





deeplearning.ai

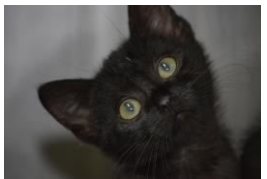
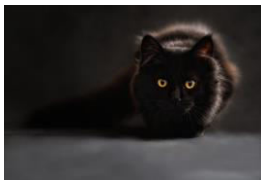
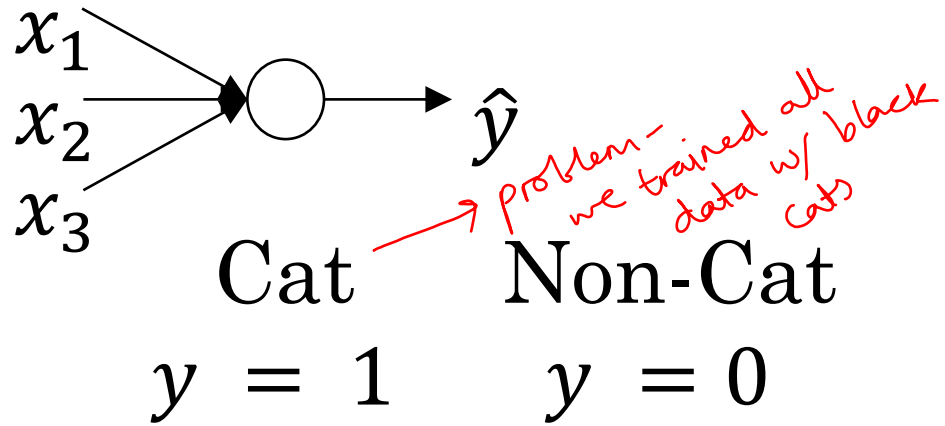
# Batch Normalization

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## Why does Batch Norm work?

We said, it is good practice to normalize hidden units as well as i/p layer, this will keep all values in the same Range & make optimization faster  v/s 

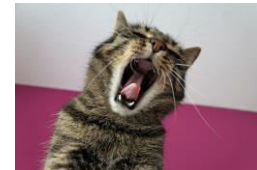
# Learning on shifting input distribution



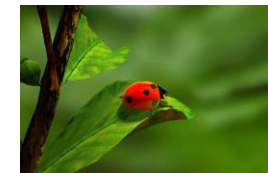
This phenomena of data distribution changing from train to test is called "Covariance Shift"

Testing w/ colored cats.

$y = 1$

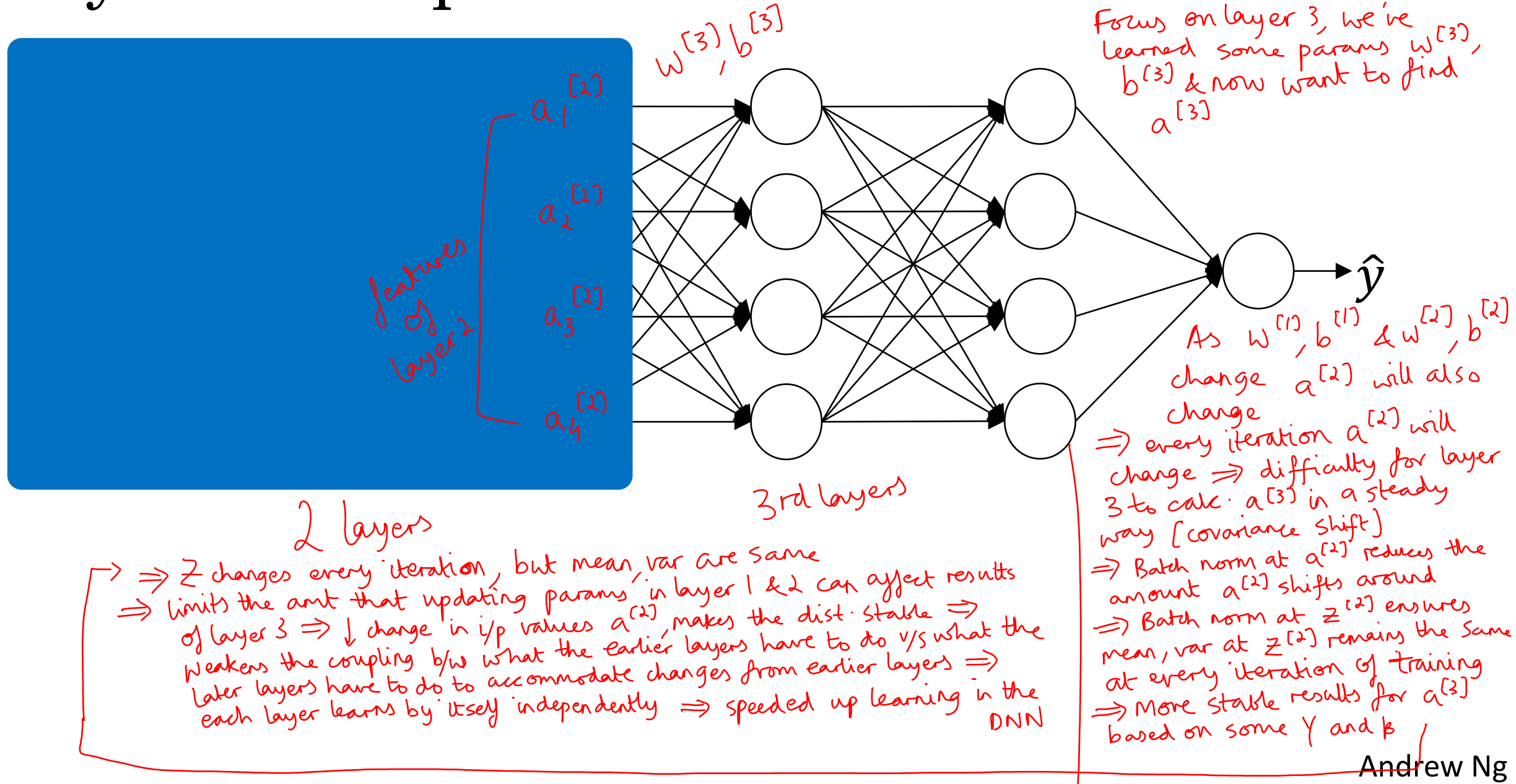


$y = 0$



Why is this Imp?  
How does this apply to DNN or hidden unit normalization?

# Why this is a problem with neural networks?



# Batch Norm as regularization

(Generally, not used as a Regularizer, use dropout, if need to Regularize)

- Each mini-batch is scaled by the mean/variance computed on just that mini-batch.   
 $x^{(t)}$ , Say Size = 64, 128, 256   
 Because we use 64, 128 samples to find  $z^{[l]}$ , the estimate is noisy  $\Rightarrow z^{[l]}$  is noisy  $\Rightarrow \tilde{z}^{[l]}$  is noisy   
 to compute  $z^{[l]} \{t\}$
- This adds some noise to the values  $z^{[l]}$  within that minibatch. So similar to dropout, it adds some noise to each hidden layer's activations.   
 dropout picks some nodes & drops others  $\Rightarrow$  minibatch is doing the same, picking all nodes for a few samples (64/128) at a time.
- This has a slight regularization effect.

↑ size of mini Batch, ↓ Regularization effect caused by Batch norm  
 (Read Red part 1st to see why)

- ↳ similar to dropout
- Dropout's job = Add Regularization
  - This is doing something similar
  - Tells later layers, not to rely on earlier layers as it may be noisy signals

- Dropout Adds multiplicative noise  
 You multiply node w/ 0 or 1 w/ prob "p"
- Batch normalization Adds "Additive" & multiplicative noise  

$$\tilde{z}^{[l]} = \gamma \underbrace{z_{\text{norm}}^{[l]}}_{= \frac{z^{[l]} - \mu}{\sigma^2}} + \beta^{[l]}$$

Additive because you Add  $-\mu$

Multiplicative  $\rightarrow$  multiply by  $\frac{1}{\sigma^2}$