

There can be 3 type of nodes to be deleted.

→ 1) leaf node

2) subtree root with one child

3) subtree root with 2 child.

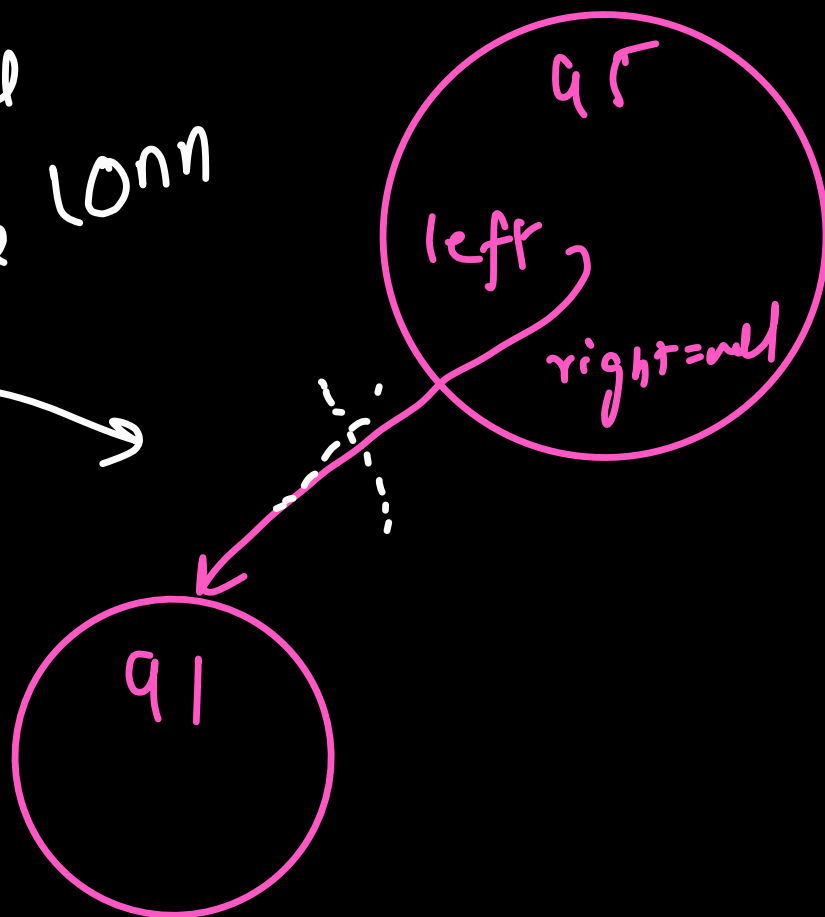
2 step procedure

1) find the node → 2) delete it.

delete(91)

How is 95 and 91 connected?

To delete 91 we
have to break the conn
b/w 95 & 91



f(95)

if $(91 < 95)$

$95.\text{left} = f(95.\text{left}, 91)$



delete (150)

150
/

200
/
120
\
130

$f(200, 150)$

if (150 < 200)

$200.\text{left} = f(200.\text{left}, 150)$
↑

↓

$f(150, 150)$

Delete 200

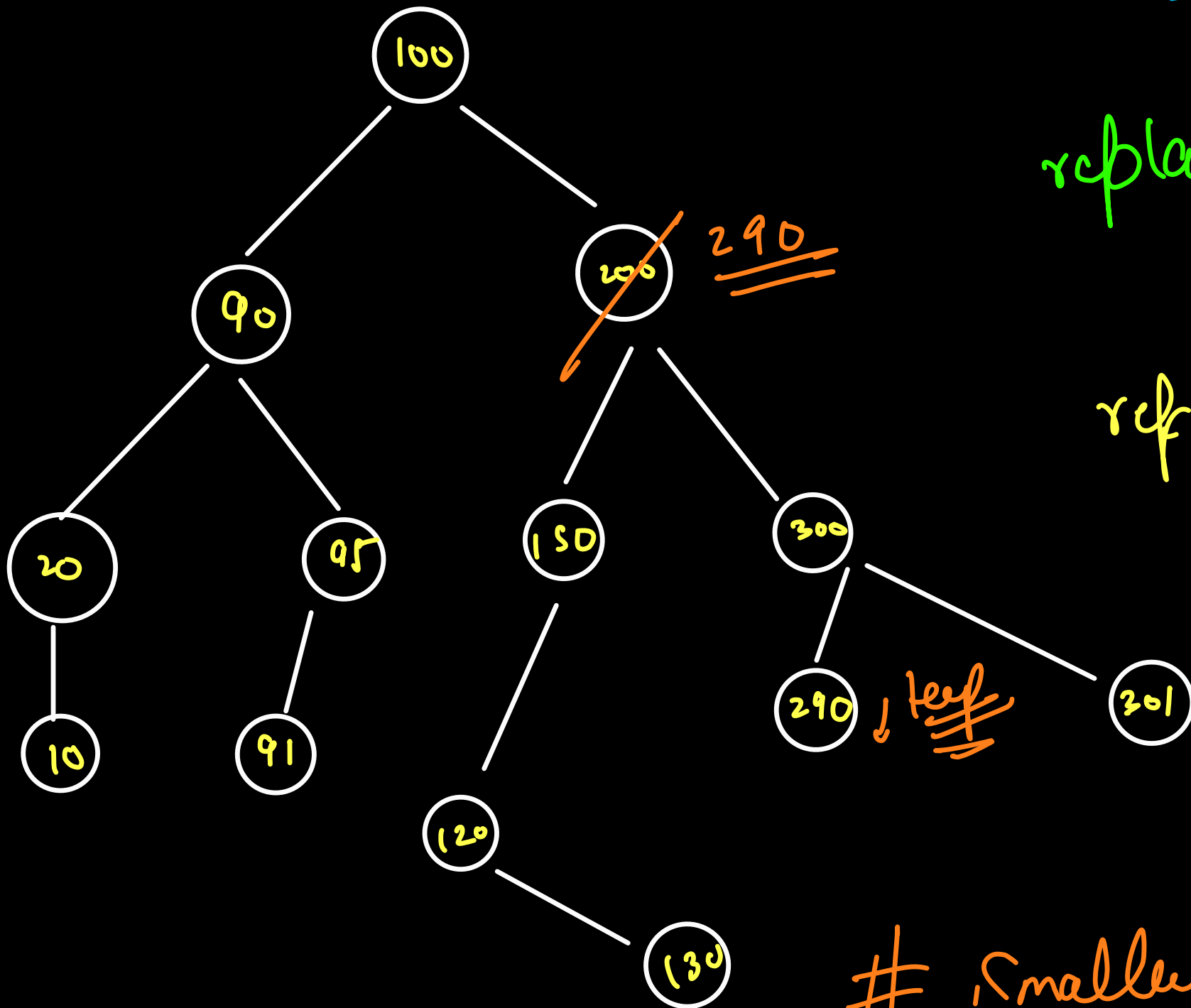
200
↙ ↘

replace 200 with a suitable
node

replace 200 with smallest
node of R.S.T. or

biggest node of L.S.T.

Smallest node of RST → left most
node of RST



$f(\text{root}, \text{value}) =$

deletes the node with
value from subtree

$\text{of } \text{root}$

Search

if (value < root.val)

→ go left

root.left = f(root.left, value)

else if (value > root.val)

→ go right

root.right = f(root.right, value)

else → # node is found

if (node.left == null && node.right == null) {

leaf node

return null;

```
else if (node.left == null) {  
    return node.right;
```

```
} else if (node.right == null) {  
    return node.left;
```

```
} else {
```

```
    # 2 Subtrees
```

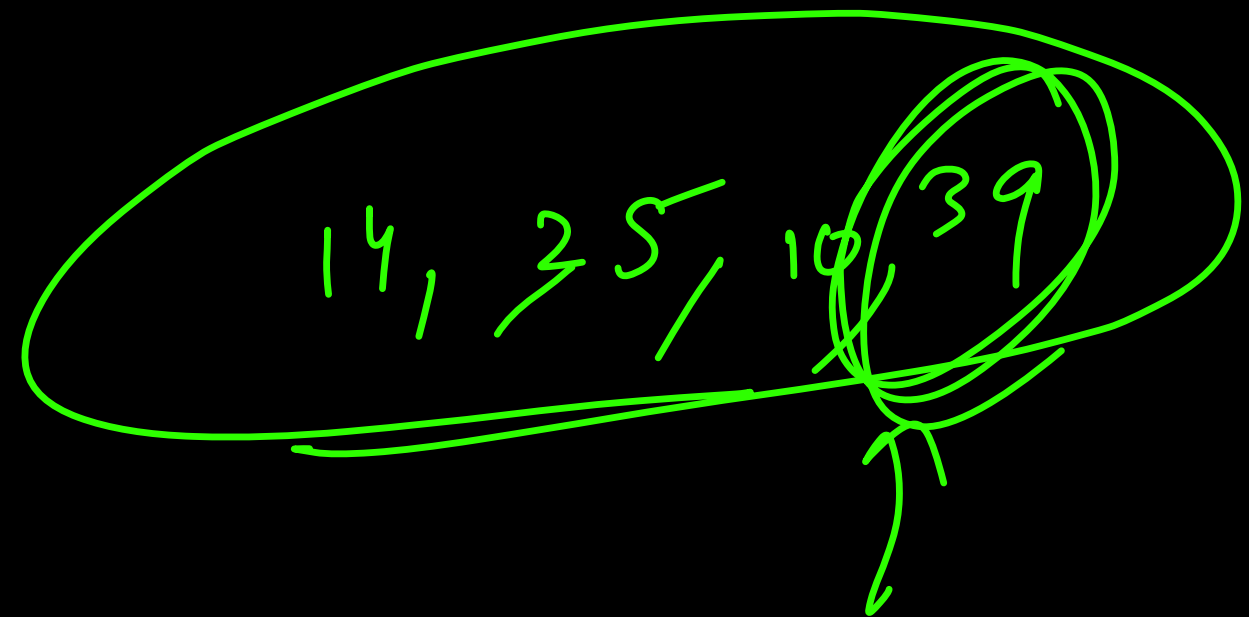
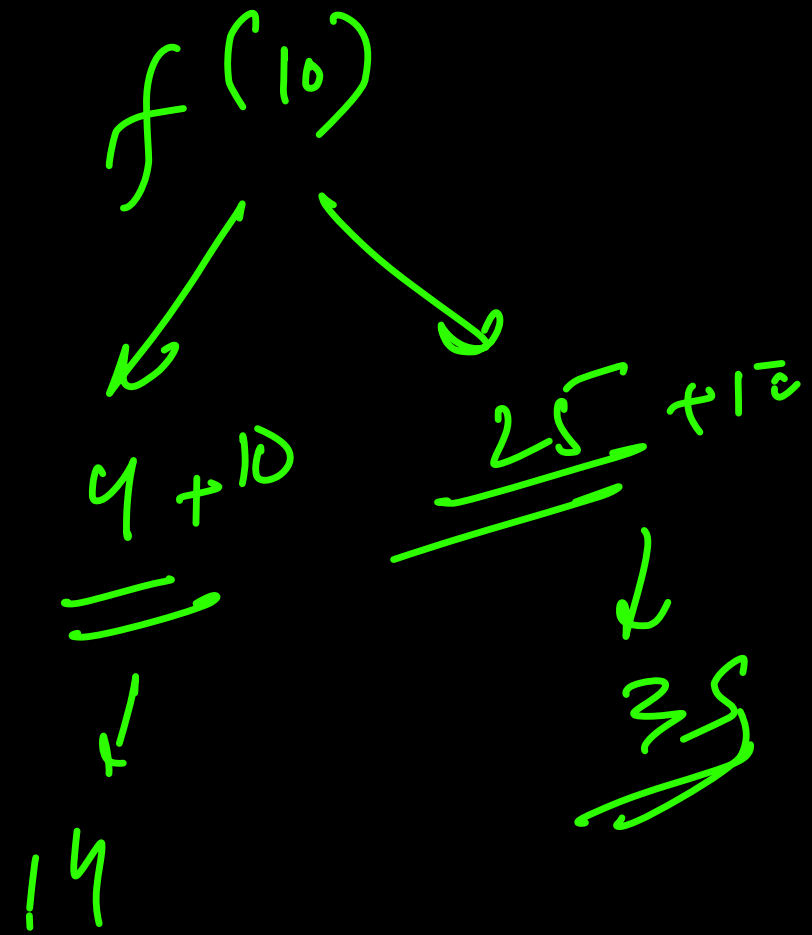
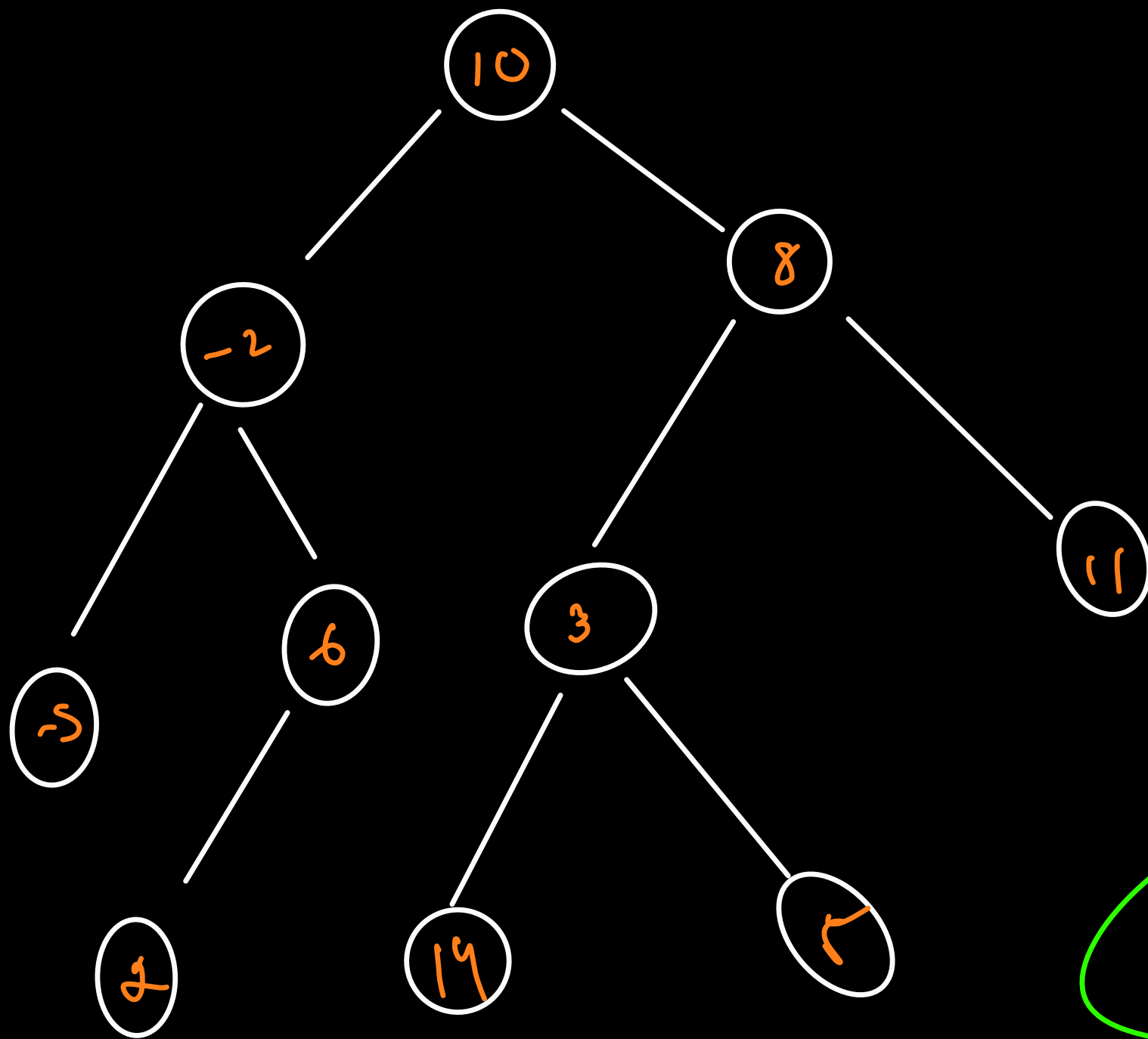
```
    temp = node.right
```

```
    while (temp.left != null)
```

```
        temp = temp.left
```

```
    node.val = temp.val
```

```
    node.right = f(node.right, temp.val)
```

$14 + 35 = 49$
 $25 + 14 = 39$

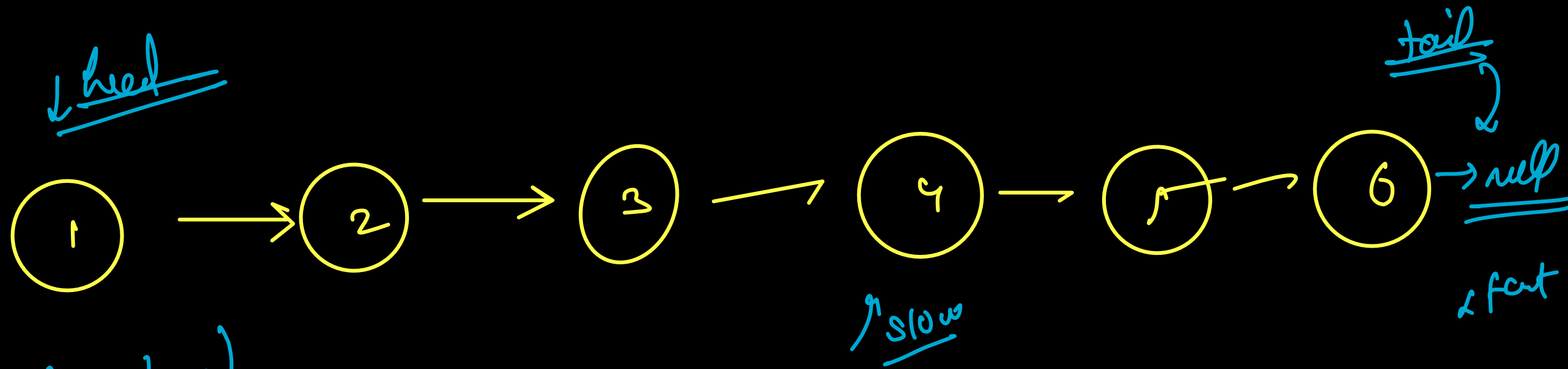
$$f(\text{root}) = \begin{cases} \text{left bs} = f(\text{root}.\text{left}) + \text{root.val} \\ \text{right bs} = f(\text{root}.\text{right}) + \text{root.val} \end{cases}$$

$\text{ans} = \max(\text{root.val}, \text{left bs}, \text{right bs}, \text{left bs} + \text{right bs} - \text{root.val})$
return ans

$f(\text{root})$
 \downarrow
 max branch
 sum of
 max sum from
 root to leaf

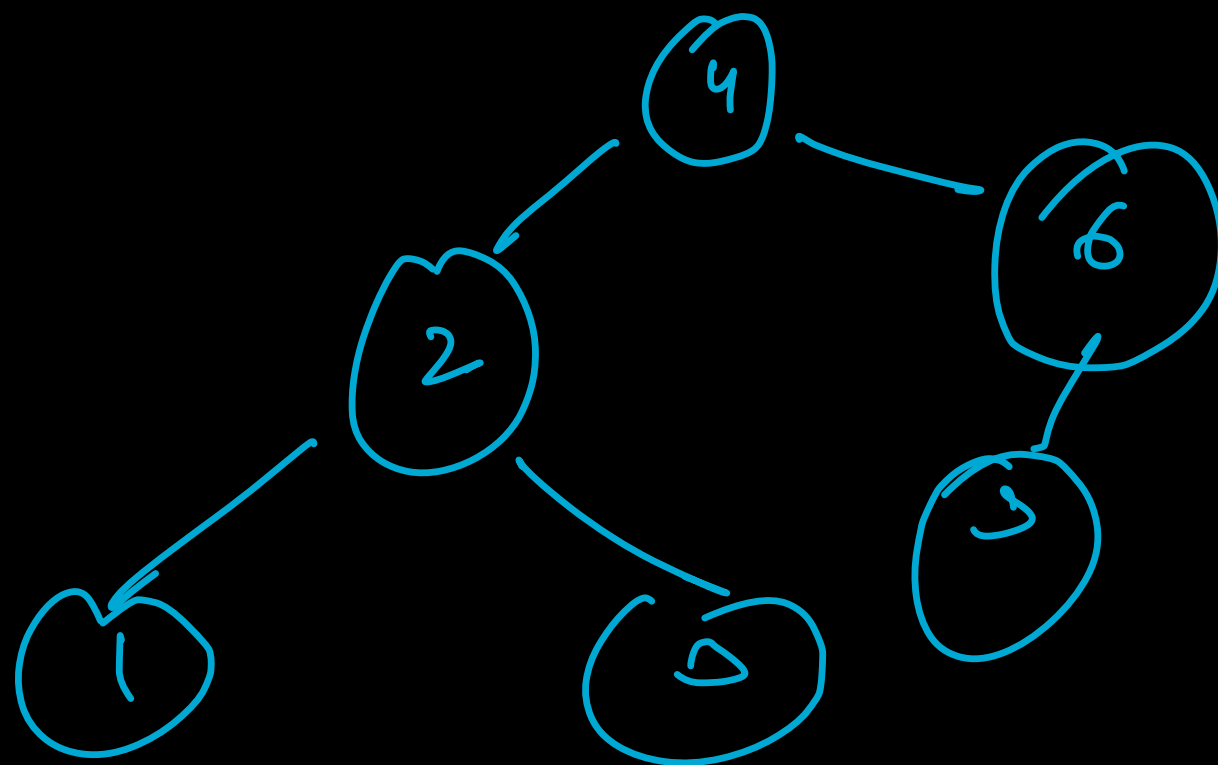
ans \leftarrow max
 path
 sum

$$\begin{aligned}
 &= \begin{cases}
 \text{lbs} = f(\text{root.left}) + \text{root.val} \\
 \text{rbs} = f(\text{root.right}) + \text{root.val} \\
 \text{ans} = \max(\text{ans}, \text{lbs}, \text{rbs}, \text{lbs} + \text{rbs} - \text{root.val}) \\
 \text{return } \max(\text{lbs}, \text{rbs}, \text{root.val})
 \end{cases}
 \end{aligned}$$



$f(\text{head}, \text{slow})$
 $f(\text{slow.next}, \text{tail})$
 $f(\text{head}, \text{tail})$
 ↓

create a BBST
 from linked list
 starts from head node
 to tail node.



$f(\text{head}, \text{tail}) =$

- $\text{midnode} = \text{calcmid}(\text{head})$
- $\text{root} = \text{newTreeNode}(\text{midnode.val})$
- $\text{root.left} = f(\text{head}, \text{midnode})$
- $\text{root.right} = f(\text{midnode.next}, \text{tail})$
- return root