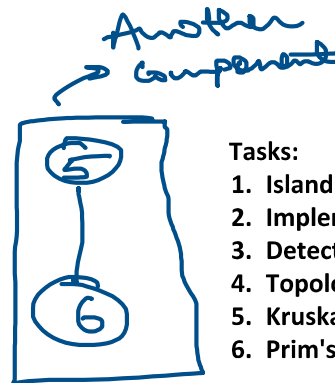
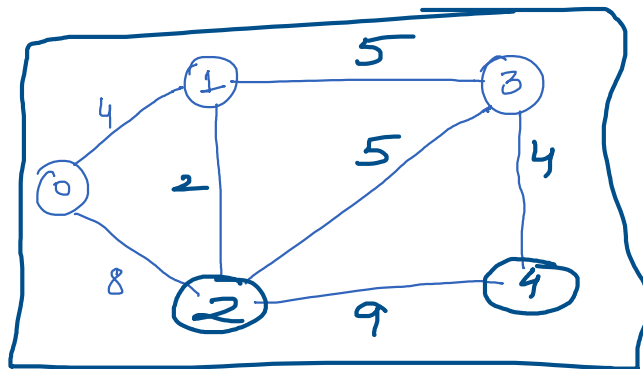


1. Connected Components // Done
2. Greedy Algorithms
3. Dijkstra's
4. Kruskal's
5. Prim's

Disconnected

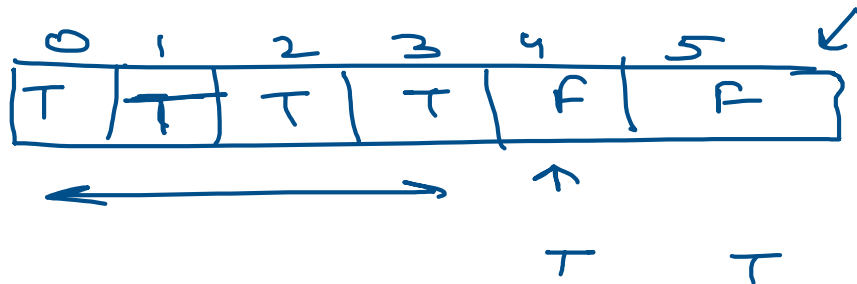


Tasks:

1. Island Problem
2. Implement Dijkstra's
3. Detect cycle in a loop (Directed & Undirected)
4. Topological Sort
5. Kruskal's Implementation
6. Prim's Algo



Visited



Try the famous "Island Problem" - Based on Connected Components

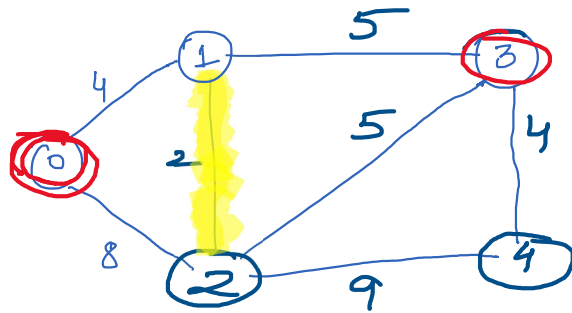
Greedy Algorithms





DIJKSTRA'S Algorithm

Single source shortest distance algorithm



$1 \rightarrow \text{Dist}[\text{src}] = 0$

0 1 4
0 2 8
1 3 5
1 2 2
2 3 5
2 4 9
3 4 4

Distance \rightarrow

0	1	2	3	4
0	4	6	9	13

//find the shortest node that is not visited

visited \rightarrow

0	1	2	3	4
T	T	T	F	F

$$\text{Distance}[i] + (1-2) \text{ edge weight}$$

If newDistance < Distance[neighbour] then update value in distance array

Summarize

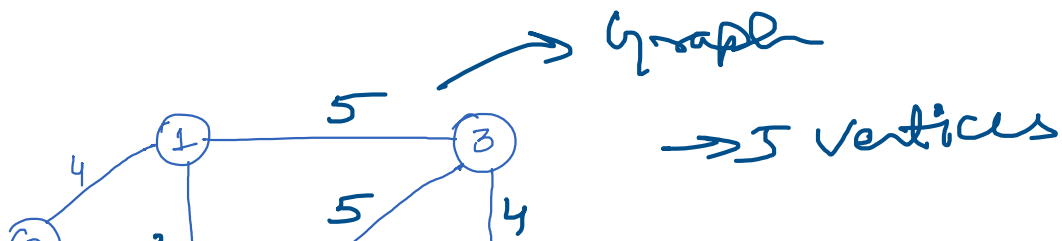
visited $\rightarrow [F, F, -, -]$
 Distance $\rightarrow [\infty, \infty, \infty, -, -]$
 \dots

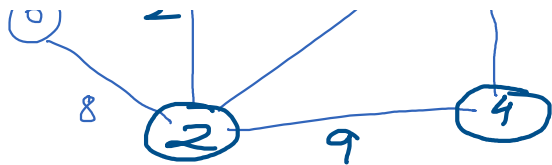
```

Distance[src] = 0
for (int i=0; i < v-1; i++)
{
    find minVertex i.e. not visited
    visited[minVertex] = true;
    for (every non visited neighbour of it)
    {
        new Distance = Distance[minVertex] + (minVertex to neighbour)
        if (new Distance < Distance[neighbour])
        {
            update neighbour's distance value
        }
    }
}

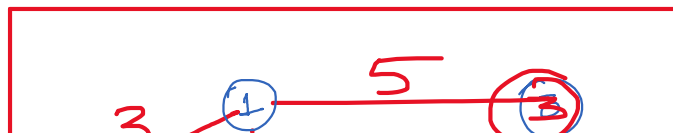
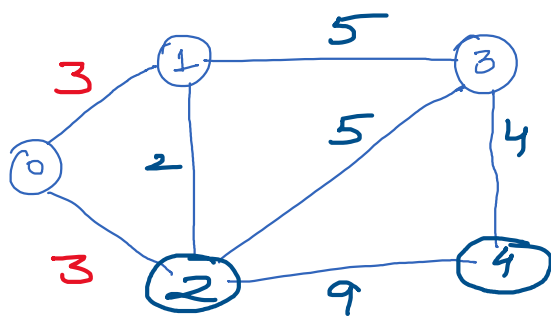
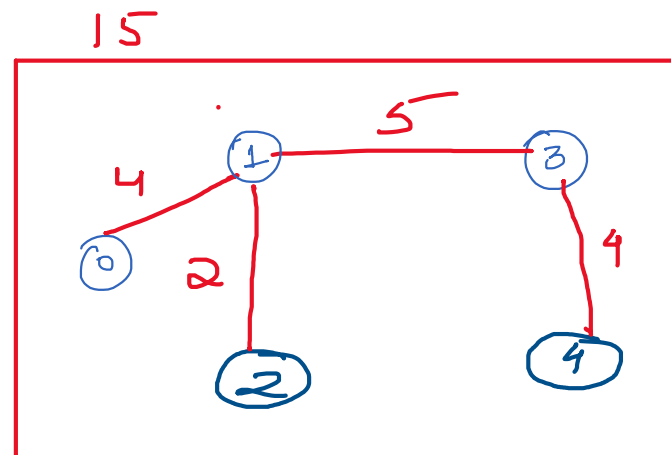
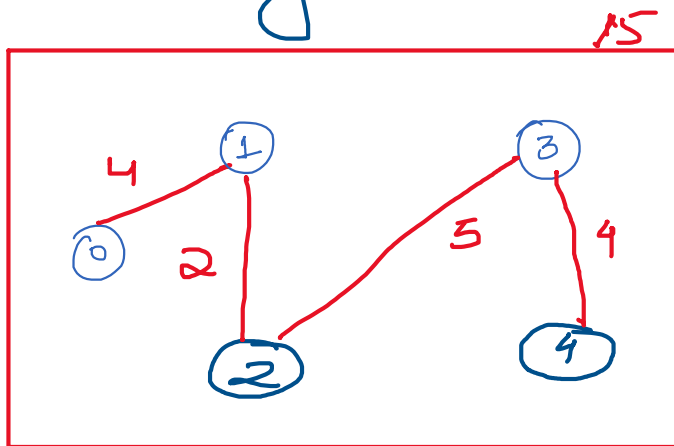
```

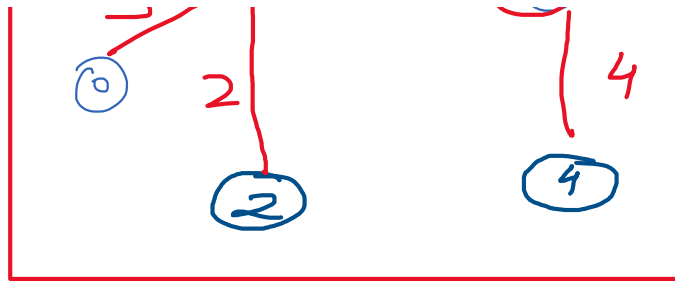
MST \rightarrow Minimum Spanning Tree





If we make a tree
 Edges $\Rightarrow n-1$ [4]





Kruskal's Algorithm

① Edge list

2 Sort in ascending order of weight

③ Start picking edges from top of sorted list

→ Add to MST if it doesn't create a cycle

→ Stop when $v-1$ edges added.