Deep Neural Networks Vision

hands on session

Alexander Boettcher

Topics

- Introduction
- DNN
- CNN

Introduction - Deep Learning preconditions

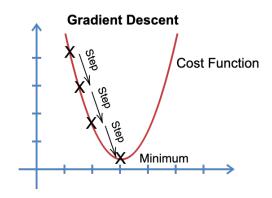
- Theory
 Already developed staring in the 1970s
- Data
 Available since digital cameras and the internet spread
- Processors
 Parallelization in GPUs is available
- Frameworks
 Popular frameworks currently Pytorch and Tensorflow

Introduction - Theory

- Mathematical numerical optimization

$$\begin{array}{ll}
\text{minimize} & f(x) \\
\end{array}$$

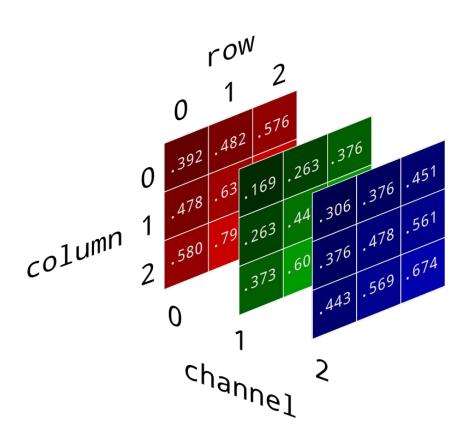
- First order optimization (e.g. gradient descent)
 - In DL it is easy to obtain derivative (simple basic functions and chain rule)



- Fast optimization is key
 - Aim: reach the (local) optimum using few evaluations of the function and its derivative

Introduction - Data

- Sets of images
- Stored in matrixes (or tensors)
- Common shape of a data tensor (with four axes):
 - number of images,
 - number of channels,
 - number of columns,
 - number of row



Introduction - Processors

- GPUs (Graphics processing units) are popular in Deep Learning
 - Specialized on linear algebra
 - matrix multiplication
 - Convolutions
 - Many cores for parallelization of matrix operations.
 - Most operations during optimization are matrix operations!

Introduction - Frameworks

- Important features of deep learning frameworks
 - Automatic differentiation
 - Set of popular optimizers
 - Popular (pretrained) networks

Introduction - Summary

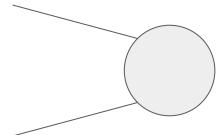
Takeaways:

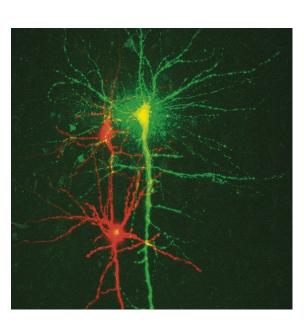
- Deep learning is based on mathematical numerical optimization
- The workhorse of deep learning are **optimizers** (e.g. gradient descent)
- Deep learning frameworks calculate the gradient using automatic differentiation
- Deep learning libraries provide everything needed to do all of the above at ease.

Introduction - Hands on

Jupyter Notebook: Session_1_introduction

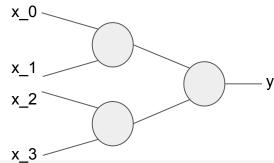
DNN - Neuron





```
import torch
class Neuron:
    def init (self):
        self.w 0 = torch.autograd.Variable(torch.Tensor([1]), requires grad=True)
        self.w 1 = torch.autograd.Variable(torch.Tensor([1]), requires grad=True)
        self.bias = torch.autograd.Variable(torch.Tensor([1]), requires grad=True)
    def f(self, x 0, x 1):
        linear = x_0*self.w_0 + x_1*self.w_1 + bias
        non_linear = np.clip(linear, 0., np.inf)
        return non linear
n = Neuron()
                                                            € 1.5
                               \mathbb{Z}
```

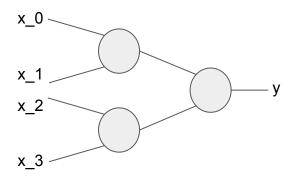
DNN - Neural Network



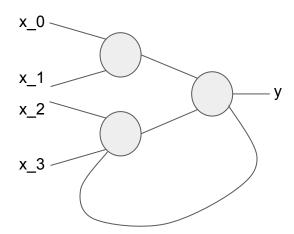
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   def f(self, x 0, x 1):
        linear = x 0*self.w 0 + x 1*self.w 1 + bias
       non linear = np.clip(linear, 0., np.inf)
       return non linear
n 0 = Neuron()
n 1 = Neuron()
n 2 = Neuron()
def network(x 0, x 1, x 2, x 3):
   y = n_0(n_1(x_0, x_1), n_2(x_2, x_3))
   return y
```

DNN - Neural Network Architectures

Feed-forward networks (no loops allowed)



Recurrent networks (loops allowed)

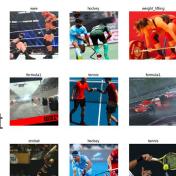


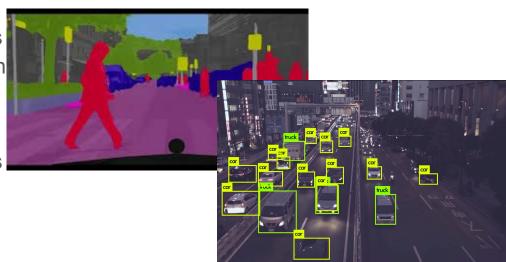
Introduction - Hands on

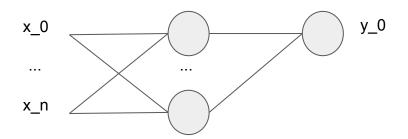
Jupyter Notebook: Session_2_neural_networks

Tasks

- Classification
 Out of a given set of classes y predict
 the most likely class
- Regression
 y predicts a floating point number
- Segmentation
 Out of a given set of classes y predicts
 the most likely class for each pixel in th
 input image
- Detection
 Out of a given set of classes y predicts boxes for each instance of the classes in the input image





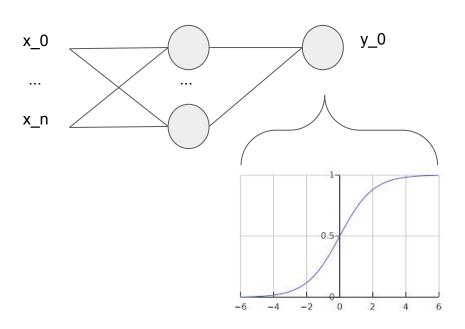


Example: classify if the input image shows a car

- no car: y_0 = 0

- $car: y_0 = 1$

How to make y_0 to return binary classification results?

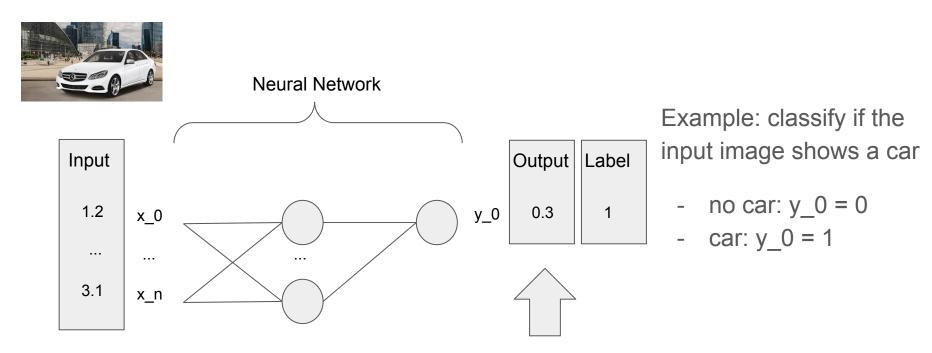


Example: classify if the input image shows a car

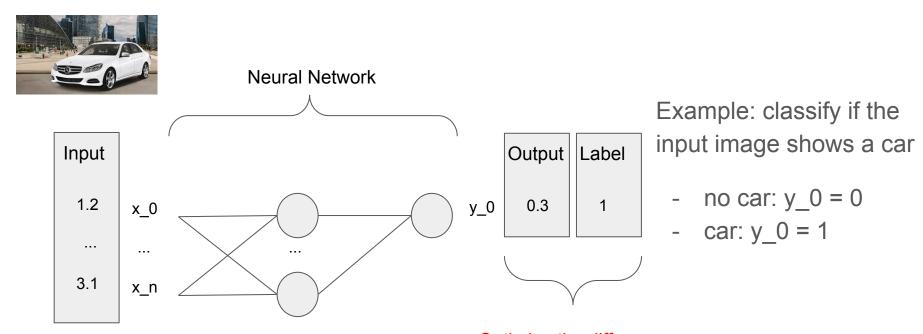
- no car: y_0 = 0

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Use a sigmoidal non-linearity in the last layer



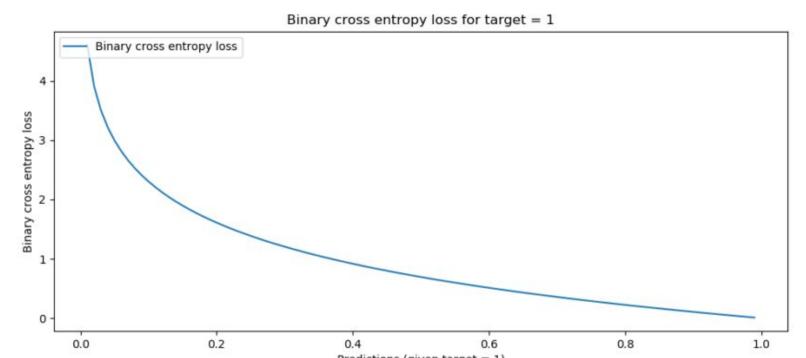
Random output due to random initialization of the network



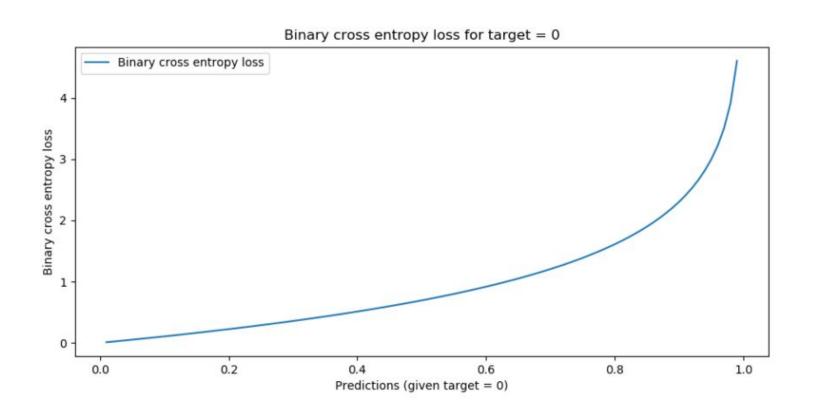
Optimize the difference (loss) between the output and the label

Classification - Cross entropy loss

loss(model(x), label=1)



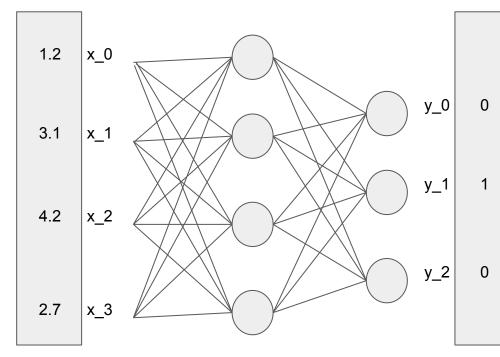
Classification - cross entropy loss



Introduction - Hands on

Jupyter Notebook: Session_3_neural_networks_optimization





Example network with

- 4 inputs
- 3 output classes

Classes (one hot encoding):

- Iris Setosa: [1, 0, 0]
 - Iris Versicolour: [0, 1, 0]
- Iris Virginica: [0, 0, 1]

Pytorch

As the examples get more complicated, let's use Pytorch to specify the model and load the data.

Introduction - Hands on

Jupyter Notebook: Session_4_DNNs

CNNs

Natural images are spatially invariant:

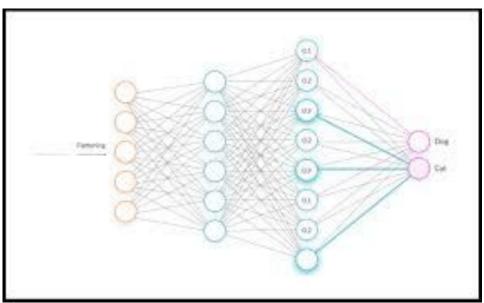
- The statistics is over all the space the same
- A neuron that detects and edge conducts the same task no matter at with spatial location

The correlation of pixel intensities decrease the further away the pixels are:

- Closeby pixels are related e.g. an edge might affect several collocated pixels
- Pixels far apart have almost no relation to each other

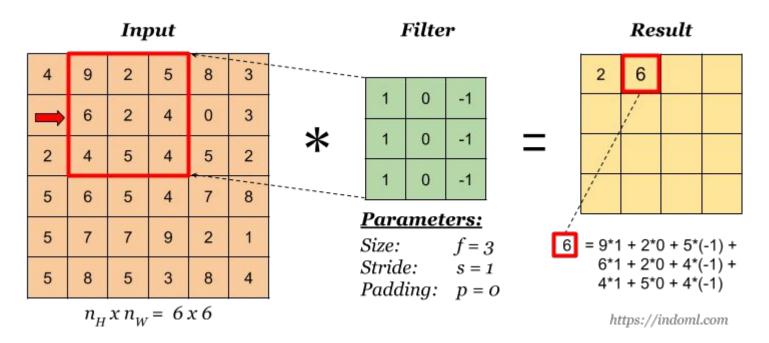
CNNs

Fully connected layers connect all neurons of the lower layer with all layers of the upper layer:



CNNs

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Introduction - Hands on

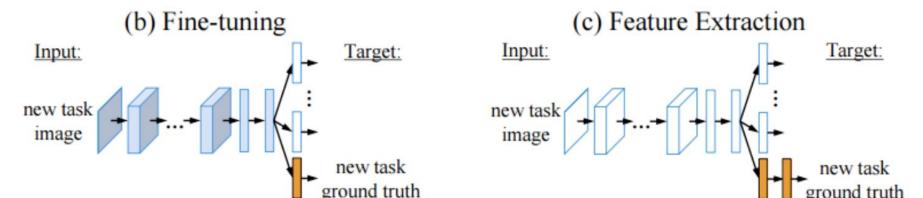
Jupyter Notebook: Session_5_CNNs

Finetuning

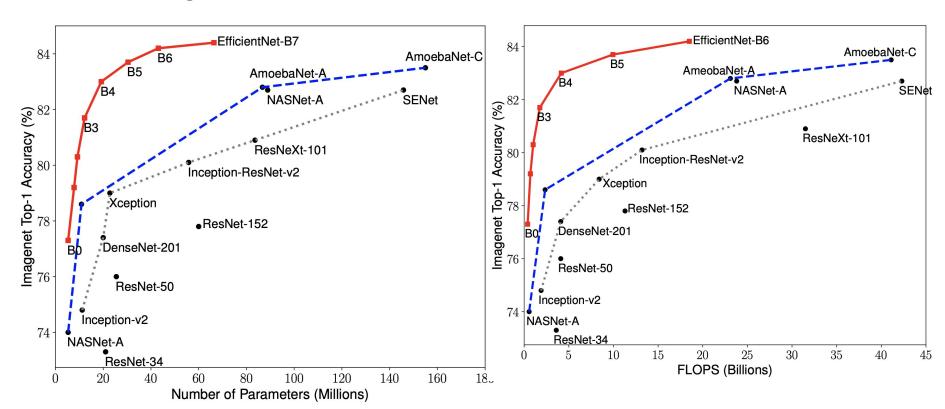
Learning big networks from scratch

- Demands large amount of data
- Takes long time
- Demands fast GPUs

It is easier to reuse a trained network and only retrain a part of it.



Finetuning



Introduction - Hands on

Jupyter Notebook: Session_4_finetuning