

11/10/20

# ADS - LAB

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5A

## B-Tree Insertion

### Logic

- ① Initialize  $x$  as root
- ② Check whether  $x$  is leaf or not, if not then do following
  - ②.1 Find the child of  $x$  that is going to be traversed next. (say,  $y$ )
  - ②.2 If  $y$  not full, change  $x$  to point to  $y$
  - ②.3 If  $y$  is full, split it, and change  $x$  to point to one of the two parts of  $y$ . If  $k$  is smaller than mid key in  $y$ , then set  $x$  as the first part of  $y$ . Else second part of  $y$ . Move key  $y$  to its parent  $x$ .
- ③ ~~If~~ If  $x$  is leaf, then loop in step ② stops.  $x$  must have space for 1 extra key ~~for its parent~~ as we have been splitting all the nodes in advance. So, insert  $k$  to  $x$ .

①

# Algorithm

BInsertion( $T, k$ )

$r \leftarrow \text{root}[T]$

if  $n[r] = 2t - 1$

$s \leftarrow \text{AllocateNode}()$

$\text{root}[T] \leftarrow s$

$\text{leaf}[s] = \text{FALSE}$

$n[s] \leftarrow 0$

$ci[s] \leftarrow r$

BTreeSplitChild( $s, 1, r$ )

BTreeInsertNonFull( $s, k$ )

else BTreeInsertNonFull( $r, k$ )

BTreeInsertNonFull( $r, k$ )

$i \leftarrow n[r]$

if ( $\text{leaf}[r]$ )

while  $i \geq 1$  and  $k < \text{key}_i[r]$

$\text{key}_{i+1}[r] = \text{key}_i[r]$

$i = i - 1$

$\text{key}_{i+1}[r] = k$

else while  $i \geq 1$  and  $k < \text{key}_i[r]$

~~$i = i + 1$~~   $i = i - 1$

$i = i + 1$

if  $n[ci[r]] = 2t - 1$

BTreeSplitChild( $r, i, ci[r]$ )

if ( $k \geq \text{key}_i[ci[r]]$ )

$i = i + 1$

BTreeNonFull( $ci[r], k$ )

BTreeSplitChild( $r, i$ )

#for each loop



Tree Split Child ( $n, i, y$ )

$z = \text{AllocateNode}()$

$\text{leaf}[z] = \text{leaf}[y]$

$n[z] = t - 1$

for  $j = 1$  to  $t - 1$

$\text{key}[z] = \text{key}[y]$

if not leaf  $[y]$

for  $j = 1$  to  $t$

$c[j][z] = c[j][y]$

$n[y] = t - 1$

for  $j = n[x] + 1$  to  $i + 1$

$c[j+1][x] = c[j][x]$

$c[i+1][x] = z$

for  $j = n[x]$  to  $i$

$\text{key}[j+1][x] = \text{key}[j][x]$

$\text{key}[i][x] = \text{key}[t][y]$

$n[x] = n[x] + 1$

③