Search, FW and Salingen, GL

Thermadynamics: Kinetic Theory and Statistical Mechanica.

Thermal Leconologyamic excellibrium; When an arbitary rystem is inolated and left to itself; it's properation will in general change with time. If initially there are temperature difference bett pants of the system, may move after a significantly sufficiently long time the temperature will become the same at all Points and then the system is in thermal equilibrius. Mechanical equilibrium: If there are variations in Pressure on elastic stress within the system, Pants of the system may more, on exposed OR contract. Eventually these motions, expansions, or contractions will cease and when this has happened we say that the opstern is in mechanical equilibrium.

Chamical equilibrium: If we suppose that a system contains substances that con treact chemically. After a sufficiently long time has elapsed, all fossible chemical reactions will have taken place, and the system is then said to A system which is in thermal, mechanical, and chemical equilibrium be in chemical equipibrium.

in said to be in thermody namic equilibrium.

Diffusive excilibrium: Owiff no flow of matter from one system to another.

The steady state with no flow of matter from one njotem to another)
resulting from the diffusion process in called diffusive aquilibrium.

Phase equilibrium: A substance in in phase equilibrium when more than one Phane of a nubrotance (nolid, lieuid, gan) in Prenent and the amount of material in each phase does not change.



Thenmodynamic process: When the system undergoes change from & & .
Thenmodynamic state to final state due to change in Properation like temperature, Pressure, volume etc., the oystem in said to have undergone thenmody namic Process. Quarintatic Process: If a process is carried out in such a way that cel every instant the system departs only infinitesimally from an equilibriu state, the Process in Called Eugsistatic (ie; almost statio). Thus a guardotatic process closely approximates a succession of equilibrium states. If there are finite departures from exuilibrium, the Process is nonquasistatic. All actual processes are nonevasistatic because they take place with finish differences of Pressure, temperature, etc., between pants of a system. Neverthelen, the concept of a Eccanintatic Process is a useful and import one in thermodynamica. Inochoric Process: A Process in which the volume of a system in constar in called inovolumic on inochonic gnocem. dv=0 Inobanic process. If the pressure in constant the Process in called isoban dp=0. Inothermal Process: A process at constant temperature in called nothermal Procen. dT=0 Adiabatic Process: A Process cannied out by a system enclosed by an adjabatic boundary in which there is no flow of heat a cross the boundary in an adiabatic Procent da = 0

seversible process: A reversible process in a Process whose direction con be reversed without Producing any changes in the thermodynamic properties of the universe in called a neversible process.

Suppose, the motern han undergoes a change from state A to B. If the ofolem can be restored from state B to state A and there is no change. in the universe, then the process in said to be a reversible process. Thus for reversible process, it is very slow process and all of the initial and final state of the nontern should be in equilibrium with each other. Innevernible process If a process undergoes a change in which it can not regain it's initial state without doing any external effort or work is called inneversible Process. It also called natural Process because all the Processes occuring in nature are innevensible processes.

Cyclic Process: If a Process in undergoing a change in which it regains its initial state at the end of the cycle then it is called a cyclic Process. In a cyclic process the initial and final state in some and net change in internal energy du in zeno i.e; du=0, an internal energy depends only

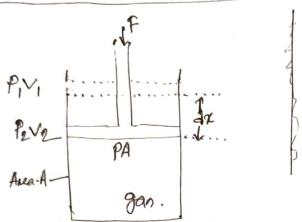
on the state of the statem

For cyclic Process, the first law of thermodynamics can be stated as, 9dQ=6du+6dW on, 6da = 6dw ... 6du=0]

. Total energy obtained = Net WORK done. Thus, no work is obtained if no heat is supplied of work can be obtained only at the cost of energy. from indicator diagnam we can write,

Q = Area ABCDA.

Workdone in reversible isothermal Process:



Suppose that gas in the initial exuilibrium state (Pivi) is compressed to a new exuilibrium state (Pzvz) by increasing the external force on the Piston and and allowed allowing it to stide in. If no frictional forces are present, all of this work goes into Periforming work on the gas.

Suppose that, at one of the intermediate excilibraism states during the nevertible compression, the pressure in ρ and the balancing force on the Pioton is ρ .

Then as shown in Pig, ρ = ρ A

where, A in the area of the pinton. If the force in increased infinitesimally no that the Pinton moves in by dx, the workdone on the gas by surnounding applying the force fix, dw=fdx

+ + PAda

> dw=- pdv.

De The - (re) sign in because during compression the volume in decreased, but the workdome on the gan in possitive.

The total work Petito mmed on the gan on the process in, W=-Spdv Piri > P2V2

For I mole gar,

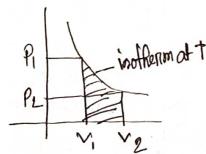
PV=RT

Where, vi and ve are the initial and final volumen.

Workdone in revensible hoffenmal Process, (For on mole)

Workdome in isoffermal irreversible Process,

Comparison of work in reversible and intervensible Process,



(1) treversible work done

(11) Invereraible workdone.

El Differential relation between differential state variable. &

FOR inobanic Procent, dp = 0

$$\Rightarrow \left(\frac{\partial p}{\partial T}\right)_{V} = -\left(\frac{\partial p}{\partial V}\right)_{T} \cdot \left(\frac{\partial v}{\partial T}\right)_{p}$$

$$\left(\frac{\partial P}{\partial v}\right)_{T}\left(\frac{\partial V}{\partial T}\right)_{P}\left(\frac{\partial T}{\partial P}\right)_{V}=-1$$

* verify the relation for ideal gan:

For one mole of ideal gas,

$$\frac{1}{2} \left(\frac{\partial P}{\partial V} \right)_{T} = \frac{\partial P}{\partial V} \left(\frac{PT}{V} \right)$$

$$= \frac{RT}{P}$$

$$= \frac{RT}{P}$$

$$\therefore \left(\frac{\partial T}{\partial P}\right)_{V} = \frac{\partial T}{\partial P} \left(\frac{PV}{R}\right)$$

$$\left(\frac{\partial P}{\partial V}\right)_{T} \cdot \left(\frac{\partial V}{\partial T}\right)_{P} \cdot \left(\frac{\partial T}{\partial P}\right)_{V} = -\frac{RT}{V2} \cdot \frac{R}{P} \cdot \frac{V}{P}$$

$$=-\frac{RT}{PV}$$

$$= -\frac{RT}{PV}$$

$$= -\frac{PV}{PV} \quad [:.PV=RT]$$

 $=\frac{R}{D}$

$$=-1$$

A first law of Harmodynamics;

Statement: The total work in the same in all adiacaliabatic process between any two equilibroism state having the same kinetic and potential energy.

Wadiabatic = lez-lg = Dle

Wad \$ DU

1. DU-W=Q

: DU=W+Q

.'. du = dw + dQ [dw=-pdv]

i. da = du+pdv.

The amount of heaf a on to in taken Positive if heat in supplied to the system and negative if heat in tremoved from the system. Similarly, the work W on two taken Positive if the external work is done by the system in expansion and negative if the work is done on it in compression.

The Significance of the first law of thermodynamics:

The first law of thermodynamics is important because -

1. It applicable to any process by which a system undergoes a Physical on chemical change.

2. It introduce the concept of internal energy.

3. If Providen the method for determining the change in Internal energy.

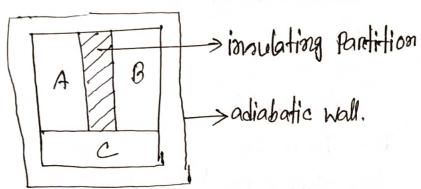
Limitations The first law of theremodynamics in based on the Principle of Conservation of energy of a system. Though it is applicable to energy every Process in nature between the equilibrium states it does not specify the condition under which a system can use it's heat Ramelta energy to produce a supply of mechanical work. It does not work.

The condition under which a system can use it's heat Ramelta energy to produce a supply of mechanical work. It does not work.

12 Zerroth by of therromodyonamics:

It states that if two bodies each one separately in thermal equilibrility with a third body then the two bodies are also in thermal equilibrility with each other.

Explanation:



Suppose, two systems A and B are insulated from each other and good contact with a common system c.

Systems A and B attain thermal equilibrium with system C. Now, if the insulating partition is removed and brought system A and B into thermal contact. We find that there is no further change. This means the system A and B are also in thermal equilibrium with each other. This is known as zeroth bu of thermodynamics.

Adjabatic expansion of ideal gas; Consider, I gam of working substance (ideal gas) perfectly isolated from the system and let the external work done by the gas is dw = pdv. Applying the first but of thermodynamics, da=du+Pdv. Heat capacity at constant volume for that system; Cr= du : du = cvdT 1. from esu(); da = cuattadv FOR ideal gas, pv=RT Partvap = Rat : Par= Rat-vap. Substituting equ. 1 in equ. 2; dQ = CvdT+RdT-vdP = (Cv+r)dT-VdP = CpdT-Vdp [: Cp-Cv=P] For adiabatic process, dQ=0 Thus, from equ. (2) and (9); CVdT=-PdV CPdT=VdP 6 - 6; 8 = Co = - vdp 20 = - 8 200 : Inp = - Vlov + look.

$$\Rightarrow \ln p + 2 \ln v = \ln k$$

$$\Rightarrow \ln (p \vee r) = \ln k$$

We know, pro = constant.

$$\Rightarrow \frac{p^2 - p^2}{p^2 \cdot p^2} = constant$$

$$\Rightarrow \frac{D_{\delta}-1}{T_{\delta}} = constant$$

$$\Rightarrow \frac{-x}{-x} lnT - \left(\frac{x-1}{x}\right) ln P = conntant.$$

Heat capacity: Heat capacity of a delbady in defined by an the amount of absorbed on nejected to change the temperature by one unit. S = da mail l'england de mail

in the an taking of

A tak sama id

Molar specific heat: Molar specific heat of a gaseous substance in defined as the amount of heat absorbed on nejected to change the temperrature of one mole of it by one conit.

Molar specific heat - Molar specific heat at constant pressure, Cp

Molar specific heat - Lean specific heat at constant volume, Cr

Molar specific heat at constant pressure, G: If we want to increase one degree temperature of a system by keeping the pressure constant, the nequined amount of heat in called heat capacity at constant Prenune If we restrict the increase in Pressure, the supplied heat will maneage the temperature and volume.

Ramelta

Ramelteon 8 mg tablet

molan specific heat at constant volume, Cv: If we want to increase one degree temperature of a system by keeping the volume constant the nequined amount of heat in called heat capacity at constant volume. If we restrict the increase in volume, the supplied heat will increase the temperature and Pressure of the system.

$$C_{v} = \frac{1}{m} \cdot \frac{dQ_{v}}{dT}$$

A Why Coscu?

Som: According to first law of thermodynamics, de=du+dw.

From the definition of Co and Cv in a constant Pressure (isobanic) and constant volume (isochonic) Process respectively,

:. da = m.cv.dt

In a constant volume (isochonie) Procens , dw=0 where in a constant Pressure (isobanic) Procens, work in Jone. Hence,

dap>dav.

Since, cp and Cu are proportional to day and day respectively then we can say that copyar.

When gas its heated at constant Pressure (cp) it requires more heat emergy and there is a change is in internal energy and external work done.

But, in core of constant volume, (cr) there is no external workdone so that the given heat has to increase only internal energy.

Therefore, Cp is always greater than Cv.

Difference between different heat capacitons for one mole of ideal gas: From finat law of flurmodynamics, da=du+Pdv -----O Internal Energy, u=u(ナ,v) 1. du = (34) dT + (34) dv Putting equ(3) in equ. (1) we get, ta = (du) ot + (du) + P] du > 部一一部八十一部計 FOR isochonic Process, at = 0 Cv = (da) = (20) v - (5) For inobaric Process, dp = 0 Cp = (da) = (du) + P = (20) + (20) + P (2v) - 6 = Cx + (20) + P (2x) p [cx=(2u)] :. Cp-Cv=[(20) +P](2v)p I What will

For ideal gars,
Internal energy, U=3/2RT

U=U(T)

((2U) = 0

Ramelta MRamelta MRamelteon 8 mg tablet

: In case of ideal gas,

$$Cp-Cv = P(\frac{\partial V}{\partial T})p$$

We know, for one mole of ideal gar,

荆

Calculation of co and cr for monoatomic ideal gen;

for ideal gan internal energy,

Molar specific heat that constant volume,

$$Cv = \frac{du}{dT}$$

$$= \frac{d}{dT}(\%RT)$$

$$= \frac{3}{2}R$$

Molan repecific heat at constant prenoune, we know,

$$=\frac{2R+3R}{2}$$
$$=72R.$$

we know,
$$8 = \frac{Cp}{Cn}$$

$$= \frac{5/e \cdot P}{3/e \cdot P}$$

$$= \frac{5/g \cdot P}{3/e \cdot P}$$

HOTKdome in adiabatic process.

In adiabatic Process, da=0

. Workdone in adiabatic Process,

$$W = -\int_{0}^{\sqrt{2}} P dv$$

$$= -\int_{0}^{\sqrt{2}} \frac{RK}{\sqrt{2}} dv \qquad \left[PV^{3} = PK \Rightarrow P = \frac{RK}{\sqrt{2}} \right]$$

$$= -\int_{0}^{\sqrt{2}} \frac{RK}{\sqrt{2}} dv dv$$

$$= -K \int_{0}^{\sqrt{2}} \frac{\sqrt{2}}{\sqrt{2}} dv dv$$

$$= -K \left[\frac{\sqrt{2}}{\sqrt{2}} + 1 \right]_{0}^{\sqrt{2}} \frac{Rame}{\sqrt{2}}$$

$$= -K \left[\frac{\sqrt{2}}{\sqrt{2}} + 1 \right]_{0}^{\sqrt{2}} \frac{Rame}{\sqrt{2}}$$

$$= -K \left[\frac{\sqrt{2}}{\sqrt{2}} + 1 \right]_{0}^{\sqrt{2}} \frac{Rame}{\sqrt{2}}$$

$$= -K \left[\frac{\sqrt{2}}{\sqrt{2}} + 1 \right]_{0}^{\sqrt{2}} \frac{Rame}{\sqrt{2}}$$
Ramedon 8 mg table

$$= \frac{K}{-\gamma+1} \cdot (V_2 - V_1 - \gamma)$$

$$= \frac{K}{-\gamma-1} \cdot (V_2 - V_1 - \gamma)$$

$$= \frac{K}{\gamma-1} \cdot (V_1 - V_1 - \gamma)$$

$$= \frac{K}{\gamma-1} \cdot (V_1 - V_1 -$$

Dence, the workdone in adiabatic process depends only upon the mittal and final temperature of and Tz.

2) W = R [12-17]

= R [871-12]