

### SCOA

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Sub : Comp - 2

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Q1) Explain Hebb learning using an example ?

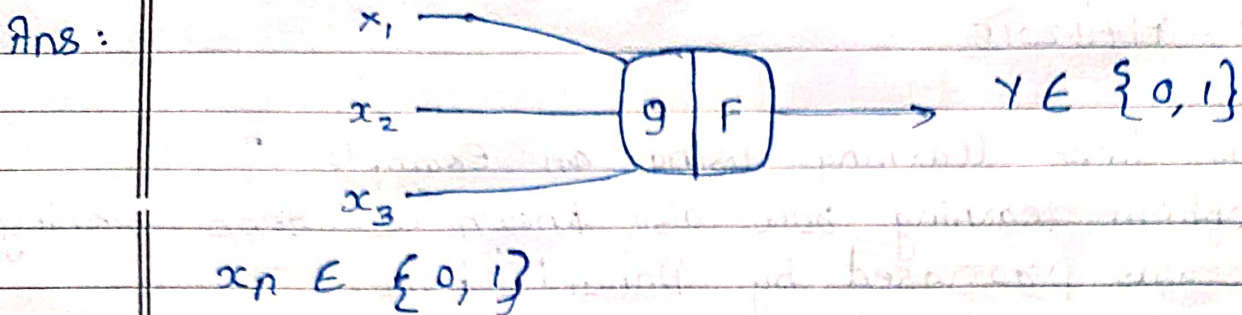
- Ans :
- i) Hebbian learning rule also known as Hebb learning rule was proposed by Donald O Hebb.
  - ii) It is the one of the first and easiest learning rule in the natural network. It is used for pattern classification.
  - iii) It is a single layer neural network i.e. It has one input layer and one output layer.
  - iv) The input layer can have many units say  $n$  the output layer has only one unit.
  - v) Hebbian rule works by updating the weights between neurons in neural network for each training sample.

#### Algorithm

- 1) Set all weights to zero ~~with~~  $w_i = 0$  for  $i=0$  & bias to zero.
- 2) For each input vectors  $s$  (input vector) + (target output) repeat step 3-5.
- 3) Set activations for input units with the input vector  $x_i = s_i$  For  $i=1$  to  $n$ .
- 4) set the corresponding input values to the output neurons.
- 5) update weight & bias by applying Hebb rule for  $E_i = 1$  to  $n$ .

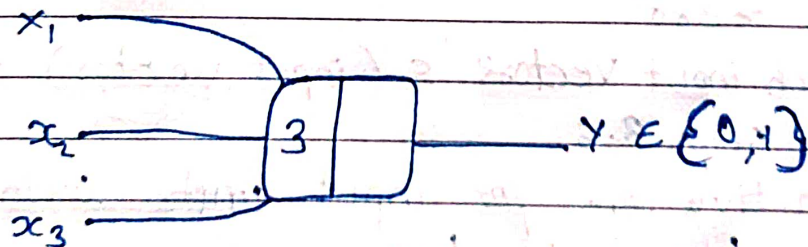


Q.2) Explain McCulloch - Pitts Neuron in brief by considering AND Gate ~~extra~~ example?



- i) The McCulloch - Pitts Neuron may be divided into 2 parts. The first part  $g$  takes an input, performs an aggregation, and based on the aggregated value, the second part  $F$  makes a decision.
- ii) Let suppose that I want to predict my own decision whether to watch a random football game or not on TV.
- iii) The inputs are all boolean i.e.  $\{0, 1\}$  and my output variable is also boolean  $\{0, 1\}$ : 0: will watch it, 1: won't watch it.

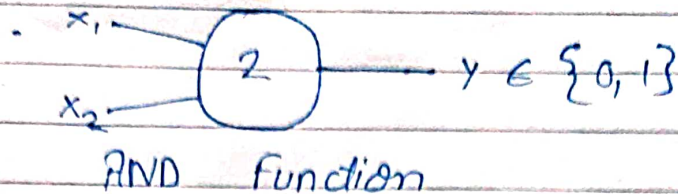
AND Function :-



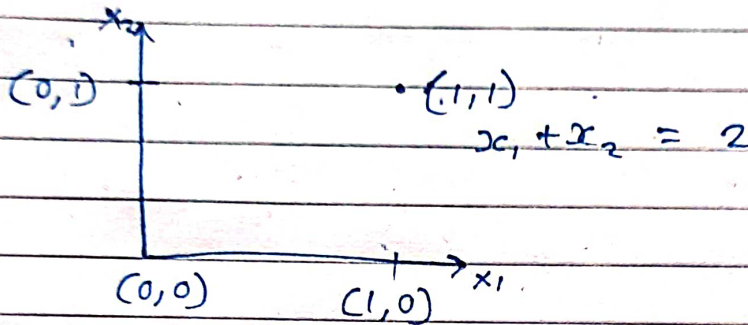
An AND Function Neuron would only fire when all the inputs are on i.e.  $g(x) \geq 3$ .

Q.3) Implement AND Function using McCulloch - Pitts neuron

Ans :



$$x_1 + x_2 = \sum_{i=0}^2 x_i \geq 2$$



i) In this case the decision boundary equation is  $x_1 + x_2 = 2$ .

ii) Here all the input points that lie ON or above just (1,1) output 1 when passed through the AND Function M-P neuron. It fits the decision boundary works.

iii) Tautology

