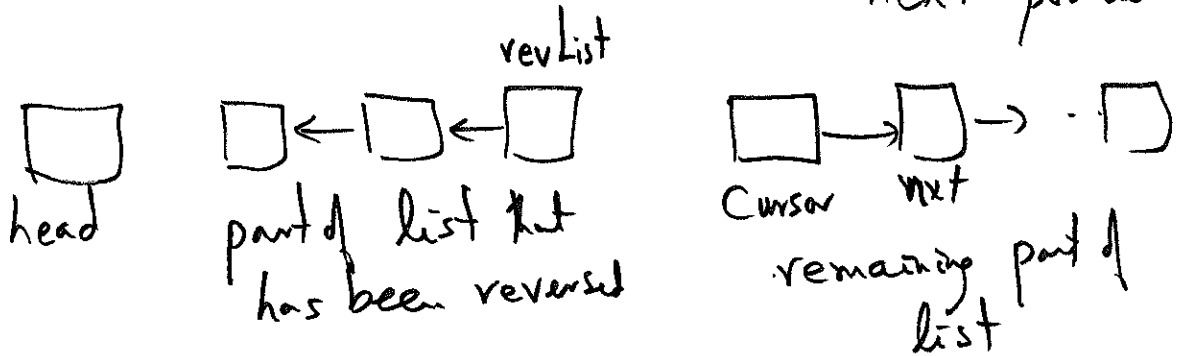


reverse() // reverse elements of a linked list.

// SLL, dummy header, Entry class with element, next pointer.

// LI:



// Initialization

`revList` \leftarrow null

`Cursor` \leftarrow `head.next`

While `Cursor` \neq null do

// Move `Cursor` ~~from~~ to `revList`

`next` \leftarrow `Cursor.next`

`Cursor.next` \leftarrow `revList`

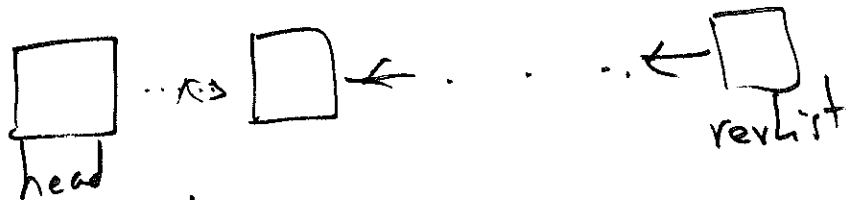
`revList` \leftarrow `Cursor`

`Cursor` \leftarrow `next`

RT = $O(n)$

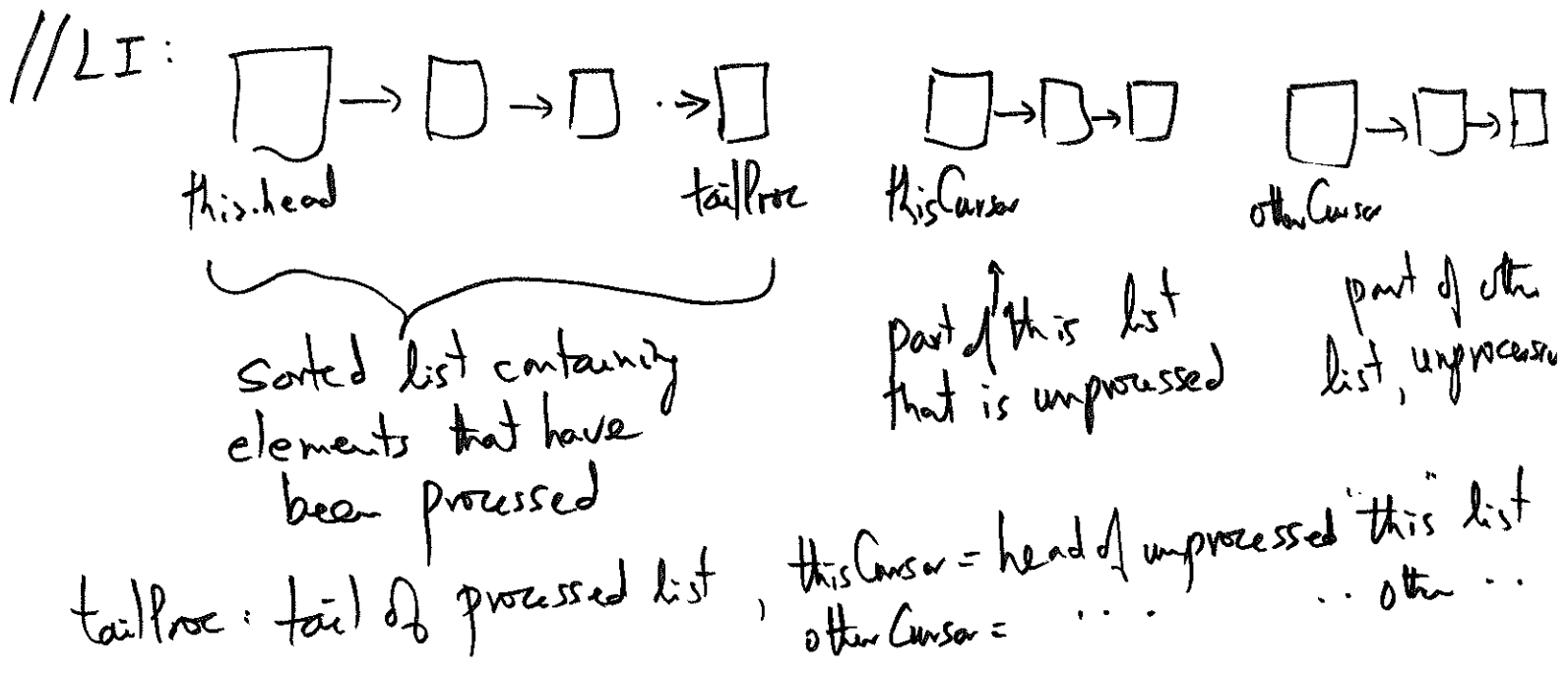
Extra space
= $O(1)$.

// Termination:



`head.next` \leftarrow `revList`

merge (~~st~~L < T> other) : // merge this list (sorted)
with other list (sorted)
into one sorted list



// Initialization:

tailProc \leftarrow this.head

thisCursor \leftarrow this.head.next

otherCursor \leftarrow other.head.next

while thisCursor \neq null and otherCursor \neq null do
if thisCursor.element \leq otherCursor.element then

tailProc.next \leftarrow thisCursor; tailProc \leftarrow thisCursor
thisCursor \leftarrow thisCursor.next

else tailProc.next \leftarrow otherCursor

~~at~~ tailProc \leftarrow otherCursor

otherCursor \leftarrow otherCursor.next

if thisCursor = null then tailProc.next \leftarrow otherCursor

else tailProc.next \leftarrow thisCursor this.tail \leftarrow other.tail

$R_T = O(n)$
Extra space
 $= O(1)$

$\text{intersection}(\text{List } a, \text{List } b, \text{List } res) : // a, b = \text{Lists, sorted sets.}$
 $res = \text{empty list (output)}$
 $it_1 \leftarrow a.iterator()$
 $it_2 \leftarrow b.iterator()$
 $x_1 \leftarrow next(it_1) \quad x_2 \leftarrow next(it_2)$
 while $x_1 \neq \text{null}$ and $x_2 \neq \text{null}$ do
 if $x_1 < x_2$ then $x_1 \leftarrow next(it_1)$
 else if $x_1 > x_2$ then $x_2 \leftarrow next(it_2)$
 else
 $res.add(x_1)$
 $x_1 \leftarrow next(it_1)$
 $x_2 \leftarrow next(it_2)$

Note: In pseudocode: if $x_1 < x_2$
 \Downarrow
 code: if ($x_1.compareTo(x_2) < 0$)

$RT = O(n) \quad n = a.size() + b.size()$

Fail safe next: $next(iterator<T> it)$:
 return $it.hasNext()$ } if $it.hasNext()$ then return $it.next()$
 ? $it.next(): null$; } else return null

Queues: List in FIFO (First-in First out) order

$\text{Enqueue}(x) = \text{add}(x)$ - add a new element at the rear of queue.

Dequeue() = remove() - remove and return element at the front of the queue.

isEmpty(), size(), clear()

Implementations:

Implementations:

① Linked List :

add(x) \rightarrow list.add(x).O(1)

remove() \rightarrow list.removeFirst().O(1)

↳ used in single threaded applications.

e.g.: Breadth-first search (BFS)

Queue <Vertex> q = new LinkedList<>();

② ArrayDeque : array-based double ended queue.
add/remove elements from both ends.

Active elements occupy some part of array
(not necessarily from index 0).

③ Bounded sized queues. — used in multithreaded/
multiprocessor apps
Producer/Consumer applications.
 $\text{add}(x) \rightarrow \text{offer}(x)$
 $\text{remove}() \rightarrow \text{poll}()$

Producer / Consumer applications.

~~add(x)~~ → offer(x)
~~remove()~~ → poll()