Kecussive Approach. 12:51 PM we have to generale lie all configurations of different fields, and bind the highest force of configuration. So, we an get the best force (maxion upon revanue) by making a list at different positions and Comparing the values obtained after to a cut. If Rodaut (n) is the function that gives the value of r(n), then Podaut(n) = max(P(i) + Podaut(i)).b(i) 4 So lli Earning in Rodut (n) first cut You earned Rodaut (n) = max (Pa) + Rodaut(n)) (Bootit &(i) Confusing tet's try to explain this again . os his rod to be and at ith index (meaning you are cutting rod Such thet (n-1) is the one side length and other side length is a wow also assume that (n-i) cut is equivalent to some frie ce length and assume that it has revenu like pri). So here you can make relationship max (bli) + Rodust(i)); live Roodalt (h) ows is fixed Roadcut (n) Enterly ... (P(i)+Roadwe(n-z P(1) + Readout (n-1) P(2) + Roadout (n-2 So, again this is optionization. Problem and it may le the candidale of DP (momoization / Tabulich)

1 + Feb 2022

```
int Rodat (Int price [], int 1) { / formater as explained in main
   int wax_sevanue = INT_MIN;
    H(n&0) )
     retarn 0;
       for(inti=1; i=n; i++){
         max-sevanue = max (max-sevanue, brice(i)+ Roderd(brice,
     return max-revonul;
int main () }
   w+ n=6;
   int price[n+1]= {0,2,5,8,9,10,11};
               11012345 6 (rote)
   int answer = Roduct (RiG, n); | Price is priatable, n is rollerght
   Cout << "max revanue of length: << 1> << "for chiting =" << onner coend;
  OK, so you done your recursive solution (brute force). What
  is wrong here? Offcourse the is not best solution, but
        you will form that this is not the best?
                       Rodent (6)
                              Rodent (3) + b(3) Rodent (9) + b(4) Rodunt (1) + b(5)
  Rodent(5)+PCI] Rodent (4)+P(2)
             Rodal (7) + 1/2)
```

```
avoid the duplicate calculation which is amonthy
 So i am Just adding recursive method below for oar understanding.
typedef voetor (in) Memo?
  Unt rod Cut (int price [], int n, Memo &memo) j
     if (memo(n) = -1)}
       return momo[n];
      > for (int i=1: i <=h; +ti) {

memo[n] = max(memo[n), b[i] + modCut(price, (n-i)));

}
       return memo(n),
   let's make our recursion solution into do with tabuliza-
   tion approach.
int rodau-dp (int price[], int n)}
  Mamo dp(n+1, -1);
B) for (i=1; i <=n; i+t) { from 1 to n
                                      — cut possible on
       Int best price = INT_MINI; &
     for (Int J=1; j <=i; j++) { rod
           best-price = max (best-price, price[i]+ dp[i-i]);
       dp[i] = best-brice;
     return dp[n];
```

Lats write our cole for memoilation in recursion to