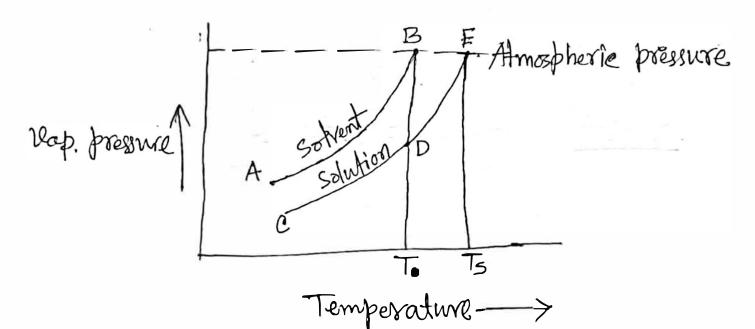
Elevation of boiling point:

The temperature in which the vapour pressure of a liquid is equal to atom-spheric pressure, is known as boiling point of that liquid.

We know that the vapour bressure of a liquid increases with increasing temperature.



In the rapour pressure vs temperature.

graph, AB is the rapour pressure europe of a pure solvent. At the point B, the rapour pressure of the pure solvent and atmospheric pressure are same.

So the boiling point of the pure solvent is T.

Now we add non-volatile and non-electrolyte solute in this solvent, the vapour pressure curve decrease at the lemperature To, which is indicated by CD eurve. At the point Dad and To teamperature the solution will not boil.

Now if we inexease the temperature the CD curve meets the point E. At the point E, the vayour breshore of the solution and atmospheric freshore are same. So, the boiling point of the solution is Ts. Thus, from the diagram we can say that the boiling point of the solution is greater than that of pure solvent.

· Application:

Consider a solution in which ω_2 g solute are dissolved in ω_1 g solvent. The modernlar mass of the solute is M_2 . Thus, andes of solute in solution = $\frac{\omega_2}{M_2}$.

... ω, g solvent contains ω2/M2 moles solute 1000 g solvent contains $\frac{\omega_2 \times 1000}{\omega_1 \times M_2}$ and es solve. Thus, the mobility of the Solution (m) = $\frac{W_2 \times 1000}{W_1 \times M_2}$ Again we know that, the elevation of boiling point (ATB) of a solution is proportional to the mobality of the Solution (m). i.e., ATG X on ds, $\Delta T_6 = K_6$. on indal elevation constant. Put the value of m in equation (1), wegt $\Delta T_b = K_b \cdot \frac{\omega_2 \times 1000}{\omega_1 \times M_2}$ or, $M_2 = K_6 \cdot \frac{\omega_2 \times 1000}{\omega_1 \times 4T_6}$ Knowing the realise of ATI, We can calculate the molecular mass of a solute wring equation 2.

Problem 1: Calculate the boiling point of a Solution confaining 5 g usea (M2=60) in 100 g Water. (Given Kb = 0.513). $\Delta T_b = K_b \cdot \frac{\omega_2 \times 1000}{\omega_1 \times M_2}$ $\delta_{1} \Delta T_{6} = 0.513 \times \frac{5 \times 1000}{100 \times 60}$ or, 176 = 0.428°C or, 75-To=0.428 or, Ts = To +0.428 = 100+0.428 = 100.428°C (Ans.)