

2D Arrays

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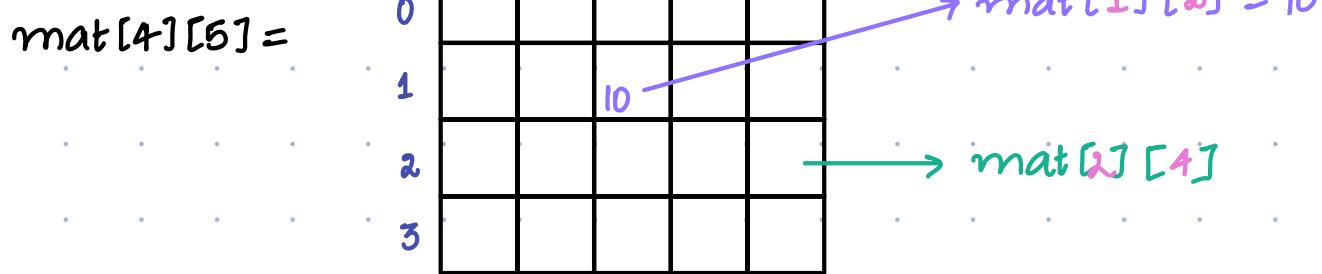


A 2D matrix is a specific type of 2D array that has a rectangular grid of numbers, where each number is called an **element**.

It is a mathematical structure that consists of a set of numbers arranged in rows and columns.

Declaration :

```
int [ ] [ ] mat = new int [ N ] [ M ]  
      ↑          ↑          ↑          ↑  
  Datatype   Name    No of Rows    No of Cols.  
              ↑          ↑  
              (Verticals) (Horizontal)
```



To access a cell in matrix: mat[row][col]

No of elements in mat[N][M]: N * M

No of Rows in mat[] []: mat.length

No of Cols in mat[] []: mat[0].length



QUIZ

Mat[N][M]:

0	1	j	M-1
0			i_0j		
1			i_1j		
i	$i_{i,0}$	$i_{i,1}$	$i_{i,2}$	$i_{i,3}$	$i_{i,M-1}$
.....					
N-1			$i_{N-1,j}$		

Observations:

1. Iterate on row, col. changes [0 M-1]
2. Iterate on col, row changes [0 N-1]



< Question > : Given arr[N][M], print row-wise sum.

	0	1	2	3
0	1	2	3	4
1	5	6	7	8
2	9	10	11	12

Output

- 10
- 26
- 42

i

- 0 : Iterate j : 0 to 3 cal sum & print it
- 1 : Iterate j : 0 to 3 cal sum & print it
- 2 : Iterate j : 0 to 3 cal sum & print it
- 3 : Stop

Idea: For every Row, iterate on all M cols, calculate sum & print it.

Rows Cols
↑ ↑

```
void Row_sum(int mat[], int N, int M){  
  
    for(r = 0 ; r < N ; r++) {  
        int sum = 0;  
        for(c = 0 , c < M ; c++) {  
            sum = sum + mat[r][c];  
        }  
        print(sum);  
    }  
}
```

QUIZ:

T.C : O(N*M)

S.C : O(1)



< Question > : Given arr[N][M], print column-wise sum.

	0	1	2	3
0	1	2	3	4
1	5	6	7	8
2	9	10	11	12

Output 15 18 21 24

C

- 0 : iterate $\tau[0:2]$ cal sum & print it
- 1 : iterate $\tau[0:2]$ cal sum & print it
- 2 : iterate $\tau[0:2]$ cal sum & print it
- 3 : iterate $\tau[0:2]$ cal sum & print it
- 4 : Stop.

Idea: For every Col , Iterate on all N Rows , cal.sum & print.it.

Rows Cols
↑ ↑

void Col_Sum(int mat[][], int N, int M){

```
for (c=0 ; c< M ; c++) {  
    int sum = 0 ;  
    for (r=0 ; r< N ; r++) {  
        sum = sum + mat[r][c] ;  
    }  
    print (sum) ;  
}
```

T.C: O(N * M)

S.C: O(1)



No of Rows == No of Cols

< Question > : Given square matrix mat[N][N], print diagonals

O/P

	0	1	2	3
0	1	5	8	9
1	3	6	7	1
2	6	5	2	4
3	3	8	9	5

Principal Diagonal

- 1 → mat[0][0]
 6 → mat[1][1]
 2 → mat[2][2]
 5 → mat[3][3]

void PrincipalDiagonal(mat[], N){

```
for(i=0 ; i<N ; i++) {
    print (mat[i][i]);
}
```

y

T.C : O(N) S.C : O(1)

O/P

	0	1	2	3
0	1	5	8	9
1	3	6	7	1
2	6	5	2	4
3	3	8	9	5

Anti Diagonal

- 9 → mat[0][3] [0][4-0-1]
 7 → mat[1][2] [1][4-1-1]
 5 → mat[2][1] [2][4-2-1]
 3 → mat[3][0] [3][4-3-1]

Stop

4 -1

N=4

void AntiDiagonal(mat[], N){

```
int r = 0, c = N-1;
while(r < N && c >= 0) {
    print (mat[r][c]);
    r++;
    c--;
}
```

mat[i][N-i-1]

T.C : O(N)

S.C : O(1)

Starting from mat[0][N-1], print elements.

Inc Row by 1 & Dec Col by 1. till row & col indices are valid.

```
void AntiDiagonal (mat[ ][], intN) {
```

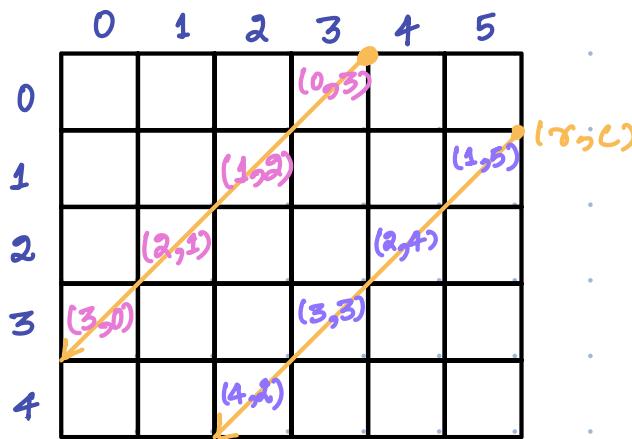
```
    for(i=0 ; i<N ; i++) {
```

```
        print (mat[i][N-i-1]);
```

y



< Question > : Given $\text{mat}[N][M]$ and a point $S \{r, c\}$. Print a diagonal from right to left and top to bottom which starts from S .



void StartDiagonal (int mat[N][M], int r, int c) {

```
    while(r < N && c > 0) {  
        print (mat[r][c]);  
        r++;  
        c--;  
    }
```

T.C : $O(N)$

S.C : $O(1)$



< Question > : Given $\text{mat}[N][M]$. Print all the diagonals from right to left and top to bottom.

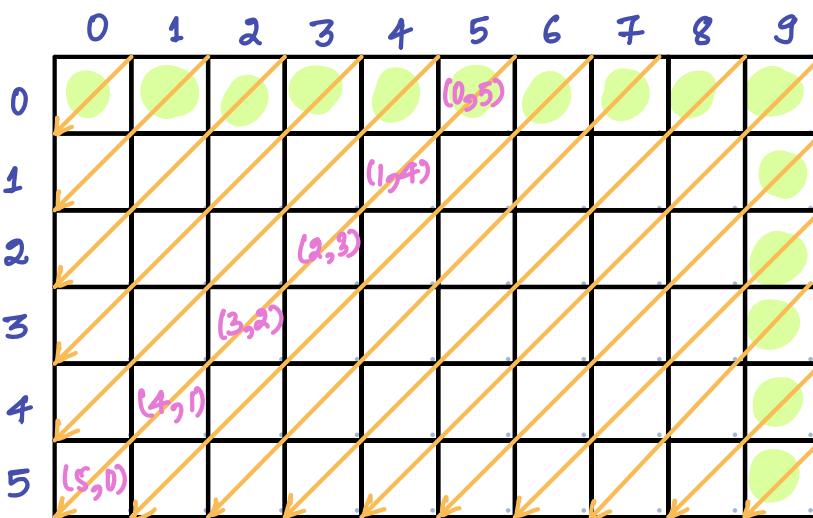
	0	1	2	3	4
0	1	2	3	4	5
1	6	7	8	9	10
2	11	12	13	14	15
3	16	17	18	19	20

Output

1
2 6
3 7 11
4 8 12 16
5 9 13 17
10 14 18
15 19
20

Starting Pt

[0 0]
[0 1]
[0 2]
[0 3]
[0 4]
[1 4]
[2 4]
[3 4]



Total No of Diagonals:
 $M+N-1$

Observations:

- Right \rightarrow Left diagonal start at 0^{th} Row x $(M-1)^{\text{th}}$ col.
- Row is INC by 1.
- Col is DEC by 1.





</> Code

```
void PrintDiagonals( int mat[][], int N, int M) {
```

// Print Diagonals starting from 0th Row.

```
for( c=0 ; c < M ; c++) {
```

```
    StartDiagonal( mat, 0, c);
```

```
y
```

T.C : O(N * M)
S.C : O(1)

// Print Diagonals starting from last col.

```
for( r=1 ; r < N ; r++) {
```

```
    StartDiagonal( mat, r, M-1);
```

```
y
```

```
y
```



< Question > : Given array [N] [M].

Make all elements in a row and column zero if $\text{arr}[i][j] == 0$. Specifically make entire ~~other~~ ^{ith} row and jth column zero. All elements are positive.



	0	1	2	3
0	1	2	3	4
1	0	5	6	7
2	9	2	0	4



O/P

	0	1	2	3
0	0	2	0	4
1	0	0	0	0
2	0	0	0	0

	0	1	2	3
0	1	2	3	4
1	0	5	6	7
2	9	2	0	4

We can't mark elements as "0" on the go since we will lose track of original "0".



```
void RowToColZero(int mat[][], int N, int M) {
```

// Iterate on Row & Mark Col

```
for (i=0; i<N; i++) {
```

```
    int flag = 0;
```

```
    for (j=0; j<M; j++) {
```

```
        if (mat[i][j] == 0) {
```

```
            flag = 1;
            break;
```

```
}
```

```
    if (flag == 1) {
```

```
        for (k=0; k<M; k++) {
```

```
            if (mat[i][k] != 0) {
```

```
                mat[i][k] = -1;
```

```
}
```

```
}
```

// Iterate on Cols & Mark Rows

```
for (j=0; j<M; j++) {
```

```
    int flag = 0;
```

```
    for (i=0; i<N; i++) {
```

```
        if (mat[i][j] == 0) {
```

```
            flag = 1;
```

```
}
```

```
    if (flag == 1) {
```

```
        for (k=0; k<N; k++) {
```

```
            if (mat[k][j] != 0) {
```

```
                mat[k][j] = -1;
```

```
}
```

```
}
```

// change the marked elements to 0.

```
for(i=0; i<N; i++) {  
    for(j=0; j<M; j++) {  
        if (mat[i][j] == -1) {  
            mat[i][j] = 0;  
        }  
    }  
}
```

y

T.C : O (3 N*M) = O(N*M)
S.C : O(1)

	0	1	2	3
0	-1	2	3	4
1	0	-1	-1	-1
2	-1	-1	0	-1

flag = 1

	0	1	2	3
0	0	2	0	4
1	0	0	0	0
2	0	0	0	0

