CH365 Chemical Engineering Thermodynamics

Lesson 7
Enthalpy, Heat Capacity, and Open Systems – Part 2

Professor Andrew Biaglow

Measures of Flow

$$\dot{m} = \text{mass flow rate} \left(\frac{\text{kg}}{\text{s}}, \frac{\text{lb}_{\text{m}}}{\text{hr}}, \text{ etc.} \right)$$

$$\dot{n} = \text{molar flow rate} \left(\frac{\text{mol}}{\text{s}}, \frac{\text{lbmol}}{\text{s}}, \text{ etc.} \right)$$

$$\dot{q} = volumetric flow rate \left(\frac{m^3}{s}, \frac{ft^3}{min}, etc.\right)$$
 sometimes v (lower case)

$$u = velocity \left(\frac{ft}{hr}, \frac{m}{s}, etc. \right)$$

$$\dot{m} = M\dot{n}$$
 $M = molar mass$

e.g.,
$$\frac{kg}{s} = \frac{kg}{kmol} \cdot \frac{kmol}{s}$$

$$\dot{m} = uA\rho$$
 $A = cross-sectional area = $\frac{\pi D^2}{4}$ $\rho = density = \frac{1}{V}$ [=] $\frac{kg}{m^3}$$

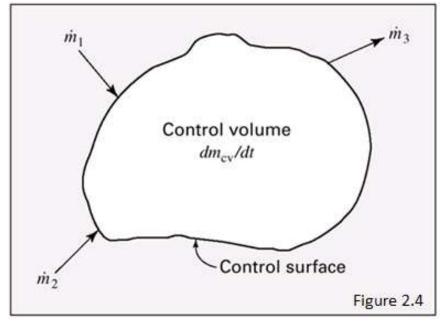
V is specific or molar volume (upper case)

$$\dot{n} = uA\rho \cdot \frac{1}{M}$$
 e.g., $\frac{lb_m}{sec} = \frac{ft}{sec} \cdot ft^2 \cdot \frac{lb_m}{ft^3}$

2.23b – M is missing on p. 47

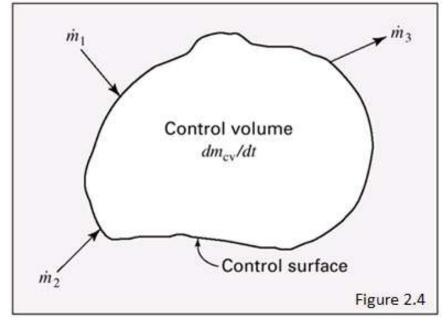
Slide 3

Mass Balance for Open Systems



This diagram changes in Figure 2.5 in a very important way.

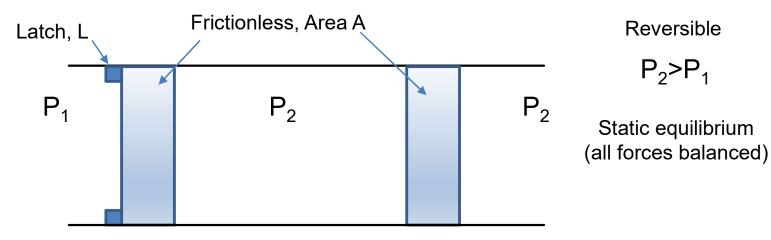
Mass Balance for Open Systems



This diagram changes in Figure 2.5 in a very important way with the addition of frictionless pistons, but there is no explanation of this in the textbook.

Frictionless "Double Piston" Slide 5

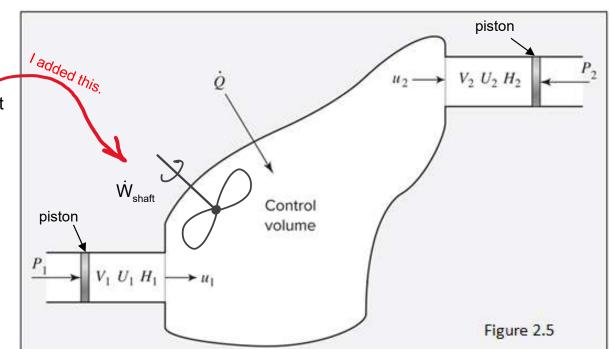
Understanding the "pistons" in figure 2.5 Initially at rest, how does the system respond to a push?



General Energy Balance

Shaft work is not illustrated in Figure 2.5 but is used in the equations.

Question: How does the system respond to a "push" on the left-hand piston?



Steady-State Systems

$$\Delta \Bigg[\Bigg(H + \frac{u^2}{2} + gz \Bigg) \dot{m} \Bigg]_{fs} = \dot{Q} + \dot{W}_{S}$$

general open system steady-state energy balance

$$\Delta\!\left(H\!+\!\frac{u^2}{2}\!+\!gz\right)\!\dot{m}=\dot{Q}+\dot{W}_{S}$$

2.30

constant flow open system energy balance (constant density) with one inlet and one outlet.

SI units:
$$\Delta H + \frac{\Delta \left(u^2\right)}{2} + g\Delta z = Q + W_S$$

2.31

First law of thermodynamics for steady-state, steady flow, constant density process with one inlet and one outlet

English units:
$$\Delta H + \frac{\Delta (u^2)}{2g_c} + \frac{g}{g_c} \Delta z = Q + W_s$$

all properties are energy per mass

$$\frac{\dot{Q}}{\dot{m}} = Q$$
 $\frac{\dot{W}_S}{\dot{m}} = W_S$

$$\Delta H = Q + W_S$$

Ignoring kinetic and potential energy changes

Questions?

Problem 2.28

Nitrogen flows at steady state through a horizontal, insulated pipe with an inside diameter of 1.5 inches. A pressure drop results from flow through a partially opened valve. Just upstream from the valve, the pressure is 100 psia, the temperature is 120 °F, and the average velocity is 20 ft/s. If the pressure just downstream from the valve is 20 psia, what is the temperature? Assume for nitrogen that PV/T is constant, with C_V =(5/2)R, and C_P =(7/2)R. (Values of R are given in App. A)

Problem 2.38

Carbon dioxide gas enters a water-cooled compressor at conditions P_1 = 15 psia and T_1 = 50 °F, and is discharged at conditions P_2 = 520 psia and T_2 = 200 °F. The entering CO_2 flows through a 4-inch-diameter pipe with velocity 20 ft/s⁻¹ and is discharged through a 1-inch-diameter pipe. The shaft work supplied to the compressor is 5,360 Btu/lb-mol⁻¹.

What is the heat transfer rate from the compressor in Btu/hr-1?

Additional Information:

$$H_1 = 307 \text{ (Btu)(Ib}_m)^{-1} \text{ and } V_1 = 9.25 \text{ (ft)}^3 \text{ (Ib}_m)^{-1}$$

$$H_2 = 330 \text{ (Btu)(Ib}_m)^{-1} \text{ and } V_2 = 0.28 \text{ (ft)}^3 \text{ (Ib}_m)^{-1}$$