Todays content

- 1) Pair Sum = k
- 2) Distinct elements in every window of size = k

OI) Given N array elements, Check if there exists a bair (i,j) such that ar [i] + ar [j] = K && i!=j

Morgan Stanley, GS

OI 2 3 4 5 6 7 8 9

Eg: 8 9 1 - 2 4 5 11 - 6 7 5

K=11 i=4 j=8

Brute force: 2 nested looks

K=6 i 3 i=5

TC: O(12) SC: O(1)

K=11 i=4 j=8 Brute force: 2 nested looks K=6 i=2 j=5 Tc: $O(n^2)$ Sc: O(1)K=22 i=6 j=6 × no such pair

 $a+b=K \implies b=K-a$ K=11 a=5 b=6

a | b (k-a) | K = 11 8 | 3 9 | 2 10 13 7

Allows me to check if 6 exists of not.

0 1 2 3 4 5 6 7 8 9 8 9 1 -2 4 5 11 -6 7 5

K=22

HS= 28,9,1,-2,4,5,11,-6,74

α	blk-as	
8	14	
\mathcal{G}	13	K=22
/	21	
-2	24	
4	18	
5	17	
11	1 1	a = 5

Learning: We need frequency of each elem

K=22

Itelen false

Pseudo Code

1) Create the frequency him. for (i=0; i<n; i++) « $\alpha = allidebreak - a$ if (a = = 6) « if (hm. get (a) > 1 return true. else d if Chm. containskey (b) J return true.

return false TC: O(n)

SC: Oln)

atb=R

TODO: 1)
$$a-b=k$$
 $b=a-k$
2) $a+b=k$ check if it exists.
No of such pairs.

Calc the number of distinct elements in each subalray of sijck.

Adobe

Eg: ar (10)= 2 4 3 8 3 9 4 9 4 10 K=4 R<n 0,3 2 4 38 2 4 3 8 34 4383 4 38 1, 4 ⇒3 2,5 3839 938 ⇒3 3,6 948 34 8394 4,2 Idea: Haghset 5,8 6,9 # Savioul: Hashmap Idea: Optimise using hashnop (2,1) < 4,1) < 3,1) < 8,1) 0:3

ingert => freq ++
hemore => freq --

if freq = 0 remove the entry <1,45 insert $a[1] \Rightarrow 3 < 4,17 < 3,2)$ s e remone $a[0] \Rightarrow 2 < 8,17$

(2,5) inset a(5) = 9 (9,17) (3,2)5 e remove a(1) = 9 (8,1)

<3,67 insert $a[6] \Rightarrow 4 < 9,17 < 3,1>$ se remove $a[2] \Rightarrow 3 < 4,17 < 8,1>$ Code

```
O, R-1
hathmap (int) him
                           1, B
for Li=D ; i<k; i++) &
  hm [a[i]] ++
print (hm. size ())
s= 1 e= k
while Lekn) &
 hm [ ar [s-1]] --
  4 ( hm[als-1]] = = 0
     hm. semone ( as (s-1))
 hm [ale]] ++
 print (hm. size ())
 Stf
C++
   TC: O(n)
                   SC: O(R)
```

& done y





_			