

Report of Project 2

Group 4,Section-1

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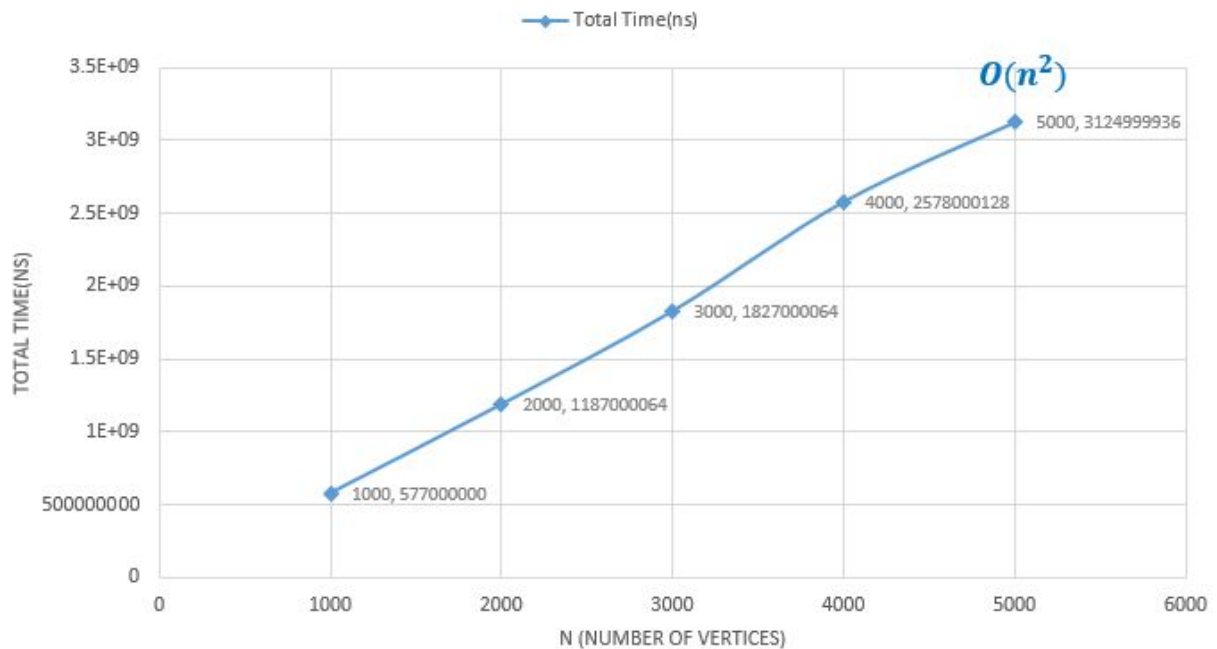
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Ans of the question no.4

	A	B
1	n(Number of Vertices)	n(Number of Vertices)
2	1000	577000000
3	2000	1187000064
4	3000	1827000064
5	4000	2578000128
6	5000	3124999936
7		
8		

COMPUTATIONAL TIME VS N



From the graph, the approximate time complexity of the program as a function of n is $O(n^2)$.

Ans to the question no.5

In the code, line 1-17, 25-26, 54-58, 63-72 will not have an effect on the final time complexity as they are all linear $O(1)$.

Line 18-24:

```
for (initial_Vertex = 0; initial_Vertex < n; initial_Vertex++)
{
    for (Terminal_Vertex = 0; Terminal_Vertex < n; Terminal_Vertex++)
    {
        a[initial_Vertex][Terminal_Vertex] = (rand() % 2); //use rand function to fill the
matrix randomly where %2 is use to put only 0 and 1
    }
}
```

From line 18 to 24, The outer loop executes n times. Every time the outer loop executes, the inner loop also executes n times. As a result, the statement in the inner loop executes a total of $n*n$ times.

Thus the time complexity is $O(n^2)$.

Line 27-53:

```
for (initial_Vertex = 0; initial_Vertex < n; initial_Vertex++)
{
    count_degree = 0;
    for (Terminal_Vertex = 0; Terminal_Vertex < n; Terminal_Vertex++)
    {
        if (a[initial_Vertex][Terminal_Vertex] == a[Terminal_Vertex][initial_Vertex]) //here
the condition follow the rules
        {
            Adjacency_Matrix[initial_Vertex][Terminal_Vertex] =
a[initial_Vertex][Terminal_Vertex];

            if (initial_Vertex == Terminal_Vertex &&
Adjacency_Matrix[initial_Vertex][Terminal_Vertex] == 1) //this is for the loops
            {
```

```

        count_degree = count_degree + 2;
    }
    else if (Adjacency_Matrix[initial_Vertex][Terminal_Vertex] == 1)
    {
        count_degree++;
    }
}
else if (a[initial_Vertex][Terminal_Vertex] != a[Terminal_Vertex][initial_Vertex])
//here did not follow
{
    Adjacency_Matrix[initial_Vertex][Terminal_Vertex] = 0; //replies the matrix with
0
}
}
total_degree = total_degree + count_degree; //summation of all degrees
//degree[initial_Vertex] = count_degree; //storage of degree of every vertex
printf("degree of vertex %d = %d \n", initial_Vertex, count_degree);
}

```

From line 27-53, Outer for loop executes n times.Inner for loop also executes n times.

In the inner for loop,there are an outer and inner if then else.In the inner if then else,

From line 36-43,

```

if (initial_Vertex == Terminal_Vertex &&
Adjacency_Matrix[initial_Vertex][Terminal_Vertex] == 1) //this is for the loops
{
    count_degree = count_degree + 2;
}
else if (Adjacency_Matrix[initial_Vertex][Terminal_Vertex] == 1)
{
    count_degree++;
}

```

Here either the statement of line 38 executes or the statement of line 42 executes.Both statements are simple and have time complexity O(1).

So,the time complexity of line 36-48= $O(\max(1,1))=O(1)$.

```

if (a[initial_Vertex][Terminal_Vertex] == a[Terminal_Vertex][initial_Vertex]) //here the
condition follow the rules
{
    Adjacency_Matrix[initial_Vertex][Terminal_Vertex] =
a[initial_Vertex][Terminal_Vertex];

    if (initial_Vertex == Terminal_Vertex &&
Adjacency_Matrix[initial_Vertex][Terminal_Vertex] == 1) //this is for the loops
    {
        count_degree = count_degree + 2;
    }
    else if (Adjacency_Matrix[initial_Vertex][Terminal_Vertex] == 1)
    {
        count_degree++;
    }
}
else if (a[initial_Vertex][Terminal_Vertex] != a[Terminal_Vertex][initial_Vertex])
//here did not follow
{
    Adjacency_Matrix[initial_Vertex][Terminal_Vertex] = 0; //replies the matrix with
0
}

```

Here,Also,In the outer if then else,both the if and else if statement holds simple statement.So,again the time complexity of line 32-48 = $O(\max(1,1)=O(1)$).

As the inner for loop executes n times and also the outer for loop executes n times.

Thus the time complexity of line 27-53= $n*n*O(1)=O(n^2)$.

Line 59-62,

```

if (total_degree == 2 * edges)
{
    printf("Handshaking theorem holds\n");
}

```

From line 59-62,

“If” has a simple statement(basic operations).so the time complexity= $O(1)$.

Thus,The total time complexity of the full code

$$= O(1)+O(n^2)+O(n^2)+O(1)$$

$$=O(\max(1,n^2,n^2,1))$$

$$=O(n^2).$$

So,theoretically the computational time complexity of the program as a function of n is $O(n^2)$.Also,From the graph in step 4,We have found time complexity of the program as a function of n is $O(n^2)$.Both are the same.