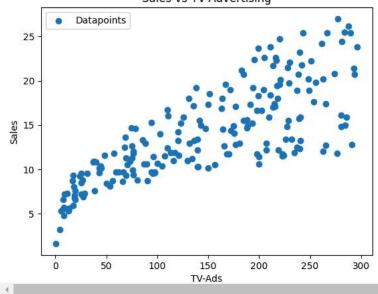
```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import sklearn
filepath = 'tvmarketing.csv'
data = pd.read_csv(filepath)
data.head()
data.info()
data.describe()
    <class 'pandas.core.frame.DataFrame'>
     RangeIndex: 200 entries, 0 to 199
     Data columns (total 2 columns):
     # Column Non-Null Count Dtype
     --- -----
                 _____
         TV
                 200 non-null
                                 float64
         Sales 200 non-null
                                 float64
     dtypes: float64(2)
     memory usage: 3.3 KB
                    ΤV
                            Sales
     count 200.000000 200.000000
                        14.022500
            147.042500
      mean
             85.854236
                         5.217457
       std
      min
              0.700000
                         1.600000
      25%
             74.375000
                        10.375000
      50%
            149.750000
                        12.900000
      75%
            218.825000
                        17.400000
            296.400000
                        27.000000
      max
```

```
plt.scatter(data['TV'],data['Sales'], label='Datapoints')
plt.xlabel('TV-Ads')
plt.ylabel('Sales')
plt.legend()
plt.title('Sales vs TV-Advertising')
plt.show()
```



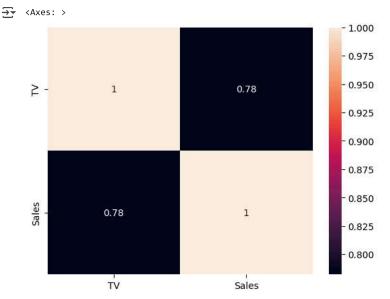
## Sales vs TV-Advertising



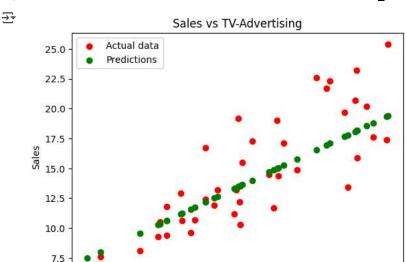
```
import seaborn as sns

correlation = data.corr()

sns.heatmap(correlation, annot=True)
```



from sklearn.model\_selection import train\_test\_split feature = ['TV'] target = ['Sales'] X = data[feature] y = data[target] X\_train, X\_test, y\_train, y\_test = train\_test\_split(X,y, test\_size=0.2) from sklearn.linear\_model import LinearRegression model = LinearRegression() model.fit(X\_train,y\_train) ▼ LinearRegression ① ? LinearRegression() from sklearn.metrics import mean\_absolute\_error, mean\_squared\_error  $y_preds = model.predict(X_test)$ MAE = mean\_absolute\_error(y\_test, y\_preds) MSE = mean\_squared\_error(y\_test, y\_preds) print(f"MAE: {MAE}") print(f"MSE: {MSE}") → MAE: 2.2307860376206827 MSE: 8.055294719579422 plt.scatter(X\_test, y\_test, label='Actual data', color = 'red') plt.scatter(X\_test, y\_preds, label='Predictions', color = 'green') plt.legend() plt.xlabel('TV-Ads') plt.ylabel('Sales') plt.title('Sales vs TV-Advertising') plt.show()



100

150

TV-Ads

200

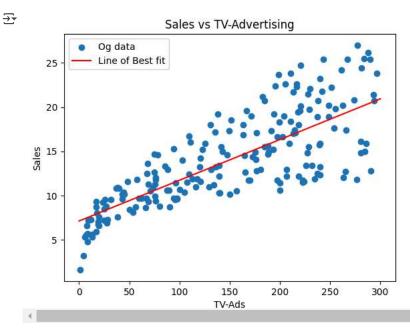
250

```
slope = model.coef_[0]
intercept = model.intercept_
x_line = np.linspace(0,300,3000)

y_line = slope*x_line + intercept

plt.scatter(X,y, label='Og data')
plt.plot(x_line,y_line, color = 'red', label='Line of Best fit')
plt.legend()
plt.xlabel('TV-Ads')
plt.ylabel('Sales')
plt.title('Sales vs TV-Advertising')
plt.show()
```

50



```
import joblib
joblib.dump(model, 'my_first_model.pkl')
loaded_model = joblib.load('my_first_model.pkl')
```

## why linear regression?

linear regression is a statistical method used to predict a dependent variable (like sales) based on one or more independent variables (like TV advertising spend)

the goal is to find a straight line that best represents the relationship between the variables

slope indicates how much sales change with each unit increase in TV ads.

the expected sales when TV ads are zero

to measure how well our model fits the data we use a loss function which calculates the difference between predicted and actual values common metrics include: Mean Absolute Error (MAE): Average absolute differences Mean Squared Error (MSE): Average squared differences which penalizes larger errors more we use gradient descent to adjust the slope and intercept iteratively minimizing the loss function until we find the best-fit line we split our data into training and testing sets the model learns from the training set and we evaluate its performance on the testing set to ensure it generalizes well we can visualize the model's predictions against actual values using scatter plots to assess its accuracy and identify any outliers