

1.

SLRCALRCLR

- (i) SLR parser is the smallest in size. CALR & CLR have the same size as they have less no. of states.
- (ii) Error detection is not immediate in SLR. It is immediate in CALR. Error detection can be done immediately in CLR parser.
- (iii) SLR fails to produce LR(0) items if it is intermediate parser between old works on a certain class of grammar. $SLR \leq LAIR \leq CIR$. It is very powerful and covers a large class of grammar.
- (iv) It requires less time and space complexity. It requires more time and space complexity. It also requires more time and space complexity.
- (v) It is very easy and cheap to implement. It is also easy and cheap to implement. It is expensive and difficult to implement.

For target machines with several CPU registers, the code generator is responsible for register allocation. This means that the compiler must be aware of which registers are being used for particular purposes in the generated program, and which become available as code is generated.

The instruction-set architecture of the target machine has a significant impact on the difficulty of constructing a good code generator that produces high-quality machine code.

- The most common target-machine architectures are
- (i) RISC (Reduced instruction set computer)
 - (ii) CISC (Complex instruction set computer)
 - (iii) Stack based

3. Given. $(a, (a, a))$

Stack	Input	Action
\$	$(a, (a, a)) \$$	$\$ < ($, shift
$\$($	$a, (a, a)) \$$	$(< a$, shift
$\$(a$	$, (a, a)) \$$	$a >)$, reduce
$\$(a$	$, (a, a)) \$$	$(>)$, reduce
$\$(a$	$, (a, a)) \$$	$\$ <)$, shift
$\$(a$	$(a, a)) \$$	$) < ($, shift
$\$(a($	$a, a)) \$$	$(< a$, shift
$\$(a(a$	$, a)) \$$	$a >)$, reduce
$\$(a(a$	$, a)) \$$	$(>)$, reduce
$\$(a(a)$	$a)) \$$	$) >)$, reduce
$\$(a(a)$	$a)) \$$	$\$ <)$, shift
$\$(a(a)$	$a)) \$$	$) < a$, shift
$\$(a(a)$	$)\$$	$a >)$, reduce
$\$(a(a)$	$)\$$	$) >)$, reduce
$\$(a(a)$	$)\$$	$\$ <)$, shift
$\$(a(a)$	$\$$	$) > \$$ reduce
$\$(a(a)$		accept

4.

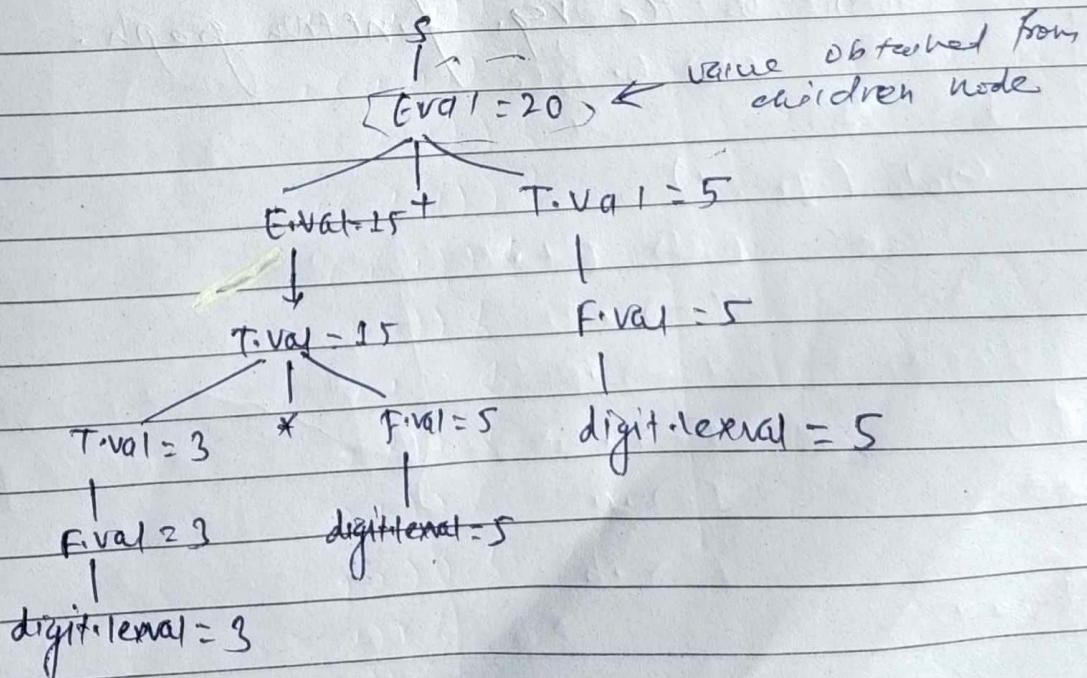
Given, $S \rightarrow E$ $E \rightarrow E_1 + T$ $E \rightarrow T$ $T \rightarrow T_1 * F$ $T \rightarrow F$ $F \rightarrow \text{digit}$

The SDD for the given grammar can be written as:

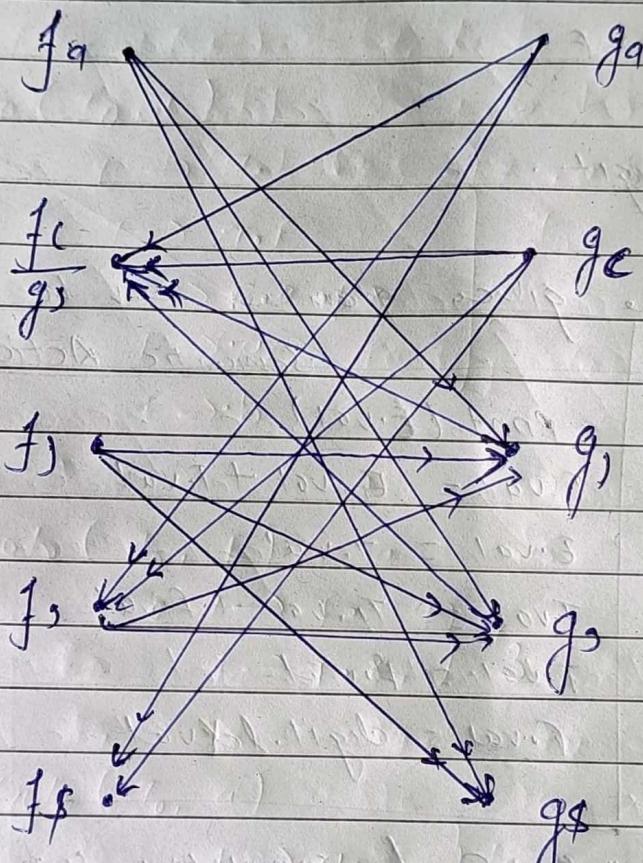
Production	Semantic Action
$S \rightarrow E$	$\text{print}(E.\text{val})$
$E \rightarrow E_1 + T$	$E.\text{val} = E_1.\text{val} + T.\text{val}$
$E \rightarrow T$	$E.\text{val} = T.\text{val}$
$T \rightarrow T_1 * F$	$T.\text{val} = T_1.\text{val} + F.\text{val}$
$T \rightarrow F$	$T.\text{val} = F.\text{val}$
$F \rightarrow \text{digit}$	$F.\text{val} = \text{digit}.\text{lexical}$

 $S \rightarrow E$ $E \rightarrow E_1 + T$ $E \rightarrow T$ $T \rightarrow T_1 * F$ $T \rightarrow F$ $F \rightarrow \text{digit}$ $\text{print}(E.\text{val})$ $E.\text{val} = E_1.\text{val} + T.\text{val}$ $E.\text{val} = T.\text{val}$ $T.\text{val} = T_1.\text{val} + F.\text{val}$ $T.\text{val} = F.\text{val}$ $F.\text{val} = \text{digit}.\text{lexical}$

Input string: ~~3~~ 3 + 5 + 5 for computing synthesized attributes.
 The annotated parse tree for rd input stage is



precompositional function graph:



This is the reg. function graph.

S.R.

6. $B \rightarrow E + T / T$

$T \rightarrow TF / F$

$F \rightarrow F^* / a / b$

Input : $a * b + a$

soln

Step 1: Convert the grammar into augmented grammar

0 $E' \rightarrow E$

1 $E \rightarrow E + T$

2 $E \rightarrow T$

3 $T \rightarrow TF$

4 $T \rightarrow F$

5 $F \rightarrow F^* \cancel{a} \cancel{b}$

6 $F \rightarrow a$

7 $F \rightarrow b$

Step 2: Construct LR(0) items

$$\begin{array}{l} E' \rightarrow \cdot E \\ E \rightarrow \cdot E + T \\ E \rightarrow \cdot T \\ T \rightarrow \cdot TF \\ T \rightarrow \cdot F \\ F \rightarrow \cdot F^* \\ F \rightarrow \cdot a \\ F \rightarrow \cdot b \end{array} \quad \left. \begin{array}{l} \\ \\ \\ \downarrow \\ \end{array} \right\} I_0$$

Q1

Goto (I₀, E)

$$\left. \begin{array}{l} E' \rightarrow E \\ E \rightarrow E \cdot + T \end{array} \right\} I_2$$

Goto (I₀, T)

$$\left. \begin{array}{l} E \rightarrow T \\ T \rightarrow T \cdot F \\ F \rightarrow R \cdot F^* \\ F \rightarrow \cdot a \\ F \rightarrow \cdot b \end{array} \right\} I_2$$

Goto (I₀, F)

$$\left. \begin{array}{l} T \rightarrow F \\ F \rightarrow F \cdot * \end{array} \right\} I_3$$

Goto (I₀, a)

$$F \rightarrow a \cdot R \quad \} I_4$$

Goto (I₀, b)

$$F \rightarrow b \cdot R \quad \} I_5$$

Goto (I₂, +)

$$\left. \begin{array}{l} E \rightarrow E \cdot + T \\ T \rightarrow \cdot T F \\ T \rightarrow \cdot F \\ F \rightarrow \cdot F^* \\ F \rightarrow \cdot a \\ F \rightarrow \cdot b \end{array} \right\} I_6$$

goto (I_2, F)

$$\begin{aligned} T &\rightarrow TF \cdot R_5 \\ F &\rightarrow F \cdot * \end{aligned} \quad \left. \right\} I_7$$

goto ($I_2, *$)

$$F \rightarrow F \cdot * \quad \left. \right\} I_8$$

goto (I_2, a)

$$F \rightarrow a \cdot R_3 \quad \left. \right\} I_8$$

goto (I_2, F)

$$\begin{aligned} T &\rightarrow TF \cdot R_5 \\ F &\rightarrow F \cdot * \end{aligned} \quad \left. \right\} I_7$$

goto (I_2, b)

$$F \rightarrow b \cdot R_3 \quad \left. \right\} I_5$$

goto (I_2, a)

$$F \rightarrow a \cdot R_3 \quad \left. \right\} I_4$$

goto ($I_3, *$)

$$F \rightarrow FX \cdot R_6 \quad \left. \right\} I_8$$

goto (I_3, b)

$$F \rightarrow b \cdot R_3 \quad \left. \right\} I_5$$

goto (I_6, T)

$$\begin{aligned} E &\rightarrow E + T \\ T &\rightarrow T \cdot F \\ F &\rightarrow \cdot F^* \\ F &\rightarrow \cdot q \\ F &\rightarrow \cdot b \end{aligned} \quad \left. \right\} I_9$$

goto (I_6, F)

$$\begin{aligned} T &\rightarrow F \cdot R_2 \\ F &\rightarrow F \cdot * \end{aligned} \quad \left. \right\} I_3$$

goto (I_6, a)

$$F \rightarrow a \cdot R_2 \quad \left. \right\} I_4$$

goto (I_6, b)

$$F \rightarrow b \cdot R_3 \quad \left. \right\} I_5$$

computation of FOLLOW
we can find out

$$\text{FOLLOW}(E) = \{+, \$\}$$

$$\text{FOLLOW}(T) = \{+, a, b, \$\}$$

$$\text{FOLLOW}(F) = \{+, *, a, b, \$\}$$

SLR Parsing Table

State	Action					go to		
	+	*	a	b	\$	E	T	F
0			s_4	s_5		1	2	3
1	r_6							
2	r_2		s_4	s_5				
3	r_9	s_8	r_4	r_4				
4	r_6	r_6	r_6	r_6				
5	r_7	r_7	r_7	r_7				
6			s_4	s_5				
7	r_3	s_8	r_3	r_3				
8	r_5	r_5	r_5	r_5				
9	r_4		s_4	s_5				

Given Input : $a+b+a$

Stack

$\$$

Input string

$a+b+a\$$

Action

$\text{action}[0, a] = s_4$

shift, push a, 4

$\$ 0 a 4$

$* b + a \$$

$\text{action}[4, *] = r_6$

reduce \rightarrow

$F \rightarrow a$

then pop

$$2 \times 1/91 = 2$$

push F and goto

$$\text{goto}[0, F] = 3$$

push 3

\$ OF 3 * b + a \$

$$\text{action}[3, *] = S_8$$

shift, push (*, 8)

\$ OF 3 * 8

* b + a \$

$$\text{action}[8, *] = r_5$$

$F \rightarrow F*$

$$2 \times 1/21 = 4$$

push F and

$$\text{goto}[0, F] = 3$$

push 3.

\$ OF 3

* b + a \$

$$\text{action}[3, *] = r_4$$

~~shift~~ ~~push~~ $T \rightarrow F$

$$2 \times |F| = 2$$

~~OF 3 * 8~~

*

push T and

$$\text{goto}[0, T] = 2$$

push 2

\$ OF 2

b + a \$

$$\text{action}[2, b] = S_5$$

shift, push b, 5

\$ OF 2 b 5

+ a \$

$$\text{action}[5, +] = r_7$$

$F \rightarrow b$

~~push F and~~ $2 \times 1 = 2$ ~~push T~~ $\text{goto}[2, F] = 7$

\$0T2F7 +a\$

action $[7, +] = r_3$

$T \rightarrow TF$

$2x/TF = 4$

push T and goto $[0, T] = 2$
push 2

\$0T2 +a\$

action $[2, +] = r_2$

$E \rightarrow T$

pop $2x/T = 2$

push E and goto $[0, E] = 1$
push 1

\$0E1 +a\$

action $[1, +] = s_0$

push +, 6

\$0E1+6 \$

action $[6, a] = s_4$

push, a, 4

\$0E1+64 \$

action $[4, \$] = r_6$

reduce,

$F \rightarrow a$

$2x/F = 2$

push F and goto $[6, F] = 3$
push 3

\$0E1+6F3 \$

action $[3, \$] = r_7$

Reduce, $T \rightarrow F$, $2x/F = 2$

push T and goto $[6, T] = 9$
push 9.

$\$ 0 E I + 6 T 9$

$\$$

action $[9, \$] = r_2$

reduce, $E \rightarrow E + T$

$$2 \times 137 = 6$$

push E and goto $[0, E] = 2$

push I

$\$ 0 E I$

$\$$

action $[I, \$] = \text{Accept}$

Here the given string is accepted.

1. Main()

 2. {

 3. int i;

 4. int g[10];

 5. i = 2;

 6. while (i <= 10)

 7. {

 8. a[i] = 0;

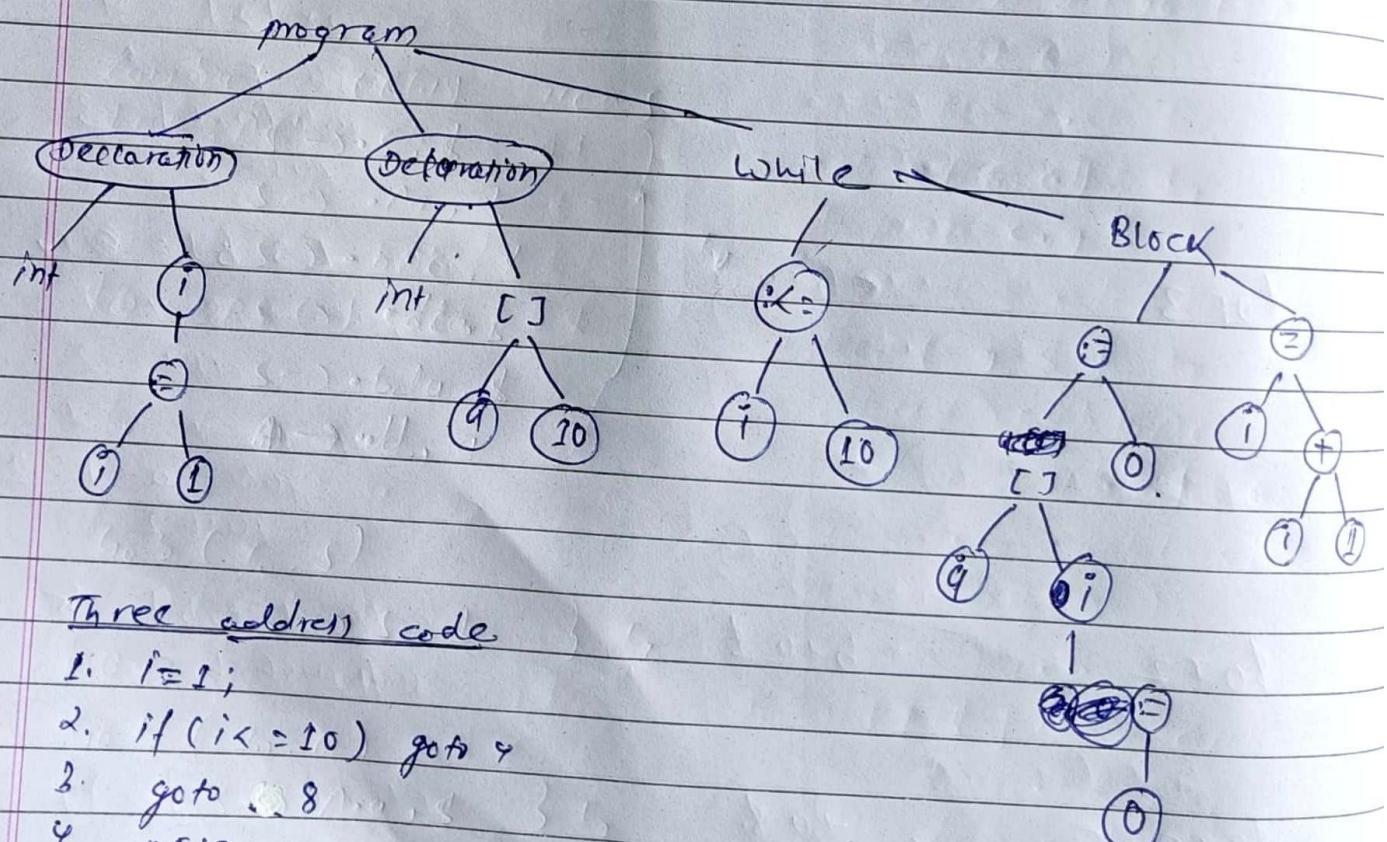
 9. i = i + 1;

 10. }

 11. }

 12.

Syntax tree



Three address code

1. $i = 2;$
2. $\text{if } (i \leq 10) \text{ goto } 4$
3. $\text{goto } 8$
4. $a[i] = 0$
5. $t_2 = i + 1;$
6. $i = t_2;$
7. $\text{goto } 2$
- 8.

```

8 int a[9];
void readArray () {
    // read 9 integers into array a[0:7]
}

int partition (int m, int n) {
    // returns partition
}

void quicksort (int m, int n) {
    int i;
    if (n > m) {
        i = partition (m, n);
        quicksort (m, i-1);
        quicksort (i+1, n);
    }
}

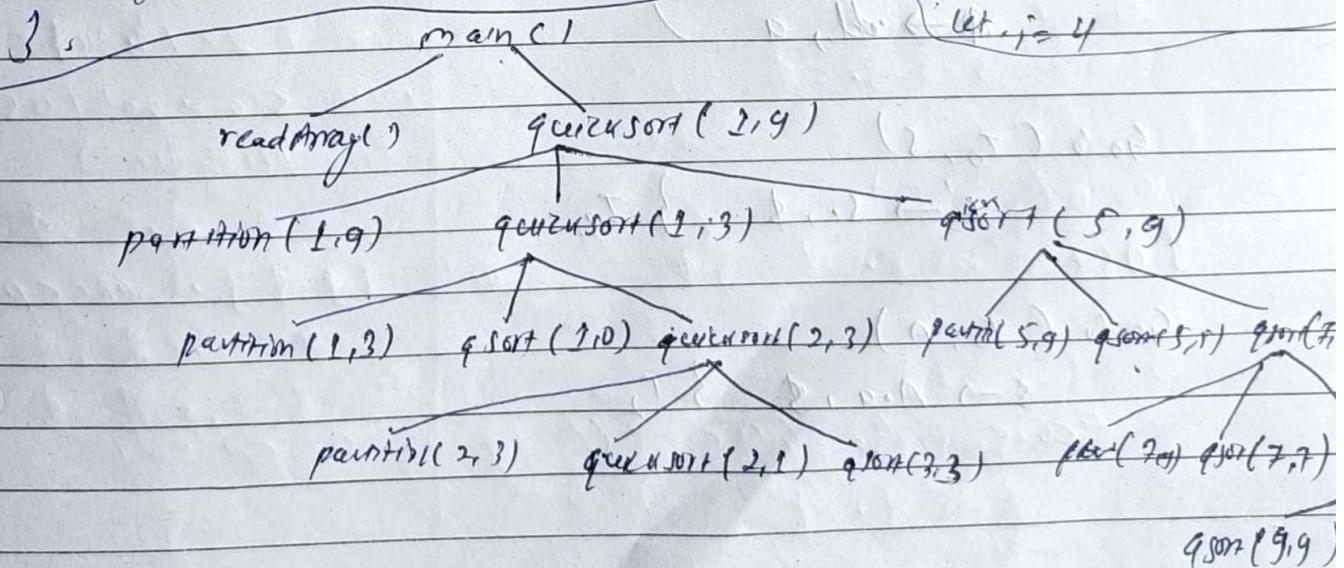
```

5

```

int main()
{
    readArray();
    a[0] = -9999;
    a[10] = 9999;
    quicksort (1, 9);
}

```



9.

$$1. S \rightarrow Aq$$

$$2. S \rightarrow bAc$$

$$3. S \rightarrow dc$$

$$4. S \rightarrow bdq$$

$$5. A \rightarrow d$$

$$6. S0^m$$

construct augmented grammar.

$$(0) S' \rightarrow S$$

$$(1) S \rightarrow Aq$$

$$(2) S \rightarrow bAc$$

$$(3) S \rightarrow dc$$

$$(4) S \rightarrow bdq$$

$$(5) A \rightarrow d$$

Construct $R(1)$ items

$$S0^m \quad S' \rightarrow \cdot S, \$$$

$$S \rightarrow \cdot Aq, \$$$

$$S \rightarrow \cdot bAc, \$$$

$$S \rightarrow \cdot dc, \$$$

$$S \rightarrow \cdot bdq, \$$$

$$A \rightarrow \cdot d, q$$

 I_0

Go to (I_0, S)

$$S' \rightarrow S \cdot, \$ \quad \} I_1$$

Go to (I_1, A)

$$S \rightarrow A \cdot q, \$ \quad \} I_2$$

GoTo(I_0, b)

$$\begin{array}{l} S \rightarrow b \cdot A C, \$ \\ S \rightarrow b \cdot d a, \$ \\ A \rightarrow d \cdot c \end{array} \quad \left. \right\} I_3$$

GoTo(I_0, d)

$$\begin{array}{l} S \rightarrow d \cdot c, \$ \\ A \rightarrow d \cdot a \end{array} \quad \left. \right\} I_4$$

GoTo(I_2, a)

$$S \rightarrow A a \cdot, \$ \quad \left. \right\} I_5$$

GoTo(I_3, A)

$$S \rightarrow b A \cdot c, \$ \quad \left. \right\} I_6$$

GoTo(I_3, d)

$$\begin{array}{l} S \rightarrow b d \cdot a, \$ \\ a \rightarrow d \cdot c \end{array} \quad \left. \right\} I_7$$

GoTo(I_4, c)

$$S \rightarrow d c \cdot, \$ \quad \left. \right\} I_8$$

GoTo(I_8, c)

$$S \rightarrow b A c \cdot, \$ \quad \left. \right\} I_9$$

GoTo(I_7, a)

$$S \rightarrow b d a \cdot, \$ \quad \left. \right\} I_{10}$$

In the states I_0 to I_6 , no states have a similar first element or code. So we cannot merge the states.

States	ACTION					goTo	
	a	b	c	d	\$	S	A
0		s_3			s_4	1	2
1							accept
2		s_5					
3					s_7		6
4	r_5		s_8				
5						r_1	
6			s_9				
7		s_{10}		r_5			
8						r_3	
9						r_2	
10						r_4	

parsing of string "bdc".

stack	input string	Action
\$0	bdc\$	action [0, b] = s_3 shift, push b, 3
\$0b3	dc\$	action [3, d] = s_7 shift, push d, 7
\$0b3d7	c\$	action [7, c] = r_5 reduce, $A \rightarrow d$ $2 \times d = 2$, pop push A and goto [3, A] = 6 push 6.
\$0b3A6	c\$	action [6, c] = s_9 shift, push c, 9
\$0b3A6c9	\$	action [9, \$] = r_2 reduce, $S \rightarrow BAC$ $2 \times BAC = 6$ push S and goto [0, S] = 1 push 1.
\$0S1	\$	action [1, \$] = accept.

Hence, the given string is accepted.

12

$$t_1 := -r$$

$$t_2 := q + t_1$$

$$t_3 := -r$$

$$t_4 := s + t_3$$

$$t_5 := t_2 + t_4$$

$$P := t_5$$

SOM

Quadruple Representation.

Location (#)	operator	Arg1	Arg2	Loc4th
(0)	omius	r		t ₁
(1)	*	q	t ₁	t ₂
(2)	omius	r		t ₃
(3)	*	s	t ₃	t ₄
(4)	+	t ₂	t ₄	t ₅
(5)	=	t ₅		P

12. 1. $S \rightarrow L=R$

2. $S \rightarrow R$

3. $L \rightarrow *R$

4. $L \rightarrow id$

5. $R \rightarrow L$

soⁿ

Construct Augmented Grammar

(0) $S' \rightarrow S$

(1) $S \rightarrow L=R$

(2) $L \rightarrow *R$

(3) $L \rightarrow id$

(4) $R \rightarrow L$

Construct LR(1) items

$\left. \begin{array}{l} S' \rightarrow \cdot S, \$ \\ S \rightarrow \cdot R, \$ \\ S \rightarrow \cdot L=R, \$ \\ L \rightarrow \cdot *R, \$ \\ L \rightarrow \cdot id, \$ \\ R \rightarrow \cdot L, \$ \end{array} \right\} I_0$

Goto ($I_0, *$)

$L \rightarrow \cdot *R, \$ =$

$R \rightarrow \cdot L, \$ =$

$L \rightarrow \cdot id, \$ =$

$L \rightarrow \cdot id, \$ =$

Goto (I_0, S)

$\cdot S' \rightarrow S \cdot, \$ \} I_1$

Goto (I_0, id)

$L \rightarrow id \cdot, \$ = \} I_2$

Goto (I_0, R)

$S' \rightarrow R \cdot, \$ \} I_2$

Goto ($I_2, =$)

$S \rightarrow L=R \cdot, \$ \} I_3$

$R \rightarrow \cdot L, \$ \} I_3$

$L \rightarrow \cdot *R, \$ \} I_3$

Goto (I_2, L)

$L \rightarrow \cdot id, \$ \} I_3$

Goto (I_0, L)

$S \rightarrow L=R \cdot, \$ \} I_3$

$R \rightarrow \cdot L, \$ \} I_3$

goto (I_4, R)

$L \rightarrow *R, \$ = \} I_7$

goto (I_4, L)

$R \rightarrow L, \$ = \} I_8$

goto ($I_4, *$)

$\begin{array}{l} L \rightarrow *R, \$ = \\ R \rightarrow \cdot L, \$ = \\ L \rightarrow \cdot *R, \$ = \\ L \rightarrow \cdot id, \$ = \end{array} \} I_9$

goto (I_4, id)

$L \rightarrow id, \$ = \} I_{10}$

goto (I_6, R)

$S \rightarrow L = R, \$ \} I_{11}$

goto (I_6, L)

$R \rightarrow L, \$ \} I_{12}$

goto ($I_6, *$)

$\begin{array}{l} L \rightarrow *L, \$ \\ R \rightarrow \cdot L, \$ \\ L \rightarrow \cdot *R, \$ \\ L \rightarrow \cdot id, \$ \end{array} \} I_{13}$

goto (I_6, id)

$L \rightarrow id, \$ \} I_{14}$

~~goto~~

goto (I_{11}, R)

$L \rightarrow *R, \$ \} I_{15}$

goto (I_{11}, L)

$R \rightarrow L, \$ \} I_{16}$

goto ($I_{11}, *$)

$\begin{array}{l} L \rightarrow *R, \$ \\ R \rightarrow \cdot L, \$ \\ L \rightarrow \cdot *R, \$ \\ L \rightarrow \cdot id, \$ \end{array} \} I_{17}$

goto (I_{11}, id)

$L \rightarrow id, \$ \} I_{18}$

CALR

states	Action	Goto
0	$\text{id} = \text{id}$	S_1
1	S_5	R_2
2	S_4	R_3
3	S_6	R_5
4, 11	S_5	8
5, 12	R_4	7
6	S_{11}	10
7, 13	R_3	11
8, 10	R_5	
9	R_1	

Stack

\$0 stack of input
 id = id \$

Actions
action [0, id] = S5
shift, push id, 5

\$0 id \$ = id \$

action [5, =] = R4
Reduce, $\epsilon \rightarrow \text{id}$, $2 \times \text{id}/= 2$
push 2 and goto [0, L] = 3
push 3

\$0 L3 = id \$

action [3, =] = S6
push =, 6

\$0 L3 = 6 id \$

action [6, id] = S12
push id, 12

$\$ 0 L 3 = 6 id 12$ | action $[12, \$] = R_9$

Reduce $L \rightarrow id$, $2 \times 2 = 2$

push L and goto $[6, 2] = 10$

push 10.

$\$ 0 L 3 = 6 L 10$ | action $[10, \$] = R_5$

Reduce, $R \rightarrow L$, $2 \times 1 = 2$, pop

push R and goto $[6, R] = 9$

push 9

$\$ 0 L 3 = 6 R 9$ | action $[9, \$] = R_1$

$S \rightarrow L = R$, $2 \times 3 = 6$

push S and goto $[0, S] = 1$

push 1.

$\$ 0 S 1$ | action $[1, \$] = \text{Accept}$.

Check the given string is accepted.

13. In static allocation scheme, the compilation data is bound to a fixed location in the memory and it does not change when the program executes.

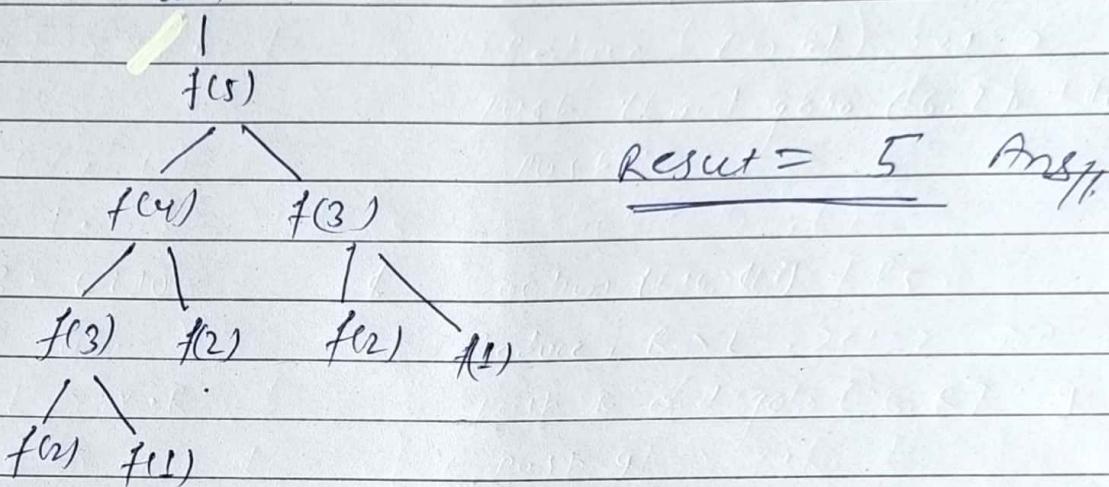
As the memory requirement and storage locations are known in advance, runtime support package for memory allocation and de-allocation is not required.

In a static storage-allocation strategy, it is necessary to be able to decide at compile time exactly where data object will reside at run time. In order to make such a decision, at least two criteria must be met:

- (i) The size of each object must be known at compilation.
- { (ii) Only one occurrence of each object is allowable at a given moment during program execution.

Because of second iteration, criterion, nested procedures are not possible in a static storage-allocation scheme. This is the case because it is not known at compile time which or how many nested procedures, and hence their local variables, will be active at execution time.

14. ~~10.3~~ 6.1 main



Recall the Fibonacci sequence 1, 1, 2, 3, 5, 8, 13, 21 ...
defined by $f(1) = f(2) = 1$ and for $n > 2$, $f(n) = f(n-1) + f(n-2)$
Consider the main function calls that result
from a main program calling $f(5)$.

15. Same as Q.N. 4 Repeat

16. program not given to optimize.

17. question bank for unit 4 & units

18. question bank for unit 4 & units

20. question bank for unit 4 & units.