Best Time to Buy and Sell Stock 1

Best Time to Buy and Sell Stock I

You are given an array prices where prices[i] is the price of a given stock on the ith day.

You want to maximize your profit by choosing a single day to buy one stock and choosing a different day in the future to sell that stock

Return the maximum profit you can achieve from this transaction. If you cannot achieve any profit, return 0.

Examples

Example 1:

Input: prices = [7,1,5,3,6,4]

Output: 5

Explanation: Buy on day 2 (price = 1) and sell on day 5 (price = 6), profit = 6 - 1 = 5.

Example 2:

Input: prices = [7,6,4,3,1]

Output: 0

Explanation: In this case, no transactions are done and the max profit = 0.

Constraints

```
1 <= prices.length <= 10<sup>5</sup>
0 <= prices[i] <= 10<sup>4</sup>
```

Approach 1 (Brute Force)

Initialize maxProfit = 0 .

Use two nested loops:

Outer loop picks a day i to buy the stock.

Inner loop picks a day j > i to sell the stock.

For every pair (i, j), calculate the profit: prices[j] - prices[i].

If this profit is greater than maxProfit , update maxProfit .

Return maxProfit after all iterations.

Dry Run Input: prices = [7, 1, 5, 3, 6, 4] i = 0, prices[i] = 7 $j = 1 \rightarrow 1 - 7 = -6 \rightarrow maxProfit = 0$ $j = 2 \rightarrow 5 - 7 = -2 \rightarrow maxProfit = 0$ $j = 3 \rightarrow 3 - 7 = -4 \rightarrow maxProfit = 0$ $j = 4 \rightarrow 6 - 7 = -1 \rightarrow maxProfit = 0$ $j = 5 \rightarrow 4 - 7 = -3 \rightarrow maxProfit = 0$ i = 1, prices[i] = 1 $j = 2 \rightarrow 5 - 1 = 4 \rightarrow maxProfit = 4$ j = 3 → 3 - 1 = 2 → maxProfit = 4 $j = 4 \rightarrow 6 - 1 = 5 \rightarrow maxProfit = 5$ $j = 5 \rightarrow 4 - 1 = 3 \rightarrow maxProfit = 5$ i = 2, prices[i] = 5 $j = 3 \rightarrow 3 - 5 = -2 \rightarrow maxProfit = 5$ $j = 4 \rightarrow 6 - 5 = 1 \rightarrow maxProfit = 5$ $j = 5 \rightarrow 4 - 5 = -1 \rightarrow maxProfit = 5$... and so on.

Time and Space Complexity

Time Complexity: O(n²)

Two nested loops. For every element i, check all j > i. Total comparisons = $n(n-1)/2 \rightarrow O(n^2)$

Space Complexity: O(1)

No extra data structures used. Only uses a variable ${\tt maxProfit}$.

```
JavaScript C++ C Java Python

var maxProfit = function(prices) {
  let maxProfit = 0;
  for (let i = 0; i < prices.length; i++) {
     for (let j = i + 1; j < prices.length; j++) {
        if ((prices[j] - prices[i]) > maxProfit) {
          maxProfit = prices[j] - prices[i];
        }
    }
    return maxProfit;
};
```

Approach 2 (Optimal)

```
Initialize min as the first price.
```

Initialize maxProfit as 0.

Loop through the prices from index 1 to the end:

If the current price minus min is greater than maxProfit, update maxProfit.

If the current price is less than min, update min to this new lower value.

Return maxProfit at the end.

Dry Run

```
prices = [7, 1, 5, 3, 6, 4]
min = 7, maxProfit = 0

i = 1 → prices[1] = 1

1 < 7 → update min = 1

i = 2 → prices[2] = 5

5 - 1 = 4 > 0 → update maxProfit = 4

i = 3 → prices[3] = 3

3 - 1 = 2 < 4 → no change

i = 4 → prices[4] = 6

6 - 1 = 5 > 4 → update maxProfit = 5

i = 5 → prices[5] = 4

4 - 1 = 3 < 5 → no change</pre>
Final maxProfit = 5
```

Time and Space Complexity

Time Complexity: O(n)

One loop through the prices array.

Space Complexity: O(1)

Only a few variables used (\min , \max Profit).

JavaScript C++ C Java Python

var maxProfit = function(prices) {
 let min = prices[0];
 let maxProfit = 0;
 for (let i = 1; i < prices.length; i++) {
 if (prices[i] - min > maxProfit) {
 maxProfit = prices[i] - min;
 }
 if (prices[i] < min) {
 min = prices[i];
 }
 }
 return maxProfit;
};</pre>