

# SCHOOL OF ELECTRICAL ENGINEERING

#### LAB MANUAL

# BEEE302P – DIGITAL SIGNAL PROCESSING LAB FALL 2025 - 26

#### **FACULTY**

Dr. IYSWARYA ANNAPOORANI K

#### SCHOOL OF ELECTRICAL ENGINEERING

#### Vision of the School

To offer an education in electrical engineering that provides strong fundamental knowledge, skills for employability, cross-disciplinary research and creates leaders who provide technological solutions to societal and industry problems.

#### Mission of the School

M1: Provide personalized experiential learning in industry sponsored laboratories to prepare students in electrical engineering with strong critical thinking and employability skills.

M2: Foster design thinking, creativity and cross-disciplinary research with highly qualified faculty to create innovators and entrepreneurs in the broad area of electrical engineering.

M3: Collaborate with national and international partners to provide innovative solutions to societal and industry challenges.

#### PROGRAMME SPECIFIC OUTCOMES (PSOs)

On completion of the B. Tech. (Electrical and Electronics Engineering) programme, graduates will be able to

PSO1 (BL3): Design Electrical and Electronic systems using extensive knowledge of science and engineering.

PSO2 (BL4): Analyze power electronic circuits and power systems considering technical, economic and environmental constraints.

PSO3 (BL3): Apply modern intelligent computational tools to the solution of electrical engineering problems and engage in lifelong learning to adapt to technological advancements.

#### **Program Educational Objectives (PEOs)**

PEO 1: Graduates will excel in solving industry problems, succeed as engineering practitioners, innovators, and entrepreneurs, or pursue higher education in electrical engineering and related fields.

- PEO 2: Graduates will function with social responsibility, team spirit and environmental awareness and develop products that are reliable, cost effective and safe.
- PEO 3: Graduates will demonstrate strong soft skills, uphold ethical standards and professional codes of practice, and continually adapt to technological advancements through lifelong learning.

# **School of Electrical Engineering**

# **Evaluation Rubrics for Hardware Lab**

Lab CAM		Lab	FAT			Total		
Total Marks Weightage			al Marks	Weight	age	CAM + FAT		
100 (Min)	60%	50		40%	100			
Rubric	Excellent		Good		Satisfactory			
	(3)		(2)		(1)			
Pre-Lab (Circuit Diagram, Background Theory) (3)	complete; follo standard conventionall components laborates correctly. Thoro	ons; eled ugh with		equate with elevant a few ors or	Incomplete or inaccurate; significant errors in conventions or missing labels. Incomplete or unclear explanation with limited concepts; contains major errors.			
	(4)		(3)		(1-2)			
In-Lab Performance (Connection & Execution) (4)	experiment with errors; follows all st systematically. Obt results with precision;	the no teps ains high fully with	most	follows steps Obtains with some	conduct requires guidance Results inconsist theoretic	e or corrections.  are inaccurate or  ent with		

	(3)	(2)	(1)
Post Lab (Calculation, Viva-Voce) (3)	All calculations are accurate, complete, and presented clearly with proper units and methods shown.  Answers all questions confidently, accurately, and demonstrates deep understanding of the experiment.	Calculations are mostly accurate; minor errors in presentation, units, or methods. Answers most questions accurately with reasonable understanding; minor gaps in knowledge.	Calculations are incomplete, mostly inaccurate, or lack clarity and proper units.  Struggles to answer questions or demonstrates limited understanding of the experiment.

# **School of Electrical Engineering**

# **Evaluation Rubrics for Software/Programming Lab**

Lab CAM		Lab FAT	Total	
Total Marks	Weightage	Total Marks	Weightage	CAM + FAT
100 (Min)	60%	50	40%	100

Rubrics	Excellent	Good	Satisfactory
	(3)	(2)	(1)
Pre-Lab (Circuit Diagram/Algorithm & Background Theory) (3)	Neat, accurate, and complete; follows standard conventions; all components labeled correctly. Thorough explanation with relevant concepts and clear connections to the experiment; no errors.	Circuit/Algorithm mostly accurate and complete; minor errors in conventions or labeling. Adequate explanation with most relevant concepts; a few minor errors or unclear connections.	Incomplete or inaccurate; significant errors in conventions or missing labels. Incomplete or unclear explanation with limited concepts; contains major errors.
In-Lab Performance	(4)	(3)	(1-2)
(Circuit/coding /interfacing & Execution)  (4)	Circuit/code is optimized and no errors. Thoroughly tests, validates, and documents results accurately and independently.	Circuit/code is functional with minor errors. Tests and validates with minimal assistance; documentation is adequate.	Circuit/code is functional but partially complete and more errors. Testing/validation is incomplete or requires significant help.
Post Lab	(3)	(2)	(1)

(Result Analysis,	Provides a detailed,		
\( \text{\text{\$\exitt{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\exitt{\$\text{\$\exittit{\$\text{\$\exittit{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\exittit{\$\text{\$\}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}	accurate	Provides a clear and	
Viva-Voce)	interpretation of	correct analysis with	Analysis is basic,
(3)	results with insights	minor gaps or	with partial
	into improvements	limited insights.	interpretation of
	and implication.	Answers most	results. Struggles to
	Answers all	questions	answer questions or
	questions	accurately with	demonstrates
	confidently,	reasonable	limited
	accurately, and	understanding;	understanding of
	demonstrates deep	minor gaps in	the experiment
	understanding of	knowledge.	
	the experiment.		

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BEEI	E302P	Digital Sig	nal Proces	ssing Lab	L	. T	Р	С					
						C	0	2	1				
Pre-r	equisite	BEEE204L				Sylla	abus	vers	ion				
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Cour	Course Objectives												
1. 2. appli	· · · · · · · · · · · · · · · · · · ·												
Cour	se Outcomes	<u> </u>											
		this course, the students	will be abl	e to:									
2	<ol> <li>Design and perform frequency analysis of continuous time and discrete time signals.</li> <li>Design and implement, digital filters with real time constraints.</li> <li>Design a typical digital signal processing system for specific applications in real world.</li> </ol>												
Indica	ative Experin	nents											
1	Analysis of	continuous time and discr	ete time s	ignals									
2	Convolution	n of discrete time signals											
3	Correlation	of discrete time signals											
4	Computatio	n of DFT											
5	Spectral ar	nalysis of signals											
6	Design of a	nalog Butterworth filters											
7	Design of a	nalog Chebyshev filters											
8	Design of a	n IIR elliptical band pass f	ilter										
9	Design of F	IR filters using window fur	nctions										
10	Waveform	generation using CC studi	o of TMS	320C6748									
11	Computation	on of convolution using CC	studio of	TMS3200	C6748								
12	ECG signa	al smoothening using CC s	tudio of T	MS320C6	748 for rea	l time	appli	catio	ons				
Total	Laboratory	Hours				30	) hou	ırs					
Text	Book					•							
	John G. Proakis, D. G. Manolakis, Digital Signal Processing Principles, Algorithms and Applications, 2016, 4 <sup>th</sup> edition, Pearson Education												
Refe	rence Book												
Lawrence R Rabiner and Bernard Gold, Theory and Application of Digital Signal Processing, 2016, Pearson Education													
Mode of assessment: Continuous assessment, FAT													
	Recommended by Board of Studies 19-02-2022												
		demic Council	No. 65	Date	17-03-202	2							
	, -												

# **COURSE**

# **ARTICULATION**

# MATRIX CO – PO – PSO

# **MAPPING**

CO No	Statement
CO1	Perform frequency analysis of continuous time and discrete time signals.
CO2	Design of digital filters with real time constraints
CO3	Design a typical digital signal processing system for specific applications in real world

60	PO											PSO			
СО	1	2	3	4	5	6	7	8	9	10	11	12	1	2	3
CO1	3	2	1	1	2	-	-	2	2	2	-	1	2	2	2
CO2	3	2	1	1	2	-	-	2	2	2	1	1	2	3	2
CO3	3	2	1	1	2	_	_	2	2	2	-	1	2	3	2

#### LIST OF EXPERIMENTS

# 1. Generation of discrete time sequences

- Unit step sequence
- Unit Impulse sequence
- Sinusoidal sequence
- Ramp sequence
- Exponential sequence

# 2. Mathematical operations on signals:

- Addition
- Multiplication
- Shifting
- Sampling

# 3. Time-domain Analysis of Signals (Radar Signals) & LTI Systems using MATLAB

- Linear Convolution and circular Convolution
- Comparison of linear and circular convolution
- Auto-Correlation and Cross-Correlation

# 4. Frequency-domain Analysis of Signals and LTI Systems

- DFT & IDFT – Magnitude and Phase response

# 5. ECG signal analysis using SP Tool box

IIR Filter – Butterworth (LPF, HPF, BPF & BRF) in MATLAB

- Chebychev (LPF, BPF)

# 6. Speech signal analysis using SP Tool box and FDA Tool box in MATLAB

FIR Filter—Windowing (Hamming, Hanning, blackman, rectangular and Kaiser)

# GENERATION OF DISCRETE TIME SEQUENCES

Ex. No: 1 DATE:

#### Aim:

To generate the following discrete time sequences using MATLAB

- 1. Unit step sequence
- 2. Unit Ramp sequence
- 3. Impulse sequence
- 4. Sinusoidal sequence
- 5. Exponential sequence

# **Equipments required: MATLAB software**

# Program:

```
1. % Unit step response
a=input('Enter the desired length of the sequence
=');
b=input('Enter the sampling=');
x=0:a-1;
y=cos(2*pi*b*x);
stem(x, y);
xlabel('time index');
ylabel('Amplitude');
title ('generation of unit step sequence');
    2. % Unit Ramp response
a=input('Enter the desired length of the sequence=');
b=input('Enter the sampling=');
x=0:a-1;
y=x;
stem(x, y);
xlabel('time index');
ylabel('Amplitude');
title('generation of unit ramp sequence');
```

```
3. % %Impulse sequence
a=input('Enter the desired length of the sequence
=');
b=input('Enter the sampling=');
x=0:a-1;
y=[\cos(2*pi*b) zeros(1,a-1)];
stem(x,y);
xlabel('time index');
ylabel('Amplitude');
disp y;
title ('generation of unit impulse sequence')
    4. %Sinusoidal sequence
      N=50;
      N=0:1:N-1;
a=input('Enter the desired length of the sequence=');
b=input('Enter the sampling=');
n=0:a-1;
x1=\cos(pi*n);
subplot(3,2,1), stem(n,x1);
xlabel('n'), ylabel('x1(n)');
title('Sinusoidal sequence');
x2=\cos(pi/2*n);
subplot (3,2,2), stem (n,x2);
xlabel('n'), ylabel('x2(n)');
title('Sinusoidal sequence');
x3=\cos(pi/4*n);
subplot (3,2,3), stem (n,x3);
xlabel('n'), ylabel('x3(n)');
title('Sinusoidal sequence');
x4=\cos(pi/8*n);
subplot(3,2,4), stem(n,x4);
xlabel('n'), ylabel('x4(n)');
title('Sinusoidal sequence');
```

```
x5=\cos(pi/16*n);
subplot(3,2,5), stem(n,x5);
xlabel('n'), ylabel('x5(n)');
title('Sinusoidal sequence');
x6=\cos(pi/32*n);
subplot(3,2,6), stem(n,x6);
xlabel('n'), ylabel('x6(n)');
title('Sinusoidal sequence');
     5. %Exponential sequence
a=input('Enter the desired length of the sequence=');
b=input('Enter the sampling=');
n=0:a-1;
x2=exp(-n);
subplot(2,2,3), stem(n,x2);
xlabel('n'), ylabel('x2(n)');
title('Exponential sequence');
OUTPUT:
```

#### MATHEMATICAL OPERATIONS ON SIGNALS

Ex. No: 2 DATE:

#### Aim:

To perform the following mathematical operations on signals using MATLAB

- 1. Addition
- 2. Multiplication
- 3. Sampling
- 4. Shifting

**Equipments required: MATLAB software** 

### Program:

#### Addition

```
function [y,n] = sigadd(x1,n1,x2,n2)
% implements y(n) = x1(n)+x2(n)
% -------
% [y,n] = sigadd(x1,n1,x2,n2)
% y = sum sequence over n, which includes n1 and n2
% x1 = first sequence over n1
% x2 = second sequence over n2 (n2 can be different from n1)
%
n = min(min(n1),min(n2)):max(max(n1),max(n2)); %
duration of y(n)
y1 = zeros(1,length(n)); y2 = y1; % initialization
y1(find((n>=min(n1))&(n<=max(n1))==1))=x1; % x1 with duration of y
y2(find((n>=min(n2))&(n<=max(n2))==1))=x2; % x2 with duration of y</pre>
```

```
y = y1+y2;
n1 = -2:20; x1 = [1:12,11:-1:1];
n2 = -2:20; x2 = [1:12, 11:-1:1];
[y,n] = sigadd(x1,n1,x2,n2)
Multiplication
function [y,n] = sigmult(x1,n1,x2,n2)
% implements y(n) = x1(n)*x2(n)
% [y,n] = sigmult(x1,n1,x2,n2)
% y = product sequence over n, which includes n1 and
n2.
% x1 = first sequence over n1
% x2 = second sequence over n2 (n2 can be different)
from n1)
n = min(min(n1), min(n2)): max(max(n1), max(n2)); %
duration of y(n)
y1 = zeros(1, length(n)); y2 = y1; %
y1(find((n)=min(n1))&(n<=max(n1))==1))=x1; % x1 with
duration of y
y2 (find((n>=min(n2)) & (n<=max(n2))==1))=x2; % x2 with
duration of y
y = y1 .* y2; % sequence multiplication
n1 = -2:20; x1 = [1:12, 11:-1:1];
n2 = -2:20; x2 = [1:12,11:-1:1];
```

[y,n] = sigmult(x1,n1,x2,n2)

# Sampling

```
T=0.1; t=0:0.05/200:T;
x = cos(200*pi*t);
subplot(2,2,1);
plot(t,x);
title('original input signal');
xlabel('time');
ylabel('ampliude');
s1=400;
tn1=0:(1/s1):T;
xn1=cos(200*pi*tn1);
subplot(2,2,2);
stem(tn1,xn1);
title('Sampled signal when fs>2fm');
xlabel('Time index');
ylabel('amplitude');
s2=200;
tn2=0:(1/s2):T;
xn2 = cos(200*pi*tn2);
subplot(2,2,3);
stem(tn2,xn2);
title('Sampled signal when fs=2fm');
xlabel('Time index');
ylabel('amplitude');
s3=50;
tn3=0:(1/s3):T;
xn3 = cos(200*pi*tn3);
subplot(2,2,4);
stem(tn3,xn3);
```

```
title('Sampled signal when fs<2fm');
xlabel('Time index');
ylabel('amplitude');
Shifting
function [y,n] = sigshift(x,m,k)
% implements y(n) = x(n-k)
% [y,n] = sigshift(x,m,k)
n = m+k; y = x;
n = -2:20; x = [1:12,11:-1:1];
[x11,n11] = sigshift(x,n,5);
[x12,n12] = sigshift(x,n,-4);
[x1,n1] = sigadd(2*x11,n11,-3*x12,n12);
stem(n1, x1);
 xlabel('n');
ylabel('x(n)');
OUTPUT:
```

# TIME-DOMAIN ANALYSIS OF SIGNALS (RADAR SIGNALS) & LTI SYSTEMS USING MATLAB

Ex. No: 3 DATE:

Aim:

To generate the following time domain signals using MATLAB

- 1. Linear convolution
- 2. Circular convolution
- 3. Comparison of Linear convolution and Circular convolution
- 4. Cross Correlation
- 5. Auto Correlation

**Equipments required: MATLAB software** 

# Program:

# **Linear convolution**

```
a=input('Enter the first sequence =');
b=input('Enter the second sequence=');
c=conv(a,b);
M=length(c)-1;
N=0:1:M;
disp('o/p sequence=')
disp(c);
subplot(3,1,1);
stem(a)
subplot(3,1,2);
stem(b)
subplot(3,1,3);
stem(N,c);
xlabel('time index n');
ylabel('Amplitude');
```

#### **Circular Convolution**

```
a=input('Enter the first sequence x(n) = ');
b=input('Enter the second sequence h(n)=');
n1=length(a);
n2=length(b);
N=max(n1,n2);
x=[a zeros(1,N-n1)];
for i=1:N
k=i;
for j=1:n2
H(i,j) = x(k) *b(j);
k=k-1;
if(k==0)
    k=N;
end
end
end
y=zeros(1,N);
m=H';
for j=1:N
    for i=1:n2
        y(j) = m(i,j) + y(j)
    end
end
 subplot(3,1,1);
stem(a)
subplot(3,1,2);
stem(b)
subplot(3,1,3);
```

```
stem(y);
xlabel('time index n');
ylabel('Amplitude');
```

# Comparison of linear and circular convolution

```
function [yc]=circonv(x,h,N);
Nx = length(x);
Nh=length(h);
x=[x, zeros(1, N-Nx)]
h=[h, zeros(1, N-Nh)]
m = [0:1:N-1];
M=mod(-m,N);
h=h(M+1);
for n=1:1:N
m=n-1;
p=0:1:N-1;
q=mod(p-m,N);
hm=h(q+1);
H(n, :) = hm;
end
yc=x*H';
```

```
clear all;
x=[1,1,1,2,1,1];
h=[1,1,2,1];
Nx=length(x);
```

```
Nh=length(h);
N=max(Nx,Nh);
yc=circonv(x,h,N);
y=conv(x,h);
n=0:1:Nx-1;
subplot(2,2,1)
stem(n,x);
xlabel('n'), ylabel('x(n)')
title ('Input Sequence')
n=0:1:Nh-1;
subplot(2,2,2)
stem(n,h);
xlabel('n'), ylabel('h(n)')
title ('Impulse Sequence')
n=0:1:N-1;
subplot(2,2,3)
stem(n,yc);
xlabel('n'), ylabel('yc(n)')
title ('Output Sequence (circular convolution)')
n=0:1:Nx+Nh-2;
subplot(2,2,4)
stem(n,y);
xlabel('n'), ylabel('y(n)')
title ('Output Sequence (Linear convolution)')
Cross correlation
x=input('Enter the first sequence=');
y=xcorr(x,x);
figure
```

```
subplot(2,1,1)
stem(x)
subplot(2,1,2)
stem(fliplr(y))

Auto correlation

x=input('Enter the first sequence=');
h=input('Enter the second sequence=');
y=xcorr(x,h);
figure
subplot(2,1,1)
stem(x)
subplot(2,1,2)
stem(fliplr(y))
OUTPUT:
```

# FREQUENCY-DOMAIN ANALYSIS OF SIGNALS AND LTI SYSTEMS

Ex. No: 4 DATE:

Aim:

To generate the following frequency domain signals using MATLAB

- 1. Discrete Fourier Transform
- 2. Inverse Discrete Fourier Transform

**Equipments required: MATLAB software** 

**Program:** 

Discrete time Fourier Transform

#### I method

```
x=input('Enter the sequence=');
h=input('Enter the length of FFT=');
y=fft(x,h)
subplot(3,1,1);
stem(x)
subplot(3,1,2);
stem(h)
subplot(3,1,3);
stem(y);
```

### II method

```
N=input('Enter the length of the sequence');
M=input('Enter the length of DFT=');
u=input('Enter the sequence');
U=fft(u,M);
t=0:1:N-1;
```

```
subplot(3,1,1);
stem(t,u);
title ('Original time domain sequence');
xlabel('Time index');
ylabel('Ampliude');
subplot(3,1,2);
k=0:1:M-1;
stem(k,abs(U))
title('Magnitude of the dft samples');
xlabel('Frequency index K');
ylabel('magnitude');
subplot(3,1,3);
stem(k, angle(U))
title('Phase of the dft3 samples');
xlabel('Frequency index k');
ylabel('Phase');
disp('Magnitude of DFT');
disp(abs(U));
disp('Phase of DFT');
disp(angle(U));
```

#### III method:

```
DFT
clc
clear all
x=input('Sequence for N pt dft=');
N=length(x)
```

```
X=zeros(N,1)
for k=0:N-1
    for n=0:N-1
        X(k+1) = X(k+1) + x(n+1) * exp(-j*pi*2*n*k/N)
    end
end
t=0:N-1;
subplot(3,1,1);
stem(t,x);
xlabel('Time(s)');
ylabel('Amplitude');
title('Time domain-input sequence');
subplot(3,1,2);
stem(t,X);
xlabel('Frequency');
ylabel('|X(k)|');
title('Frequency domain-Magnitude response');
subplot(3,1,3);
stem(t, angle(X));
xlabel('Frequency');
ylabel('Phase');
title('Frequency domain-Phase response');
Χ
angle(X)
```

#### **IDFT**

```
N=input('Enter the length of the sequence');
M=input('Enter the length of DFT=');
u=input('Enter the sequence');
U=ifft(u,M);
t=0:1:N-1;
subplot(3,1,1);
stem(t,u);
title('Original frequency domain sequence');
xlabel('Time index');
ylabel('Ampliude');
subplot(3,1,2);
k=0:1:M-1;
stem(k, abs(U))
title('Magnitude of the idft samples');
xlabel('Frequency index K');
ylabel('magnitude');
subplot(3,1,3);
stem(k, angle(U))
title('Phase of the idft samples');
xlabel('Frequency index k');
```

```
ylabel('Phase');
disp('Magnitude of IDFT');
disp(abs(U));
disp('Phase of IDFT');
disp(angle(U));
```

#### ECG SIGNAL ANALYSIS

Ex. No: 5

Aim:

To analyse the ECG signal from IIR filter using SP tool box.

- 1. Butterworth filter (LPF, HPF, BPF & BRF)
- 2. Chebychev (LPF, BPF, BRF)

**Equipments required: MATLAB software** 

**Program:** 

# **Butterworth Low pass filter**

```
clear all;
alphap=0.4
alphas=30;
fp=400;
fs=800;
F=2000;
omp=2*fp/F; oms=2*fs/F;
% To find the cutoff frequency and order of the
filter
[n,wn]=buttord(omp,oms,alphap,alphas)
% System function of the filter
[b,a] = butter(n,wn)
w=0:0.1:pi;
[h, om] = freqz(b, a, w, 'whole');
m=abs(h);
an=angle(h);
subplot(2,1,1), plot(om/pi,20*log(m)); grid;
ylabel('Gain in dB');
```

```
xlabel('Normalized frequency');
subplot(2,1,2), plot(om/pi,an);grid;
ylabel('Phase in Radians');
xlabel('Normalized frequency');
Butterworth Band pass filter
clear all;
alphap=2;
alphas=20;
wp = [0.2*pi, 0.4*pi];
ws=[0.1*pi, 0.5*pi];
% To find the cutoff frequency and order of the
filter
[n,wn]=buttord(wp/pi,ws/pi,alphap,alphas)
% System function of the filter
[b,a] = butter(n,wn)
w=0:0.01:pi;
[h,ph] = freqz(b,a,w);
m=20*log10(abs(h));
an=angle(h);
subplot(2,1,1), plot(ph/pi,m);grid;
ylabel('Gain in dB');
xlabel('Normalized frequency');
subplot(2,1,2), plot(ph/pi,an);grid;
ylabel('Phase in Radians');
xlabel('Normalized frequency');
```

# Butterworth high pass filter

```
clear all;
```

```
alphap=0.4
alphas=30;
fp=400;
fs=800;
F=2000;
omp=2*fp/F; oms=2*fs/F;
% To find the cutoff frequency and order of the
filter
[n,wn] = buttord (omp, oms, alphap, alphas)
% System function of the filter
[b, a] = butter(n, wn, 'HIGH')
w=0:0.1:pi;
[h,om] = freqz(b,a,w);
m=20*log(abs(h));
an=angle(h);
subplot(2,1,1), plot(om/pi,m);grid;
ylabel('Gain in dB');
xlabel('Normalized frequency');
subplot(2,1,2), plot(om/pi,an); grid;
ylabel('Phase in Radians');
xlabel('Normalized frequency');
```

# **Butterworth Band reject filter**

```
clear all;
alphap=2;
alphas=20;
ws=[0.2*pi,0.4*pi];
wp=[0.1*pi,0.5*pi];
```

```
% To find the cutoff frequency and order of the
filter
[n,wn]=buttord(wp/pi,ws/pi,alphap,alphas)
% System function of the filter
[b,a]=butter(n,wn)
w=0:0.01:pi;
[h,ph]=freqz(b,a,w);
m=20*log10(abs(h));
an=angle(h);
subplot(2,1,1), plot(ph/pi,m);grid;
ylabel('Gain in dB');
xlabel('Normalized frequency');
subplot(2,1,2), plot(ph/pi,an);grid;
ylabel('Phase in Radians');
xlabel('Normalized frequency');
```

# Chebyshev Low pass filter

```
clear all;
alphap=1;
alphas=15;
ws=0.2*pi;
wp=0.3*pi;
% To find the cutoff frequency and order of the
filter
[n,wn]=cheblord(wp/pi,ws/pi,alphap,alphas)
% System function of the filter
[b,a]=chebyl(n,alphap,wn)
w=0:0.01:pi;
[h,ph]=freqz(b,a,w);
```

```
m=20*log10(abs(h));
an=angle(h);
subplot(2,1,1), plot(ph/pi,m);grid;
ylabel('Gain in dB');
xlabel('Normalized frequency');
subplot(2,1,2), plot(ph/pi,an);grid;
ylabel('Phase in Radians');
xlabel('Normalized frequency');
```

# Chebyshev Band pass filter

```
clear all;
alphap=1;
alphas=20;
ws=[0.2*pi,0.4*pi];
wp = [0.1*pi, 0.5*pi];
% To find the cutoff frequency and order of the
filter
[n,wn]=buttord(wp/pi,ws/pi,alphap,alphas)
% System function of the filter
[b,a]=cheby1(n,alphap,wn)
w=0:0.01:pi;
[h,ph] = freqz(b,a,w);
m=20*log10(abs(h));
an=angle(h);
subplot(2,1,1), plot(ph/pi,m); grid;
ylabel('Gain in dB');
xlabel('Normalized frequency');
subplot(2,1,2), plot(ph/pi,an);grid;
ylabel('Phase in Radians');
```

```
xlabel('Normalized frequency');
```

# Chebyshev Band reject filter

```
clear all;
alphap=2;
alphas=20;
ws=[0.2*pi,0.4*pi];
wp = [0.1*pi, 0.5*pi];
% To find the cutoff frequency and order of the
filter
[n,wn]=cheb2ord(wp/pi,ws/pi,alphap,alphas)
% System function of the filter
[b, a] = cheby2 (n, alphas, wn, 'stop')
w=0:0.01:pi;
[h,ph] = freqz(b,a,w);
m=20*log10(abs(h));
an=angle(h);
subplot(2,1,1), plot(ph/pi,m); grid;
ylabel('Gain in dB');
xlabel('Normalized frequency');
subplot(2,1,2), plot(ph/pi,an);grid;
ylabel('Phase in Radians');
xlabel('Normalized frequency');
```

**OUTPUT:** 

# SPEECH SIGNAL ANALYSIS USING SP TOOL BOX AND FDA TOOL BOX IN MATLAB

Ex. No: 6 DATE:

#### Aim:

To analyse the speech signal from FIR filter using SP tool box in MATLAB.

- 1. FIR Low pass Rectangular and Hamming
- 2. FIR High pass –Rectangular and Blackman
- 3. FIR Band pass Rectangular and hamming
- 4. FIR Band reject- Rectangular and Hamming
- 5. FIR Kaiser Low pass filter

# **Equipments required: MATLAB software**

# Program:

# FIR Low pass – Rectangular and Hamming

```
clear all
wc = 0.5*pi;
N=25;
alpha=(N-1)/2
eps=0.001;
n=0:1:N-1;
hd=sin(wc*(n-alpha+eps))./(pi*(n-alpha+eps));
wr=boxcar(N);
hn=hd.*wr';
w=0:0.01:pi;
h=freqz(hn,1,w);
plot(w/pi,abs(h));
hold on
wh=hamming(N);
hn=hd.*wh';
w=0:0.01:pi;
```

```
h=freqz(hn,1,w);
plot(w/pi,abs(h),'-.'); grid;
xlabel('Normalized Frequency\omega\pi');
ylabel('Magnitud'); hold off
```

# FIR High pass -Rectangular and Blackman

```
clear all
wc = 0.5*pi;
N=25;
alpha=(N-1)/2
eps=0.001;
n=0:1:N-1;
hd=sin(pi*(n-alpha+eps))-sin(wc*(n-
alpha+eps))./(pi*(n-alpha+eps));
wr=boxcar(N);
hn=hd.*wr';
w=0:0.01:pi;
h=freqz(hn,1,w);
plot(w/pi,abs(h));
hold on
wb=blackman(N);
hn=hd.*wb';
w=0:0.01:pi;
h=freqz(hn,1,w);
plot(w/pi,abs(h),'-.'); grid;
xlabel('Normalized Frequency\omega\pi');
ylabel('Magnitud'); hold off
```

# FIR Band pass Rectangular and hamming

```
clear all
wc1=0.25*pi;wc2=0.75*pi;
N=25;
alpha=(N-1)/2
eps=0.001;
n=0:1:N-1;
hd=sin(wc2*(n-alpha+eps))-sin(wc1*(n-
alpha+eps))./(pi*(n-alpha+eps));
wr=boxcar(N);
hn=hd.*wr';
w=0:0.01:pi;
h=freqz(hn,1,w);
plot(w/pi,abs(h));
hold on
wh=hamming(N);
hn=hd.*wh';
w=0:0.01:pi;
h=freqz(hn,1,w);
plot(w/pi,abs(h),'-.'); grid;
xlabel('Normalized Frequency\omega\pi');
ylabel('Magnitud'); hold off
```

# FIR Band reject- Rectangular and Hamming

```
clear all
wc1=0.25*pi;wc2=0.75*pi;
N=25;
alpha=(N-1)/2
```

```
eps=0.001;
n=0:1:N-1;
hd=sin(wc1*(n-alpha+eps))-sin(wc2*(n-
alpha+eps))+sin(pi*(n-alpha+eps))./(pi*(n-
alpha+eps));
wr=boxcar(N);
hn=hd.*wr';
w=0:0.01:pi;
h=freqz(hn,1,w);
plot(w/pi,abs(h));
hold on
wh=hamming(N);
hn=hd.*wh';
w=0:0.01:pi;
h=freqz(hn,1,w);
plot(w/pi,abs(h),'-.'); grid;
xlabel('Normalized Frequency\omega\pi');
ylabel('Magnitud'); hold off
FIR Kaiser – Low pass filter
clear all;
wc = 0.5*pi;
N=25;
b=fir1(N,wc/pi, kaiser(N+1, 0.5));
w=0:0.01:pi;
h=freqz(b,1,w);
plot(w/pi,20*log10(abs(h)));
hold on
b=fir1(N,wc/pi, kaiser(N+1, 3.5));
```

```
w=0:0.01:pi;
h=freqz(b,1,w);
plot(w/pi,20*log10(abs(h)));
hold on
b=fir1(N,wc/pi, kaiser(N+1, 8.5));
w=0:0.01:pi;
h=freqz(b,1,w);
plot(w/pi,20*log10(abs(h)));
xlabel('Normalized Frequency\omega\pi');
ylabel('Magnitude in dB'); hold off
```

OUTPUT: