

GeeksQuiz

Computer science mock tests for geeks

Sorting

Question 1

What is recurrence for worst case of QuickSort and what is the time complexity in Worst case?

- A Recurrence is $T(n) = T(n-2) + O(n)$ and time complexity is $O(n^2)$
 - B Recurrence is $T(n) = T(n-1) + O(n)$ and time complexity is $O(n^2)$
 - C Recurrence is $T(n) = 2T(n/2) + O(n)$ and time complexity is $O(n \log n)$
 - D Recurrence is $T(n) = T(n/10) + T(9n/10) + O(n)$ and time complexity is $O(n \log n)$
-

Discuss it

Question 2

Suppose we have a $O(n)$ time algorithm that finds median of an unsorted array. Now consider a QuickSort implementation where we first find median using the above algorithm, then use median as pivot. What will be the worst case time complexity of this modified QuickSort.

- A $O(n^2 \log n)$
- B $O(n^2)$

- C $O(n \log n \log n)$
 - D $O(n \log n)$
-

Discuss it

Question 3

Which of the following is not a stable sorting algorithm in its typical implementation.

- A Insertion Sort
 - B Merge Sort
 - C Quick Sort
 - D Bubble Sort
-

Discuss it

Question 4

Which of the following sorting algorithms in its typical implementation gives best performance when applied on an array which is sorted or almost sorted (maximum 1 or two elements are misplaced).

- A Quick Sort
- B Heap Sort
- C Merge Sort

D Insertion Sort

Discuss it

Question 5

Given an unsorted array. The array has this property that every element in array is at most k distance from its position in sorted array where k is a positive integer smaller than size of array. Which sorting algorithm can be easily modified for sorting this array and what is the obtainable time complexity?

- A Insertion Sort with time complexity $O(kn)$
 - B Heap Sort with time complexity $O(n\log k)$
 - C Quick Sort with time complexity $O(k\log k)$
 - D Merge Sort with time complexity $O(k\log k)$
-

Discuss it

Question 6

Consider a situation where swap operation is very costly. Which of the following sorting algorithms should be preferred so that the number of swap operations are minimized in general?

- A Heap Sort
- B Selection Sort
- C Insertion Sort

D Merge Sort

Discuss it

Question 7

Which of the following is not true about comparison based sorting algorithms?

- A The minimum possible time complexity of a comparison based sorting algorithm is $O(n \log n)$ for a random input array
- B Any comparison based sorting algorithm can be made stable by using position as a criteria when two elements are compared
- C Counting Sort is not a comparison based sorting algorithm
- D Heap Sort is not a comparison based sorting algorithm.

Discuss it

Question 8

Suppose we are sorting an array of eight integers using quicksort, and we have just finished the first partitioning with the array looking like this: 2 5 1 7 9 12 11 10 Which statement is correct?

- A The pivot could be either the 7 or the 9.
- B The pivot could be the 7, but it is not the 9
- C The pivot is not the 7, but it could be the 9
- D Neither the 7 nor the 9 is the pivot.

Discuss it

Question 9

Suppose we are sorting an array of eight integers using heapsort, and we have just finished some heapify (either maxheapify or minheapify) operations. The array now looks like this: 16 14 15 10 12 27 28 How many heapify operations have been performed on root of heap?

- A 1
 - B 2
 - C 3 or 4
 - D 5 or 6
-

Discuss it

Question 10

What is the best time complexity of bubble sort?

- A N^2
 - B $N \log N$
 - C N
 - D $N(\log N)^2$
-

Discuss it

Question 11

You have to sort 1 GB of data with only 100 MB of available main memory. Which sorting technique will be most appropriate?

- A Heap sort
 - B Merge sort
 - C Quick sort
 - D Insertion sort
-

Discuss it

Question 12

What is the worst case time complexity of insertion sort where position of the data to be inserted is calculated using binary search?

- A N
 - B $N \log N$
 - C N^2
 - D $N(\log N)^2$
-

Discuss it

Question 13

The tightest lower bound on the number of comparisons, in the worst case, for comparison-based

sorting is of the order of

- A N
- B N^2
- C $N \log N$
- D $N(\log N)^2$

Discuss it

Question 14

In a modified merge sort, the input array is splitted at a position one-third of the length(N) of the array. What is the worst case time complexity of this merge sort?

- A $N(\log N \text{ base } 3)$
- B $N(\log N \text{ base } 2/3)$
- C $N(\log N \text{ base } 1/3)$
- D $N(\log N \text{ base } 3/2)$

Discuss it

Question 15

Which sorting algorithm will take least time when all elements of input array are identical? Consider typical implementations of sorting algorithms.

- A Insertion Sort

- B Heap Sort
 - C Merge Sort
 - D Selection Sort
-

Discuss it

Question 16

A list of n string, each of length n , is sorted into lexicographic order using the merge-sort algorithm. The worst case running time of this computation is (A) $O(n \log n)$ (B) $O(n^2 \log n)$ (C) $O(n^2 + \log n)$ (D) $O(n^2)$

- A A
 - B B
 - C C
 - D D
-

Discuss it

Question 17

In quick sort, for sorting n elements, the $(n/4)$ th smallest element is selected as pivot using an $O(n)$ time algorithm. What is the worst case time complexity of the quick sort? (A) $\theta(n)$ (B) $\theta(n \log n)$ (C) $\theta(n^2)$ (D) $\theta(n^2 \log n)$

- A A
- B B

C C

D D

Discuss it

Question 18

Consider the Quicksort algorithm. Suppose there is a procedure for finding a pivot element which splits the list into two sub-lists each of which contains at least one-fifth of the elements. Let $T(n)$ be the number of comparisons required to sort n elements. Then

A $T(n) \leq 2T(n/5) + n$

B $T(n) \leq T(n/5) + T(4n/5) + n$

C $T(n) \leq 2T(4n/5) + n$

D $T(n) \leq 2T(n/2) + n$

Discuss it

Question 19

Which of the following sorting algorithms has the lowest worst-case complexity?

A Merge Sort

B Bubble Sort

C Quick Sort

D

Selection Sort

Discuss it**Question 20**

Which sorting algorithms is most efficient to sort string consisting of ASCII characters?

A

Quick sort

B

Heap sort

C

Merge sort

D

Counting sort

Discuss it**Question 21**

The number of elements that can be sorted in $\Theta(\log n)$ time using heap sort is

- (A) $\Theta(1)$
- (B) $\Theta(\sqrt{\log n})$
- (C) $\Theta(\log n / (\log \log n))$
- (d) $\Theta(\log n)$

A

A

B

B

C C

D D

Discuss it

Question 22

Which of the following is true about merge sort?

- A Merge Sort works better than quick sort if data is accessed from slow sequential memory.
- B Merge Sort is stable sort by nature
- C Merge sort outperforms heap sort in most of the practical situations.
- D All of the above.

Discuss it

Question 23

Given an array where numbers are in range from 1 to n^6 , which sorting algorithm can be used to sort these number in linear time?

- A Not possible to sort in linear time
- B Radix Sort
- C Counting Sort
- D Quick Sort

Discuss it**Question 24**

In quick sort, for sorting n elements, the $(n/4)$ th smallest element is selected as pivot using an $O(n)$ time algorithm. What is the worst case time complexity of the quick sort?

```
(A)  $\theta(n)$  (B)  $\theta(n \log n)$  (C)  $\theta(n^2)$  (D)  $\theta(n^2 \log n)$ 
```

A A

B B

C C

D D

Discuss it**Question 25**

Consider the Quicksort algorithm. Suppose there is a procedure for finding a pivot element which splits the list into two sub-lists each of which contains at least one-fifth of the elements. Let $T(n)$ be the number of comparisons required to sort n elements. Then

A $T(n) \leq 2T(n/5) + n$ B $T(n) \leq T(n/5) + T(4n/5) + n$ C $T(n) \leq 2T(4n/5) + n$ D $T(n) \leq 2T(n/2) + n$

Discuss it**Question 26**

Let P be a QuickSort Program to sort numbers in ascending order using the first element as pivot. Let t_1 and t_2 be the number of comparisons made by P for the inputs $\{1, 2, 3, 4, 5\}$ and $\{4, 1, 5, 3, 2\}$ respectively. Which one of the following holds?

- A $t_1 = 5$
 - B $t_1 < t_2$
 - C $t_1 > t_2$
 - D $t_1 = t_2$
-

Discuss it**Question 27**

You have an array of n elements. Suppose you implement **quicksort** by always choosing the central element of the array as the pivot. Then the tightest upper bound for the worst case performance is

- A $O(n^2)$
 - B $O(n \log n)$
 - C $\Theta(n \log n)$
 - D $O(n^3)$
-

Discuss it

Question 28

In a permutation a_1, \dots, a_n of n distinct integers, an inversion is a pair (a_i, a_j) such that $i < j$ and $a_i > a_j$. What would be the worst case time complexity of the **Insertion Sort** algorithm, if the inputs are restricted to permutations of $1, \dots, n$ with at most n inversions?

- A $\Theta(n^2)$
 - B $\Theta(n \log n)$
 - C $\Theta(n^{1.5})$
 - D $\Theta(n)$
-

Discuss it**Question 29**

Randomized quicksort is an extension of quicksort where the pivot is chosen randomly. What is the worst case complexity of sorting n numbers using randomized quicksort?

- A $O(n)$
 - B $O(n \log n)$
 - C $O(n^2)$
 - D $O(n!)$
-

Discuss it**Question 30**

Which of the following changes to typical **QuickSort** improves its performance on average and are generally done in practice.

- 1) Randomly picking up to make worst case less likely to occur.
- 2) Calling **insertion sort** for small sized arrays to reduce recursive calls.
- 3) QuickSort is **tail recursive**, so tail call optimizations can be done.
- 4) A **linear time median searching algorithm** is used to pick the median, so that the worst case time reduces to $O(n \log n)$

- A 1 and 2
- B 2, 3, and 4
- C 1, 2 and 3
- D 2, 3 and 4

Discuss it

Question 31

Which one of the following is the recurrence equation for the worst case time complexity of the Quicksort algorithm for sorting $n (\geq 2)$ numbers? In the recurrence equations given in the options below, c is a constant.

- A $T(n) = 2T(n/2) + cn$
- B $T(n) = T(n-1) + T(0) + cn$
- C $T(n) = 2T(n-2) + cn$

D $T(n) = T(n/2) + cn$

Discuss it

Question 32

Assume that a mergesort algorithm in the worst case takes 30 seconds for an input of size 64. Which of the following most closely approximates the maximum input size of a problem that can be solved in 6 minutes?

- A 256
- B 512
- C 1024
- D 2048

Discuss it

There are 32 questions to complete.



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