# Capstone 2 - US Used Car Sales Predictive Model

## A. Objective:

To develop a predictive model that automates the domestic used car sales market appraisal and estimation/evaluation process. The main driving force behind the development of this model is to minimize laborious efforts that go into researching used car sales data (e.g. what can I get for a 2011 toyota camry SE?) by deploying a model built using historical data with the ability to consume new data (leveraging Bayesian principles – ideal, future state model).

## B. Assumptions and Exclusions:

B1. Key Assumptions/Comments →

- Prices are set by a free market (consumer demand versus available supply)
- Some potential key features were missing from this analysis: color, general condition of the car (ordinal scaling), damage/vehicle inspection history, etc.
- Accounted for missing values and erroneous/extreme data points after visualizing distributions of each variable

### B2. Key Exclusions →

- Price data was missing from about 9.24% of the dataset; these observations were dropped as a result
- Some features in the original dataset were excluded due to them having an assumed low impact: 'id',
   'vin', 'stock\_no', 'street', 'seller\_name', 'zip', 'city'
  - The vin and stock number are too granular for this analysis and would result in a ridiculously high dimensionality
  - I left the 'state' categorical variable to incorporate the spatial context; this helps to better understand the geographical impact on price
  - The 'seller\_name' was not considered fundamental for this analysis, as I'm looking to find the true demand for a given car irrespective of what a specific entity sells said car for

# C. Data Wrangling, EDA and Preprocessing:

C1. Data Collection and Wrangling  $\rightarrow$ 

- Imported the original US Car sales dataset (from Kaggle.com)
  - 1) the original dataset contained 7,104,304 used car sales transactions and incorporated 21 features (see fig 1 on the next page)
    - Excluded 7 features as mentioned in section B2
  - 2) manually added in the manufacturer origin (country)

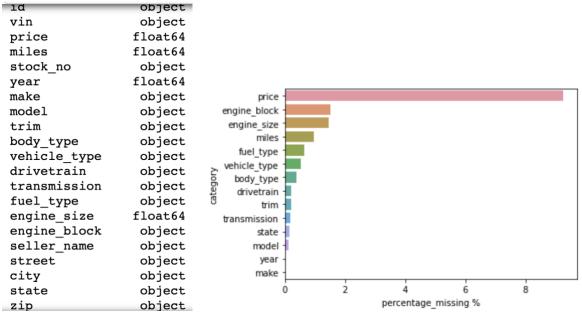
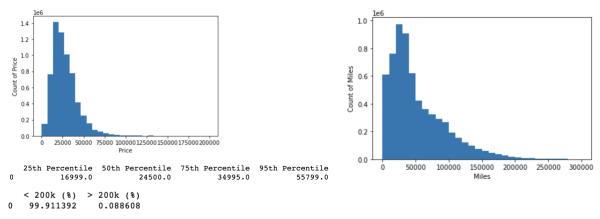


Fig. 1 – Original Dataset Features Fig. 2 – Missing data

## C2. Initial Inspection of numerical distributions $\rightarrow$



Figs. 3 and 4 – Price Distribution (left) and Mileage Distribution (right)

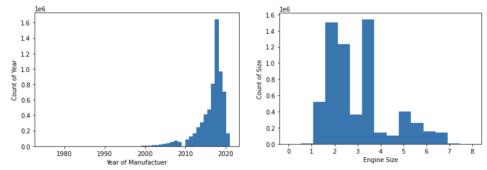


Fig. 5 – Year of Manufacturer Distribution Fig. 6 – Engine Size Distribution

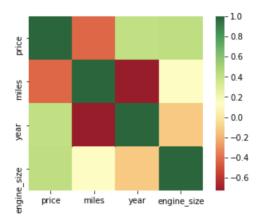
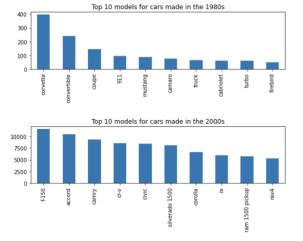


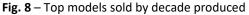
Fig. 6 – Numerical Feature Correlation

## C3. Manual inspection of the values for categorical data and cleanup $\rightarrow$

 Quite a bit of manual effort went into standardizing the naming conventions for the makes, models, fuel type and trim (example shown below)

Fig. 7 - Model cleanup





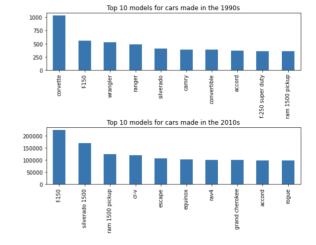


Fig. 9 – Trim cleanup

#### C4. Additional EDA →

- Because there were quite a few categorical features, it was important to visualize their distribution/impact across the dataset in a variety of ways; mainly, how did the trend changed over time
- As one would have expected, the newer cars (>2015) yielded a higher sale price, but what was
  interesting is how the FWD was continuously the lowest while the RWD/4WD median price changed
  based on the manufactured year
- Notice how the lowest valued cars appear to be made from 2000-2005; why could this be? Is it purely
  a supply v demand (meaning, most cars older then 15 years are kept in pristine condition/low mileage
  and are coveted by car enthusiasts) or is there a theme related to how a car is manufactured (do
  people just generally like the look/feel of cars in the 80s/90s moreso than the early 2000s)?
  - I believe the prevailing phenomena is the former of what was outlined above. There are significantly less cars sold that were produced before 2000 (see Fig 12 on the next page)
  - Hence, there were 1787x more cars sold that were produced from 2011-2020 when compared to ones produced from 1980-1990

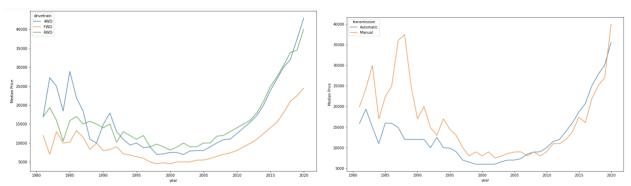


Fig. 10 – Median Price per Drivetrain Type by Year

Fig. 11 – Median Price per Transmission Type by Year

```
Total number of cars sold that were produced from 1980 - 1990: 3331

Total number of cars sold that were produced from 1991 - 2000: 17585

Total number of cars sold that were produced from 2001 - 2010: 400676

Total number of cars sold that were produced from 2011 - 2020: 5955196
```

Fig. 12 - # of cars sold per manufactured decade

- For the next investigated step, I cleaned up the fuel types, and consolidated the naming conventions
- After the cleanup, the distribution of counts/observations of the various fuel types can be seen in Fig.
   13, shown below
- Additionally, I wanted to visualize the relationship between price, fuel type and year of manufacture to get a better understanding of how the market has changed over time

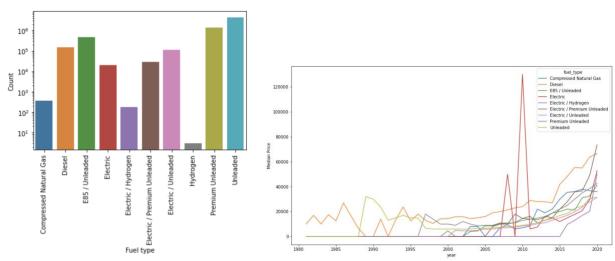


Fig. 13 - Fuel Type Counts

Fig. 14 – Price based on Fuel Type and Year

- As part of the analysis, I included the "country of origin" feature to better visualize how price is affected by the manufacturer's country; as one would expect, Italy, Germany and England are consistently higher than the other nations
- Older foreign cars appear to be more valued/coveted by car enthusiasts

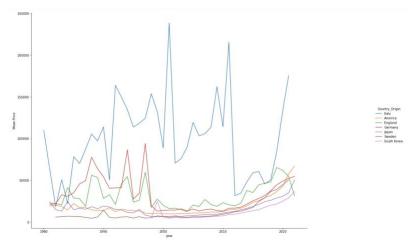


Fig. 15 – Country of Origin, Price and Year of Manufacture

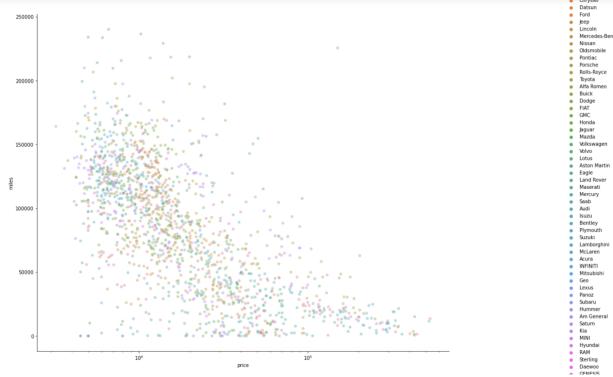


Fig. 16 – Price v Miles by Make

- The scatter plot shown above is a bit busy, but it uses a log scale for the x axis (price)
- The emphasis on this plot is to identify some outliers, as mileage and price are correlated
  - Notice how some cars > \$100k while sporting >150,000 miles; this is quite compelling and shows that some models have been deemed to warrant a heavy premium compared to the population as a whole
- The second scatter plot, shown below, brings the data up a few levels
  - Here you can see that Italian models are typically higher in price and lower in mileage when compared to the other countries of origin
  - Swedish cars are typically the cheapest and have quite a bit of mileage

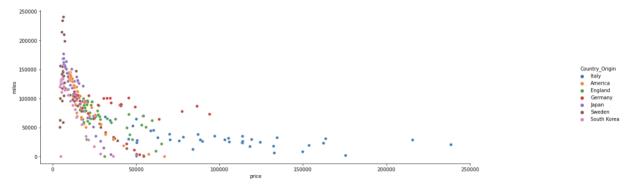


Fig. 17 – Price v Miles by Country of Origin

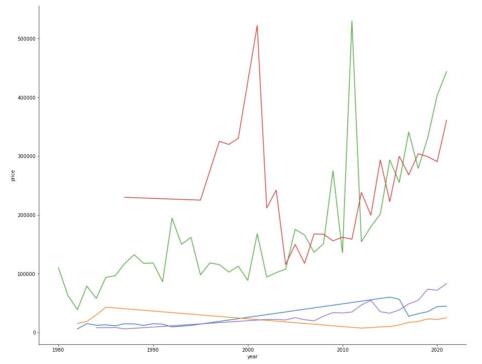


Fig. 18 – Closer look at Italian makes

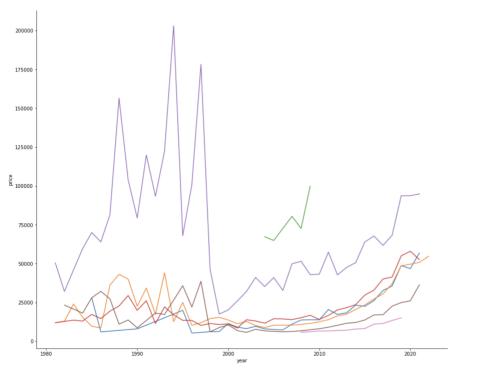


Fig. 19 – Closer look at German makes

## C5. Preprocessing →

- After dropping the rows that had no associated price, I had quite a few variables with missing values (see Fig. 20 below)
- Initially, I planned on using the missingforests imputation algorithm (or something a bit more intelligent), but it required too much time and was computationally expensive
  - Realistically, because the % of values missing is so small, a simple imputation approach is sufficient
- Because my intention was to use a tree-based regressor or a neural network, it made sense to just fill
  the missing categorical values with "missing" and the missing numerical values with something that
  would identify them as being different: miles = -10,000, year = 1900, engine size = 1.0

```
category
                    summation percentage_missing %
0
      engine_block
                         62749
1
       engine size
                         59884
                                                 0.93
2
             miles
                         35264
                                                 0.55
3
         fuel_type
                         32295
                                                 0.50
                         28129
                                                 0.44
      vehicle_type
5
                         19804
                                                 0.31
        body_type
6
                         11371
             state
                                                 0.18
7
        drivetrain
                          9613
                                                 0.15
8
              trim
                          9473
                                                 0.15
      transmission
                          8078
                                                 0.13
10
             model
                          5526
                                                 0.09
11
                            77
                                                 0.00
              year
12
   Country_Origin
                                                 0.00
13
                             0
                                                 0.00
              make
14
             price
                             0
                                                 0.00
```

Fig. 20 – remaining missing values

```
# some simple imputation methods that can be applied to the entire dataset since I'm not using any mathematical technic
# such as applying the mean/median; this will not affect the generalization ability of the training model(s)

X = X.fillna({'miles':-10000,'year':1900,'engine_size':1.0})

X[categorical] = X[categorical].fillna(value='missing')

# changing all object datatypes to "category"; this is a necessary step in order for the LGBMRegressor() to properly has
for col in X.columns:
    if X[col].dtypes == 'object':
        X[col] = X[col].astype('category')
```

Fig. 21 – imputing the rest of the missing values

- After completing the imputation of all missing values, I went ahead and created a custom dummy transformer that would handle the high dimensionality encoding requirements (fig 22 on the next page); this was necessary for testing out some of the regressors (RandomForestRegressor, LinearRegressor, XGBRegressor)
- Once the categorical variables were successfully encoded, I was looking to scale the numerical variables
- The aformentioned steps were part of the pre\_pipeline, that when combined with the model, would complete the full\_pipeline as shown in Fig. 23 on the next page

```
from sklearn.base import TransformerMixin, BaseEstimator, clone

class ToDummiesTransformer(BaseEstimator, TransformerMixin):
    """ A Dataframe transformer that provide dummy variable encoding
    """

def transform(self, X, **transformparams):
    """ Returns a dummy variable encoded version of a DataFrame

Parameters
    ______
    X: pandas DataFrame

Returns
    ______
    trans: pandas DataFrame

"""

trans = pd.get_dummies(X).copy()
    return trans

def fit(self, X, y=None, **fitparams):
    """ Do nothing operation

Returns
    ______
self: object
    """
    return self
```

Fig. 22 - Custom Dummy Encoder

```
# initializing the XGBRegressor()
# initial model took 2.97 hours and had a MSE of 28,930,331.50 using default parameters/hyperparameters
m1 = XGBRegressor()
# initializing the LinearRegressor()
# initial model took .131 hours and had a MSE of 91,910,606.69 using default parameters/hyperparameters
m2 = LinearRegression(normalize=True)
# initializing the LGBMRegressor()
# initial model took .043 hours to run and had a MSE of 33,920,875.33 using default parameters/hyperparameters
# don't need to encode - it does integer encoding for me
# will have to change data types to "categorical"
# will handle the nulls; natively supports GPUs and parallelization; it has it's own feature importance
m3 = LGBMRegressor()
# initializing the RandomForestRegressor()
# initial model took .86 hours to run and had a MSE of 195,518,841.5 with a max depth of 3
# second model took 3.04 hours to run and had a MSE of 12,898,790.17 with a max depth of 20
m4 = RandomForestRegressor(max_depth=20, random_state=0, oob_score = True)
 # initializing the RidgeRegressor() with the default alpha; code for looping through various alpha values is in the nex
m5 = Ridge(solver="sag", random_state=42)
# Defining the preprocessing pipeline and initial model
pre_pipeline = ColumnTransformer([
     ('numerical', MinMaxScaler(), numerical),
('categorical', ToDummiesTransformer(), categorical)])
full_pipeline = Pipeline([('preprocessing', pre_pipeline),('model', m5)])
```

Fig. 23 – Initial Pipeline

## D. Modelling:

## D1. Initial Discovery Phase →

- Based on preprocessing steps defined in section C5, I was able to test 4 different algorithms on the training data (80/20 split)
  - The caveat here is that because my categorical variables created a wide encoded dataset, I
    was forced to exclude the trim and model features to run some of the more complex models
  - This was not ideal and led me to focusing my efforts on utilizing the LGBMRegressor, as it has more capabilities for handling higher dimensions with ease
  - The RidgeRegressor failed due to a lack of memory available

The MSE scores of the initial models were as follows:

Algorithm:	Timing to run model:	MSE:
XGBRegressor	2.97 hours	28,930,331.50
LinearRegressor	.131 hours	91,910,606
LGBMRegressor	.043 hours	33,920,875.33
RandomForestRegressor	.86 hours	195,518,841

- Based on the above table, it appears as though the XBGRegressor could be the winner; after
  considering the necessary computational requirements and model flexibility, the LGBMRegressor was
  a more applicable algorithm
  - The main reason for going with the LGBMRegressor over the XGBRegressor was the native capabilities of the LGBMRegressor to effortlessly handle categorical variables without having to encode; this allowed me to incorporate all pertinent features instead of having to drop the model and trim features because of resource limitations

## D2. Baseline Model: LGBM Regressor (not optimized) →

```
Time to run the Model (hrs): 0.009779014653629728
Mean squared error: 17030493.10822307
Mean absolute error: 2181.0350781143466
sq rt(Mean squared error): 4126.801801422388
```

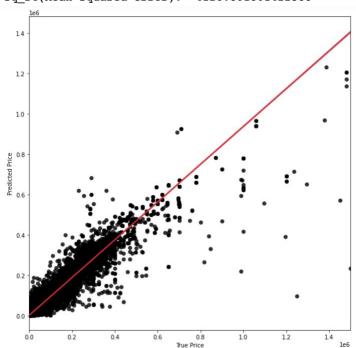


Fig. 24 – Training Data Performance

- Ideally, I would've like to use the RSMLE (log error) metric, but the y\_pred forecasted some negative values and the RSMLE metric cannot handle negative values
  - Presumably because of the imputation method
  - Now, there are some simple solutions to get around the error, but the combination of MSE,
     MAE and sq\_rt(MSE) was sufficient for tuning

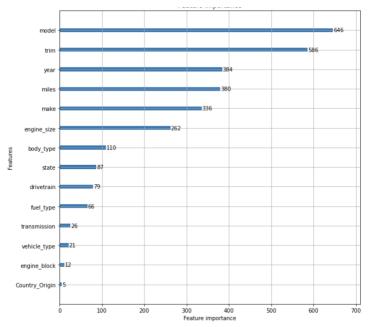


Fig. 25 – Training Model Feature Importance

- Good thing I kept the model and trim categories, as those appear to be the most important after fitting and evaluating the model on the training data; intuitively, this makes sense based on the EDA
  - Why? Because as I discussed in the EDA portion of the analysis, you have some high-mileage cars that yield incredibly high prices based on their "model" and type of model/ "trim"

## D3. Optimized Model: LGBM Regressor (tuning the hyperparameters) →

- To tune the base model, I went ahead and leveraged the sklearn RandomizedSearchCV package
- The hyperparameters in focus are shown below in Fig. 26

```
# hyperparameter tuning using RandomizedSearchCV
from sklearn.model_selection import RandomizedSearchCV, GridSearchCV
from scipy.stats import uniform, truncnorm, randint
start = time.time()
lgbm model = LGBMRegressor()
  iter = 1000 for RandomizedSearchCV
lgbm params = {}
lgbm_params['learning_rate'] = [0 + (float(i) / 100 ) for i in range(0, 101)]
lgbm_params['boosting_type'] = ['gbdt', 'dart', 'goss', 'rf']
lgbm_params['objective'] = ['regression']
lgbm_params['feature_fraction'] = [0 + (float(i) / 100 ) for i in range(0, 101)]
lgbm_params['tree_learner'] = ['serial','feature','data','voting']
lgbm_params['max_depth'] = [0 + (int(i)) for i in range(1, 301)]
lgbm_params['n_estimators'] = [0 + (int(i)) for i in range(1, 301)]
# executing the GridSearchCV based on the model hyperparameters; I attempted to use RandomizedSearchCV, but ran into
 # fitting errors
lgbm_gs_model = RandomizedSearchCV(lgbm_model, param_distributions = lgbm_params, n_jobs = 8, scoring = 'neg_mean_squar
lgbm_gs_model.fit(X_train, y_train)
lgbm_best_parameters = lgbm_gs_model.best_params_
y_pred_best = lgbm_gs_model.predict(X_train)
mae hyp = mean absolute error(y train, y pred best)
rsme_hyp = np.sqrt(mean_squared_error(y_train, y_pred_best))
end = time.time()
print('Time to run the Model (hrs): ', (end - start)/60/60)
print(lgbm_gs_model.best_estimator_.get_params())
print('MAE: ', mae_hyp, ' \n')
print('SQRT_MSE: ',rsme_hyp, ' \n')
print('SQRT MSE: ',rsme_hyp,
```

Fig. 26 – RandomizedSearchCV Hyperparameter tuning

```
[LightGBM] [Warning] feature_fraction is set=0.64, colsample_bytree=1.0 will be ignored. Current value: feature_fract ion=0.64

Time to run the Model (hrs): 4.85794770055347
{'boosting_type': 'dart', 'class_weight': None, 'colsample_bytree': 1.0, 'importance_type': 'split', 'learning_rate': 0.53, 'max_depth': 65, 'min_child_samples': 20, 'min_child_weight': 0.001, 'min_split_gain': 0.0, 'n_estimators': 27 0, 'n_jobs': -1, 'num_leaves': 31, 'objective': 'regression', 'random_state': None, 'reg_alpha': 0.0, 'reg_lambda': 0.0, 'silent': True, 'subsample': 1.0, 'subsample_for_bin': 200000, 'subsample_freq': 0, 'tree_learner': 'data', 'feature_fraction': 0.64}

MAE: 1858.322610118308

SQRT MSE: 3298.037521361062
```

Fig. 27 – Timing, Best Parameters and Scoring of the Tuned Model

```
feature_importances = lgbm_gs_model.best_estimator_.feature_importances_
lgbm_cols = X_train.columns
top_params = pd.DataFrame({'feature names': lgbm_cols, 'feature importances' sns.barplot(data = top_params, y = 'feature names', x = 'feature importances'
plt.show()
           model
             trim
            miles
             year
       engine size
       body_type
            state
        drivetrain
        fuel_type
    Country_Origin
     engine block
      vehicle_type
     transmission
                        250
                                 500
                                         750
                                                1000
                                                        1250
                                                                 1500
                                                                         1750
```

Fig. 28 – Updated Feature Importance

- The base model had a SQRT MSE of 5,824.16 while the tuned model was 3,298.03; that marks a significant improvement
- The only thing left to do is to apply the tuned model to the test dataset after scaling the test dataset

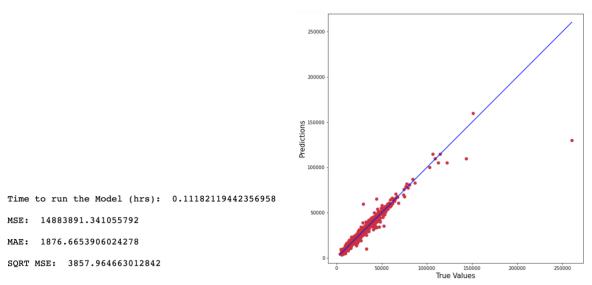


Fig. 29 – Test Data Scores and Visualizing 1000 Predictions

The test dataset scored a little bit lower than the training data, but it is clear that the model is generic
enough to be applied/utilized on unseen data

### E. Lessons Learned and Comments:

- This project served as a great introduction into predictive modelling via leveraging regression techniques/algorithms
- Potential future improvements include the following:
  - This model can be improved upon by incorporating a bit more detail/features as described in the introductory section
  - With the addition of Bayesian principles, the model can serve as a foundation for creating a dynamic model that can learn and adapt as new information is digested
  - Eventually, one could fully automate the quoting process for buying used cars based on questionnaire and in-person validation of the questionnaire
    - Think of a program that requires user input (information about the car) and spits
      out how much a business should pay for the car in addition to how much they could
      get it they resold it (assuming X,Y and Z standard improvements based on % return
      on invested capital into renovations)
  - Create an additional model that aims at creating a more fruitful investment thesis; hence, do
    we go after smaller margin, higher moving models such as ford f150s or do we go after
    higher-end, slower-moving models that could take months to sell but lead to a higher margin
    per car sold
  - Potentially tie this in with Kelly blue book to further optimize a quoting program