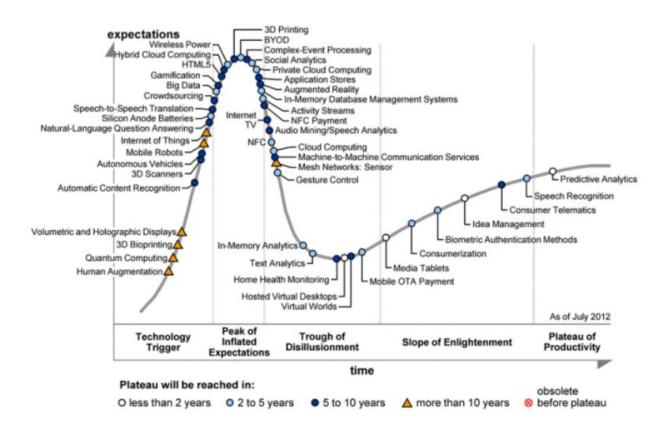
## Deep Neural Networks

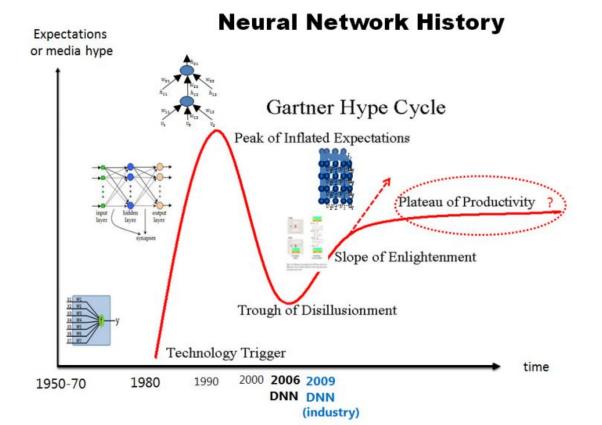
**UEF SUMMER SCHOOL 2017** 

Ville Hautamäki

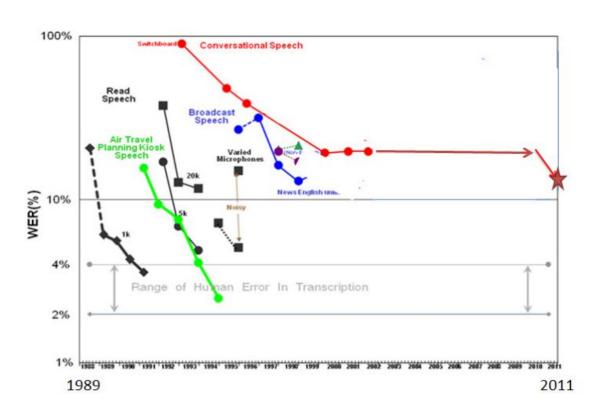
### What is deep learning? (1 / 2)



### What is deep learning? (2 / 2)

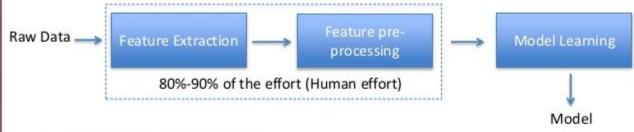


### ASR performance a historical perspective

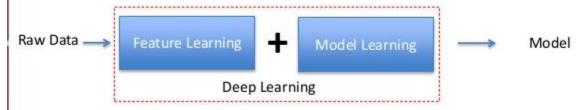


### Comparison on classical ML vs. deep learning

In classical Machine Learning:

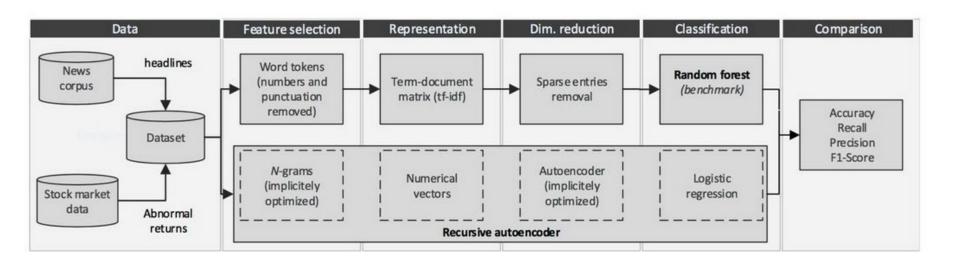


In Deep Learning:

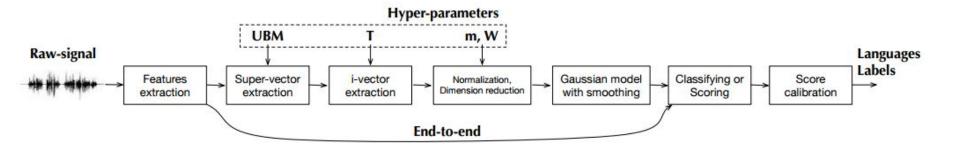


Feature Learning = Representation Learning = Embedding Learning

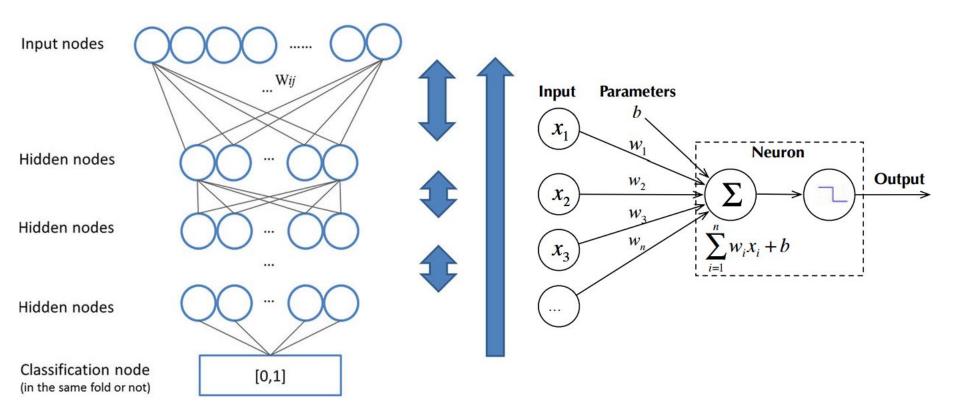
### Comparison on classical ML vs. deep learning (NLP)



### Comparison on classical ML vs. deep learning (LID)



### Neural networks as universal function approximators



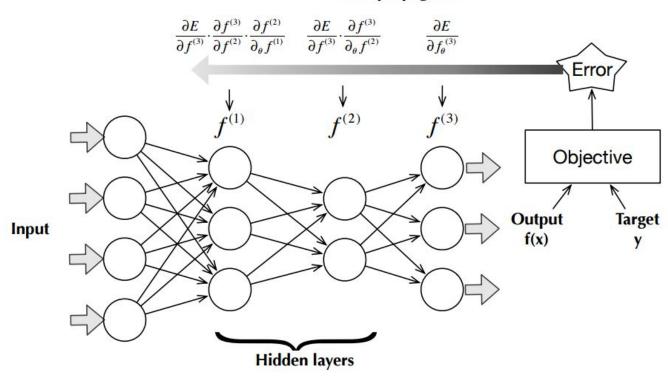
### Estimating parameters: need of a loss function

$$E_i = f_o(y_i, f(x_i)),$$
Loss function, such as MSE or Cross-entropy (CE)
 $E_{train} = \frac{1}{n} \sum_{i=0}^n E_i,$ 

$$\mathbf{W}^{l}(t) = \mathbf{W}^{l}(t-1) - \eta \cdot \frac{1}{n_{batch}} \sum_{i=0}^{n_{batch}} \frac{\partial E_{i}}{\partial \mathbf{W}^{l}(t-1)},$$

### Backprop: gradient chain-rule is your friend

### Backpropagation



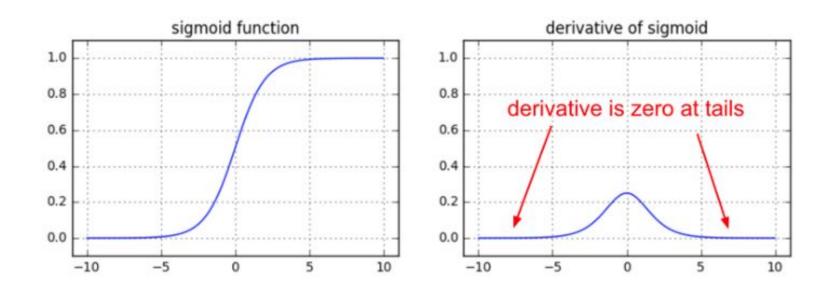
## When things go wrong with backprop: gradient vanishing/ explosion

Let's see an example using numpy.

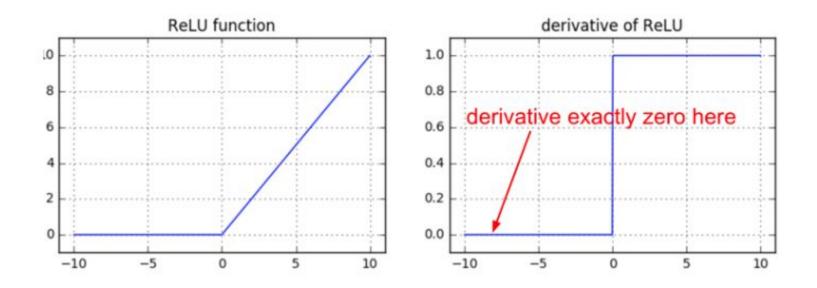
```
 z = 1/(1 + np.exp(-np.dot(W, x))) \ \# \ forward \ pass \\  dx = np.dot(W.T, z*(1-z)) \ \# \ backward \ pass: local \ gradient \ for \ x \\  dW = np.outer(z*(1-z), x) \ \# \ backward \ pass: local \ gradient \ for \ W
```

If your weight matrix W is initialized too large, the output of the matrix multiply could have a very large range (e.g. numbers between -400 and 400), which will make all outputs in the vector z almost binary: either 1 or 0. But if that is the case, z\*(1-z), which is local gradient of the sigmoid non-linearity, will in both cases become zero ("vanish"), making the gradient for both x and W be zero. The rest of the backward pass will come out all zero from this point on due to multiplication in the chain rule.

### Problems with classical sigmoidal activation



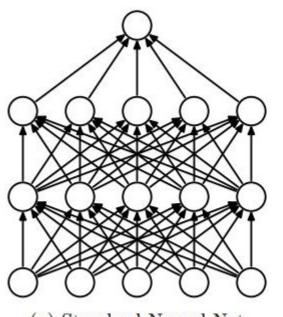
### Rectified linear as an alternative activation



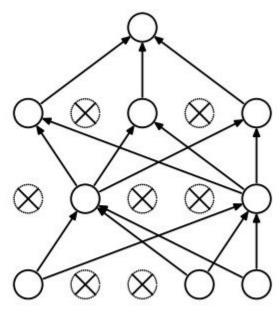
### Stochastic gradient descent / decomposable loss

```
Algorithm 1 General learning procedure of neural network
Require: initialize all weights W(0) (sufficient small values is important [70])
    for 1 to n_{enoch} do
      shuffle-training-set # suggested in [70]
      for mini-batch to training-batches do
         # Forward pass
 4:
         mini-batch = normalize-data(mini-batch) # suggested in [70]
         prediction = network-output(mini-batch | W(t - 1))
6:
         error = objective-function(target, prediction)
         # Backward pass
 8:
         gradients = \partial error/\partial \mathbf{W}(t-1)
         gradients = apply-constraint(gradients) # prevent grad. vanishing, exploding [101]
10:
         \mathbf{W}(t) = \text{update-algorithm}(\mathbf{W}(t-1), \eta, \text{gradients})
         # validating can be in the middle or in the end of an epoch
12:
```

### Avoiding overfit by dropout regularization

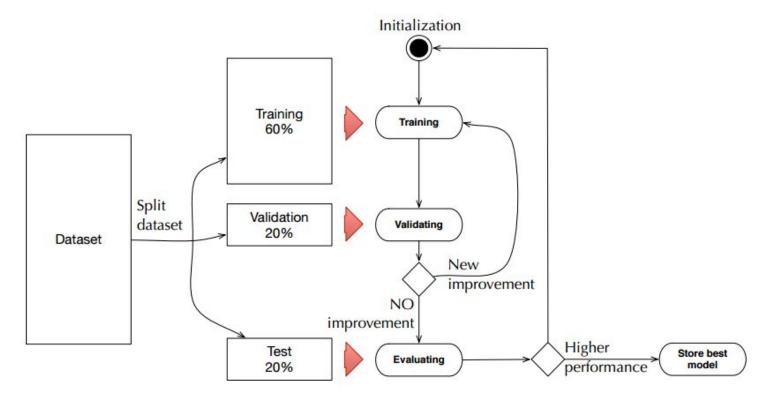


(a) Standard Neural Net

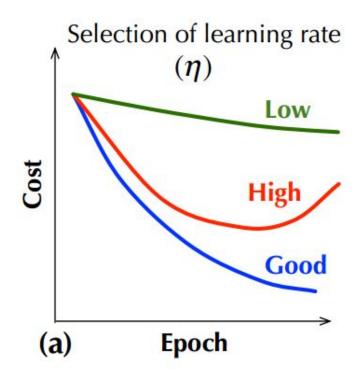


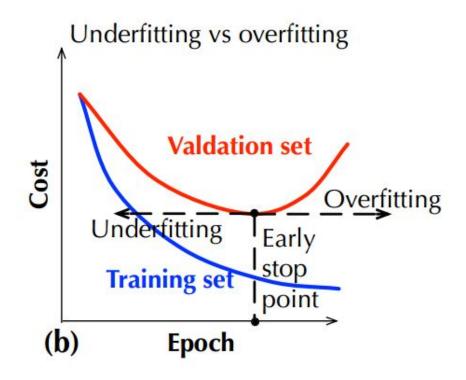
(b) After applying dropout.

### Validation set: avoiding overfit



### Validation set: avoiding overfit

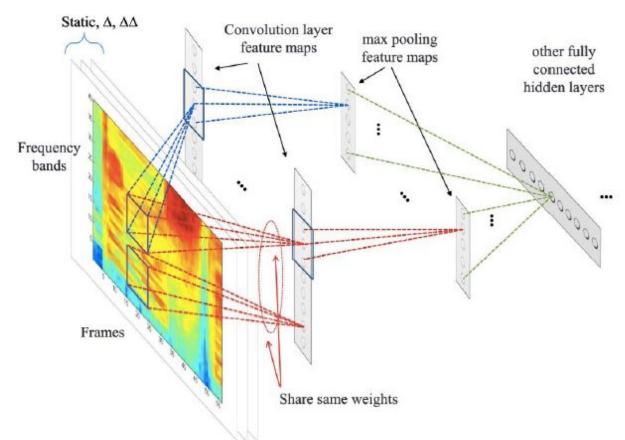




networks

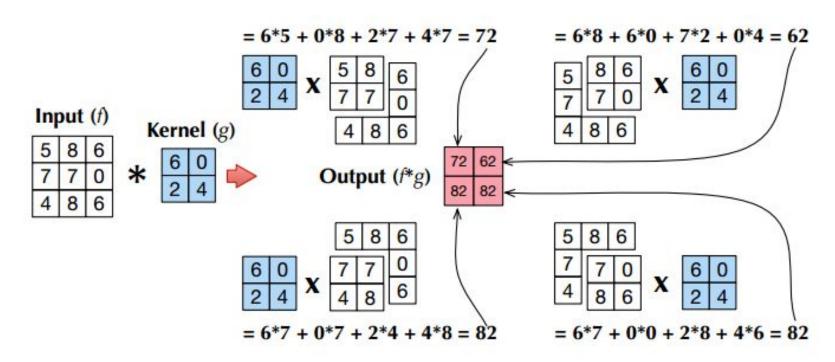
# Convolutional neural

### Local connectivity is beneficial (vs. fully connected)

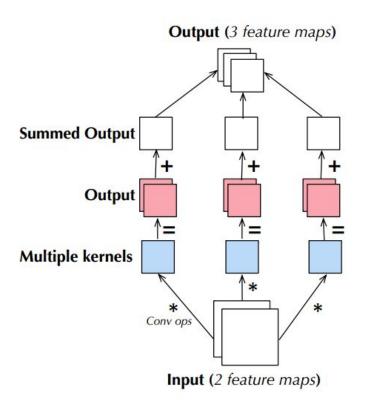


### What is convolution?

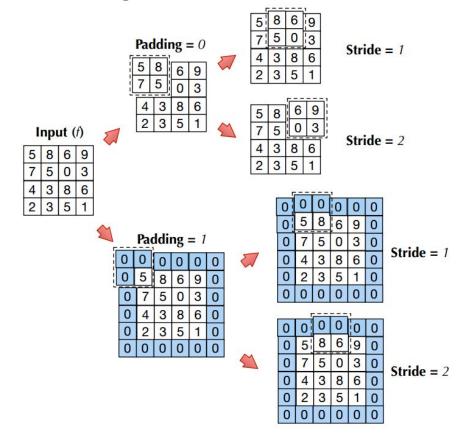
$$(f \star g)(t) = \int_{-\infty}^{+\infty} f(\tau)g(t - \tau)d\tau$$
$$= \int_{-\infty}^{+\infty} f(t - \tau)g(\tau)d\tau.$$



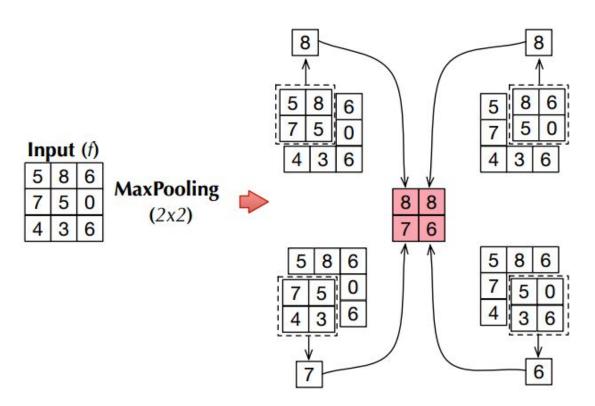
### Structure of the convolutional neural networks (CNN)



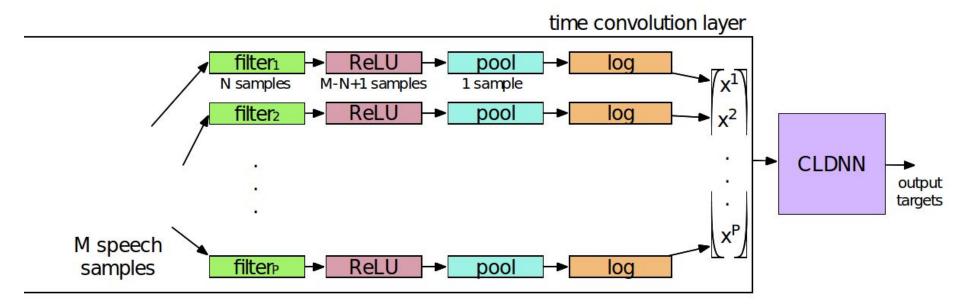
### Stride and padding parameters



### Max Pooling

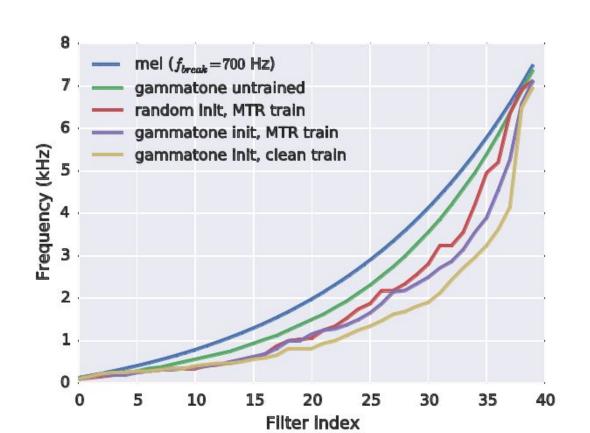


### CNN as a learned feature extractor

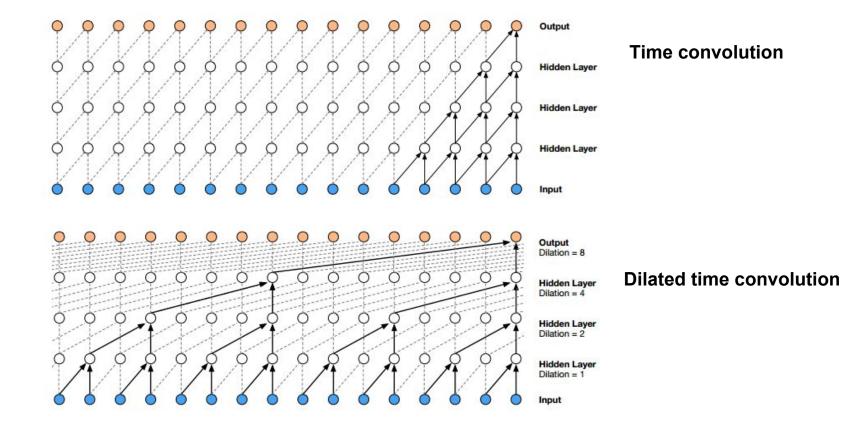


Frame-level features created by shifting window around M raw input samples by 10ms

### Interpretability of learned filters



### WaveNet example

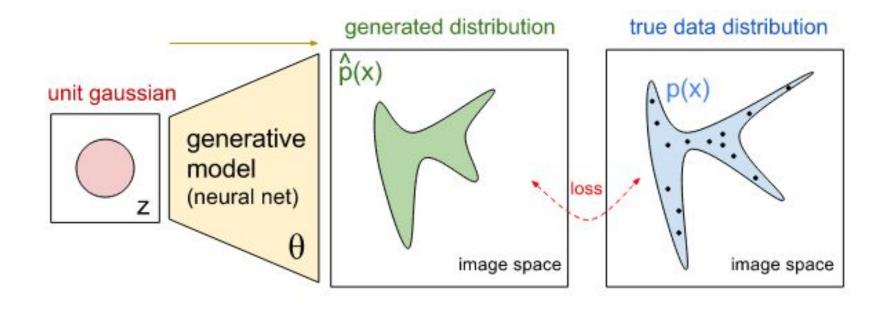


# Generative Modeling with Neural Networks

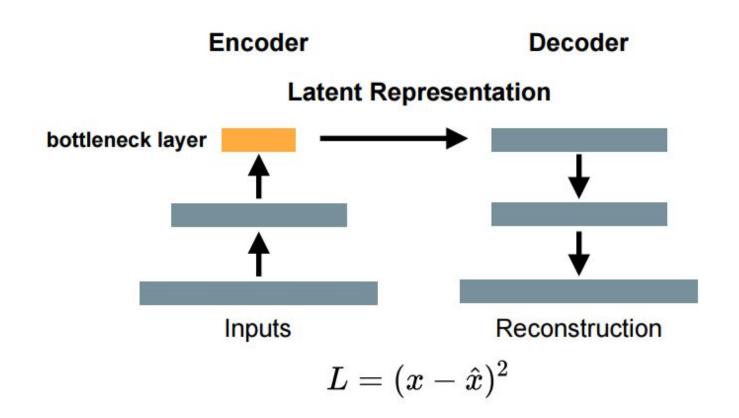
### Why generative instead of discriminative?

- Probabilistic interpretation: we not only get a point estimates but the whole distribution.
- Possibility to sample fake data.
- Transfer learning. Such as in brain imaging, we can learn general image model from photographs (like ImageNet) and then use only a small set of application domain images to adapt the model to the new domain.
- It is unsupervised learning, the big open problem in machine learning.
- Idea is that, you can only truly understand any phenomenon if you can generate it.

### We learn to generate from a latent code



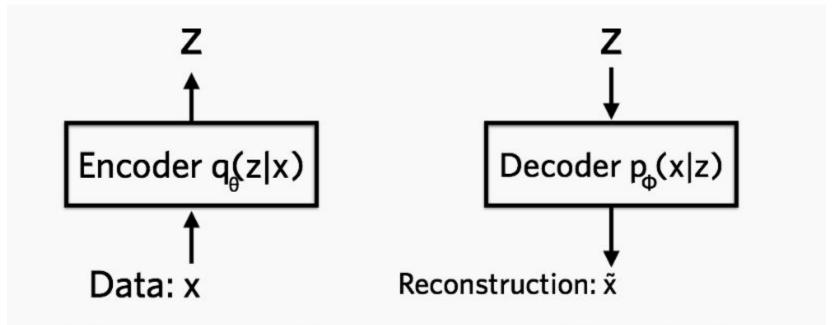
### First deep generative model: autoencoder



### Unsupervised learning is data compression

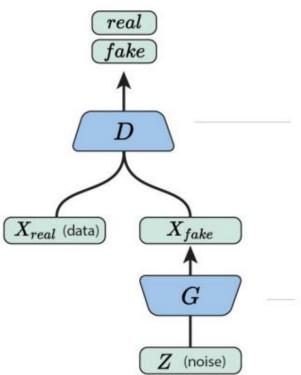
- If we are able to represent the data reliably with a short code, then we are able to compress it.
- Interestingly, already one of the founding fathers of data compression Prof.
   Jorma Rissanen alluded to the importance of this observation.

### Variational autoencoder (VAE)



THE ENCODER COMPRESSES DATA INTO A LATENT SPACE (Z). THE DECODER RECONSTRUCTS THE DATA GIVEN THE HIDDEN REPRESENTATION.

### Generative adversarial network (GAN)



The **discriminator** tries to distinguish genuine data from forgeries created by the generator.

The **generator** turns random noise into immitations of the data, in an attempt to fool the discriminator.