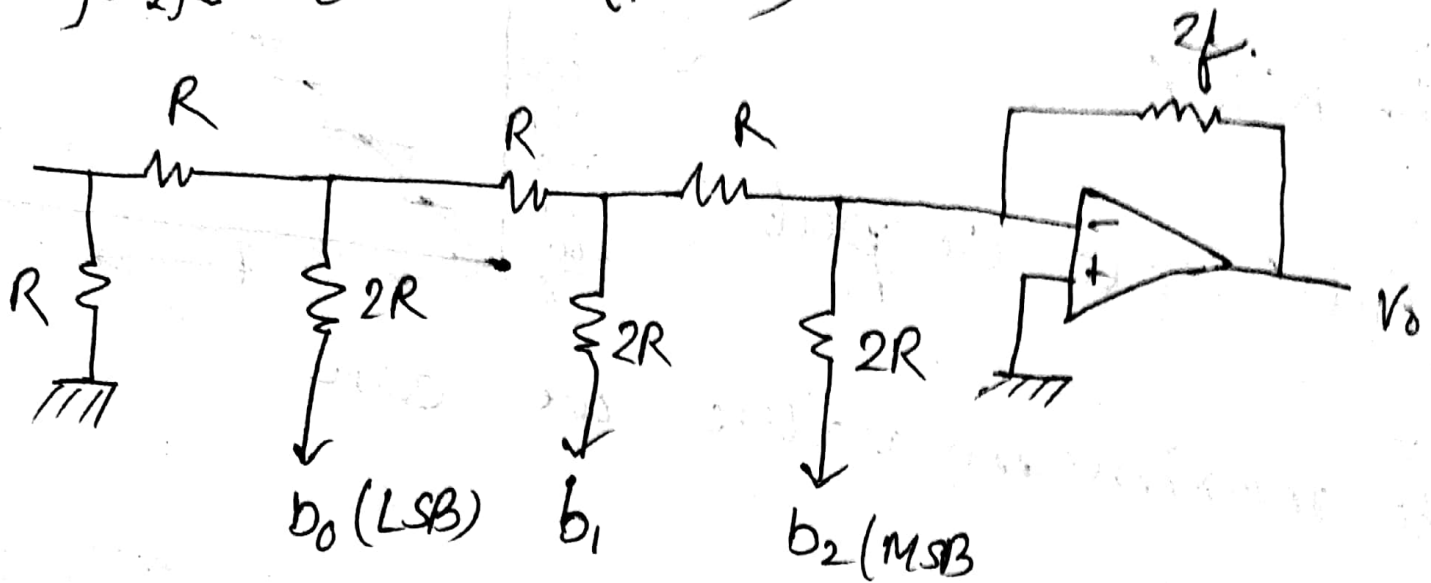


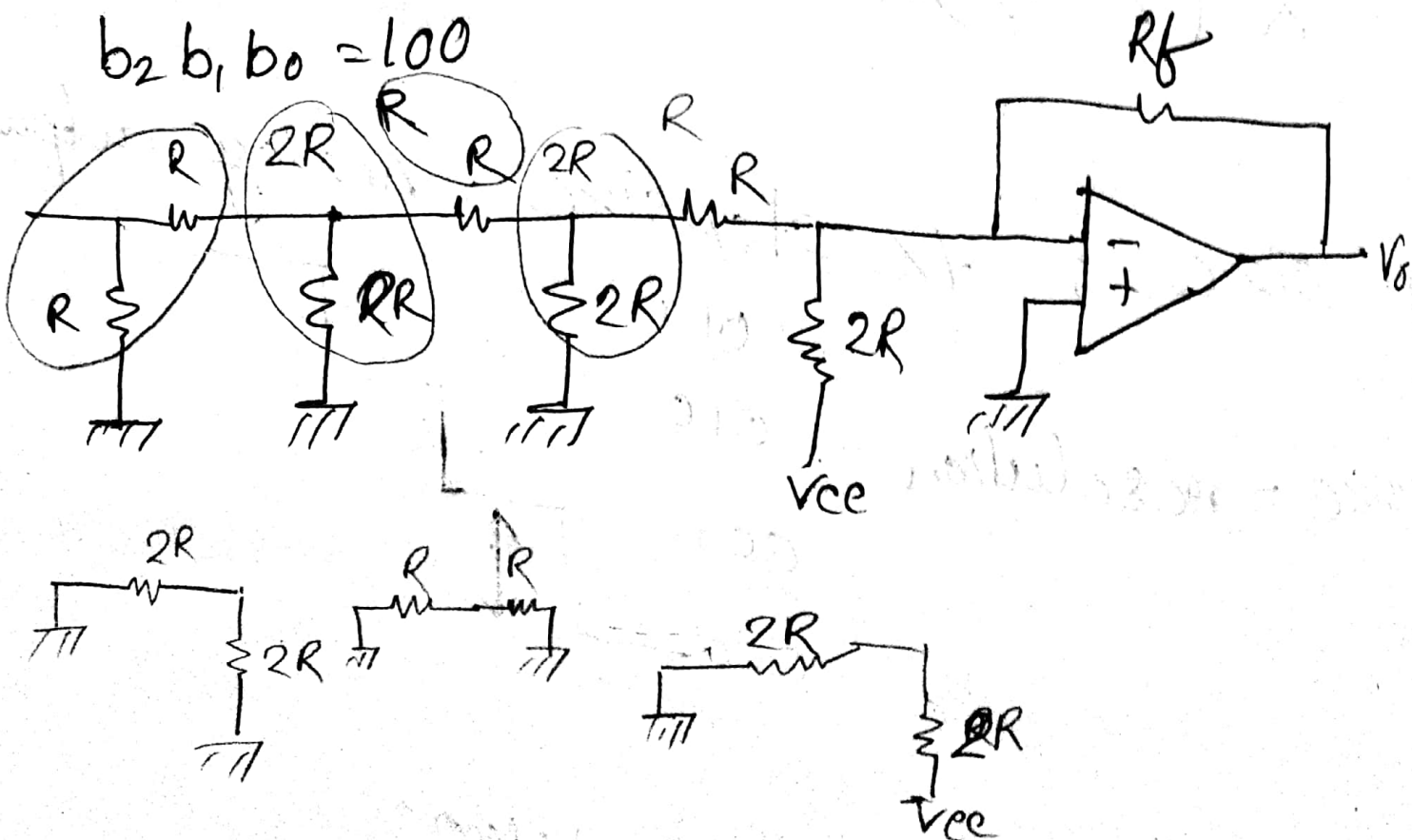
C.W

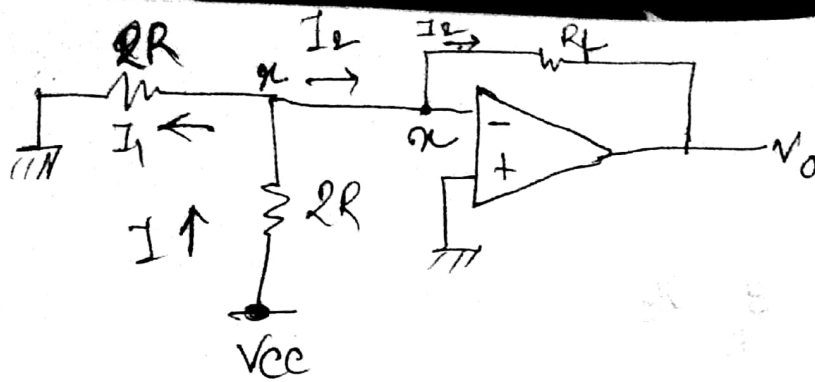
► R-2R ladder (DAC) : —



First combination

$b_2 b_1 b_0 = 100$



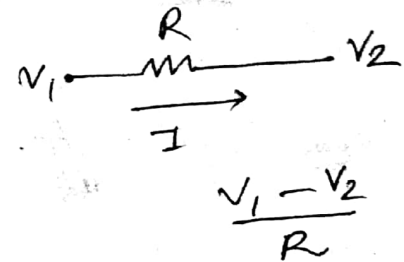


KCL at x ,

$$I = I_1 + I_2$$

$$\therefore \frac{V_{cc}}{2R} = 0 + \left(-\frac{V_o}{R_f} \right)$$

$$\therefore V_o = -\frac{R_f}{2R} V_{cc}$$

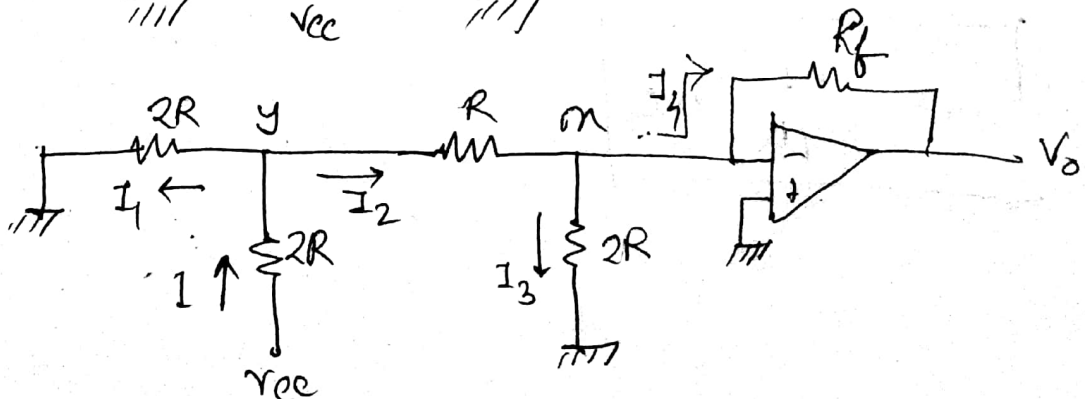
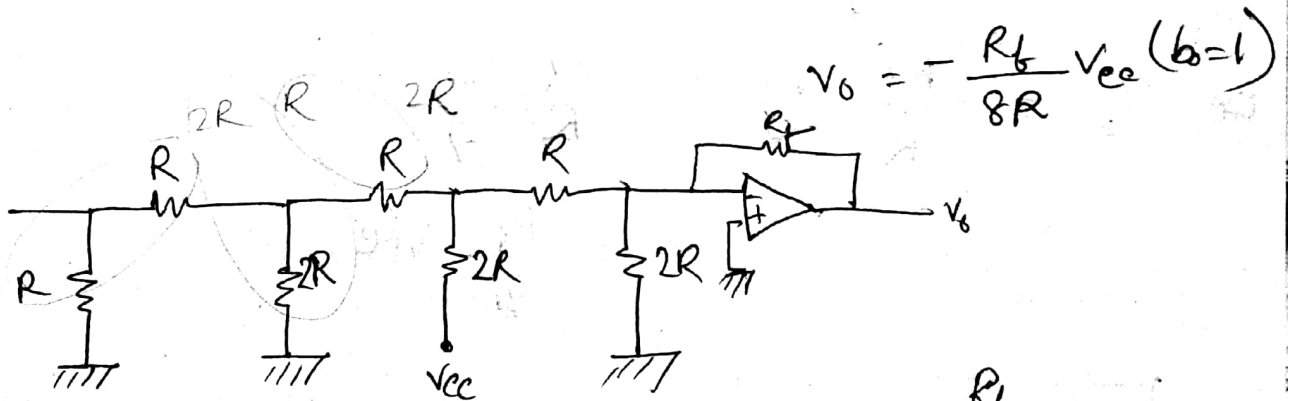


$$V_o = -\frac{R_f}{2R} V_{cc} \quad (b_2=1)$$

2nd combination.

$$b_2 b_1 b_0 = 010$$

$$[\text{output } V_o = -\frac{R_f}{4R} V_{cc} \quad (b_1=1)]$$



KCL at y

$$I = I_1 + I_2$$

$$\therefore \frac{V_{cc} - V_y}{2R} = \frac{V_y}{2R} + \frac{V_y - V_o}{R}$$

$$\therefore V_{cc} - V_y = \cancel{\frac{V_y}{R}} + 2V_y$$

$$\therefore V_{cc} = 4V_y$$

KCL at n

$$I_2 = I_3 + I_4$$

$$\frac{V_y - V_n}{R} = 0 + \left(-\frac{V_o}{R_f} \right)$$

$$\therefore -\frac{V_y}{R} = -\frac{V_o}{R_f}$$

$$\therefore V_o = -\frac{R_f}{R} V_y = -\frac{R_f}{R} \frac{V_{cc}}{4}$$

$$= -\frac{R_f}{4R} V_{cc}$$

$$\therefore \boxed{V_o = -\frac{R_f}{4R} V_{cc}}$$

Generalised Equation: — $b_2 b_1 b_0 = 111$

By superposition theorem we can have

$$V_o = \left(-\frac{R_f}{2R} V_{cc}\right) b_2 + \left(-\frac{R_f}{4R} V_{cc}\right) b_1 + \left(-\frac{R_f}{8R} V_{cc}\right) b_0$$

$$= \left(-\frac{R_f}{8R} V_{cc}\right) \underbrace{(b_2 2^2 + b_1 2^1 + b_0 2^0)}_{\text{binary to decimal}}$$

↓
K = Resolution
of a 3-bit R-2R ladder. (DAC)

$$\therefore \frac{-R_f}{2^N R} V_{cc} \Rightarrow \text{Resolution of a } N\text{-bit R-2R ladder. (DAC)}$$

■ 4 bit ~~ADC~~ ADC Successive Approximation.

$V_{in} = 10.7$

If no.

If yes.

0000

↓
1000 $\xrightarrow{\text{DAC}}$ 8V $\rightarrow V_{temp}$

$V_{temp} > V_{in}$

↓
1100 $\xrightarrow{\text{DAC}}$ 12V $\rightarrow V_{temp}$

$V_{temp} > V_{in}$

↓
1000

↓
1010 $\xrightarrow{\text{DAC}}$ 10V

↓
1011 $\xrightarrow{\text{DAC}}$ 11V

↓
1010

Have to compare all the bits.