



GALGOTIAS UNIVERSITY

CAT I Semester III, V, VII, IX All Programs

Answer uploading Template

Admission No. of Student	21SCSE1011615	Name of Course	DSA
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Program	B.Tech - CSE	Date of Examination	27/09/2022
Semester	Third	Time	11:00-12:30
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Student shall start writing from below:

Ans 1) An array is a collection of elements of the same type placed in contiguous memory locations that can be referred by using an index to a unique identifier.
For example

int A[5] 0 1 2 3 4
→ [| | | |]

A sparse matrix is a matrix whose most of the elements are zero.

- Ans 2) Applications of stack are following
- Evaluation of Arithmetic expression
 - Backtracking
 - Delimiter checking
 - Reverse a data
 - Processing function calls

Ans ③

Data structure is the way of storing data in computer's memory so that it can be used easily and efficiently.

i) Operations are performed on different data structure:

(i) Transversing:-

Transversing a data structure means to visit the element stored in it.

(ii) Searching:-

Searching means to find a particular element in the given data structure.

(iii) Insertion:-

Insertion means to add an element in the given data structure.

(iv) Deletion:-

Deletion means to delete an element in the given data structure.

(v) Create:-

It reserves memory for program elements by declaring them. The creation of data structure can be done during

(i) compile-time

(ii) Run-time

→ ④ Tower of Hanoi is a mathematical puzzle where we have three rods (A, B & C) & N disks. Initially, all the disks are stacked in decreasing value of diameter. The objective of the puzzle is to move the entire stack to another rod, obeying the following simple rules:

- (i) Only one disk can be moved at a time
- (ii) Each move consist of taking the upper disk from one of the stack & placing it on the top of another stack (i.e. a disk can only be removed if it is uppermost disk of the stack).
- (iii) No disk may be placed on top of a smaller disk.

For example:-

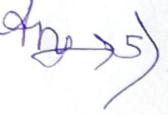
input - 2

Output:-

Disk 1 - ~~moved~~ ^{moved} from A to B

Disk 2 - moved from A to C

Disk 3 - moved from B to C

 Algorithm is a step-by-step procedures which defines a set of instruction to be executed in a certain order to get the desired output.

Some important categories of algorithms are:-
Search, Sort, Insert, update, Delete.

Asymptotic Notations are languages that allow us to analyse an algorithm's running time by identifying its behaviour as the input size for the algorithms increases. It is mathematical notation used to describe the running time of an algorithms.

There are mainly three asymptotic notations:-

(i) Big-O Notation (O-notations):-

Big-O notation represents the upper bound of the running time of an algorithm. Thus, it gives the worst-case complexity of algorithms.

Expression:-

$$O(g(n)) = \{f(n); \text{ there exist positive constant such that } 0 \leq f(n) \leq c g(n) \text{ for all } n \geq n_0\}$$

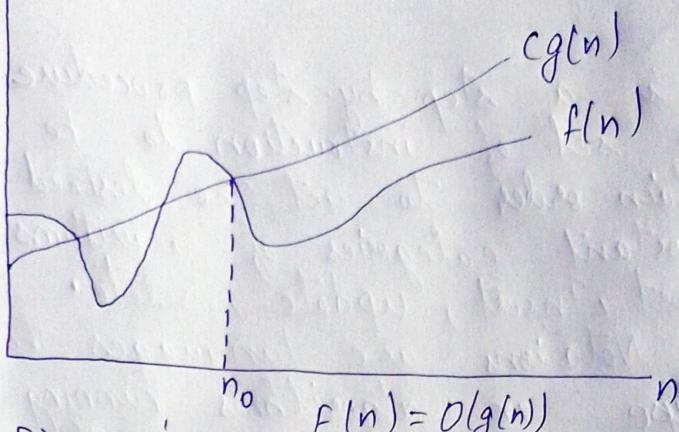
(ii) Omega Notation (Ω-notation):-

Omega notation represents the lower bound of the running time of an algorithm. Thus, it provides the best-case complexity of an algorithms.

Expression:-

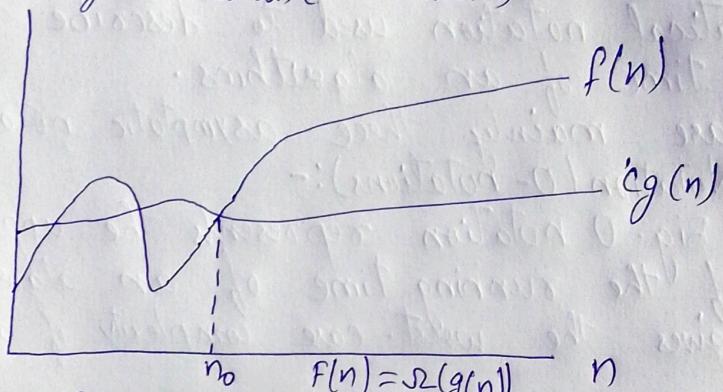
$$\Omega(g(n)) = \{f(n); \text{ there exist } +ve \text{ constant } c, p, n_0 \text{ such that } c g(n) \leq f(n) \text{ for all } n \geq n_0\}$$

(i) Big-O Notation



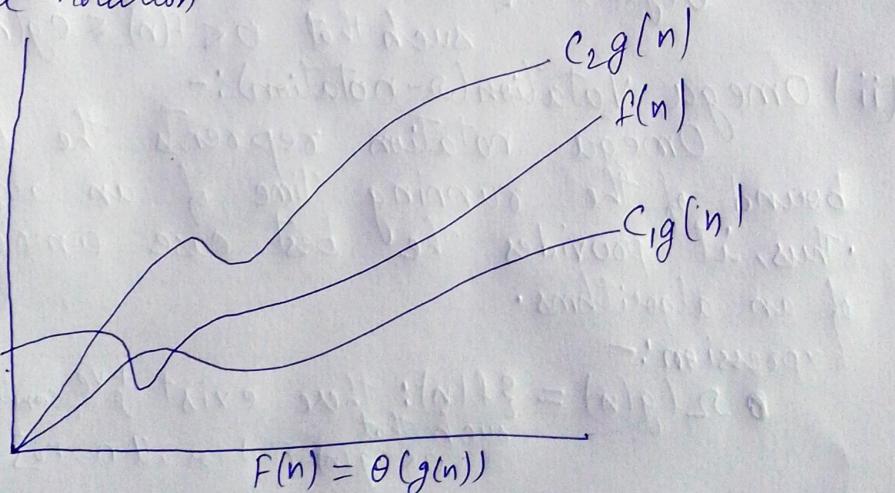
Big-O gives upper bound of a function

(ii) Θ Omega Notation (ω -notation)



Omega gives the lower bound of a function

(iii) Theta notation:-



Theta bounds the function within constant factors.

Example :- (or notations) :-

- $\{(n^2+n), (2n^2), (n^2+\log(n))\}$ belongs to $\Theta(n^2)$
- $\{n^{1/4}, (2n+3), (n^{1/100} + \log n)\}$ belongs to $\Theta(n)$
- $\{100, \log(2000), 10^4\}$ belongs to $\Theta(1)$

(iii) Theta Notations (Θ -notations) :-

It encloses the function from above & below since it represents the upper & lower bound of the running time of an algorithm. It is used to analyze average case complexity of an algorithm.

$\Theta(g(n)) = \{f(n); \text{there exist positive constant such that } 0 \leq c g(n) \leq f(n) \leq C g(n) \text{ for all } n \geq n_0\}$

Ex -

- $\{100, \log(2000), 10^4\}$ belongs to $\Theta(1)$
- $\{(n^2+n), (2n^2), (n^2+\log(n))\}$ belongs to $\Theta(n^2)$
- $\{n^{1/4}, (2n+3), (n^{1/100} + \log(n))\}$ belongs to $\Theta(n)$

6) Algorithm for PUSH operations :-

PUSH(STACK, TOP, SIZE, ITEM)

Step 1 : if $TOP \geq N-1$ then

PRINT "Stack is overflow!"

Exit

End if ; if

Step 2 :- $TOP = TOP + 1$

Step 3 :- $STACK[TOP] = ITEM$

Step 4 :- Return

Algorithms for POP operation

PUSH (STACK, TOP, ITEM)

Step 1 : IF TOP = 0 then

PRINT "Stack is empty"

Exit

End of it

Step 2 : ITEM = STACK [POP]

Step 3 : TOP = TOP - 1

Step 4 : Return

Steps :-

- ① Push ("onto stack, and add") to the end of X.
- ② Scan X from left to right & repeat step 3 to 6 for each element of X until the stack is empty
- ③ If an operand is encountered, add it to Y.
- ④ If a left parenthesis is encountered, push it onto the stack.

5) If an operator is encountered, then

- i) Repeatedly pop from stack & add to Y each operator which has same as or the higher precedence than operator.

6) If a right parenthesis is encountered then

- ii) Repeatedly pop from stack & add to Y each operator

② Remove the left parenthesis

③ End