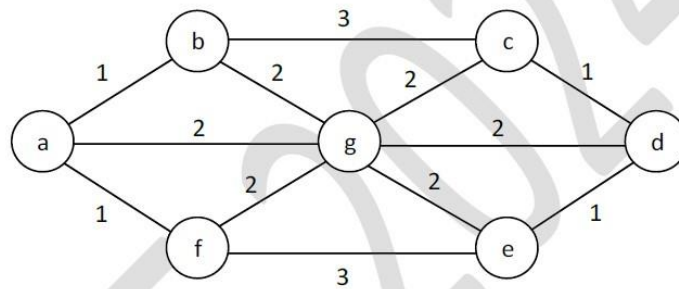


Q.34 The number of spanning trees in a *complete* graph of 4 vertices labelled A, B, C, and D is _____

Ans: Number of labelled spanning trees is $4^{(4-2)} = 16$ (using Cayley's Formula.)

Q.59 The number of distinct minimum-weight spanning trees of the following graph is _____



Ans:

$$\begin{aligned} n(G) &= 7 \\ e(G) &= 12 \\ n(MST) &= 7 \\ e(MST) &= 7 - 1 = 6 \end{aligned}$$

We need to remove both the edges bc and fe . (Edges with maximum weight).

We need to remove 2 edges from $\{bg, ag, fg\}$. (3 ways)

We need to remove 2 edges from $\{cg, dg, eg\}$. (3 ways)

\therefore Total number of MST = $3 \times 3 = 9$