

Data Science II Midterm Report

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Introduction

With the advent of climate change awareness, it has become more important now than ever to look for better alternatives to motorized modes of transportation. One of which is biking. In the recent decades, biking has gained immense popularity in Europe with countries like The Netherlands and Denmark investing heavily in biking infrastructure and making motorized vehicles more expensive. There's one thing that is common to all of these countries. They're all known for the highest quality of life. However, the US is yet to jump on the wagon.

The bike sharing dataset obtained from the UCI Machine Learning Repository represents bike rental data from the Capital Bikeshare system in Washington, D.C.. We perform the following analysis to forecast the amount of bikes being rented using data from 2011 and 2012 with weather data (obtained and merged into it from freemeteo.com) such as humidity, temperature and the type of day, i.e whether it is a holiday, weekend or weekday. Learning the extent of influence of these predictors in the amount of bikes being rented will give better insights into how bike sharing infrastructure can be developed in urban American cities with what aspects getting higher attention than others to begin with.

Data Description

The data set has 731 entries with 16 columns. Every column but "dteday" is continuous numerical in its raw form. dteday is a factor with 731 levels. Our response variable is "cnt", defined as the total count of bikes rented on a given day which is the sum of registered and casual users. temp is *normalized* temperature in Celsius. The values are divided to 41 (max). atemp is *normalized* feeling temperature in Celsius. The values are divided to 50 (max). hum is *normalized* humidity. The values are divided to 100 (max). And, windspeed is *normalized* wind speed. The values are divided to 67 (max). season is 1 for spring, 2 for summer, 3 for fall and 4 for winter and yr is year 0 for 2011 and 1 for 2012.

Data Cleaning

From the above data description, we realise and drop dteday and instant since they're not logical predictors for bike rental. Furthermore, we drop registered and casual and just look at their sum— **cnt** as our response. We transform the season, month, year (yr), holiday, workingday, weekday, weathersit to factors.

Github Site

https://github.com/abhishekajay1718/p8106_mtp_group12

Exploratory Data Analysis/ Visualization

write something for plot partition

Predictors Intercorrelation

Figure.1

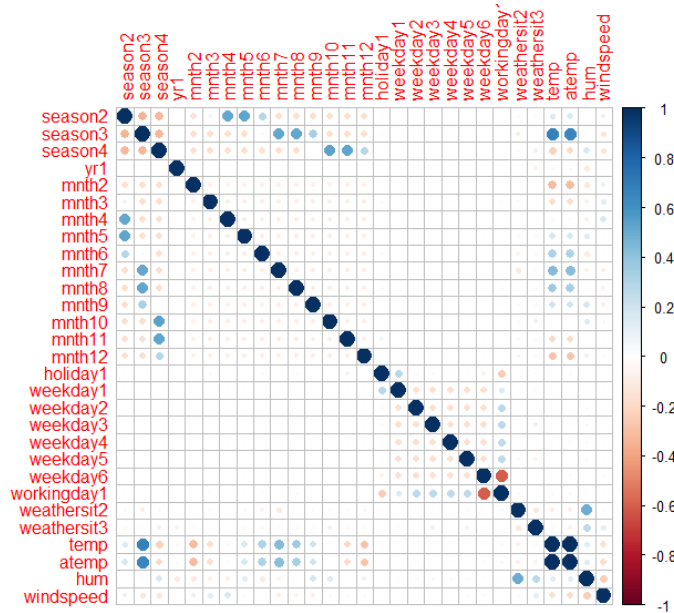


Figure 1: Corrplot

Scatterplots

Figure.2

splines

Figure.3

Models

The Predictors we kept to predict the outcome `cnt`— daily count of rental bikes, are `season`, `holiday`, `workingday`, `weathersituation`, `temp`, `atemp`, `humidity`, and `windspeed`. We choose to delete `year` and `months` variable since year does not have any significance in logic, and `month` variable is highly correlated to `season` according to the corrplot. In addition, by definition, `working day` are just days other than holiday and weekday, so we choose to delete `weekday` to avoid having too many binary variables. We are keeping all the other predictors since none of them appeared to be redundant to us. We will assume that every parameter we kept will have an impact on the outcome variable before modeling.

we attempt to fit 5 models in total to this dataset which are simple linear regression, GAM, MARS, ridge, LASSO.

Linear Models

Simple linear regression is the very first attempt we made. we would like to see how well the linear regression model perform and what are the coefficients. Further non-linear regression will be performed in advance and in comparison to this model. We used `lm()` function to make the model and the MSE is very high. This is according to the large scale of our outcome variable `cnt` which is around 1000 compared to our predictors which are around 1. Since rescaling the outcome variable will change both estimates and the MSE, we chose to both keep the original scale, and run the models the second times while rescaling the outcome by multiplying it to 0.01.

Futhermore, among those 8 predictors, we decided to perform ridge and LASSO models to shrink the

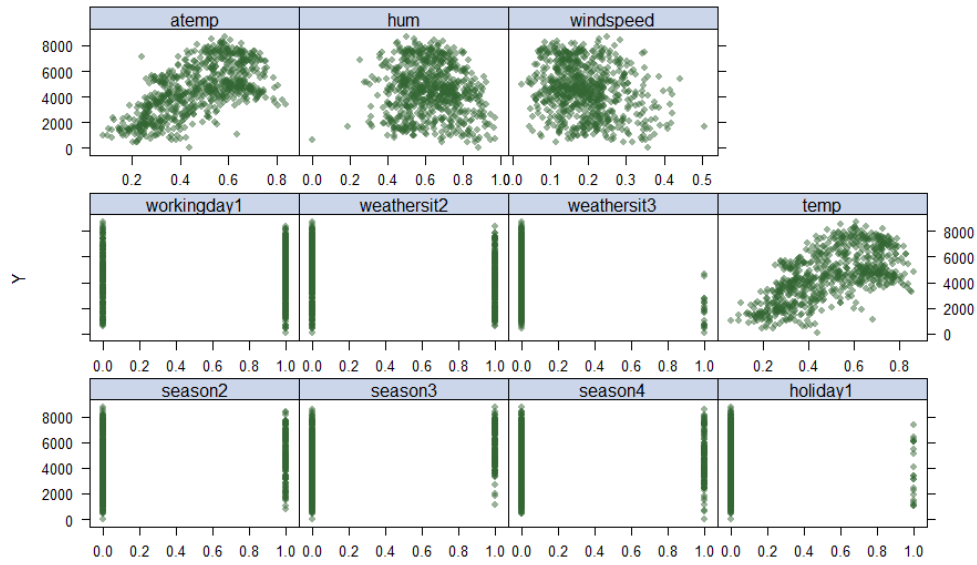


Figure 2: Scatterplot

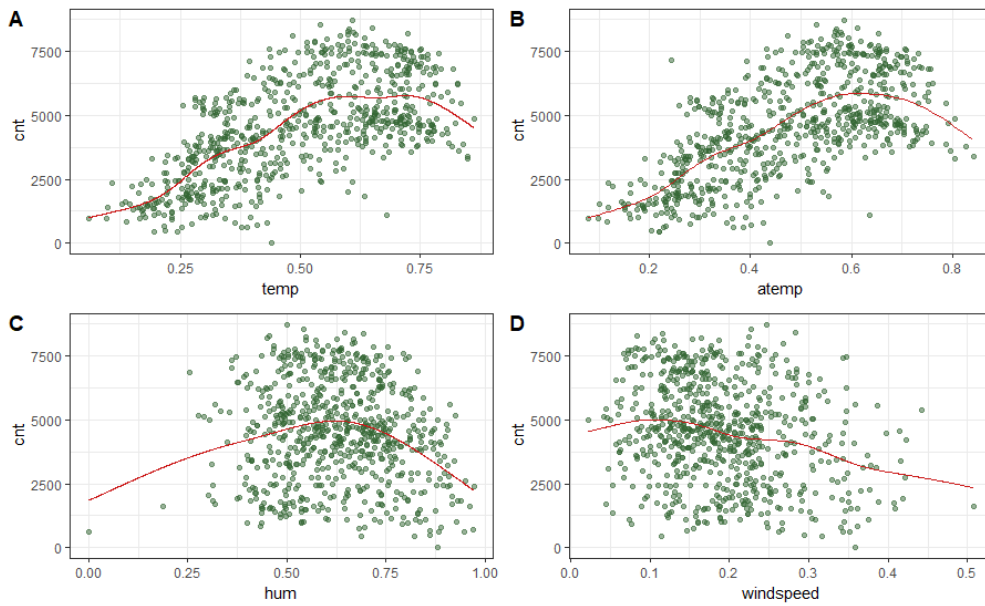


Figure 3: Splines

coefficients estimate from linear model. We will select and remove predictors according to their results, and try to produce models with fewer predictors as possible as we can. The resulting estimates are listed in the Estimates section below.

Non-Linear Models

According to our splines plot, the four continuous predictors are having non-linear correlation with the outcome. We decided to try non-linear model covered in class which are GAM and MARS, and they are expected to be more flexible and have better fit than linear one.

Tuning Parameters

To find the best λ for ridge and LASSO model, we utilize `cv.glmnet` command to perform cross-validation with a grid ranged from -1 to 10 and its length equals 100. In addition, GCV, generalized cross-validation with K equals to 10 is performed to produce the optimal tuning parameter for GAM model. In order to minimize the prediction error of MARS model, we choose our tuning grid to have its degree of interaction ranged from 1 to 3, and its number of retained items from 2 to 30.

Goodness of Fit

10-Fold Cross-validation is performed to each model and the average test fold MSE is collected to analyze their predictability and their goodness of fit. Each model has been performed twice, one with the original outcome variable `cnt`, one with the outcome rescaled to 0.01.

Table 1: Average test fold MSE

	MSE for original outcome	MSE for scaled outcome
MARS	1416175	141.7557
GAM	1418371	141.8371
ridge	1710750	169.6783
Linear	1717490	170.2468
LASSO	1718853	175.4663

Estimates

Estimates of coefficients for each predictor are measured by Simple Linear model, ridge and LASSO model. Each of the three model are performed twice for the original outcome and the rescaled outcome.

Table 2: Coefficient Estimates

	Linear	Linear rescaled	ridge	ridge rescaled	LASSO	LASSO rescaled
(Intercept)	3061.1085	30.611085	2944.1794	29.468977	3050.10123	28.5482360
season2	917.6644	9.176644	840.7957	8.452095	899.99200	5.1809573
season3	469.1203	4.691203	439.4329	4.426609	448.73319	0.0000000
season4	1493.7920	14.937920	1383.8011	13.896301	1479.01403	11.4923601
holiday1	-596.8185	-5.968185	-570.4896	-5.714296	-590.47346	-4.3710025
workingday1	101.1146	1.011146	103.0900	1.030874	98.38661	0.2990248
weathersit2	-233.9494	-2.339494	-247.3344	-2.465057	-231.47830	-1.7623000
weathersit3	-1941.7010	-19.417010	-1902.5122	-19.041578	-1932.26671	-17.2240229
temp	5818.3184	58.183184	3504.1926	35.311387	5744.73842	58.2129942
atemp	406.0477	4.060477	2917.0274	28.895797	517.48958	10.3914228
hum	-2610.9173	-26.109173	-2466.6025	-24.755658	-2602.77634	-23.6076260
windspeed	-3280.3364	-32.803364	-3087.8805	-30.930439	-3262.74584	-29.0829508

Limitations

Conclusion