

# Problem Solving Workshop

## *Phase 1: Foundations*

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## Course Overview

This two-week workshop introduces foundational problem-solving techniques through classic puzzles, algorithmic strategies, and real-world modeling exercises. Students will build confidence in recursion, search algorithms, data structures, and collaborative design.

## Phase 1 Curriculum Overview

### 1. Sudoku – Baseline Quiz

- Sudoku, logic-grid, and handshake-count puzzles ( $N(N - 1)/2$ )
- Survey: "How did you solve each?"

*Outcome: Gauge current skills and problem-solving intuition.*

### 2. N-Queens Backtracking

- Explain rules
- Code stub: `def place_queens(row, board): ...`
- Test on  $N = 4$  and  $N = 8$

*Outcome: Hands-on recursion and pruning.*

### 3. Sudoku Solver

- Constraint propagation and backtracking
- Fill in logic for provided Python function signature

*Outcome: Reinforce state-space search.*

### 4. Graphs via Word Ladders – Mazes

- Introduction to graphs (nodes, edges)
- BFS/DFS on word ladders
- Maze-path visualization

*Outcome: Bridge puzzles to graph algorithms.*

### 5. Group Challenge – Extensions

- Teams choose from N-Queens, Sudoku, word ladders, mazes, or optional puzzles (Lights Out, Josephus, Tower of Hanoi, Coin Change, Word Search)
- Sketch and pitch an improved solution

*Outcome: Collaboration and peer teaching.*

## 6. Queues – Real-World Simulation

- Live-code a bank-line simulator using a queue
- Stack demo: undo/redo

*Outcome: Apply data structures in real-world contexts.*

## 7. Game AI – Tic-Tac-Toe

- Provide stub: `def minimax(board, player): ...`
- Implement and play versus AI

*Outcome: Expose decision-tree logic.*

## 8. Event-Driven Modeling: Traffic / Queue

- Model traffic lights or a bank queue with events
- Discuss real-world modeling challenges

*Outcome: Experience event-driven thinking.*

## 9. Ideation Workshop

- Brainstorm campus/community problems (library booking, canteen queues)
- Structured voting on top ideas

*Outcome: Nurture interdisciplinary vision.*

## 10. Mini-Pitch – Reflection

- Three-minute team pitches with solution outlines
- Reflection: "What did we learn?"

*Outcome: Build confidence and prepare for Phase 2 capstone.*

# Setup Instructions

Students should follow these steps to access materials:

- Sign up or log into Replit: [replit.com](https://replit.com)
- Take the Quiz on Google Forms: [Click here](#)
- View the Progress Tracker: [Click here](#)

# Puzzles & Baseline Quiz

## Ice-Breaker Puzzles

Complete the following exercises in 20 minutes:

- a. **Sudoku (4×4 grid):** Fill each row, column, and 2×2 block with numbers 1–4 exactly once.
- b. **Logic Grid Puzzle:** Three students (A, B, C) each solved *one* of three puzzles (maze, riddle, sudoku-mini) in *one* of three times (5, 10, 15 minutes), and no two students chose the same puzzle or time.
  - A did **not** take 5 minutes.
  - The riddle was solved in 10 minutes.
  - C solved the maze.
  - The sudoku-mini was completed in the shortest time (5 minutes).

Determine who solved which puzzle and in what time.

- c. **Handshake Count:** In a group of 7, every pair shakes hands exactly once. How many total handshakes occur?

## Baseline Quiz

Answer the following in the next 10 minutes:

1. Compute the handshake count for  $N = 7$  and verify using the formula  $\frac{N(N-1)}{2}$ .
2. Write pseudocode for computing handshake count for a general  $N$ :

```
function handshakeCount(N):  
    # Each of N people shakes hands with N-1 others  
    # Divide by 2 to avoid double-counting  
    return N * (N - 1) / 2
```

3. Reflect: Which problem-solving heuristic did you use most (decomposition, pattern recognition, abstraction)?

# Backtracking I – N-Queens

## Problem Description

Place one queen in each row of an  $N \times N$  chessboard so that no two queens attack each other. A queen attacks along its row, column, and both diagonals.

## Recursive Pseudocode

Use the following stub to implement your solution:

```
function placeQueens(row, board):
    if row > N:
        printSolution(board)
        return
    for col = 1 to N:
        if isSafe(row, col, board):
            board[row] = col
            placeQueens(row + 1, board)
            board[row] = 0 # backtrack

function isSafe(r, c, board):
    for prevRow = 1 to r - 1:
        prevCol = board[prevRow]
        if prevCol == c or
            abs(prevCol - c) == abs(prevRow - r):
            return false
    return true
```

**Try it online:** Run the N-Queens demo on Replit

## Exercise

- Implement the pseudocode and print one valid arrangement for  $N = 4$ .
- Extend your code to count all solutions for  $N = 4$  and report the total.
- \*(Optional)\* Test your solver for  $N = 8$  and note the number of solutions.

# Sudoku Solver Session

## Problem Description

Students will implement a backtracking algorithm to solve a  $4 \times 4$  Sudoku. Each row, column, and  $2 \times 2$  block must contain numbers 1–4 exactly once.

## Recursive Backtracking Stub

Use this function signature:

```
function solveSudoku(grid):
    if no empty cells:
        printSolution(grid)
        return true
    pick an empty cell (r,c)
    for num = 1 to 4:
        if isValid(grid, r, c, num):
            grid[r][c] = num
            if solveSudoku(grid): return true
            grid[r][c] = 0    # backtrack
    return false
```

**Try it online:** Run the Sudoku Solver on Replit

## Exercises

1. a. Write a helper function `findEmptyCell(grid)` that returns the coordinates  $(r, c)$  of the next empty cell (`grid[r][c] == 0`), or `null` if none remain.  
b. Fill in the body of `solveSudoku(grid)` using your `findEmptyCell` helper.
2. Run your solver on the sample  $4 \times 4$  puzzle:

```
[ [0,2,0,4],
  [3,0,1,0],
  [0,1,0,3],
  [4,3,0,0] ]
```

3. *\*(Optional)\** Extend your solver to handle full  $9 \times 9$  puzzles.

**Outcome:** Reinforce backtracking and constraint propagation.

# Graphs via Word Ladders & Mazes

## Problem Description

Students will explore graphs (vertices and edges) and then apply graph-search to two puzzles:

- **Word Ladder**

Transform one word into another by changing exactly one letter at a time; each intermediate word must appear in the dictionary.

- **Maze Navigation**

Navigate a 2D ASCII-maze from a start (S) to an exit (E), moving only through open cells “.”.

## Breadth-First Search (BFS) Stub

Use this pseudocode to find the shortest path in an unweighted graph (queue operations implicit):

```
function BFS(start, goal):
    Q ← empty queue
    enqueue(Q, start); mark start visited
    while Q not empty:
        v ← dequeue(Q)
        if v == goal: return path-to(v)
        for each neighbor u of v:
            if not visited(u):
                mark u visited; enqueue(Q, u)
    return "no path"
```

## Depth-First Search (DFS) Stub

Use this pseudocode to traverse all reachable nodes:

```
function DFS(v):
    mark v visited
    for each neighbor u of v:
        if not visited(u):
            DFS(u)
```

## Sample Inputs

- **Word Ladder**

```
beginWord = "hit"
endWord   = "cog"
dict      = {"hot", "dot", "dog", "lot", "log", "cog"}
```

- **Maze (ASCII)**

```

#####
#S..#.#.#
#.#.#.#.#
#..E##.##
#####

```

(Here S = start, E = exit, . = open, # = wall.)

## Exercises

- 1 Implement **Word Ladder**: use the BFS stub to compute the shortest transformation from *beginWord* to *endWord*, returning the list of intermediate words.
- 2 **Maze-path Visualization**: represent the maze as a graph (cells as vertices, edges between adjacent open cells). Use BFS to find a shortest path from S→E, and output the path either as a list of coordinates or directional steps.
- 3 (*Optional*) Compare DFS vs BFS on the same maze: implement a DFS-based solver and observe whether it always finds the shortest path.

**Outcome:** Bridge puzzles to graph algorithms, reinforcing that both recursion (DFS) and queue-based search (BFS) generalize across problem domains.