

Analog Electronics : a 2-page study guide by Amanda Falke | December 2015

A simple model for the bipolar transistor using a 0.6 volt ideal diode, controlled current source, and r_e .

In the CE BJT, small base current controls large collector current. In the simple model, a 0.6 volt drop across the diode is used for low current applications, and a 0.7 volt drop across the diode is used for medium to high current applications. The ideal diode is located between the base and emitter. Small signal input on the base is equal to the small signal output at the emitter, V_e . Output from V_e is non-inverting with unity gain minus DC offset from diode drop. Output from V_c is inverting. Current in the collector is $I_c = \beta I_b$. Current in the base is essentially zero. Current in the left “tuning” branch of the 4-resistor bias circuit is approximately 10 times collector current. Recall Shockley’s equation: $I_e = I_{es} * e^{V_{be} / V_t}$ where $V_t = 26 \text{ mV}$ and where $I_{es} = \text{“saturation current”} = 10^{-12} \rightarrow 10^{-17} \text{ A}$ (Hambley, p. 213).

The gain of a simple model CE BJT inverting amplifier ($V_c = V_{out}$) is $A_v = -R_c / R_e$. Gain when r_e is the only emitter resistor: Our gain is limited in a simple CE BJT circuit because we cannot make R_e too small, as R_e controls the DC feedback, as such: $V_{be} \uparrow \rightarrow V_e \uparrow \rightarrow I_e \uparrow \rightarrow$ ideal diode reverse biased/conducts less current $\rightarrow I_e$ back down. To take advantage of the BJT’s high gain capabilities and still keep the DC bias of the circuit stable, we separate the AC and DC emitter resistors by adding an RC branch “ R_{ac} ” parallel to the emitter resistor. When we add this branch, the gain is $A_v = R_c / R_{ac} + R_{dc}$. $R_{dc} \gg R_{ac}$. This means that so little current will go down the “dc” branch that we need not consider R_{dc} . Since R_{ac} is separated completely from the DC operations and DC bias of the circuit, R_{ac} can be relatively large, and hence we can exploit the BJT’s full high-gain capabilities. **Once the separate “ R_{ac} RC branch” is added parallel to (common) emitter, gain is simplified to $gain = g_m R_L$, or, $gain = [1/r_e] R_L$.**

Transconductance (g_m): Transconductance in a bipolar transistor is programmable by altering I_c , the collector current.

Transconductance is often referred to as the “sensitivity” of a circuit: “for a small change in gate current, what is the change in output voltage?” Transconductance multiplied by resistance = “dimensionless gain.” Hence, the units of g_m are the reciprocal of resistance, or $g_m = 1/r_e$ and $r_e = 1/g_m$. Transconductance g_m for BJT’s is a known industry-quantity of $g_m = 38 * I_c$. How to set g_m and $1/g_m$ for specific values: Current-controlled variable gain is a feature of the bipolar transistor. Both g_m and little r_e are controlled by the collector current. Set g_m for a specific value using $g_m = 38 * I_c$.

“Little r_e ” is a small internal resistance inside of the emitter, and in series with R_e . Using Ohm’s law: $r_e = V_t / I_c$ where $V_t = kT / q$; so little $r_e = 26\text{mV} / I_c$. Little r_e keeps the gain from going to infinity. Gain when R_e and r_e are the emitter resistors: Recall the inverting amplifier gain equation $A_v = -R_c / R_e$. If R_e approaches zero, we have *infinite gain*. This problem is resolved by the existence of little r_e , or the internal resistance of the emitter. Hence, $A_v = -R_c / R_e + r_e$ (inverting V_c out).

Separating the AC signal and DC circuits using DC blocking capacitors: A capacitor in series with a source behaves like a high pass filter. DC has a frequency of zero; the DC blocking capacitor blocks (filters out) all DC voltage components. VCC is a DC Bias voltage to tune the circuit to its quiescent point and DC operating ideal characteristics. DC blocking capacitors set frequency response: Capacitance is set using a corner (cutoff) frequency $\omega = 2\pi f$. In a high pass filter, corner frequency is set lower than the desired frequency response; vice versa for low pass filters. A good corner frequency to use for high pass filter is 15.7Hz. Before capacitance is set, the equivalent ac resistance looking into the input, for C_{in} , and the equivalent ac resistance looking into the output, for C_{out} , must be calculated. Generally the equivalent resistance looking into the input is $R_1 \parallel R_2 \parallel \beta R_e$, and this $R_{eq} \ll$ lowest R in this equation. Equivalent resistance looking into the output is just R_c . Recall that $\beta = 100$. Calculating capacitance is $\omega = 1 / RC$; to calculate C_{in} , R is equivalent ac resistance looking in; to calculate C_{out} , R is just R_c .

Common Emitter : Vce Design Constraint

The circuit design must meet this minimum threshold voltage drop across transistor of 0.2V in order to be a current controlled current source operating in the active region (s).

“Collector current is independent of collector-to-emitter voltage, so long as $V_{ce} > 0.2\text{V}$.” (Hambley, p. 214). Therefore the voltage between the collector and the emitter, aka the voltage drop across the transistor, does not affect the collector current so long as that voltage drop across the transistor is at least 2/10 of a volt. This is a “threshold voltage” of sorts. The bipolar junction’s base current I_b is very responsive to small changes in base-emitter voltage V_{be} . That small change in base current I_b results in a relatively large change in collector current I_c , due to dependency $I_c = \beta I_b$. *The BJT functions as a switch*, with the base as the controlling entity. The base current is the current-controlling region, but the base current’s variation will rely on the

base voltage, aka the small signal input voltage. *The threshold voltage $V_{ce} > 0.2V$* is in regards to the minimum current (voltage) required through (over) the base (base-emitter ideal diode) in order to forward bias the transistor's emitter (diode) junction. **A more common sense way to say that is that the voltage drop across the transistor must be at least 0.2V, or transistor won't be DC-biased or "turned on."**

There are three stages of operation for the BJT: Note V_{ce} minimum design requirements for drop across BJT:

CUTOFF REGION: $V_{ce} < 0.2V$ threshold voltage. Transistor = open circuit.

• no current • $V_{be} < 0.6V$ (emitter-base junction is reverse biased) • Recall shaded area on BJT plot

If V_{ce} is greater than V_{be} , the collector junction is reverse biased.

SATURATION REGION: Due to increase in V_{be} : $V_{ce} \sim 0.2V$ threshold voltage. Transistor appears as short circuit. V_{ce} has JUST reached threshold voltage. • Recall shaded area on BJT plot

• $V_{ce} \sim 0.2V$. This is called " V_{ce} is at the saturation voltage." V_{ce} has just reached it.

$V_{be} > 0.6V$ (emitter-base junction is forward biased)

FORWARD ACTIVE REGION: Linear Amplification. $V_{ce} > 0.2V$ and $V_{cc} < V_{ce}$.

The supply voltage must be above the voltage drop across the transistor V_{ce} , and comfortably so for *centering* design purposes.

• Recall active area on BJT plot

Load line calculations for the BJT: Quiescent point bias design : V_{gs} is to a MOSFET plot as I_b is to a BJT plot.

• Plot I_c versus V_{ce} • Use load line equation $V_{cc} = I_c R_c + V_c + V_e$ • $I_{c \max} = V_{cc} / R_c + R_e$

Common base: for when we want electronic impedance match. Reverse isolation is used when we don't want to "see" what is on the output. You are driving the circuit from the output but only "looking" at the input. 50 ohm impedance. Small signals, and an input that's isolated from the output, and we define the input impedance. **Common emitter:** for when we want lots of voltage gain. **Common collector:** for when we want lots of current into the load.

<p>COMMON EMITTER 4-R BIAS CIRCUIT DESIGN SEQUENCE:</p> <ol style="list-style-type: none"> 1. Pick V_{cc} 2. Pick V_c if R_c not given: $0V < V_c < V_{cc}$ If given R_c, pick the voltage drop over R_c: $V_{dropR_c} = I_c R_c$, that will give you V_c: $V_c = V_{cc} - V_{dropR_c}$. <u>$V_c$ IS Q POINT OUTPUT.</u> 3. V_e: Set $0.1V < V_e < 1V$. V_e is DC feedback 4. V_{be} (or V_{in}): $V_{be} - V_{dropdiode} = V_e$ 5. R_e: Ohm's law: $R_e = V_e / I_c$ 6. Find $I_{bias} = 1/10 * I_c$ and $I_b = 1/100 I_c$ 7. Find R_1 and R_2: Ohm's law: $V_{cc} = i_{bias}(R_1 + R_2)$ or voltage divider $V_1 = V_{cc} (R_1 / (R_1 + R_2))$ 8. Find gm. gm of BJT = $38 I_c$. Recall that $r_e = 1/gm$. 9. Find gain = $-R_c / R_e$. 10. little r_e and calculate that into actual gain = $-R_c / R_e + r_e$. Is this close to step 7? Find % of variation here. 9. Design frequency response: Find equivalent ac resistances, and capacitances. 10. Note that with additional "Reac RC branch", gain is just gain = gmRL. 	<p>"COMMON" refers to whatever is grounded and not connected to either input or output.</p> <p>Common base:</p> <ol style="list-style-type: none"> 1. Use same exact CE circuit, but input is now through emitter, base is grounded, and collector is output just as before. V_{in} on emitter has a C_{in} and looks symmetrical with C_{out} on collector ("horizontal branches"). 2. Voltage divider for R_1 and R_2. $V_1 \sim V_{cc}/2$, <i>for now</i>. 3. $V_e = V_1$ - diode drop. 4. V_c is still the q point. $V_{cc} - V_e = V_c$. 5. Input impedance is super low like 5-10 ohms, output Z is super high. $Z_{out} \sim \text{source} / \text{beta of transistor}$. 6. $1 / 2 \pi R C_{in}$ = corner frequency 7. V_c is still Q point 8. Input current is essentially what output current is due to super low impedance of input on "V_e" 9. Voltage swings cleanly from V_{cc} to zero 10. RF applications <p>Common collector "Emitter follower:"</p> <ol style="list-style-type: none"> 1. Make a new branch in parallel with R_e. Put another R on. 2. Put a C in between the two, up top (in series with both). 3. V_{out} is across this second R in the second branch you just added.
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An important overview of the bipolar junction transistor should always include that the desired mode of operation is always the linear mode, when a large enough voltage drop across the transistor is part of the inherent circuit design, as well as a significant design constraint.