

CARLINGFORD HIGH SCHOOL

Year 11 Mathematics

Preliminary Assessment Task 2 Term 2 2018



Time allowed: 50 minutes

Student Number: _____

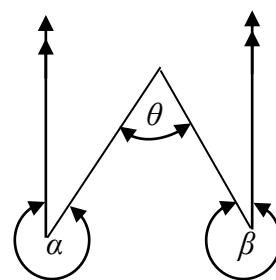
Instructions:

- All questions should be attempted.
- Show ALL necessary working on your own paper.
- Marks may not be awarded for careless or badly arranged work.
- Only board-approved calculators may be used.
- Start each question on a new page and only write on one side of each page.

| Question 1 Plane Geometry | Question 2 Trigonometry | Question 3 Linear Functions | Total |
|--|--|--|--------------|
| /14 | /17 | /19 | /50 |

QUESTION 1 (14 marks) - START A NEW PAGE -

- a). For the figure given, express θ in terms of α and β .

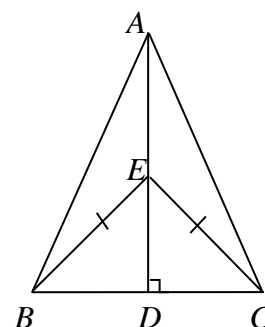


[3]

- b). For the figure given, AD is an altitude of $\triangle ABC$.
 E is a point on the side AD and $BE = CE$.

Prove that i). $BD = CD$

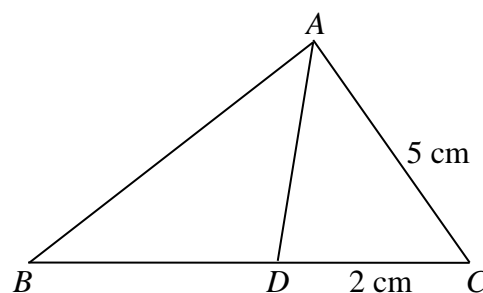
ii). $AB = AC$



[3]

[3]

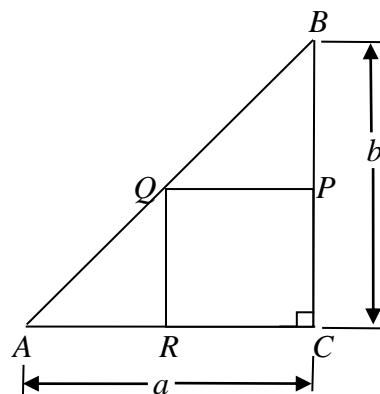
- c). For the figure given, $\triangle ABC \parallel \triangle DAC$.
 If $AC = 5$ cm and $DC = 2$ cm, find the value of BD .



[2]

- d). For the figure given, $\triangle ABC$ is a right-angled triangle
 and $CPQR$ is a square.

Prove that $CP = \frac{ab}{a+b}$.



[3]

QUESTION 2 (17 marks) - START A NEW PAGE -

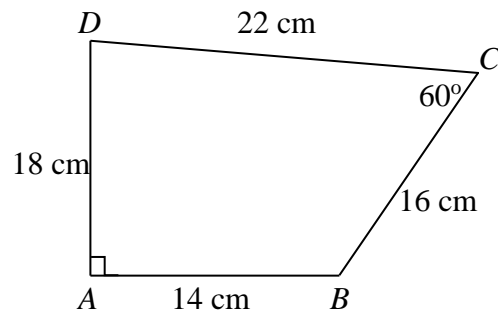
a). Find the exact value for $\cot 300^\circ$. [2]

b). Indicate in which quadrant(s) for $\cos \theta \times \sin \theta > 0$ is true. [2]

c). Prove $(\sec^2 \theta - 1)\cos^2 \theta = \sin^2 \theta$. [2]

d). Solve $\sin x = \cos x$ for $0^\circ \leq x \leq 360^\circ$. [2]

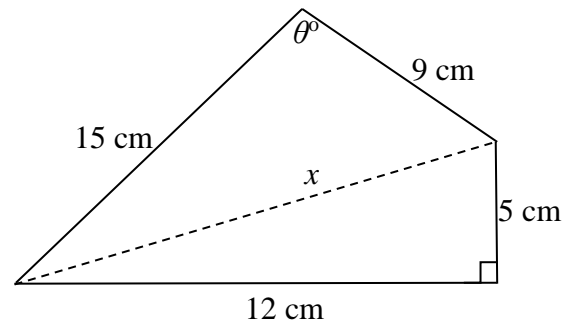
e). Find the area of the quadrilateral $ABCD$, correct to 1 decimal place. [2]



f). For the given diagram, find

i). the value of x . [1]

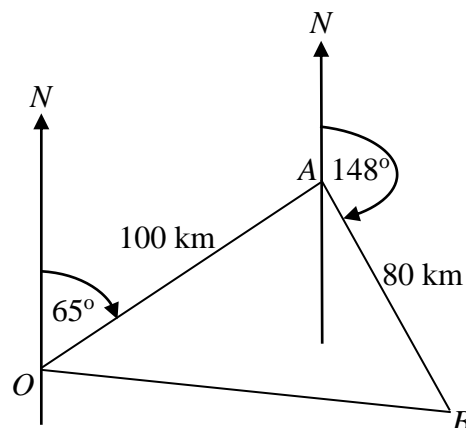
ii). the value of θ , correct to 2 decimal places. [2]



g). A ship sails on a course of 065° for 100 km and then changes to a course of 148° for 80 km. Find the

i). distance of the ship from the starting point, correct to 1 decimal place. [2]

ii). bearing of the final position from the starting point, correct to 1 decimal place. [2]



QUESTION 3 (19 marks) - START A NEW PAGE -

- a). The interval joining $A(-2, 4)$ and $B(6, -2)$ is a diameter of a circle.
Find the
- i). centre and [2]
 - ii). radius of the circle. [2]
- b). Given the vertices of a triangle are $A(-1, -1)$, $B(1, 2)$ and $C(2, 1)$.
Find the
- i). equation of line BC in the general form. [2]
 - ii). perpendicular distance (in exact value) of A from BC . [2]
 - iii). area of triangle ABC . [2]
- c). The lines $2x + y - 5 = 0$ & $x - y + 2 = 0$ intersect at A .
Write down the general equation of a line through A , and
show that it can be written in the form $(2 + k)x + (1 - k)y + (2k - 5) = 0$,
where k is a constant. [2]
- d). The point $Q(-2, 1)$ lies on the line L_1 whose equation is $9x - 2y + 20 = 0$.
The point $R(4, -2)$ lies on the line L_2 whose equation is $3x + y - 10 = 0$.
- i). Show that L_1 and L_2 intersect at a point P on the y -axis. [2]
 - ii). Show that the equation of QR is $x + 2y = 0$. [2]
 - iii). Show, by shading on a sketch on the last page of the exam, the region
defined by the 3 inequalities $9x - 2y + 20 \geq 0$,
 $3x + y - 10 \leq 0$ and $x + 2y > 0$. [3]

END OF EXAM

Q3 d). iii) Sketch

