

Semiconductor Fundamentals

*Presented to
EE2187 class in
Semester 1 (Segment 12) 2019/20*

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Lecture 2

Course information

- ❖ Semiconductors Materials - Types of Solids, Space lattice, Atomic Bonding,
- ❖ Introduction to quantum theory, Schrodinger wave equation, Electron in free space, Infinite well, and step potentials, Allowed and forbidden bands
- ❖ Electrical conduction in solids, Density of states functions, Fermi-Dirac distribution in Equilibrium,
- ❖ Valence band and Energy band models of intrinsic and extrinsic Semiconductors. Degenerate and non degenerate doping
- ❖ Thermal equilibrium carrier concentration, charge neutrality
- ❖ Carrier transport – Mobility, drift, diffusion, Continuity equation.

Reference

Text Book:

1. Physics of Semiconductor Devices, *S. M. Sze*, John Wiley & Sons (1981).
2. Solid State Electronics by *Ben G. Streetman and Sanjay Banerjee*, Prentice Hall International, Inc.
3. Semiconductor Physics and Devices, Donald A. Neamen, Tata Mcgraw-Hill Publishing company Limited.
4. Advanced Semiconductor Fundamentals by Pirret

Reference Book:

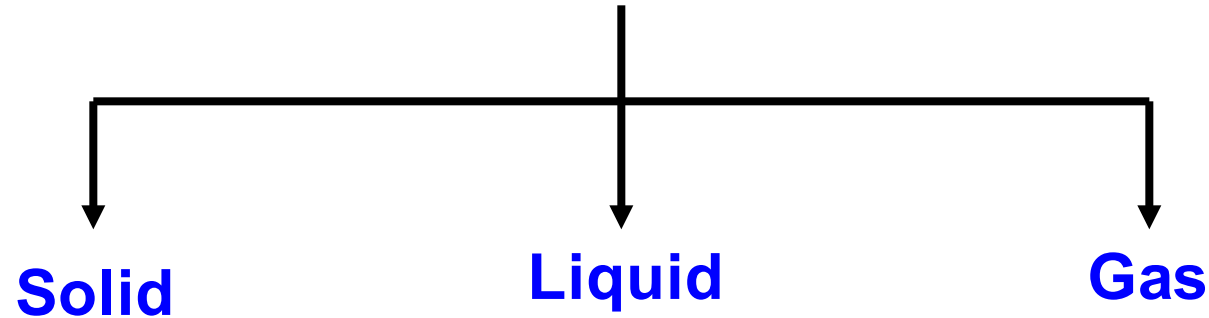
1. Fundamentals of Solid-State Electronic Devices, *C. T. Sah*, Allied Publisher and World Scientific, 1991.
2. Complete Guide to Semiconductor Devices, *K. K. Ng*, McGraw Hill, 1995.
3. Solid state physics, Ashcroft & Mermins.
4. Introduction to Solid State Electronics, *E. F. Y. Waug*, North Holland, 1980.

Outline

- Material classification
- Crystal
- Bravais lattice
- Miller Indices
- Conclusion



Material Classification



Classical Criteria: Viscosity (Density, Atomic Diffusivity, Mechanical Strength).

Advance Criteria: Aperiodicity or randomness of the location of the constituent atom or molecule

Measured by **correlation length** (Distance within which atomic position show regularity).

Solid: Long/short range order (spatial) but fixed with time

Long range order (**Crystalline, Orientation and position**), Short range order (**Plastic, positional orders but orientation disorder**) and very short range order (**Amorphous, both orientation as well locational**)

Liquid: Short range ordering both Space and Time

Gas: Completely Random both Space and Time



Classification Scheme of Solids

Geometrical

(Crystallinity vs Imperfection)

Electrical

(Electrical Conductivity)

Mechanical

(Binding Force)



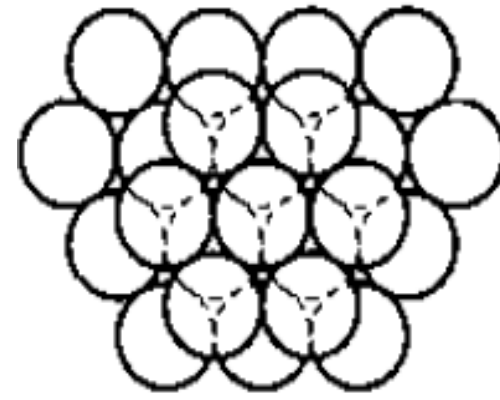
Symmetry

Which object shows highest level of Symmetry?

- Johannes Kepler (1611) speculated on the question as to **why snowflakes always have six corners, never five or seven.**



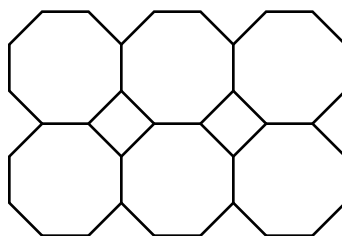
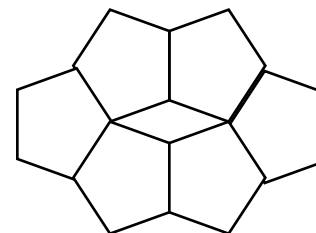
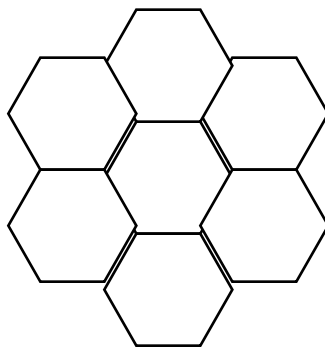
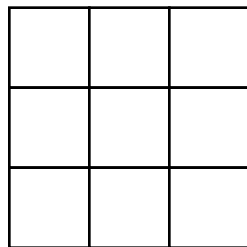
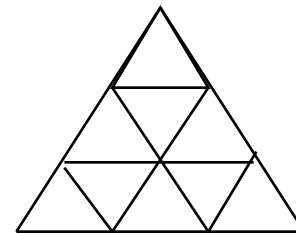
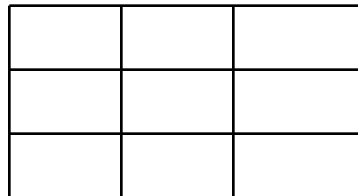
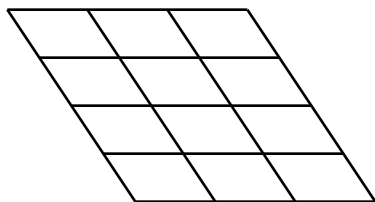
Snowflake crystal,



close-packing of spheres



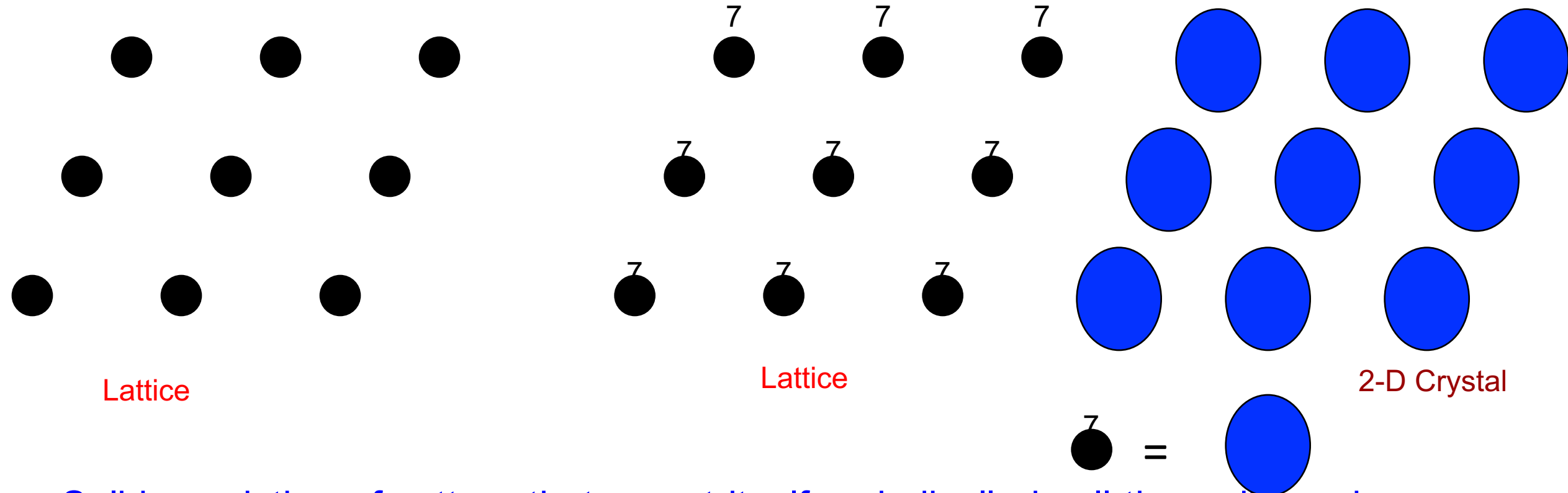
Cont.



What is crystal and their structure?

Crystal = Lattice + Pattern

Lattice: Mathematical object which consist of periodic arrangement of point in all direction of space.

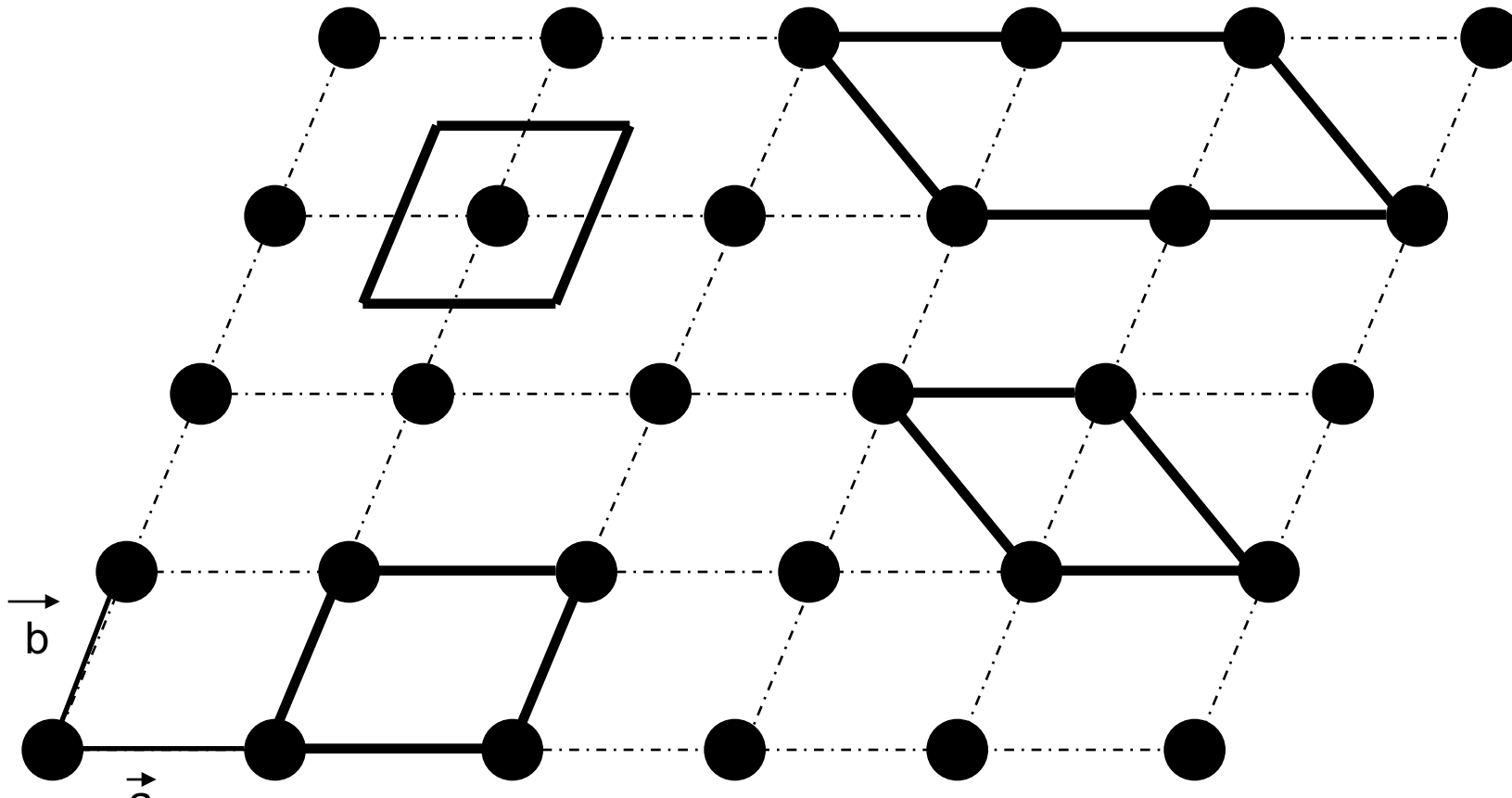


Solid consisting of pattern that repeat itself periodically in all three dimension.

Crystal Structure

Unit Cell: Small portion of any crystal that can be used to reproduce the entire crystal

Primitive Unit Cell: Unit Cell with smallest volume



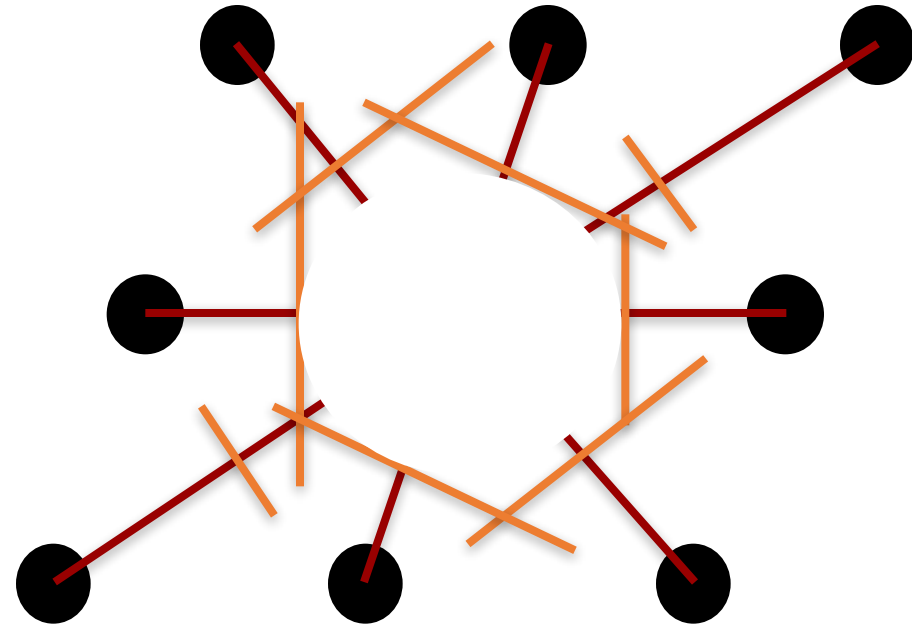
Wigner-Seitz Primitive Cell

Choose a reference atom

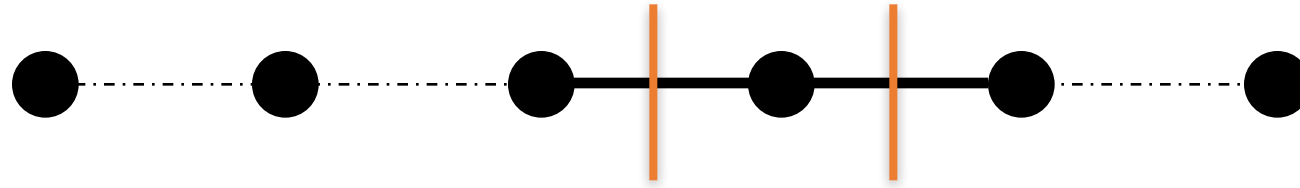
**Connect to all its neighbors
by straight lines**

**Draw lines (in 2D) or planes
(in 3D) normal to and at the
midpoints of lines drawn in
step 2**

**Smallest volume enclosed is
the Wigner-Seitz primitive cell**

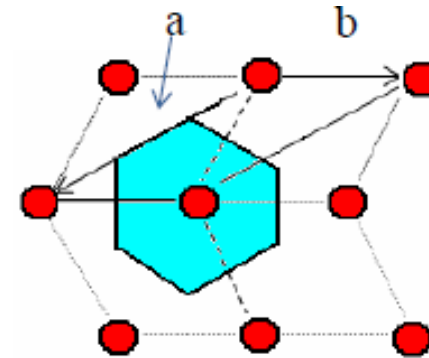
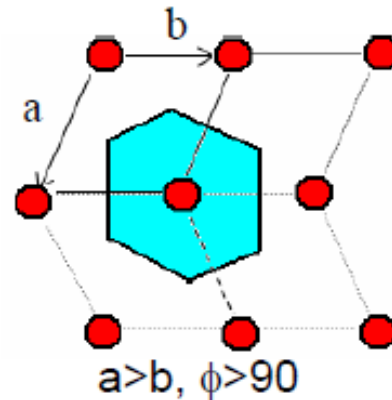
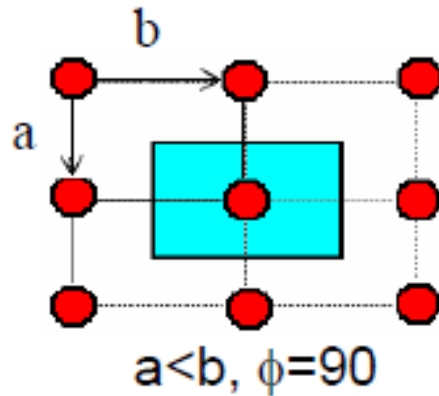
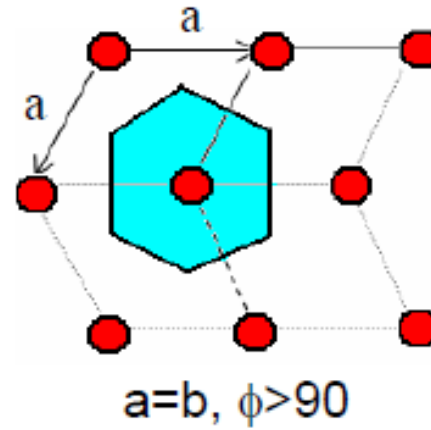
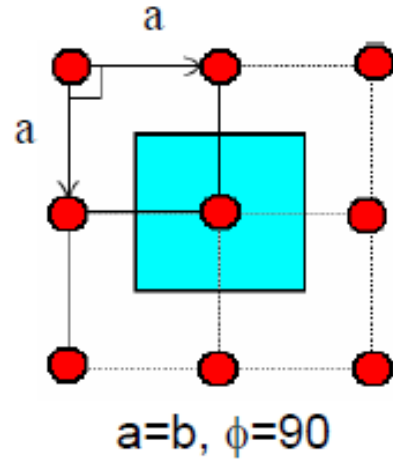


Unit Cells in 1-D Crystals

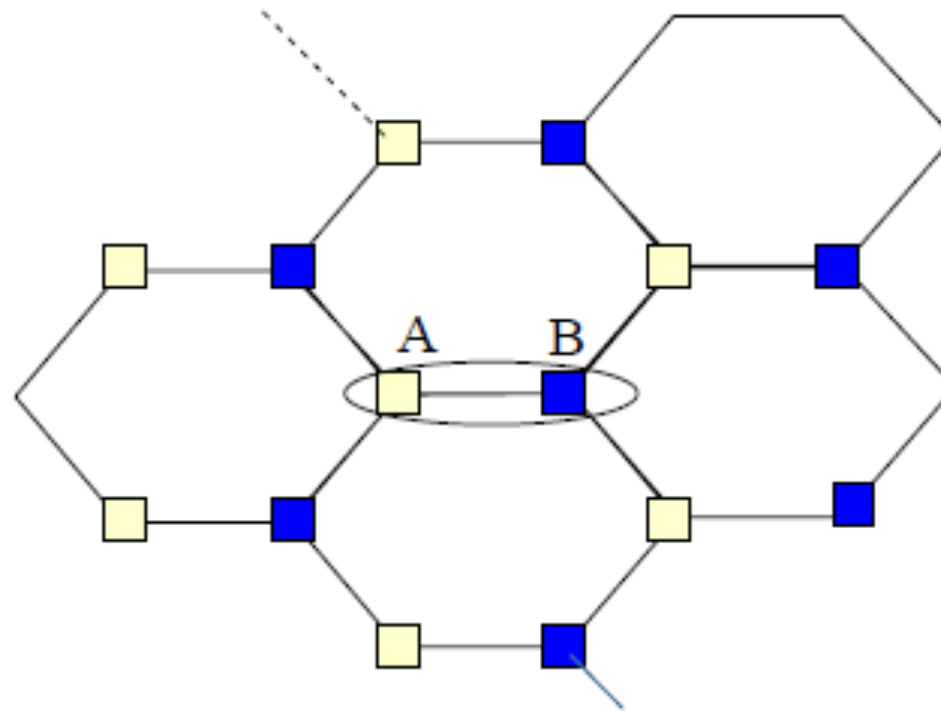


System truly 1-D?

Unit Cells in 2-D Crystals

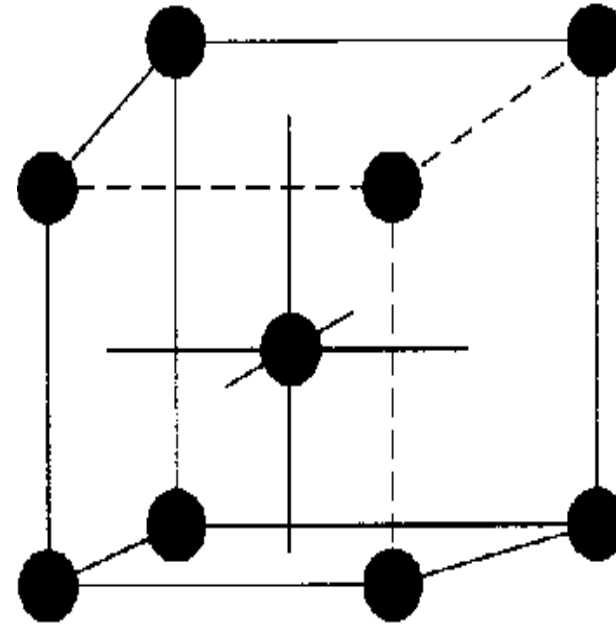
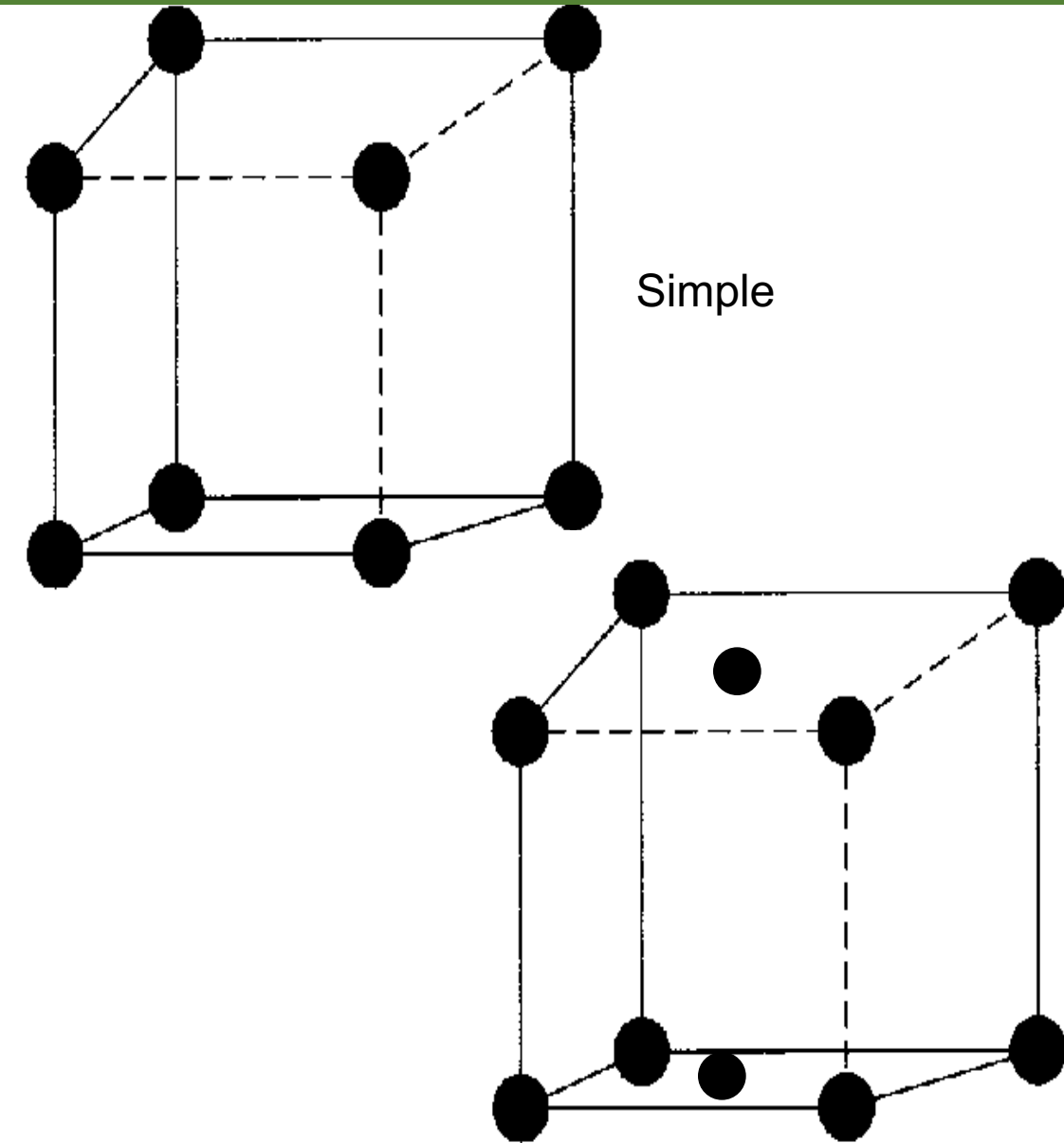


Example



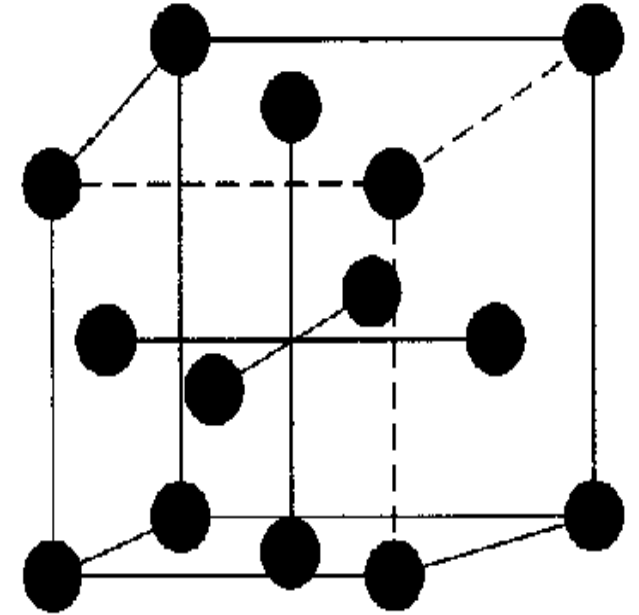
Graphene

3-D Unit Cell



Body center

C-center



Face center



Symmetry properties used for classification of Crystal system

- 1) n-fold rotational Symmetry
- 2) Plane of symmetry (mirror image)
- 3) Inversion center symmetry
- 4) Rotational –inversion symmetry



Crystal System

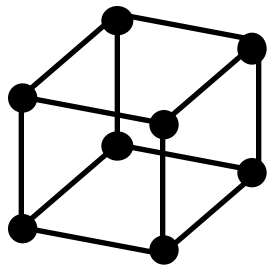
All possible lattices can be grouped in the seven crystal systems

Cubic	$a=b=c, \alpha=\beta=\gamma=90^\circ$
Tetragonal	$a=b \neq c, \alpha=\beta=\gamma=90^\circ$
Orthorhombic	$a \neq b \neq c, \alpha=\beta=\gamma=90^\circ$
Trigonal	$a=b=c, \alpha=\beta=\gamma \neq 90^\circ$
Hexagonal	$a=b \neq c, \alpha=\beta=90^\circ, \gamma=120^\circ$
Monoclinic	$a \neq b \neq c, \alpha=\beta=\gamma \neq 90^\circ$
Triclinic	$a \neq b \neq c, \alpha \neq \beta \neq \gamma \neq 90^\circ$

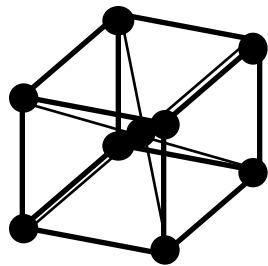
Note: No crystal have a structure other than one of those in the seven classes



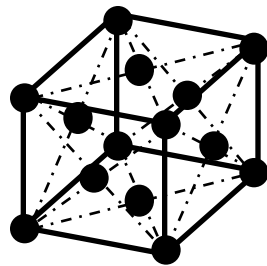
Bravais Lattice



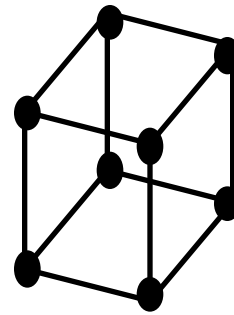
Simple cubic



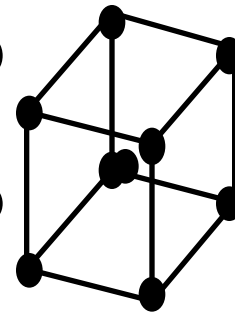
Body centered
cubic



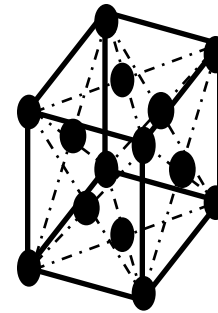
Face centered
cubic



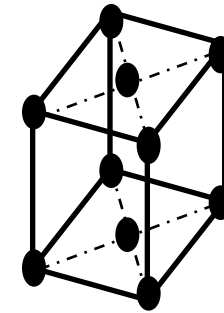
Simple
orthorhombic



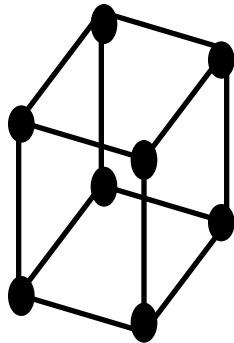
Body centered
orthorhombic



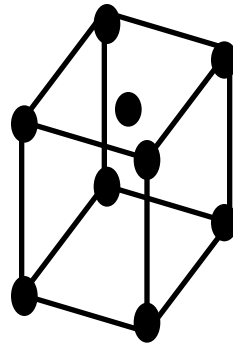
Face centered
orthorhombic



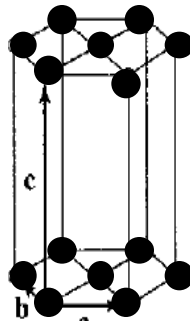
Base-centered
orthorhombic



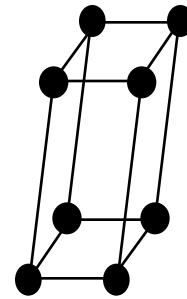
Simple
tetragonal



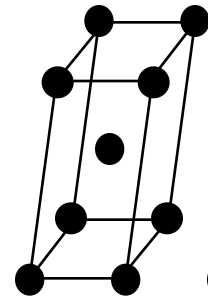
Body centered
tetragonal



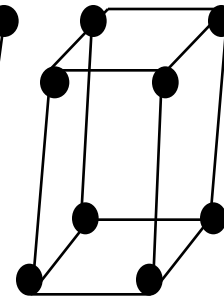
Hexagonal



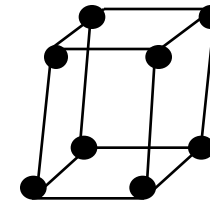
Simple
monoclinic



Base centered
monoclinic



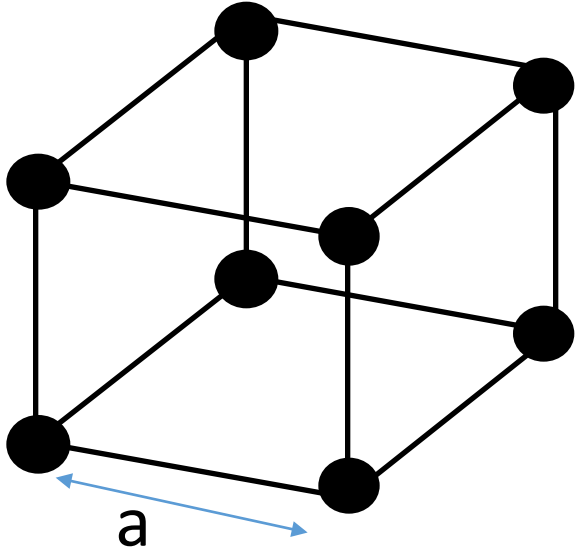
Triclinic



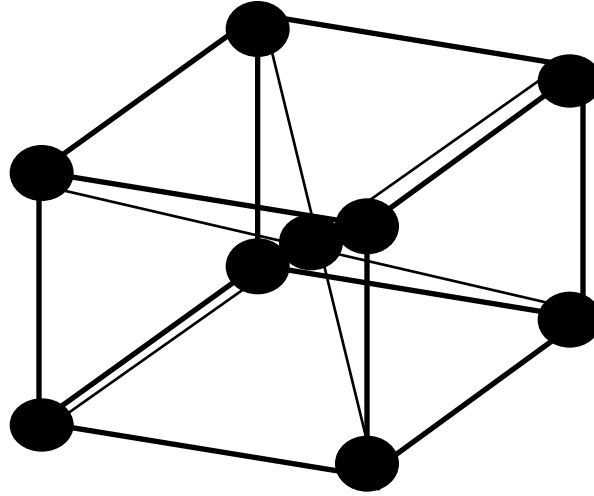
Trigonal

No crystal have a lattice other than one of those 14 Bravais lattices

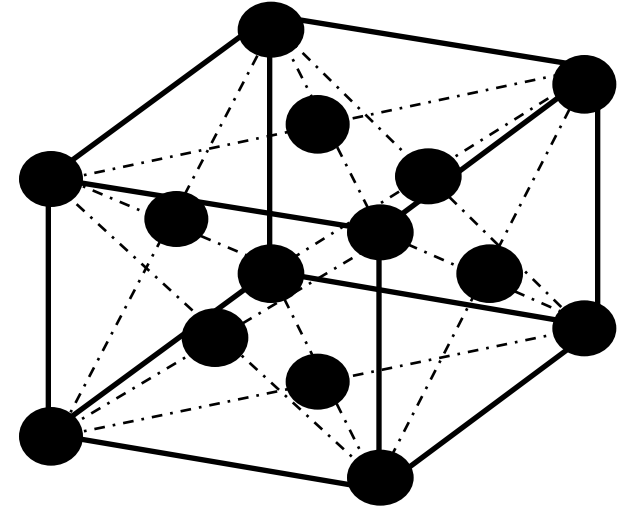
Cubic Lattice



**Simple
cubic**



**Body centered
cubic**



**Face centered
cubic**

Determine Lattice Point per cell

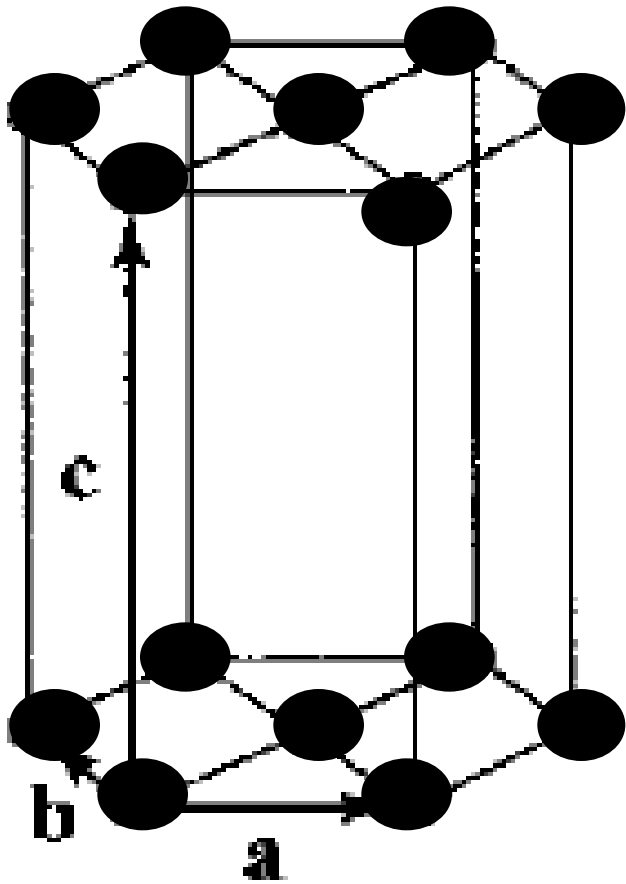
Determine Number density

Packing density = $\frac{\text{Volume filled}}{\text{total volume}}$

Determine Areal density

Hexagonal Lattice

Determine Point per cell



Hexagonal

