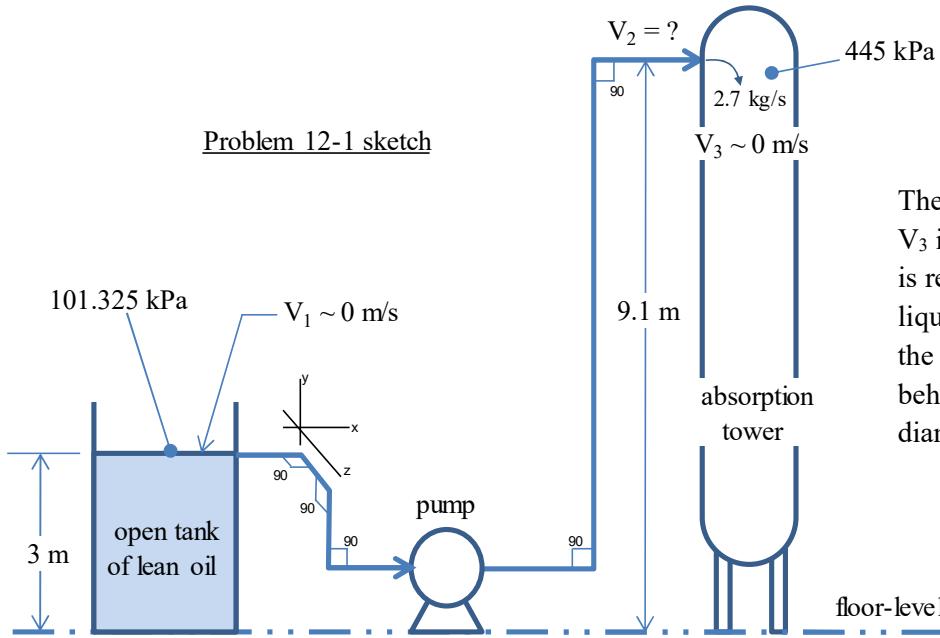


**Problem 12-1**

Estimate the size of the motor necessary to pump lean oil to the top of an absorption tower operating at a pressure of 445 kPa. The oil is to be pumped from an open tank with a liquid level 3 m above the floor through 46 m of pipe with an inside diameter of 0.078 m. There are five 90° elbows in the line, and the top of the tower is 9.1 m above the floor level. A flow of 2.7 kg/s of lean oil is required. The viscosity of the oil is 15 cP, and its density is 857 kg/m<sup>3</sup>. Assume that the efficiency of the pumping system including the motor is 40%. Report the motor size in watts.

**Solution:**

Start by making a sketch of the system such as the one shown below and then apply the mechanical energy balance.



The assumption that  $V_3$  is about equal to 0 is reasonable since the liquid is held up on the top tray, which behaves like a large-diameter vessel.

Assuming that the fluid is incompressible, Equation 12-12 on page 492 is the most convenient and appropriate form of the mechanical energy balance:

$$W_o = g\Delta z + \Delta\left(\frac{V^2}{2\alpha}\right) + \Delta(pv) + \Sigma F = g(z_2 - z_1) + \frac{V_2}{2} + \frac{p_2 - p_1}{\rho} + \Sigma F$$

The correction factor  $\alpha$  is assumed to be 1 (assuming turbulent flow). Also assume that the velocity of the fluid entering the pipeline is zero, so that  $V_1=0$ , and that the velocity in the tower is zero, so that  $V_3=0$ . The velocity of the fluid inside the pipe is given by

$$V_2 = \frac{(2.7 \frac{\text{kg}}{\text{s}}) / (857 \frac{\text{kg}}{\text{m}^3})}{\pi(0.078\text{m})^2 / 4} = 0.659 \frac{\text{m}}{\text{s}}$$

## PROBLEM SET 1

The Reynolds number is needed to calculate the frictional losses, and is given by

$$Rn = \frac{DV_2\rho}{\mu} = \frac{0.078m \cdot 0.659 \frac{m}{s} \cdot 857 \frac{kg}{m^3}}{0.015 \frac{kg}{m \cdot s}} = 2938.25$$

Use this value of Reynolds number to read the friction factor from Figure 12-1 on page 487, getting  $f=0.011$ .

To calculate the frictional losses, we must use Equation 12-7 on page 488. However, we must first determine the *total equivalent length* to account for the elbow, using Table 12-1:

$$L = 46m + 5 \cdot 32 \cdot 0.078m = 58.48m$$

$$F = \frac{2 \cdot f \cdot V^2 \cdot L}{D} = \frac{2 \cdot 0.011 \cdot (0.659 \frac{m}{s})^2 \cdot 58.48m}{0.078m} = 7.163 \frac{m^2}{s^2}$$

There are also frictional losses  $F_C$  due to the sudden constriction where the fluid enters the pipe.  $F_C$  for sudden constriction is given by the equation in Table 12-1 on page 490:

$$F_C = \frac{K_C \cdot V^2}{2 \cdot \alpha} = \frac{0.4 \cdot 1.25 \cdot (0.659 \frac{m}{s})^2}{2} = 0.109 \frac{m^2}{s^2}$$

Note that  $K_C$  is really a function of the big and small areas of the constriction ( $A_1$  and  $A_2$  in the sketch), but the maximum value is  $0.4 \cdot 1.25$ .

There are also frictional losses  $F_E$  due at the end of the pipe due to the sudden expansion where the fluid enters the column.  $F_E$  for sudden expansion is given in Table 12-1 on page 490:

$$F_E = \frac{(V_2 - V_3)^2}{2 \cdot \alpha} = \frac{(\sim 0 - 0.659 \frac{m}{s})^2}{2} = 0.217 \frac{m^2}{s^2}$$

Now, go back and apply the mechanical energy balance:

$$W_o = 9.8 \frac{m}{s^2} \cdot (9.1m - 3.0m) + \frac{445000Pa - 101325Pa}{857 \frac{kg}{m^3}} + \frac{(0.659 \frac{m}{s})^2}{2} + (0.109 + 7.170 + 0.217) \frac{m^2}{s^2} = 468.5 \frac{m^2}{s^2}$$

To convert this answer to Watts, multiply by the mass flow rate:

$$W_o = 468.5 \frac{m^2}{s^2} \cdot 2.7 \frac{kg}{s} = 1265.0 \text{ Watts}$$

To calculate the power input to the pump-motor system, divide by the efficiency:

$$W_{in} = \frac{1265.0 \text{ Watts}}{0.4} = \underline{\underline{3162.5 \text{ Watts}}} \text{ ANS}$$

## Design tool for incompressible flow in pipes

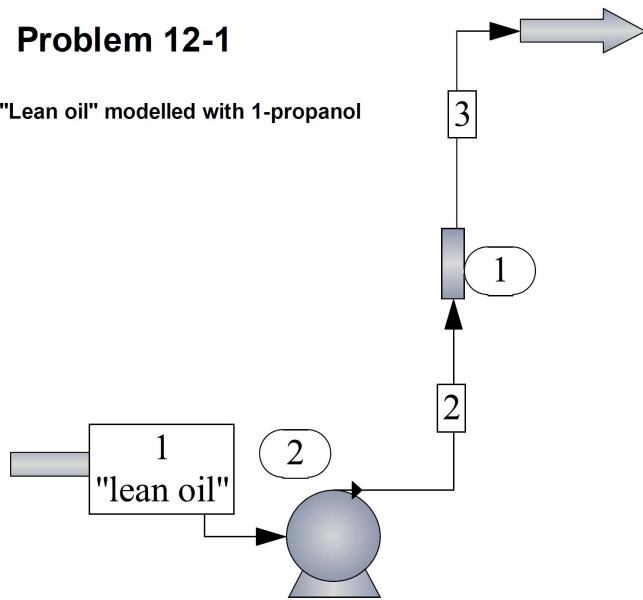
## PTW, Problem 12-1.

Yellow highlighting designates required user input.

QUANTITY	Symbol	Units	Specs	Cell Name	Formulae and notes
viscosity	$\mu$	$\text{kg/m}\cdot\text{s}$	0.015	mu	u/s (user specified)
density	$\rho$	$\text{kg/m}^3$	857	rho	u/s
flow rate, specified	$m_v$	$\text{m}^3/\text{s}$	0.00315	mv	u/s
diameter, specified	D	m	0.07800	D	u/s
pipe cross-sectional area	A	$\text{m}^2$	0.00478	A	s/c (spreadsheet calculation), $\pi D^2/4$
velocity	v	$\text{m/s}$	0.65933	v	s/c, volumetric flow rate divided by cross-sectional area
Reynolds number	Re	dimensionless	2938	Re	s/c, $Dv\rho/\mu$
<b>Optimal Diameter Section</b>					
diameter, optimal, SI	$D_{opt}$	m	0.0589	Dopt	s/c, nested IF statements using eqns 9-76 to 9-79, PTW, p. 404
area, optimal	$A_{opt}$	$\text{m}^2$	0.0027	Aopt	s/c, $\pi D_{opt}^2/4$
velocity, optimal	$v_{opt}$	$\text{m/s}$	1.1576	vopt	s/c, volumetric flow divided by $A_{opt}$
Reynolds number, optimal	$Re_{opt}$	dimensionless	3893	Reopt	s/c, $D_{opt}v_{opt}\rho/\mu$
<b>Potential Energy Section</b>					
elevation 1	$h_1$	m	3	hinit	u/s
elevation 2	$h_2$	m	9.1	hfinal	u/s
gravitational acceleration constant	g	$\text{m/s}^2$	9.8	g	u/s
gravitational potential head	$g \cdot \Delta h$	$\text{m}^2/\text{s}^2$ or $\text{N}\cdot\text{m/kg}$	59.78	not named	s/c
<b>External Pressure Section</b>					
pressure 1	$p_1$	Pa	101325	pinit	u/s
pressure 2	$p_2$	Pa	445000	pfinal	u/s
pressure head	$\Delta(pv)$	$\text{m}^2/\text{s}^2$ or $\text{N}\cdot\text{m/kg}$	401.0210035	not named	s/c
<b>Kinetic Energy Section</b>					
initial fluid velocity	$v_1$	$\text{m/s}$	0.00000	Vinit	s/c, from cell E10
final fluid velocity	$v_2$	$\text{m/s}$	0.65933	Vfinal	s/c, from cell E10
velocity correction	$\alpha$	dimensionless	1	alpha	n/a
kinetic energy head	$\Delta(v^2/2\alpha)$	$\text{m}^2/\text{s}^2$ or $\text{N}\cdot\text{m/kg}$	0.217359032	not named	s/c
<b>Pipe Friction Section</b>					
Colebrook relation for f			-0.000278739	not named	s/c, eq. 12-6, p. 487
pipe length	L	m	46	L	u/s
pipe roughness	$\epsilon$	m	0.0000457	eps	u/s, fig. 12-1, p. 487
fanning friction factor, turbulent	f	dimensionless	0.01108	not named	s/c, run solver to minimize blue cell with respect to cell E40
fanning friction factor, laminar	f	dimensionless	0.00545	not named	s/c, eq. 12-4, p. 487
fanning friction factor	f	dimensionless	0.01108	f	s/c, IF statement to choose laminar or turbulent
frictional loss due to straight pipe	$F_{\text{pipe}}$	$\text{m}^2/\text{s}^2$ or $\text{N}\cdot\text{m/kg}$	5.7	not named	s/c, eq. 12-7, p. 488
losses due to straight pipe + fittings	$F_{\text{pipe+fittings}}$	$\text{m}^2/\text{s}^2$ or $\text{N}\cdot\text{m/kg}$	7.2	not named	s/c, eq. 12-7, p. 488, with equivalent length $L+Le$
total friction head	$F_{\text{pipe+fittings+ec}}$	$\text{m}^2/\text{s}^2$ or $\text{N}\cdot\text{m/kg}$	7.5	not named	s/c, eq. 12-7, p. 488, with expansions and constrictions
<b>Pump Work Section</b>					
total head (pump work @ 100% efficiency)	$P_o$	$\text{m}^2/\text{s}^2$ or $\text{N}\cdot\text{m/kg}$	469	not named	Energy balance; summation of all gray cells
total head in Watts	$P_o$	W	1265	not named	s/c, $\text{m}^2/\text{s}^2 \cdot \text{kg/s}$
efficiency	$\eta$	dimensionless	0.4	eta	u/s
pump work at specified efficiency	P	$\text{m}^2/\text{s}^2$ or $\text{N}\cdot\text{m/kg}$	1171	not named	s/c, divide by efficiency
pump work at specified efficiency	P	W	3163	not named	s/c, divide by efficiency
<b>Frictional Losses Due to Fittings and Valves</b>					
Description of fittings	Le/D		number		
45° elbows	15	dimensionless		not named	u/s, Table 12-1, p. 490, fittings, valves, etc.
90° elbows, standard radius	32	dimensionless	5	not named	u/s
90° elbows, medium radius	26	dimensionless		not named	u/s
90° elbows, long sweep	20	dimensionless		not named	u/s
90° elbows, square	60	dimensionless		not named	u/s
180° bends, close return	75	dimensionless		not named	u/s
180° bends, medium radius	50	dimensionless		not named	u/s
Tee (used as elbow, entering run)	60	dimensionless		not named	u/s
Tee (used as elbow, entering branch)	90	dimensionless		not named	u/s
Couplings	0	dimensionless		not named	u/s
Unions	0	dimensionless		not named	u/s
Gate valves, open	7	dimensionless		not named	u/s
Globe valves, open	300	dimensionless		not named	u/s
Angle valves, open	170	dimensionless		not named	u/s
Water meters, disk	400	dimensionless		not named	u/s
Water meters, piston	600	dimensionless		not named	u/s
Water meters, impulse-wheel	300	dimensionless		not named	u/s
Equivalent length of fittings	Le	m	12.48	Le	s/c, summation of all losses due to fittings
<b>Frictional Losses Due to Enlargements and Constrictions</b>					
Area on narrow side of constriction/expansion	$A_{\text{narrow}}$	$\text{m}^2$	0.00478	not named	s/c, calculated earlier in cell E9
Area on wide side of constriction/expansion	$A_{\text{wide}}$	$\text{m}^2$	4.77836	not named	u/s, used a ratio of 1000 in this case
Ratio of narrow area to wide area	$A_{\text{narrow}}/A_{\text{wide}}$	dimensionless	0.001	not named	s/c, $A_{\text{wide}}$ is not known in this case, so the ratio is made small
Velocity on narrow side of constriction/expansion	$v_{\text{narrow}}$	$\text{m/s}$	0.65933	not named	s/c, volumetric flow divided by area of narrow side
Velocity on wide side of constriction/expansion	$v_{\text{wide}}$	$\text{m/s}$	0.00066	not named	s/c, volumetric flow divided by area of wide side
Losses due to enlargements	$F_e$	$\text{m}^2/\text{s}^2$ or $\text{N}\cdot\text{m/kg}$	0.21692	not named	s/c, Table 12-1, p. 490, sudden enlargement
Losses due to constrictions	$F_c$	$\text{m}^2/\text{s}^2$ or $\text{N}\cdot\text{m/kg}$	0.10859	not named	s/c, Table 12-1, p. 490, sudden constriction
Number of enlargements	---	dimensionless	1	not named	u/s, typical value is 1 for pipe emptying into a vessel
Number of constrictions	---	dimensionless	1	not named	u/s, typical value is 1 for pipe removing liquid from a vessel
Losses due to enlargements and constrictions	$F_e+F_c$	$\text{m}^2/\text{s}^2$ or $\text{N}\cdot\text{m/kg}$	0.32552	not named	s/c

### Problem 12-1

"Lean oil" modelled with 1-propanol



Stream No.	1	2	3
Name	"lean oil"		
- - Overall - -			
Mass flow kg/sec	2.7000	2.7000	2.7000
Temp K	231.5000	232.1012	232.1012
Pres Pa	101325.0000	502079.0000	445000.0000
Enth kJ/sec	-13982.	-13978.	-13978.
Entropy kJ/K/sec	-21.96	-21.94	-21.94
GibbsEnergy kJ/sec	-8898.2	-8885.8	-8885.9
-- Liquid only --			
Actual dens kg/m3	854.4092	853.9491	853.9490
Visc cP	14.98	14.65	14.64
Flow rates in kg/sec			
Ethanol	0.0000	0.0000	0.0000
N-Propanol	2.7000	2.7000	2.7000

Equip. No.	1
Name	
Method	2
Diameter m	0.0780
Calculated ID m	0.0780
Pipe length m	46.0000
Roughness factor m	4.5720e-005
Elevation change m	6.1000
Pressure drop Pa	57079.0039
Reynolds # liq	3008.6821
Fric factr liq	0.0450
Avg density kg/m3	853.9491
Calc. velocity m/sec	0.6617
Min. velocity m/sec	0.4158
DP friction Pa	5995.2720
DP elevation Pa	51083.7344
Output press. Pa	445000.0000
DP/100ft, psi	0.4768
Liquid flow kg/sec	2.7000
Liquid density kg/m3	853.9491
Liq viscosity cP	14.6487
Surface tension N/m	0.0285
EL. fittings m	9.5862
Total ELength m	55.5862
small dia./large dia.	0.0010
Standard elbow 90 de	5
Sudden contraction	1
Sudden expansion	1
Friction fac. model	1
Incl. expansion fac.	1
Pipe wall cond. W/m-	51.2818
Inclination angle	7.6204

Equip. No.	2
Name	
Output pressure Pa	502079.0000
Efficiency	0.4000
Calculated power	3168.3052
(J/sec)	
Calculated Pout Pa	502079.0000
Head m	47.8290
Vol. flow rate m3/h	11.3763
Mass flow rate kg/sec	2.7000

This problem would be fairly easy to solve in ChemCAD if the chemical composition of the lean oil were known. However, this was not given. The key to the problem is therefore to identify a reasonable component that matches the density and viscosity of the lean oil. This is sometimes referred to as using a "pseudo-component."

After some searching, I settled on 1-propanol at 231.5 K, which is a pretty close match. The given density was 857 kg/m<sup>3</sup> and the viscosity was given as 15 cP. The corresponding values for 1-propanol at 231.5 K are 854.4 and 14.98.

The calculated pump power of 3168 J/s is in good agreement with the value of 3163 W from the by-hand calculations. The small difference is due to small differences in viscosity and density and the Le/D values used by CHEMCAD.

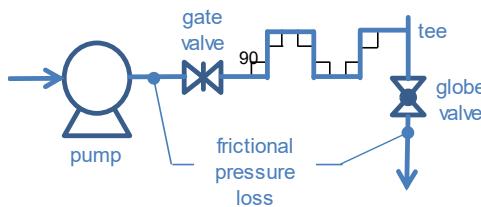
The pipeline tool allows the user to set fluid properties to their own values and then override the CHEMCAD values. Trying this and changing the density and viscosity to the values given in the problem statement, changes the Reynolds number from 3009 to 2938, in excellent agreement with the by-hand calculations. However, this changes the pump power from 3168 W to 3170, or an increase of 2 W. So there is an effect, but it is small and in the wrong direction.

**Problem 12-2**

What is the pressure loss when 2.14 kg/s of pure benzene at 40 °C flows through a 21-m length of straight pipe with an inside diameter of 0.0409 m? The pipeline contains six 90° elbows, one tee used as an elbow (equivalent resistance equal to 60 pipe diameters), one globe valve, and one gate valve. The density of benzene is 849 kg/m<sup>3</sup>, and its viscosity at 40 °C is 5×10<sup>-4</sup> Pa·s. Report the pressure loss in Pa.

**Solution:**

Start by making a sketch of the system, and then apply the frictional loss Equation 12-7, p. 488.



Start with velocity inside the pipe, which is given by

$$V_2 = \frac{(2.14 \frac{\text{kg}}{\text{s}}) / (849 \frac{\text{kg}}{\text{m}^3})}{\pi (0.0409 \text{m})^2 / 4} = 1.919 \frac{\text{m}}{\text{s}}$$

The Reynolds number is given by

$$Rn = \frac{DV\rho}{\mu} = \frac{0.0409 \text{m} \cdot 1.919 \frac{\text{m}}{\text{s}} \cdot 849 \frac{\text{kg}}{\text{m}^3}}{0.0005 \frac{\text{kg}}{\text{m}\cdot\text{s}}} = 133,271$$

Use the Reynolds number, read the friction factor from Figure 12-1 on page 487, getting  $f=0.0055$ . The *total equivalent length* accounts for the elbows, tee, and valves (Table 12-1):

$$L = 21 \text{m} + (6 \cdot 32 + 60 + 300 + 7) \cdot 0.0409 \text{m} = 43.86 \text{m}$$

$$F = \frac{2 \cdot f \cdot V^2 \cdot L}{D} = \frac{2 \cdot 0.0055 \cdot \left(1.919 \frac{\text{m}}{\text{s}}\right)^2 \cdot 43.86 \text{m}}{0.0409 \text{m}} = 43.440 \frac{\text{m}^2}{\text{s}^2}$$

To convert this answer to Pa, multiply by the density:

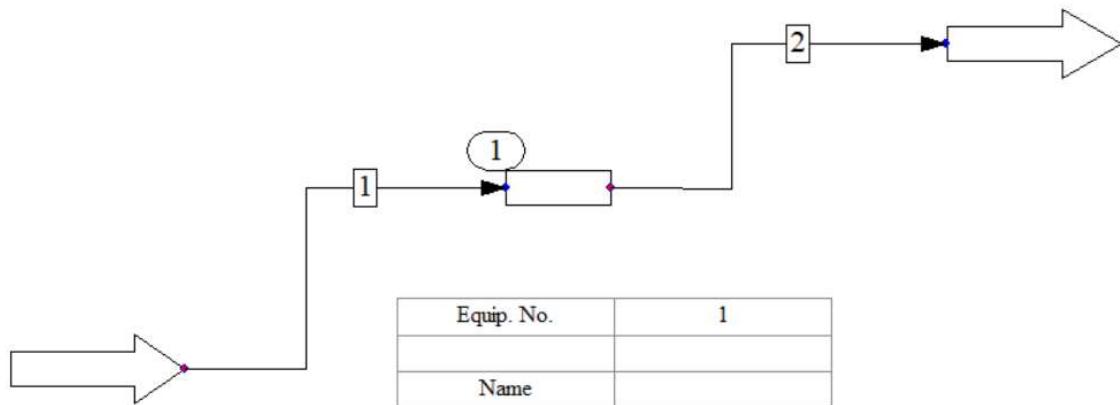
ANS may vary slightly depending on how you read the "Moody Plot"

$$F = 43.440 \frac{\text{m}^2}{\text{s}^2} \cdot 849 \frac{\text{kg}}{\text{m}^3} = \underline{\underline{36,881 \text{ Pa}}} \quad \text{ANS}$$

CHEMCAD answer is 37.1 kPa  
(set roughness correctly!)

Excel answer is 43.5 N·m/kg  
36.9 kPa when multiplied by  $\rho$   
(essentially the same)

Design tool for incompressible flow in pipes						
PTW 12-2 Yellow highlighting designates required user input.						
<b>QUANTITY</b>	<b>Symbol</b>	<b>Units</b>	<b>Specs</b>	<b>Cell Name</b>	<b>Formulae and notes</b>	
viscosity	$\mu$	kg/m s	0.0005	mu	u/s (user specified)	
density	$\rho$	kg/m <sup>3</sup>	849	rho	u/s	
flow rate, specified	$m_v$	m <sup>3</sup> /s	0.002521	mv	u/s	
diameter, specified	D	m	0.04090	D	u/s	
pipe cross-sectional area	A	m <sup>2</sup>	0.00131	A	s/c (spreadsheet calculation), $\pi D^2/4$	
velocity	v	m/s	1.91883	v	s/c, volumetric flow rate divided by cross-sectional area	
Reynolds number	Re	dimensionless	133259	Re	s/c, $Dv/\mu$	
<b>Optimal Diameter Section</b>						
diameter, optimal, SI	D <sub>opt</sub>	m	0.0488	Dopt	s/c, nested IF statements using eqns 9-76 to 9-79, PTW, 5th ed, p. 404	
area, optimal	A <sub>opt</sub>	m <sup>2</sup>	0.0019	Aopt	s/c, $\pi D_{opt}^2/4$	
velocity, optimal	v <sub>opt</sub>	m/s	1.3452	vopt	s/c, volumetric flow divided by A <sub>opt</sub>	
Reynolds number, optimal	Re <sub>opt</sub>	dimensionless	111577	Reopt	s/c, $D_{opt}v_{opt}\mu/1000000$	
<b>Static Head (Gravitation)</b>	<b>Potential Energy Section</b>					
	elevation 1	h <sub>1</sub>	m	0	hinit	u/s
	elevation 2	h <sub>2</sub>	m	0	hfinal	u/s
	gravitational acceleration constant	g	m/s <sup>2</sup>	9.8	g	u/s
gravitational potential head						
<b>Static Head (Pressure)</b>	g·Δh	m <sup>2</sup> /s <sup>2</sup> or N m/kg	0	not named	s/c	
	<b>External Pressure Section</b>					
	pressure 1	p <sub>1</sub>	Pa	101325	pinit	u/s
	pressure 2	p <sub>2</sub>	Pa	101325	pfinal	u/s
pressure head						
<b>Dynamic Head (Kinetic E)</b>	Δ(pv)	m <sup>2</sup> /s <sup>2</sup> or N m/kg	0	not named	s/c	
	<b>Kinetic Energy Section</b>					
	initial fluid velocity	v <sub>1</sub>	m/s	1.91883	Vinit	s/c, from cell E10
	final fluid velocity	v <sub>2</sub>	m/s	1.91883	Vfinal	s/c, from cell E10
velocity correction						
<b>Dynamic Head (Friction)</b>	α	dimensionless	1	alpha	n/a	
	kinetic energy head	Δ(v <sup>2</sup> /2α)	m <sup>2</sup> /s <sup>2</sup> or N m/kg	0	not named	s/c
<b>Pipe Friction Section</b>						
Colebrook relation for f		-2.1104E-07	not named	s/c, eq. 12-6, p. 497		
pipe length						
	L	m	21	L	u/s	
	ε	m	0.0000457	eps	u/s, fig. 12-1, p. 487	
	f	dimensionless	0.00551	not named	s/c; run solver to minimize blue cell with respect to cell E40	
	f	dimensionless	0.00012	not named	s/c, eq. 12-4, p. 487	
fanning friction factor, laminar						
fanning friction factor						
frictional loss due to straight pipe						
	F <sub>pipe</sub>	m <sup>2</sup> /s <sup>2</sup> or N m/kg	20.8	not named	s/c, eq. 12-7, p. 488	
	F <sub>pipe+fittings</sub>	m <sup>2</sup> /s <sup>2</sup> or N m/kg	43.5	not named	s/c, eq. 12-7, p. 488, with equivalent length L+Le	
	F <sub>pipe+fittings+etc</sub>	m <sup>2</sup> /s <sup>2</sup> or N m/kg	43.5	not named	s/c, eq. 12-7, p. 488, with expansions and constrictions	
<b>Pump Work Section</b>						
total head (pump work @ 100% efficiency)						
total head in Watts						
efficiency						
pump work at specified efficiency						
pump work at specified efficiency						
<b>Frictional Losses Due to Fittings and Valves</b>						
Description of fittings						
45° elbows						
90° elbows, standard radius						
90° elbows, medium radius						
90° elbows, long sweep						
90° elbows, square						
180° bends, close return						
180° bends, medium radius						
Tee (used as elbow, entering run)						
Tee (used as elbow, entering branch)						
Couplings						
Unions						
Gate valves, open						
Globe valves, open						
Angle valves, open						
Water meters, disk						
Water meters, piston						
Water meters, impulse-wheel						
Equivalent length of fittings						
Le/D						
number						
not named						
u/s, Table 12-1, p. 490, fittings, valves, etc.						
15						
dimensionless						
6						
not named						
u/s						
32						
dimensionless						
not named						
u/s						
26						
dimensionless						
not named						
u/s						
20						
dimensionless						
not named						
u/s						
60						
dimensionless						
not named						
u/s						
75						
dimensionless						
not named						
u/s						
50						
dimensionless						
not named						
u/s						
60						
dimensionless						
not named						
u/s						
90						
dimensionless						
not named						
u/s						
60						
dimensionless						
not named						
u/s						
1						
not named						
u/s						
90						
dimensionless						
not named						
u/s						
0						
dimensionless						
not named						
u/s						
1						
not named						
u/s						
0						
dimensionless						
not named						
u/s						
22.86						
Le						
Le						
s/c, summation of all losses due to fittings						
Area on narrow side of constriction/expansion						
A <sub>narrow</sub>						
m <sup>2</sup>						
0.00131						
not named						
s/c, calculated earlier in cell E9						
Area on wide side of constriction/expansion						
A <sub>wide</sub>						
m <sup>2</sup>						
1.31382						
not named						
u/s, used a ratio of 1000 in this case						
Ratio of narrow area to wide area						
A <sub>narrow</sub> /A <sub>wide</sub>						
dimensionless						
0.001						
not named						
s/c, A <sub>wide</sub> is not known in this case, so the ratio is made small						
Velocity on narrow side of constriction/expansion						
V <sub>narrow</sub>						
m/s						
1.91883						
not named						
s/c, volumetric flow divided by area of narrow side						
Velocity on wide side of constriction/expansion						
V <sub>wide</sub>						
m/s						
0.00192						
not named						
s/c, volumetric flow divided by area of wide side						
Losses due to enlargements						
F <sub>e</sub>						
m <sup>2</sup> /s <sup>2</sup> or N m/kg						
1.83727						



Equip. No.	1
Name	
Method	2
Diameter m	0.0409
Calculated ID m	0.0409
Pipe length m	21.0000
Roughness factor m	4.5720e-05
Pressure drop Pa	37076.4922
Reynolds # liq	133237.8125
Fric factr liq	0.0222
Avg density kg/m3	849.0000
Calc. velocity m/sec	1.9185
DP friction Pa	37076.4922
Output press. Pa	64248.5078
DP/100ft, psi	3.7498
Stream prop. flag	1
Liquid flow kg/sec	2.1400
Liquid density kg/m3	849.0000
Liq viscosity Pa-sec	0.0005
Surface tension N/m	0.0262
EL. fittings m	22.7108
Total ELength m	43.7108
Gate valve	1
Glb seat flatBevelPlug	1
Standard elbow 90 de	6
Std T, flow-thr brnch	1
Friction fac. model	1
Incl. expansion fac.	1
Pipe wall cond. W/m	51.2818

CHEMCAD gives a pressure drop of 37,077 Pa, compared to 36,881 Pa from the by-hand calculation. CHEMCAD allows input of the exact same properties, so the difference is not due to the property estimations in CHEMCAD. There is a difference of a factor of four in friction loss equations between the textbook and the FE Reference Manual. CHEMCAD uses 0.0222 and in Lesson 2, I showed 0.0055, which accounts for the difference, which comes from the two different equations for frictional pressure drop.