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* Title : KNAPSACK PROBLEM

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* Description: ...

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*CALCULATE THE MAXIMUM VALUE THAT CAN BE OBTAINED..
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ORG \$1000

START:

MOVEQ #0,D0 ;COUNTER MASK (SET OF OBJECT TO TAKE)

MOVEQ #0,D1 ;MAX SUM OF VALUES

MOVEQ #0,D2 ;SOLUTION MASK (OPTIMAL SET OF OBJECTS)

MOVEQ #0,D3 ;WEIGHT OF SOLUTION

OLOP MOVEQ #0,D4 ;SUM OF VALUES OF MASK(D0)

MOVEQ #0,D5 ;SUM OF WEIGHTS OF MASK(D0)

MOVE.L D0,D6 LEA V,A5 LEA W,A6 BTST #0,D6

ILOP BTST #0,D6 BEQ NSET

> ADD.W (A5),D4;ADD VALUE ADD.W (A6),D5;ADD WEIGHT

CMP.W (K),D5 BGT OUT NSET ADDA #2,A5

ADDA #2,A6
ASR.L #1,D6
CMPI.W #0,D6
BNE ILOP
CMP.W (K),D5
BGT OUT
CMP.W D1 D4

CMP.W D1,D4 BLE OUT

MOVE.L D4,D1 ;UPD MAX VAL MOVE.L D0,D2 ;UPD SET OF OBJ MOVE.L D5.D3 ;UPD WEIGHT

OUT ADDQ.L #1,D0

CMPI.L #\$10000,D0 ;COMPARE COUNTER WITH 2^16

BLT OLOP

SIMHALT

*VARIABLES FOR WEIGHTS W, VALUES V, WEIGHT CAPACITY K...

V DC.W 74,51,74,53,74,70,38,47,42,64,30,47,64,42,52,70

W DC.W 66,31,71,50,85,33,86,64,49,78,69,61,47,38,50,88

*W DC.W 4,4,4,4,4,4,4,4,4,4,4,4,4,4,4

*V DC.W 12,38,25,31,20,15,49,49,13,35,36,12,38,22,46,33

*W DC.W 38,47,42,50,33,44,23,33,32,47,49,26,50,50,22,29

K DC.W 400

END START

Approach

Solving Knapsack problem using Brute force search requires that we should try all combinations of choosing items and then maximizing the value of the items taken for each combination.

In order to do this, first we should observe that a combination can be presented as a binary string, where 0 means that the item at index (i) will not be taken, and 1 for items that will be taken, e.g "010110" the items at index $\{2,3,5\}$ from right will be taken, the number of combinations is 2^{16} since we have 16 items, then for each combination we calculate the sum of values and the sum of weights then we maximize the final result..

The time complexity for this solution is $O(2^N)$ where N is the number of items. The space complexity is O(N)..

Test case

Inputs:

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Values = \{74,51,74,53,74,70,38,47,42,64,30,47,64,42,52,70\}
Weights = \{66,31,71,50,85,33,86,64,49,78,69,61,47,38,50,88\}
Capacity k = 400
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Outputs:

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Maximum value = 480
Set of items = {1,2,3,4,6,9,13,15}
Weight = 397
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