# Data visualization

COSC 480B

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# Lecture 20

Automatically clustering data

#### Overview

- Basic clustering with k-means
- Representing audio
- Audio segmentation
- Clustering with a self-organizing map

Exercise 1

What are the pros and cons of MP3 and WAV? How about PNG versus JPEG?

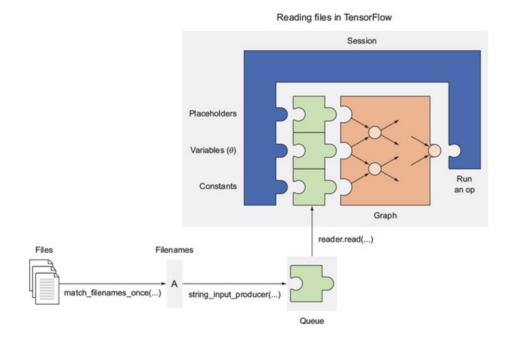
Exercise 1

What are the pros and cons of MP3 and WAV? How about PNG versus JPEG?

#### **ANSWER**

MP3 and JPEG significantly compress the data, so such files are easy to store or transmit. But because these are lossy, WAV and PNG are closer to the original content.

You can use a queue in TensorFlow to read files. The queue is built into the TensorFlow framework, and you can use the reader.read(...) function to access (and dequeue) it.



Traversing a directory for data

```
import tensorflow as tf

filenames = tf.train.match_filenames_once('./audio_dataset/*.wav')

1

count_num_files = tf.size(filenames)

filename_queue = tf.train.string_input_producer(filenames)

reader = tf.WholeFileReader()

filename, file_contents = reader.read(filename_queue)

4
```

- 1 Stores filenames that match a pattern
- 2 Sets up a pipeline for retrieving filenames randomly
- 3 Natively reads a file in TensorFlow
- 4 Runs the reader to extract file data

```
with tf.Session() as sess:
    sess.run(tf.global_variables_initializer())
    num_files = sess.run(count_num_files) 5

coord = tf.train.Coordinator() 6
    threads = tf.train.start_queue_runners(coord=coord) 6

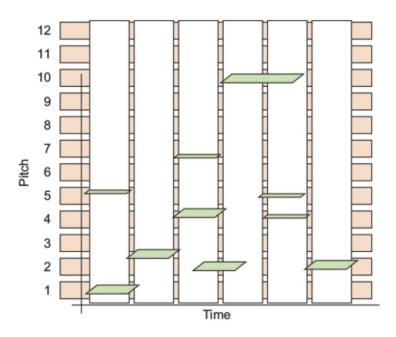
for i in range(num_files): 7
    audio_file = sess.run(filename) 7
    print(audio_file) 7
```

5 Counts the number of files 6 Initializes threads for the filename queue 7 Loops through the data one by one

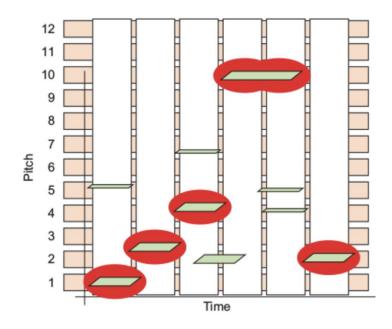
Representing audio in Python

- 1 Passes in the filename
- 2 Uses these parameters to describe 12 pitches every 0.1 second
- 3 Represents the values of a 12-dimensional vector 10 times per second

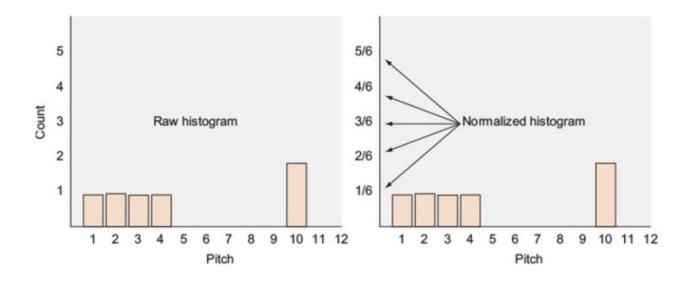
The chromagram matrix, where the x-axis represents time, and the y-axis represents pitch class. The green parallelograms indicate the presence of that pitch at that time.



The most influential pitch at every time interval is highlighted. You can think of it as the loudest pitch at each time interval.



You count the frequency of loudest pitches heard at each interval to generate this histogram, which acts as your feature vector.



Exercise 2

What are some other ways to represent an audio clip as a feature vector?

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#### ANSWER

You can visualize the audio clip as an image (such as a spectrogram), and use image-analysis techniques to extract image features.

Obtaining a dataset for k-means

```
import tensorflow as tf
import numpy as np
from bregman.suite import *
filenames =
tf.train.match filenames once('./audio dataset/*.wav')
count num files = tf.size(filenames)
filename queue = tf.train.string input producer(filenames)
reader = tf.WholeFileReader()
filename, file contents = reader.read(filename queue)
chroma = tf.placeholder(tf.float32)
max_freqs = tf.argmax(chroma, 0)
```

1 Creates an op to identify the pitch with the biggest contribution

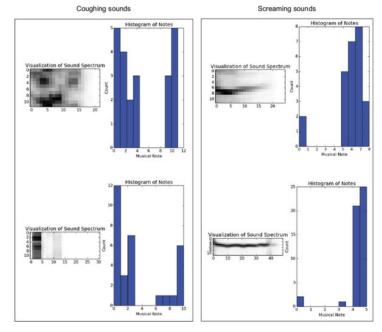
```
def get next chromagram(sess):
  audio_file = sess.run(filename)
  F = Chromagram(audio file, nfft=16384, wfft=8192,
nhop=2205)
  return F.X
def extract feature vector(sess, chroma data):
  num features, num samples = np.shape(chroma data)
  freq vals = sess.run(max_freqs, feed_dict={chroma:
chroma data})
  hist, bins = np.histogram(freq_vals, bins=range(num_features
+ 1))
  return hist.astype(float) / num samples
```

2 Converts a chromagram into a feature vector

```
3
def get dataset(sess):
  num files = sess.run(count num files)
  coord = tf.train.Coordinator()
  threads = tf.train.start queue runners(coord=coord)
  xs = []
  for in range(num files):
    chroma_data = get_next_chromagram(sess)
    x = [extract feature vector(sess, chroma data)]
    x = np.matrix(x)
    if len(xs) == 0:
       xs = x
    else:
       xs = np.vstack((xs, x))
  return xs
```

3 Constructs a matrix where each row is a data item

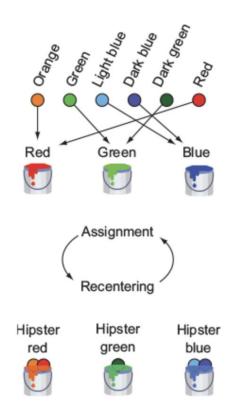
Four examples of audio files. As you can see, the two on the right appear to have similar histograms. The two on the left also have similar histograms. Your clustering algorithms will be able to group these sounds together.



The heart of the algorithm consists of two tasks, assignment and recentering:

- In the assignment step, you assign each data item (feature vector) to a category of the closest centroid.
- In the recentering step, you calculate the midpoints of the newly updated clusters.

One iteration of the k-means algorithm. Let's say you're clustering colors into three buckets (an informal way to say category). You can start with an initial guess of red, green, and blue and begin the assignment step. Then you update the bucket colors by averaging the colors that belong to each bucket. You keep repeating until the buckets no longer substantially change color, arriving at the color representing the centroid of each cluster.



#### Implementing k-means

k = 2 max_iterations = 100	1 2	
def initial_cluster_centroids(X, k): return X[0:k, :]	3	

- 1 Decides the number of clusters
- 2 Declares the maximum number of iterations to run k-means
- 3 Chooses the initial guesses of cluster centroids

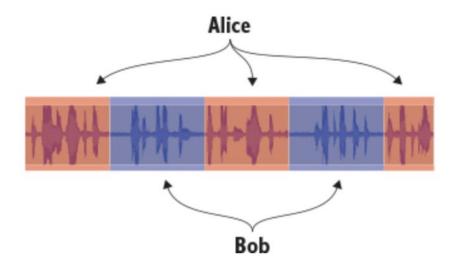
```
def assign cluster(X, centroids):
  expanded vectors = tf.expand dims(X, 0)
  expanded centroids = tf.expand dims(centroids, 1)
  distances =
tf.reduce_sum(tf.square(tf.subtract(expanded_vectors,
   expanded_centroids)), 2)
  mins = tf.argmin(distances, 0)
  return mins
                                                       5
def recompute_centroids(X, Y):
  sums = tf.unsorted segment sum(X, Y, k)
  counts = tf.unsorted segment sum(tf.ones like(X), Y, k)
  return sums / counts
```

4 Assigns each data item to its nearest cluster 5 Updates the cluster centroids to their midpoint

```
with tf.Session() as sess:
    sess.run(tf.global_variables_initializer())
    X = get_dataset(sess)
    centroids = initial_cluster_centroids(X, k)
    i, converged = 0, False
    while not converged and i < max_iterations:
        i += 1
        Y = assign_cluster(X, centroids)
        centroids = sess.run(recompute_centroids(X, Y))
    print(centroids)</pre>
```

6 Iterates to find the best cluster locations

Audio segmentation is the process of automatically labeling segments.



#### Organizing data for segmentation

```
import tensorflow as tf
import numpy as np
from bregman.suite import *
k = 2
segment size = 50
max iterations = 100
chroma = tf.placeholder(tf.float32)
max freqs = tf.argmax(chroma, 0)
def get_chromagram(audio_file):
  F = Chromagram(audio file, nfft=16384,
wfft=8192, nhop=2205)
  return F.X
```

1 Decides the number of clusters2 The smaller the segment size, the better the results (but slower performance).3 Decides when to stop the iterations

```
def get dataset(sess, audio file):
                                                  4
  chroma data = get_chromagram(audio_file)
  print('chroma data', np.shape(chroma data))
  chroma length = np.shape(chroma data)[1]
  xs = []
  for i in range(chroma length / segment size):
    chroma_segment = chroma_data[:,
i*segment size:(i+1)*segment size]
    x = extract feature vector(sess,
chroma segment)
    if len(xs) == 0:
       xs = x
    else:
       xs = np.vstack((xs, x))
  return xs
```

4 Obtains a dataset by extracting segments of the audio as separate data items

#### Segmenting an audio clip

```
with tf.Session() as sess:
  X = get_dataset(sess, 'TalkingMachinesPodcast.wav')
  print(np.shape(X))
  centroids = initial cluster centroids(X, k)
  i, converged = 0, False
  while not converged and i < max iterations:
     i += 1
     Y = assign cluster(X, centroids)
     centroids = sess.run(recompute centroids(X, Y))
     if i \% 50 == 0:
       print('iteration', i)
  segments = sess.run(Y)
  for i in range(len(segments)):
     seconds = (i * segment size) / float(10)
     min, sec = divmod(seconds, 60)
     time str = '{}m {}s'.format(min, sec)
     print(time str, segments[i])
```

- 1 Runs the k-means algorithm
- 2 Prints the labels for each time interval

The output looks like this:

```
('0.0m 0.0s', 0)
('0.0m 2.5s', 1)
('0.0m 5.0s', 0)
('0.0m 7.5s', 1)
('0.0m 10.0s', 1)
('0.0m 12.5s', 1)
('0.0m 15.0s', 1)
('0.0m 17.5s', 0)
('0.0m 20.0s', 1)
('0.0m 22.5s', 1)
('0.0m 25.0s', 0)
('0.0m 27.5s', 0)
```

Exercise 3

How can you detect whether the clustering algorithm has converged (so that you can stop the algorithm early)?

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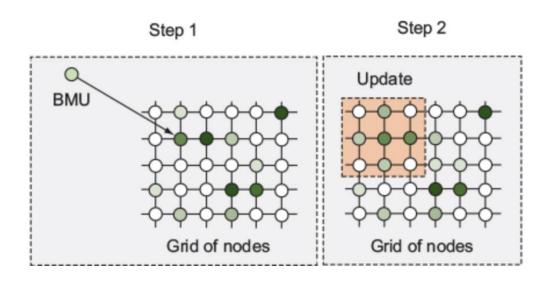
#### ANSWER

One way is to monitor how the cluster centroids change, and declare convergence once no more updates are necessary (for example, when the difference in the size of the error isn't changing significantly between iterations). To do this, you'd need to calculate the size of the error and decide what constitutes "significantly."

In the real world, we see groups of people in clusters all the time. Applying k-means requires knowing the number of clusters ahead of time. A more flexible tool is a self-organizing map, which has no preconceptions about the number of clusters.



One iteration of the SOM algorithm. The first step is to identify the best matching unit (BMU), and the second step is to update the neighboring nodes. You keep iterating these two steps with training data until certain convergence criteria are reached.



#### Setting up the SOM algorithm

```
import tensorflow as tf
import numpy as np
class SOM:
  def init (self, width, height, dim):
     self.num iters = 100
     self.width = width
     self.height = height
     self.dim = dim
     self.node locs = self.get locs()
     nodes = tf.Variable(tf.random normal([width*height, dim])) 1
     self.nodes = nodes
     x = tf.placeholder(tf.float32, [dim])
     iter = tf.placeholder(tf.float32)
     self.x = x
     self.iter = iter
     bmu loc = self.get bmu loc(x)
     self.propagate nodes = self.get propagation(bmu loc, x, iter) 5
```

- 1 Each node is a vector of dimension dim. For a 2D grid, there are width × height nodes; get\_locs is defined earlier.
- 2 These two ops are inputs at each iteration.
- 3 You'll need to access them from another method.
- 4 Finds the node that most closely matches the input (previous slide)
- 5 Updates the values of the neighbors (previous slide)

#### Defining how to update the values of neighbors

```
def get_propagation(self, bmu_loc, x, iter):
     num nodes = self.width * self.height
     rate = 1.0 - tf.div(iter, self.num iters)
     alpha = rate * 0.5
     sigma = rate * tf.to float(tf.maximum(self.width, self.height)) / 2.
     expanded bmu loc = tf.expand dims(tf.to float(bmu loc), 0)
                                                                           2
     sqr dists from bmu = tf.reduce sum(
      tf.square(tf.subtract(expanded bmu loc, self.node locs)), 1)
     neigh factor =
      tf.exp(-tf.div(sqr dists from bmu, 2 * tf.square(sigma)))
     rate = tf.multiply(alpha, neigh factor)
     rate factor =
      tf.stack([tf.tile(tf.slice(rate, [i], [1]),
           [self.dim]) for i in range(num nodes)])
     nodes diff = tf.multiply(
      rate factor,
      tf.subtract(tf.stack([x for i in range(num nodes)]), self.nodes))
     update nodes = tf.add(self.nodes, nodes diff)
     return tf.assign(self.nodes, update nodes)
```

- 1 The rate decreases as iter increases. This value influences the alpha and sigma parameters.
- 2 Expands bmu\_loc, so you can efficiently compare it pairwise with each element of node\_locs
- 3 Ensures that nodes closer to the BMU change more dramatically
- 4 Defines the updates
- 5 Returns an op to perform the updates

Getting the node location of the closest match

```
def get_bmu_loc(self, x):
    expanded_x = tf.expand_dims(x, 0)
    sqr_diff = tf.square(tf.subtract(expanded_x, self.nodes))
    dists = tf.reduce_sum(sqr_diff, 1)
    bmu_idx = tf.argmin(dists, 0)
    bmu_loc = tf.stack([tf.mod(bmu_idx, self.width),
    tf.div(bmu_idx,
        self.width)])
    return bmu_loc
```

Generating a matrix of points

Running the SOM algorithm

```
def train(self, data):
     with tf.Session() as sess:
        sess.run(tf.global variables initializer())
       for i in range(self.num iters):
          for data x in data:
             sess.run(self.propagate nodes, feed dict={self.x:
data x,
              self.iter: i})
        centroid_grid = [[] for i in range(self.width)]
        self.nodes val = list(sess.run(self.nodes))
        self.locs val = list(sess.run(self.node locs))
        for i, I in enumerate(self.locs val):
          centroid grid[int(I[0])].append(self.nodes val[i])
        self.centroid grid = centroid grid
```

Testing the implementation and visualizing the results

```
from matplotlib import pyplot as plt
import numpy as np
from som import SOM
colors = np.array(
  [[0., 0., 1.],
   [0., 0., 0.95],
   [0., 0.05, 1.],
   [0., 1., 0.],
   [0., 0.95, 0.],
   [0., 1, 0.05],
   [1., 0., 0.],
   [1., 0.05, 0.],
   [1., 0., 0.05],
   [1., 1., 0.]])
som = SOM(4, 4, 3)
som.train(colors)
plt.imshow(som.centroid grid)
plt.show()
```

1 The grid size is  $4 \times 4$ , and the input dimension is 3.

The SOM places all three-dimensional data points into a two-dimensional grid. From it, you can pick the cluster centroids (automatically or manually) and achieve clustering in an intuitive lower-dimensional space.

