## Homework 4

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```
library(dplyr)
library(scatterplot3d)
library(magrittr)
library(ggplot2)
```

### Problem 1

The Data. The 'maps' package contains a database of world cities i.e. 'world.cities' of population greater than about 40,000. Also included are capital cities of any population size, and many smaller towns.

The database constitutes a list with 6 components, namely "name", "country.etc", "pop", "lat", "long", and "capital", containing the city name, the country name, approx- imate population (as at January 2006), latitude, longitude and capital status indication (0 for non-capital, 1 for capital, 2 for China Municipalities, and 3 for China Provincial capitals).

Consider the 4,000 biggest cities in the world and their longitudes and latitudes:

```
library(maps)
big_cities <- world.cities %>%
    arrange(desc(pop)) %>%
    head(4000) %>%
    select(long, lat)

glimpse(big_cities)

## Rows: 4,000
## Columns: 2
## $ long <dbl> 121.47, 72.82, 67.01, -58.37, 77.21, 120.97, 37.62, 126.99, -46.6~
## $ lat <dbl> 31.23, 18.96, 24.86, -34.61, 28.67, 14.62, 55.75, 37.56, -23.53, ~
```

# Exploration Data Analysis (EDA)

Are there any missing data?

```
colSums(is.na(big_cities))

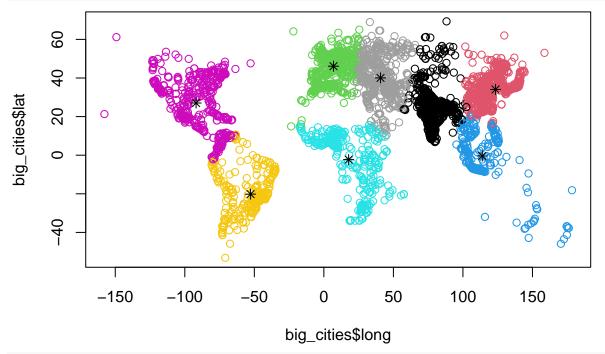
## long lat
## 0 0

We dont have any missing values in the dataframe
str(big_cities)

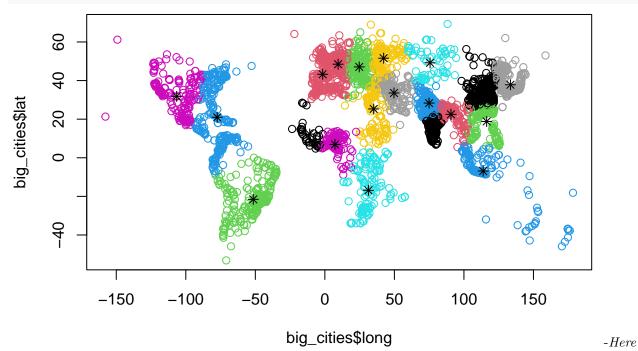
## 'data.frame': 4000 obs. of 2 variables:
## $ long: num 121.5 72.8 67 -58.4 77.2 ...
```

```
## $ lat : num 31.2 19 24.9 -34.6 28.7 ...
```

```
cl = kmeans(big_cities,8)
#cl$cluster
plot(big_cities$long, big_cities$lat,col=cl$cluster)
points(cl$centers, pch=8)
```



cl = kmeans(big\_cities,20)
#cl\$cluster
plot(big\_cities\$long, big\_cities\$lat,col=cl\$cluster)
points(cl\$centers, pch=8)



taking a different value of k in k-means clustering chaanges how clusters are formed around the centroids. As the value of K increases, there will be fewer elements in the cluster and cover smaller groups.

- -Here when we first took k=8, we got bigger cluster size almost resembling those of continents, which are large in area
- -When we then took k=20, we got smaller cluster size almost resembling those of sub-continents or geographical regions, which are smaller in area as compared to continents

```
#find optimal no of clusters
# library(cluster)
# gap.stat <- clusGap(big_cities, FUNcluster = kmeans, K.max = 25)
# #gap.stat
# library(factoextra)
# fviz_gap_stat(gap.stat)</pre>
```

#### Problem 2

Baseball players are voted into the Hall of Fame by the members of the Baseball Writers of America Association. Quantitative criteria are used by the voters, but they are also allowed wide discretion. The following code identifies the position players who have been elected to the Hall of Fame and tabulates a few basic statistics, including their number of career hits(H), home runs(HR), and stolen bases(SB).

Use the k-means algorithm to perform a cluster analysis on these players. Describe the properties that seem common to each cluster.

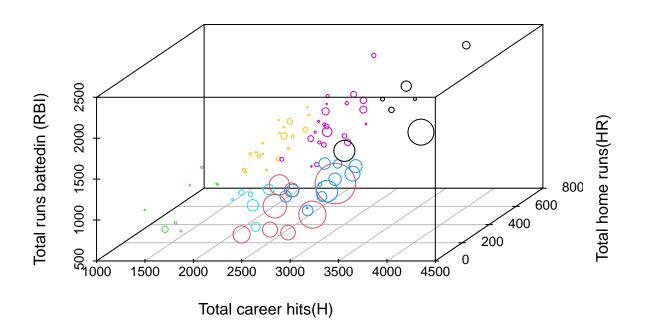
```
library(Lahman)
hof <- Batting %>%
  group_by(playerID) %>%
  inner_join(HallOfFame, by = c("playerID" = "playerID")) %>%
  filter(inducted == "Y" & votedBy == "BBWAA") %>%
  summarize(tH = sum(H), tHR = sum(HR), tRBI = sum(RBI), tSB = sum(SB)) %>%
  filter(tH > 1000)
head(hof)
## # A tibble: 6 x 5
     playerID
                   tΗ
##
                        tHR tRBI
                                     tSB
##
     <chr>
                <int> <int> <int> <int>
## 1 aaronha01 3771
                        755 2297
                                     240
## 2 alomaro01 2724
                        210 1134
                                     474
## 3 aparilu01 2677
                         83
                               791
                                     506
## 4 bagweje01 2314
                        449 1529
                                     202
## 5 bankser01 2583
                        512 1636
                                      50
## 6 benchjo01 2048
                         389
                             1376
clust <- hof %>%
  select(2:5)%>%
  kmeans(7)
clust$cluster
   [1] \ 1 \ 2 \ 2 \ 7 \ 6 \ 7 \ 7 \ 4 \ 4 \ 3 \ 6 \ 2 \ 3 \ 4 \ 7 \ 1 \ 3 \ 4 \ 7 \ 6 \ 3 \ 7 \ 7 \ 6 \ 4 \ 3 \ 6 \ 6 \ 6 \ 6 \ 6 \ 6 \ 2 \ 7
## [39] 3 4 5 7 5 7 1 7 7 4 2 1 1 6 6 7 5 2 7 6 6 6 3 6 6 5 7 6 4 2 7 4 7 5 7 7 5 1
## [77] 4 6 6 6 1 4
corrr::correlate(hof, method = "pearson", quiet=T)
## # A tibble: 4 x 5
##
     term
                  t.H
                          tHR
                                 tRBI
                                          t.SB
```

```
##
     <chr>>
               <dbl>
                         <dbl>
                                <dbl>
## 1 tH
           NA
                       0.00737
                                0.486
                                       0.451
## 2 tHR
             0.00737 NA
                                0.738 - 0.393
## 3 tRBI
             0.486
                       0.738
                                       -0.235
                               NA
## 4 tSB
             0.451
                      -0.393
                               -0.235 NA
```

-As we see we have 4 numerical variables, a 2D scatterplot could be used where we use 2 variables as axes and a third variable as bubble chart. We could use the fourth variable as color but it would be harder to visualize the cluster if we do so

-3D-scatter plot would be one suitable alternative for easy visualization of clusters

## **3D Scatter Plot**



## bubble size corresponds to Total stolen bases(SB)

Looking at the clusters we see some good similarities between observations in the dataset. It gives us idea about which baseball players are similar in performance in terms of their attributes. Players within the same cluster with similar bubble size mean that the observation are identical to each others.

This can be helpful for team managers to replace players due to injury or for any other tactical and strategical

reasons using the cluster analysis in their team

-Another possible way, we could use PCA

```
hoff <- hof %>% select(2:4)
require(graphics)
pca = princomp(hoff, cor=T) # principal components analysis using correlation matrix
pc.comp = pca$scores
pc.comp1 = -1*pc.comp[,1] # principal component 1 scores (negated for convenience)
pc.comp2 = -1*pc.comp[,2] # principal component 2 scores (negated for convenience)

X = cbind(pc.comp1, pc.comp2)
cl = kmeans(X,7)
cl$cluster

## [1] 2 6 6 5 5 5 5 7 6 4 7 6 4 6 1 3 4 3 1 7 1 5 5 2 6 1 2 5 6 1 7 7 7 5 5 7 6 5
## [39] 4 3 1 5 6 5 2 5 1 3 1 2 2 2 7 5 1 6 5 7 7 2 4 7 2 1 5 7 6 6 5 3 5 1 5 5 6 3
## [77] 3 7 2 2 2 7

plot(pc.comp1, pc.comp2,col=cl$cluster)
points(cl$centers, pch=16)
```

