DVALOG



Workshop: Advent of Code – day 1

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Day 1

- Array-oriented techniques
- Bingo and Strings

Day 2

- Reading and parsing data from files
- Mathematical insights for array-oriented programming



Problems

- 21.4 Bingo/NoBingo
- 15.5 Nice/Nicer Strings

Topics

- Array-oriented techniques: loops vs doing things "all at once"
- The Rank Operator and other neat tricks



Array-oriented techniques

Procedural programming: decompose the problem into smallest piece which can be expressed, then iterate up to whole data

Array programming: transform data into a form which can be handled "all at once" using known idiomatic constructs

Use the simplest, flattest array structure you can



Bingo

Numbers from a list are called one at a time

Mark the occurrence of each number on your board

A board wins when all numbers in a row or column are found

Bingo: First board to win

NoBingo: Last board to win



Bingo

Sub-problems

- Checking if a board is a winner
- Iterating over called numbers
- Index of the first/last winner



```
nums + 21 18 9 16 8 6 11 0
        ]repr 2[]boards
(5 5p14 21 17 24 4 10 16 15 9 19 18 8 23 26 20 22 11 13 6 5 2 0 12 3 7)
       □←b←nums∈~3[boards
0 1 0 0 0
  1 0 1 0
```

Reduce with Bracket-Axis, Rank

Check one board, loop with each F and rank F k

On Classic:

ö←{α←⊢ ♦ α(αα□U2364ωω)ω}

Check all boards with rank or axis



Exercise: Write two functions to check if any whole column or row is 1

 ω : Boolean matrix

←: Boolean scalar

WinA1: Reduce with Axis F/[a]

WinR1: Reduce with Rank F ≠ ° k



Exercise: Apply your Win functions to the entire collection of boards

ω: Boolean 3D array

←: Integer singleton (scalar, 1-element vector etc.)

Using Each Win" Enclose each matrix using rank < k
Enclose each matrix using bracket-axis < [a]

Using Rank Winök



Bingo

Checking winners

Exercise: Write two functions to check all boards in the 3D array

ω: Boolean 3D array

←: Boolean vector

WinA2: Reduce with Axis F/[a]

WinR2: Reduce with Rank F + ◦ k



Bingo

Approaches to iteration

- Loop over each number
- Loop over each board
- Write a "Wins" function or expression which applies to a matrix; loop over each board
- Write a "Wins" function or expression which applies to the whole board; find the index of the winning board(s)
- Check all numbers, find progressive wins with scan



```
winner←nums B1 boards;i;j;called;win
boards←c°2-boards
:For i :In ≀≢nums
    :For j :In ι≢boards
         called←(>boards[j]) ∈ i ↑nums
         win ← v / ( ∧ / [1] called), ∧ / [2] called
         :If win
             winner←j
             :Return
         :EndIf
    :EndFor
:EndFor
```

```
winner←nums B2 boards;i;called;winners
:For i :In ı≢nums
    called←boards∈i†nums
    winners + v/(^/called), ^/[2]called
    :If v/winners
        winner←<u>ı</u>winners
         :Return
    :EndIf
:EndFor
```



```
winner+nums B3 boards:Win:i:called:winners
boards←boards
Win\leftarrow(\vee/\wedge/,\wedge\neq°2)
:For i :In ı≢nums
     called←boards € i † nums
     winners←Win called
     :If v/winners
          winner ← winners
          :Return
     :EndIf
:EndFor
```



```
winner←nums B4 boards; called; Win; n; winners
called ←0 ~ boards A Op ~ pboards
Win\leftarrow(\vee/\wedge/,\wedge/°2)
:For n :In nums
    calledv+boards=n
    winners+Win called
     :If v/winners
         winner←⊃ıwinners
         :Return
     :EndIf
:EndFor
```



```
winner←nums B5 boards;j;called;Win;state;n
called ← 0 ~ "boards A Op ~ pboards
Win\leftarrow(\vee/\wedge/,\wedge/\stackrel{\circ}{\circ}2)
:For n :In nums
     calledv←boards=n
     winner←<u>ı</u>Win called
     →0p~0<≢winner
:EndFor
```



```
B6←{
      (nums boards) \leftarrow \alpha \omega
      called+0~~ω
     Win\leftarrow(\vee/\wedge/,\wedge/;°2)
     FirstWinner←{
           called∨←boards=ω⊃nums
           ≢winner←iWin called:winner
           \nabla \omega + 1
      FirstWinner 1
```



Bingo

Iterating through nums

1
$$2 \ge \underline{\iota}(\sqrt{\wedge}, \sqrt{\circ}2) \times \uparrow boards \circ \epsilon$$
 nums



Bingo

Iterating through nums

Exercise: Simplify the expression

↑boards∘∈"nums



Nice and Nicer Strings

Compute the number of strings (lines) in the input which conform to some rule set

- Implementing the rule set
- Application of the rule set



- At least three vowels 'aeiou'
- At least one letter twice in a row
- Does not contain any of 'ab' 'cd' 'pq' 'xy'



- At least three vowels 'aeiou'
 3≤+/ωε'aeiou'
- At least one letter twice in a row
- Does not contain any of 'ab' 'cd' 'pq' 'xy'



At least three vowels 'aeiou'
 3≤+/ωε'aeiou'

At least one letter twice in a row

$$\vee/(-1\downarrow\omega)=1\downarrow\omega$$

 $\vee/2=/\omega$

Does not contain any of 'ab' 'cd' 'pq' 'xy'



```
Does not contain any of 'ab' 'cd' 'pq' 'xy'
bad ← 'ab' 'cd' 'pq' 'xy'
bad∘. €"cstring
bade"⊂string
€°string bad
(\uparrow bad)(\underline{\epsilon} \circ 1)string
bad√/°∈"⊂ω
v/°∈∘ω"bad
```



```
Does not contain any of 'ab' 'cd' 'pq' 'xy'
bad ← 'ab' 'cd' 'pq' 'xy'
bad∘. € cstring
bade cstring
€°string bad
(1) (1) (1) (1) (1) (1) (1)
badv/°∈"⊂ω
v/°∈°w bad
```



```
Does not contain any of 'ab' 'cd' 'pq' 'xy'
bad ← 'ab' 'cd' 'pq' 'xy'
                                   bad∘. € cstring
                                   bade"⊂string
                                   €°string"bad
                                   (\uparrow bad)(\underline{\epsilon} \circ 1)string
                                   bad∨/°∈"⊂ω
                                   v/°∈∘ω"bad
```

```
Does not contain any of 'ab' 'cd' 'pq' 'xy'
bad ← 'ab' 'cd' 'pq' 'xy'
                                      bad∘. € cstring
∨/∈
                                      bad<u>€</u>"⊂string
DV/
                                      €°string"bad
1 \in \uparrow
                                      (\uparrow bad)(\underline{\epsilon} \circ 1)string
v/.
                                      bad√/°∈"⊂ω
1 €
                                      v/°ε°ω"bad
```

Exercise: define $\alpha \in \omega$ in terms of $\alpha \iota \omega$



Exercise: define $\alpha \in \omega$ in terms of $\alpha \iota \omega$



Exercise: create a non-nested 3D character array of pairs of characters (overlapping) from a text matrix

> ω : Character matrix of shape n

←: Character array of shape n (m-1) 2



Putting it together:

$$+/\sim(\uparrow bad)\{\land/(\not\equiv\alpha)<\alpha\iota0\ ^-1\downarrow\omega,[2.1]1\varphi\omega\}t$$



Nice Strings Toolkit

$$\sqrt{2} = /\omega$$



- A pair of letters, found twice without overlapping
- At least one letter repeats with exactly one letter between



A pair of letters, found twice (or more) without overlapping

```
 \{ \sqrt{2} \le |-/\uparrow, \underline{\imath} \circ . \equiv \stackrel{\sim}{\sim} 2, /\omega \} 
 \omega \leftarrow \text{'abcxxxz'} 
 \omega \leftarrow \text{'abcxxxxz'} 
 \omega \leftarrow \text{'abcxxyxxz'} 
 \omega \leftarrow \text{'abcxxyxxz'}
```



A pair of letters, found twice without overlapping



A pair of letters, found twice without overlapping

```
(≢'(..).*\1'□S 3)"↓in
ω ← ↑'abcxxyxxz' 'defxxxyzz' 'applelppa'
```



Nicer Strings
A pair of letters, found twice without overlapping

```
NicerString←{
        b/~+2<+/"b
        h←ub
        b \leftarrow v / \sim 0 \ 1 \ 1 \ 0 \circ (v / \epsilon) b
        b \wedge \leftarrow \neg \lor / (\lor / \vdash = 2 \circ \phi) ' * * ', \omega
        b
```

Nicer Strings
A pair of letters, found twice without overlapping

```
NicerString←{
        h/\sim +2 \leq +/ b
        h←ub
        b \leftarrow v / \sim 0 \ 1 \ 1 \ 0 \circ (v / \epsilon) b
                                                              Exercise:
                                                              Simplify this
        b \wedge \leftarrow > \lor / (\lor / \vdash = 2 \circ \phi) ' * * ' , \omega
```

A pair of letters, found twice without overlapping

```
RepeatWithoutOverlap+{
p \leftarrow ( \cup 2, /\omega ) \underline{\epsilon} = \omega
p \leftarrow 2 \leq + / p
v \sim 0 1 1 0 \circ (v / \underline{\epsilon}) = 0, p
```

Exercise:

This code is meant to check if character vector ω contains a character pair that appears twice but not overlapped.

Can you find an argument for which this is true, but this function returns 0?



A pair of letters, found twice without overlapping

```
z \leftarrow \text{NicerString t;m;b;c}
m \leftarrow \downarrow t
c \leftarrow \not\equiv \supset m
b \leftarrow \{p \leftarrow \tilde{\land} / \tilde{\ } 2 = /2, /\omega \  \  \, (\land/p) \lor 2 \le + /0 = p\} \tilde{\ } m
b \land \leftarrow \{c \ge \not\equiv \cup 2, /\omega\} \tilde{\ } m
b \land \leftarrow \{\lor /=/(\uparrow(3,/\omega))[;1\ 3]\} \tilde{\ } m
z \leftarrow +/b
```



A pair of letters, found twice without overlapping

```
z←NicerString t;m;b;c
m←↓t.
c←≢⊃m
b \leftarrow \{p \leftarrow \tilde{\lambda}/\tilde{2} = /2, /\omega \Leftrightarrow (\Lambda/p) \vee 2 \leq +/0 = p\}\tilde{m}
b \land \leftarrow \{c \ge \not\equiv \lor 2, /\omega\}"m

b \land \leftarrow \{\lor /= /(\uparrow (3, /\omega))[; 1 3]\}"m
z \leftarrow +/b
```

Exercise:

This code is meant to check if character vector ω contains a character pair that appears twice but not overlapped.

Can you explain what is wrong with this code?



A pair of letters, found twice (or more) without overlapping

```
 \{2 \lor \cdot \le (+/^{-}2 - /\underline{\imath} \circ \underline{\epsilon} \circ \omega) \circ 2, /\omega \} 
 \omega \leftarrow \text{'abcxxxz'} 
 \omega \leftarrow \text{'abcxxxxz'} 
 \omega \leftarrow \text{'abcxxyxxz'} 
 \omega \leftarrow \text{'abcxxyxxz'}
```

Array-element IDs

```
a←'abcbde'

↑a(ι~a)

a b c b d e

1 2 3 2 5 6

a←'abc' 'cde' 'abc' 'def' 'efg'

↑a(ι~a)
```

abc	cde	abc	def	efg
1	2	1	4	5



Array-element IDs

$$\vee$$
/ 1< $^{-1}(\downarrow \circ 1)$ ($\iota \vdash /\rho \omega$)- $\circ 1$ ($\iota \stackrel{\sim}{\sim} \circ 2$) ω ,[2.1]1 $\varphi \omega$



Nice and Nicer Strings A letter repeated with exactly one in between

'abcxyxfg'



Nice and Nicer Strings A letter repeated with exactly one in between

'abc<mark>xyx</mark>fg'



```
t3,/'abcxyxfg'
abc
bcx
cxy
xyx
yxf
xfg
```



```
(φ=⊢)↑3,/'abcxyxfg'
0 1 0
0 1 0
0 1 0
1 1 1
0 1 0
```







```
( ¬/=⊢/)↑3,/'abcxyxfg'
0 0 0 1 0 0
```







```
Exercise: create \uparrow 3,/'abcxyxfg' without intermediate nested array Try: ,[] \downarrow \phi \boxtimes Try: \downarrow \ddot{\circ} k \ \phi \ddot{\circ} k  (1 \downarrow 1 \downarrow \vdash \boxtimes 3) \ 'abcxyxfg'   (2 \downarrow 0 \ 1 \ 2 \ominus 3/\frac{1}{2}) \ 'abcxyxfg'
```



```
Exercise: create \uparrow 3,/'abcxyxfg' without intermediate nested array Try: ,[] \downarrow \phi \boxtimes Try: \downarrow \ddot{\circ} k \ \phi \ddot{\circ} k  (1 \downarrow \lnot 1 \downarrow \vdash \boxtimes 3) \ 'abcxyxfg'   (\lnot 2 \downarrow 0 \ 1 \ 2 \ominus 3/\lnot) \ 'abcxyxfg'   \lnot 2 \downarrow \ \Diamond \ (0 \ 1 \ 2 \downarrow \ddot{\circ} 0 \ 1) \ 'abcxyxfg'
```



```
Exercise: create \uparrow 3, /'abcxyxfg' without intermediate nested array Try: ,[] \downarrow \phi \boxtimes Try: \downarrow \ddot{\circ} k \ \phi \ddot{\circ} k  (1 \downarrow \lnot 1 \downarrow \vdash \boxtimes 3) \ 'abcxyxfg'   (\lnot 2 \downarrow 0 \ 1 \ 2 \ominus 3 / \lnot) \ 'abcxyxfg'   \lnot 2 \downarrow \ \Diamond \ (0 \ 1 \ 2 \varphi \ddot{\circ} 0 \ 1) \ 'abcxyxfg'
```









A letter repeated with exactly one in between

```
abcxyxfg
abcxyxfg
```

```
\{\uparrow(2\downarrow\omega)(^-2\downarrow\omega)\}' \text{abcxyxfg'}
\text{cxyxfg}
\text{abcxyx}
\{(2\downarrow\omega)=(^-2\downarrow\omega)\}' \text{abcxyxfg'}
0.0.0.1.0.0
```

Why can we not use $3 = /\omega$?



A letter repeated with exactly one in between

```
abcxyxfg
abcxyxfg
```

```
\{\uparrow(2\downarrow\omega)(^-2\downarrow\omega)\}' \text{abcxyxfg'}
\text{cxyxfg}
\text{abcxyx}
\{(2\downarrow\omega)=(^-2\downarrow\omega)\}' \text{abcxyxfg'}
0.0.0.1.0.0
```

What could we use $3?/\omega$?



Solution toolkit

Three high-level approaches

- 1) Solve for a single string, and apply on each string
- 2) Apply each condition to every string, then AND results
- 3) Filter input for each condition, and count remaining

