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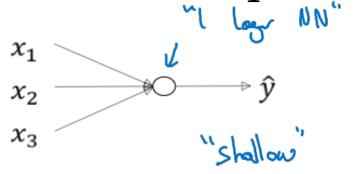
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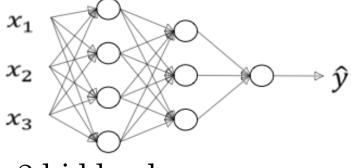
Deep Neural Networks

Deep L-layer Neural network

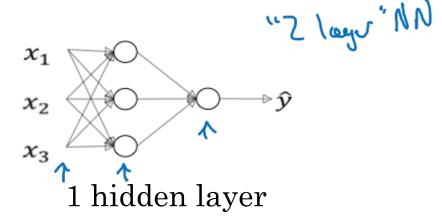
What is a deep neural network?

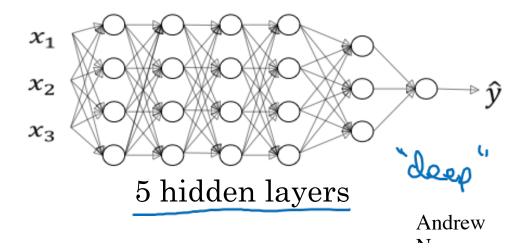


logistic regression



2 hidden layers





Deep neural network notation 4 later NN x_2 × =0[0] [= 4 (#layers) N = 5 N 157 = 5 N [2] = 3 N [4] = N[1] = 1 n(1) = #unts in layer & $a^{(e)} = autinotions$ in legal $a^{(e)} = a_x = 3$ $a^{(e)} = autinotions$ in legal $a^{(e)} = a_x = 3$ $a^{(e)} = autinotions$ in legal $a^{(e)} = a_x = 3$ $a^{(e)} = autinotions$ in legal $a^{(e)} = a_x = 3$

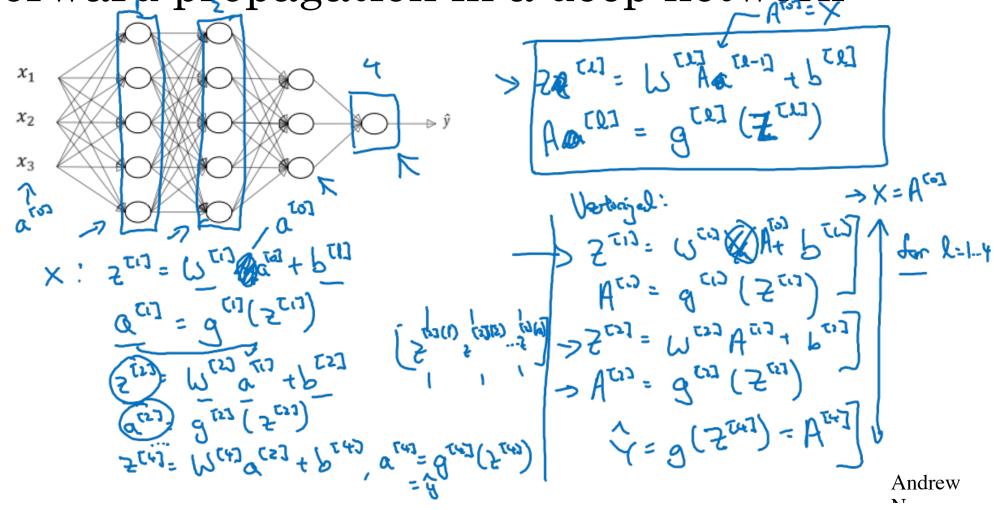
Andrew



Deep Neural Networks

Forward Propagation in a Deep Network

Forward propagation in a deep network

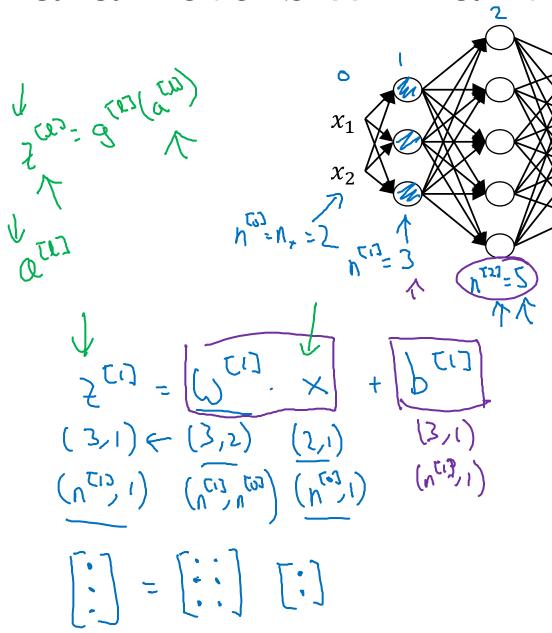




Deep Neural Networks

Getting your matrix dimensions right

Parameters $W^{[l]}$ and $b^{[l]}$



= SDIMENSIONS. These will remain same

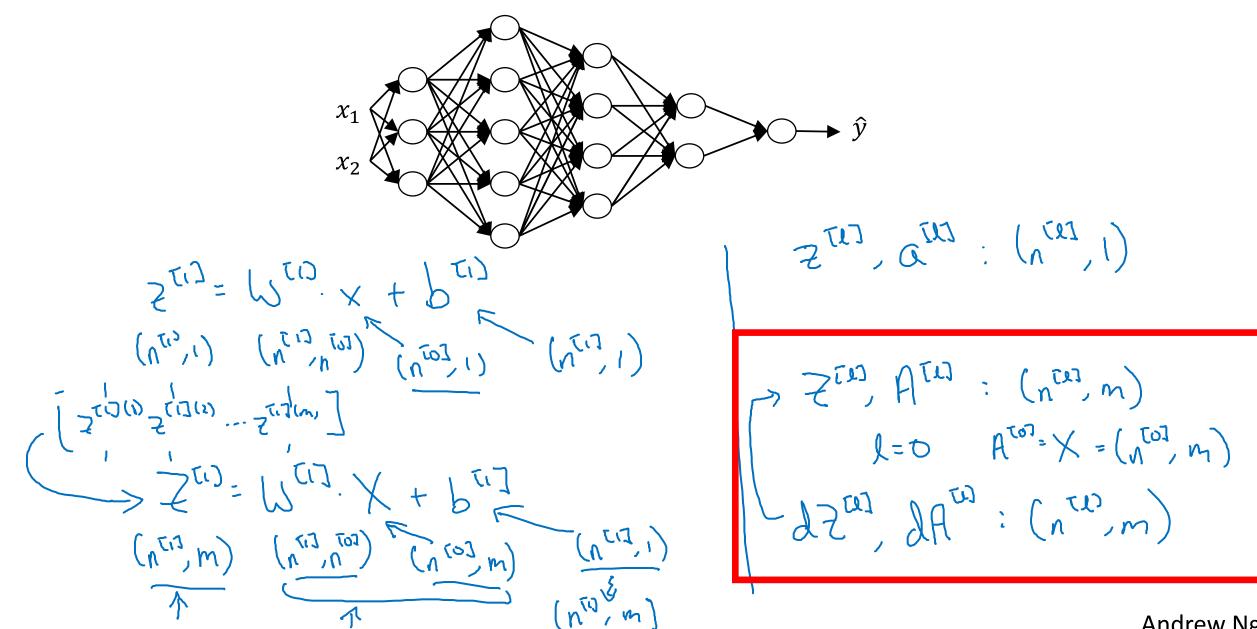
$$\omega^{(2)}: (S,3) (n^{(2)}, n^{(3)})$$

$$\xi^{(2)} = [\omega^{(2)}, \alpha^{(1)}] + [b^{(2)}]$$

$$\xi^{(3)} = [(S,1), (S,1), (S,$$

15 [1 TO]

Vectorized implementation

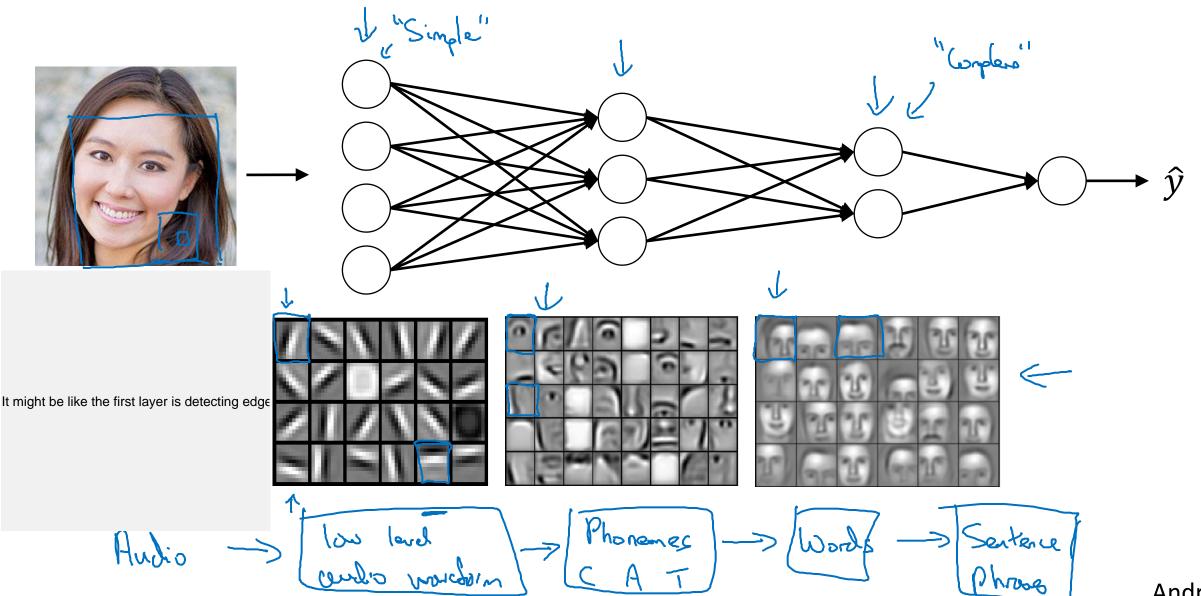




Deep Neural Networks

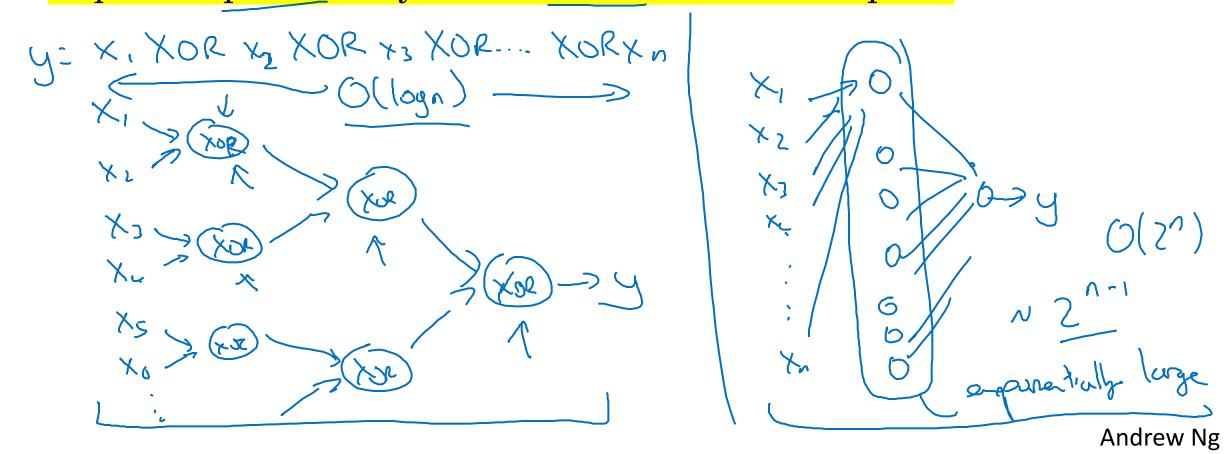
Why deep representations?

Intuition about deep representation



Circuit theory and deep learning

Informally: There are functions you can compute with a "small" L-layer deep neural network that shallower networks require exponentially more hidden units to compute.



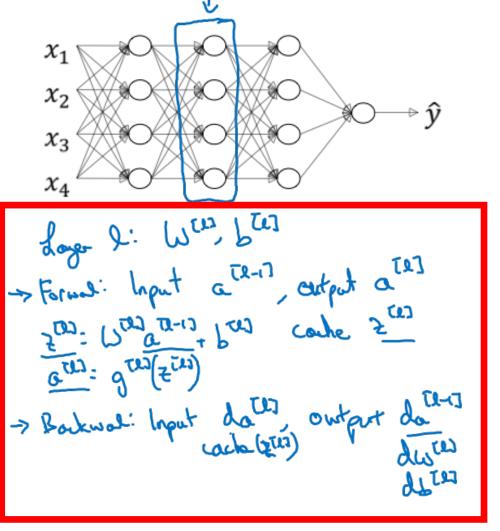


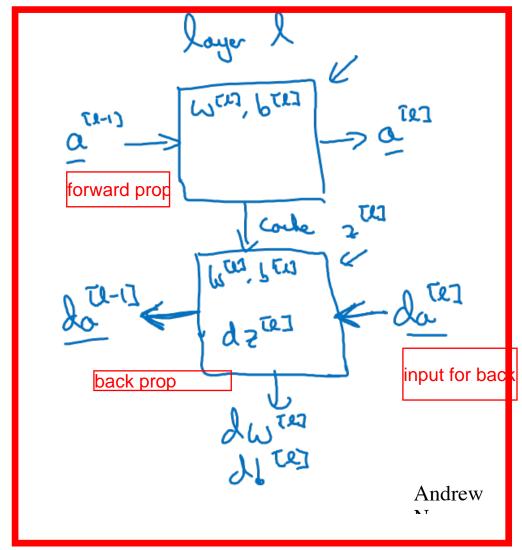
Deep Neural Networks

Building blocks of deep neural networks

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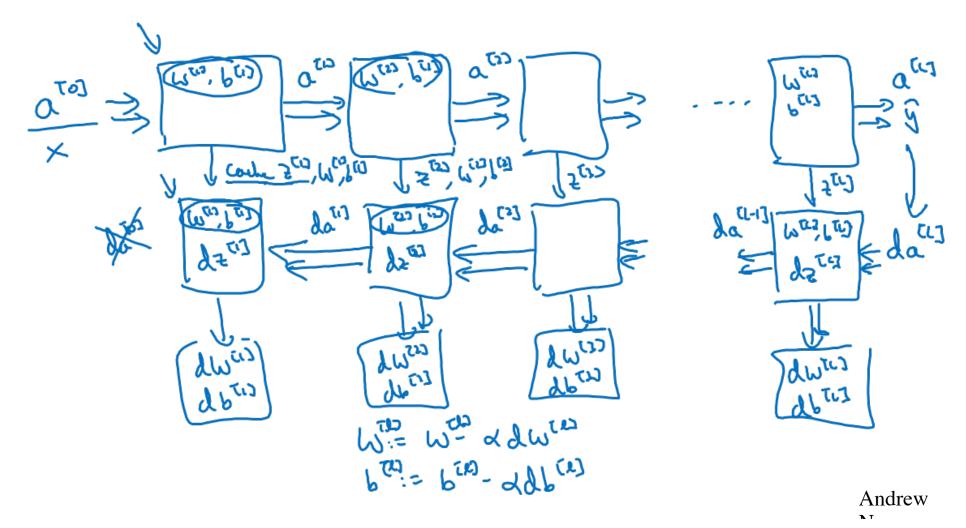
Forward and backward functions





During forward propogation step we will also cache the Z value for later use in backprop step. We will also cache the W and t

Forward and backward functions





Deep Neural Networks

Forward and backward propagation

Backward propagation for layer l

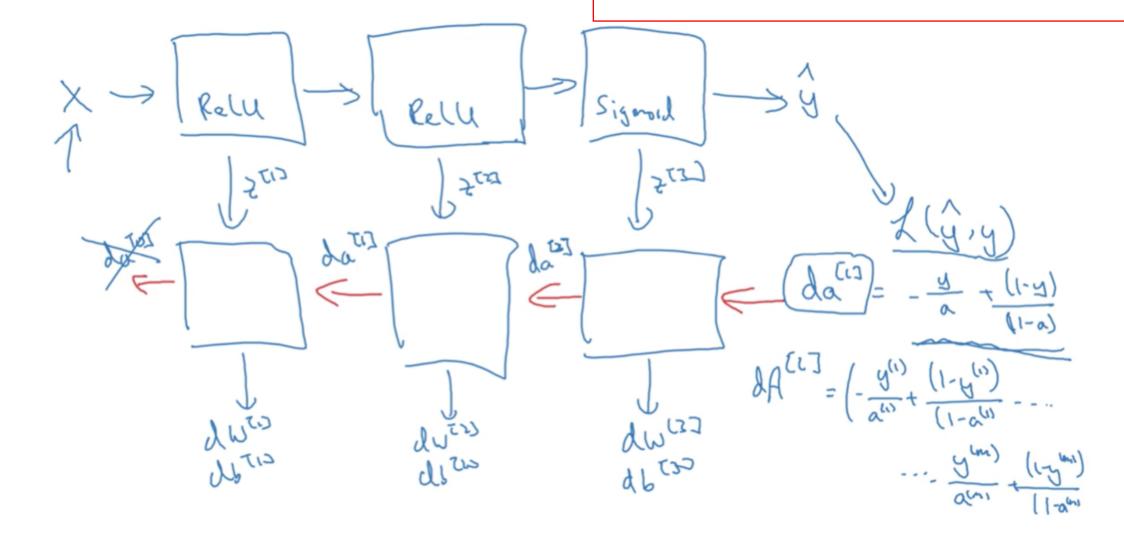
 \rightarrow Input $da^{[l]}$

 \rightarrow Output $da^{[l-1]}$, $dW^{[l]}$, $db^{[l]}$

$$\frac{1}{2^{to}} = \frac{1}{2^{to}} \times g^{(t)}(z^{(t)})$$

Summary

But during backproopi how to initialise the dA[I]. It turn out that ki it d





Deep Neural Networks

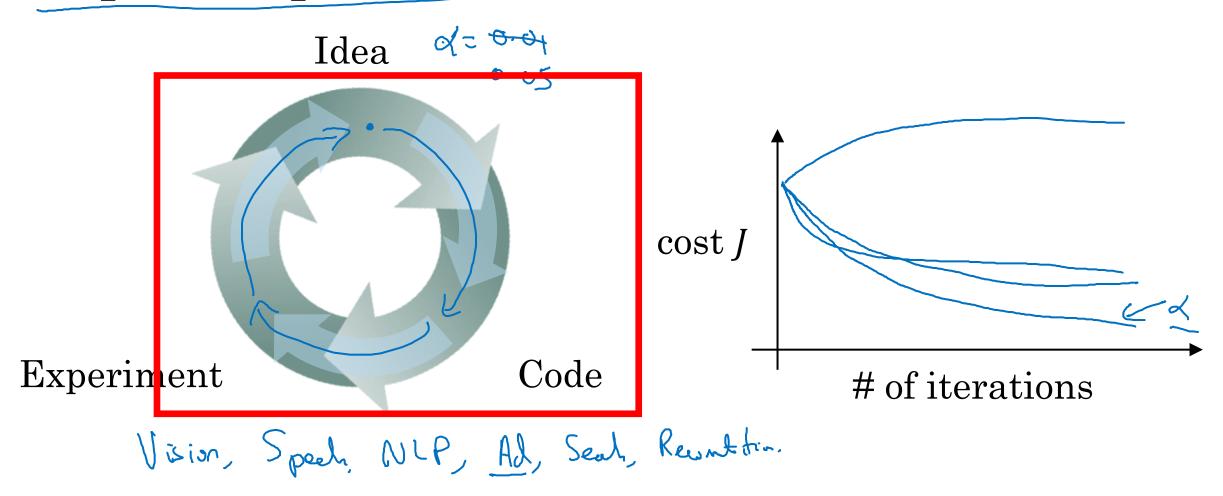
Parameters vs Hyperparameters

What are hyperparameters?

Parameters: $W^{[1]}$, $b^{[1]}$, $W^{[2]}$, $b^{[2]}$, $W^{[3]}$, $b^{[3]}$...

```
Hyperparameters: dearning rate of titerations
                #hilder layer L
                # hidden conts N [1] 1 [2]
                Choice of autivortion function
  dute: Monatur, min-Loth vize, regularjohns...
```

Applied deep learning is a very empirical process





Deep Neural Networks

What does this have to do with the brain?

Forward and backward propagation Note there are some typos here in

$$Z^{[1]} = W^{[1]}X + b^{[1]}$$

$$A^{[1]} = g^{[1]}(Z^{[1]})$$

$$Z^{[2]} = W^{[2]}A^{[1]} + b^{[2]}$$

$$A^{[2]} = g^{[2]}(Z^{[2]})$$

$$\vdots$$

$$A^{[L]} = g^{[L]}(Z^{[L]}) = \hat{Y}$$

$$X_1$$
 X_2
 X_3
 X_4

$$\begin{split} dZ^{[L]} &= A^{[L]} - Y \\ dW^{[L]} &= \frac{1}{m} dZ^{L^{1}} A^{[L]^{T}} \\ db^{[L]} &= \frac{1}{m} np. \operatorname{sum}(dZ^{[L]}, axis = 1, keepdims = True) \\ dZ^{[L-1]} &= dW^{[L]^{T}} dZ^{[L]} g'^{[L]} (Z^{[L-1]}) \\ &\stackrel{\vdots}{dZ^{[1]}} = dW^{\boxed{2}^{T}} dZ^{[2]} g'^{\boxed{1}} (Z^{[1]}) \\ dW^{\boxed{1}} &= \frac{1}{m} dZ^{\boxed{1}} A^{0} \\ db^{\boxed{1}} &= \frac{1}{m} np. \operatorname{sum}(dZ^{\boxed{1}}, axis = 1, keepdims = True) \end{split}$$

