



deeplearning.ai

Face recognition

Triplet loss

*This is the loss func. on which we apply SGD
for facial recognition*

Learning Objective

Triplet comes from the fact that you have 3 terms (Anchor, positive, Negative)



Anchor (A)

Positive (P)



Anchor (A)

Negative (N)

- To Apply triplet loss, you need to compare pairs of Images
- We compare 2 pairs (A,P), (A,N)
- where we want the encodings of A,P to be similar so that $\|f(A) - f(P)\|^2$ is small & we want encodings of A,N to be diff so that $\|f(A) - f(N)\|^2$ are large

$$\Rightarrow \|f(A) - f(P)\|^2 \leq \|f(A) - f(N)\|^2 \quad (\text{or } d(A,P) \leq d(A,N))$$

$\Rightarrow d(A,P) - d(A,N) \leq 0 \rightarrow$ one way to do this is make $f(A) = f(P) = f(N) = \text{constant}$ (but we don't want the encoding to always output a constant)

\therefore to make sure that we have some gap b/w $d(A,P)$ & $d(A,N)$
 we do $d(A,P) - d(A,N) \leq 0 - \alpha$ or $[d(A,P) - d(A,N) + \alpha \leq 0]$

$\alpha = \text{Margin}$

Loss function

Given 3 Images (A, P, N) \rightarrow P = Image of same person
N = Image of diff person

$$L(A, P, N) = \max \left(\|f(A) - f(P)\|^2 - \|f(A) - f(N)\|^2 + \alpha, 0 \right)$$

$$J = \sum_{i=1}^M L(A^{(i)}, P^{(i)}, N^{(i)})$$

Then generate M rows of 3 Images
each (A, P, N) & train NN on each
of these triplets.

Training set: 10k pictures of 1k persons

Need
to have
duplicate
pictures so
you get (A, P)

Choosing the triplets A,P,N (A,P = same person) A,N = diff persons

During training, if A,P,N are chosen randomly,
 $d(A,P) + \alpha \leq d(A,N)$ is easily satisfied.

If you choose at Random, chances that A,N are very diff is very probable

Choose triplets that're "hard" to train on.

choose triplets where

$$d(A,P) \approx d(A,N)$$

- If you choose Randomly, then
a lot of triplets will be automatically satisfied
w/o much change in params \Rightarrow gradient descent wouldn't
do much learning! "the real learning happens when things are
hard to decipher"

Training set using triplet loss

Anchor



⋮



Positive



⋮



Negative



⋮

