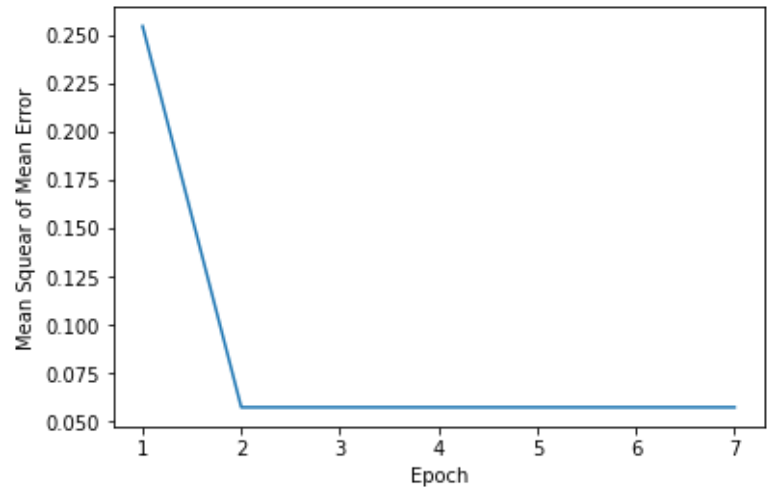
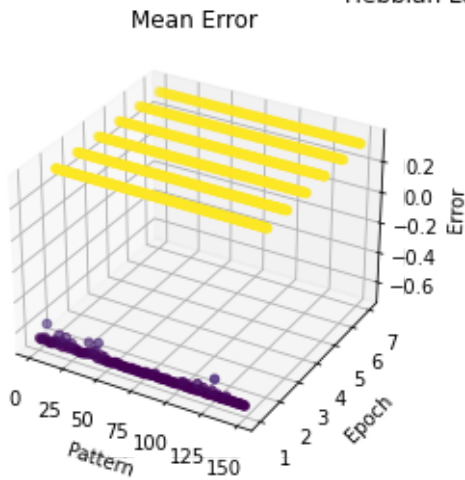
- As learning takes place, simultaneous or repeated activation of weakly connected neurons incrementally changes the strength and pattern of weights, leading to stronger connections.

```

In [ ]: hebbian = neural_net(X,Y,7,0.8,'hebb')
hebbian.nn()

```

## Hebbian Learning (Learning Rate:0.8)



## Perceptron Learning

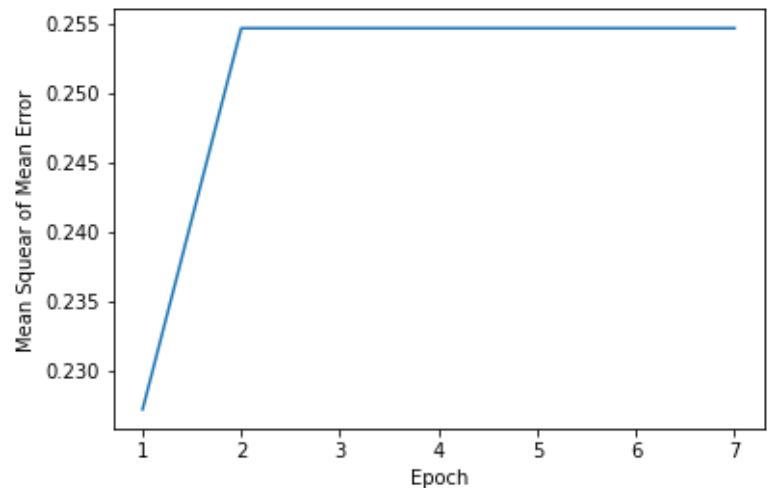
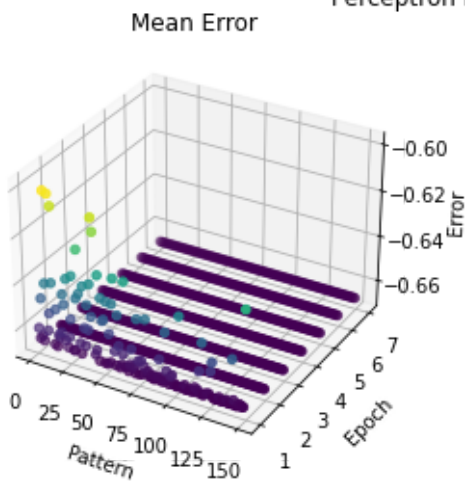
- Initialize the weights. Weights may be initialized to 0 or to a small random value.
- For each example training set, update the weight modification:

$$w_{new} = w_{old} + \alpha tx$$

(where  $t$  is 1 for positive error and -1 for negative and  $\alpha$  is learning rate)

```
In [ ]: perceptron = neural_net(X,Y,7,0.6,'per')
perceptron.nn()
```

## Perceptron Learning (Learning Rate:0.6)



## Delta rule

For a neuron  $j$  with activation function  $g(x)$ , the delta rule for neuron  $j'$ 's  $i$ th weight  $w_{ji}$  is given by

$$\Delta w_{ji} = \alpha(t_j - y_j)g'(h_j)x_i, \text{ where}$$

$\alpha$  is a small constant called learning rate

$g(x)$  is the neuron's activation function

$g'$  is the derivative of  $g$

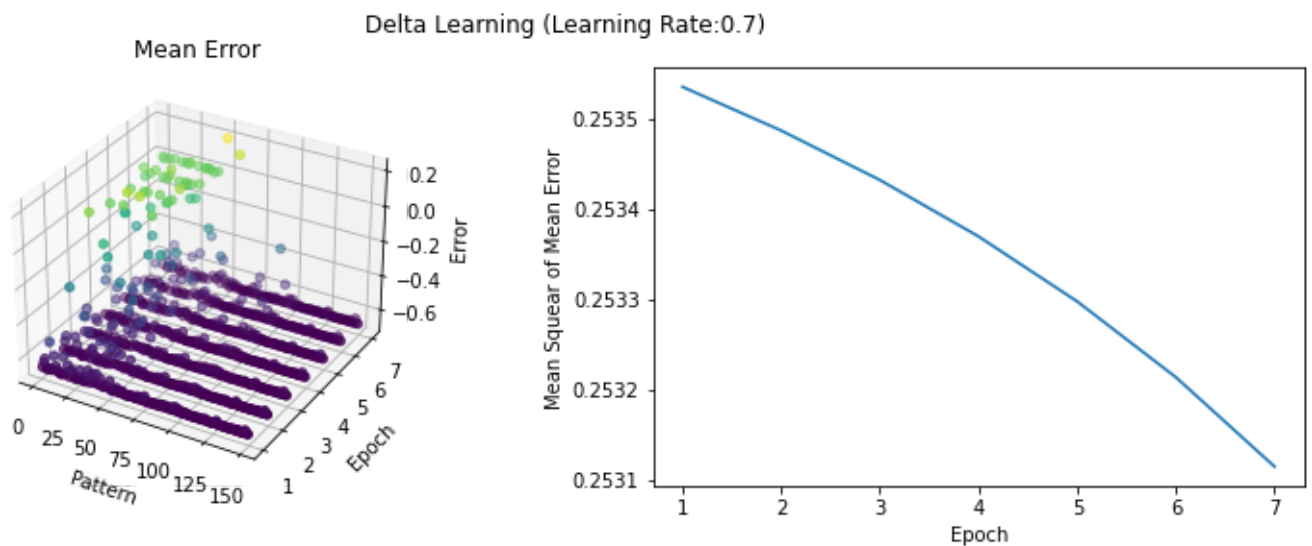
$t_j$  is the target output

$h_j$  is the weighted sum of the neuron's inputs

$y_j$  is the actual output

$x_i$  is the  $i$  th input

```
In [ ]: delta = neural_net(X,Y,7,0.7,'delta')
delta.nn()
```



## Least Mean Square learning Learning

The updated weight for LMS algorithm is given by

$$w(k+1) = w(k) + 2\alpha * e(k) * p(k)$$

where  $e(k)$  is error and  $p(k)$  is pattern of  $k$  th iteration.

```
In [ ]: lms = neural_net(X,Y,7,0.9,'lms')
lms.nn()
```

