# GeeksQuiz

Computer science mock tests for geeks

	Dynamic Programming
Question	1
Which of	the following standard algorithms is not Dynamic Programming based.
A	Bellman–Ford Algorithm for single source shortest path
В	Floyd Warshall Algorithm for all pairs shortest paths
С	0-1 Knapsack problem
D	Prim's Minimum Spanning Tree
Discuss i	t
Question	2
We use d	ynamic programming approach when
A	It provides optimal solution
В	The solution has optimal substructure
С	The given problem can be reduced to the 3-SAT problem

D	It's faster than Greedy	
Discuss i	t	
Question	3	
an array A	thm to find the length of the longest monotonically increasing sequence of numbers in A[0:n-1] is given below. Let Li denote the length of the longest monotonically increasing a starting at index i in the array. Initialize $L_{n-1}=1$ For all i such that $0 \le i \le n-2$	
	$\begin{split} L_{_{_{i}}} &= \begin{cases} 1 + L_{_{_{i+1}}} \text{ if A [i]} < A [i+1] \\ 1 & \text{Otherwise} \end{cases} \\ \text{Finally the length of the longest monotonically increasing sequence is} \\ Max\left(L_{_{0}},L_{_{1}},\ldots,L_{_{n-1}}\right). \end{split}$	
Which of	the following statements is TRUE?	
A	The algorithm uses dynamic programming paradigm	
В	The algorithm has a linear complexity and uses branch and bound paradigm	
С	The algorithm has a non-linear polynomial complexity and uses branch and bound paradigm	
D	The algorithm uses divide and conquer paradigm.	
Discuss i	t	
Question	4	
Kadane a	lgorithm is used to find:  Maximum sum subsequence in an array	

В	Maximum sum subarray in an array
С	Maximum product subsequence in an array
D	Maximum product subarray in an array
Discuss i	
multiplie multiplie multiplie	rices M1, M2, M3 and M4 of dimensions pxq, qxr, rxs and sxt respectively can be d is several ways with different number of total scalar multiplications. For example, when d as ((M1 X M2) X (M3 X M4)), the total number of multiplications is pqr + rst + prt. When d as (((M1 X M2) X M3) X M4), the total number of scalar multiplications is pqr + prs + pst. $q = 100$ , $r = 20$ , $s = 5$ and $t = 80$ , then the number of scalar multiplications needed is
Α	248000
В	44000
С	19000
D	25000
Discuss i	t
Question	6
The subs	et-sum problem is defined as follows. Given a set of p positive integers. S = \21, 22, 23

The subset-sum problem is defined as follows. Given a set of n positive integers,  $S = \{a1, a2, a3, ..., an\}$  and positive integer W, is there a subset of S whose elements sum to W? A dynamic program for solving this problem uses a 2-dimensional Boolean array X, with n rows and W+1 columns. X[i, j], 1 <= i <= n, 0 <= j <= W, is TRUE if and only if there is a subset of  $\{a1, a2, ..., ai\}$  whose elements sum to j. Which of the following is valid for 2 <= i <= n and ai <= j <= W?

	Dynamic Programming - GeeksQuiZ
Α	$X[i,j] = X[i-1,j] \lor X[i,j-ai]$
В	$X[i,j] = X[i-1,j] \vee X[i-1,j-ai]$
С	X[i,j] = X[i-1,j] V X[i,j-ai]
D	X[i,j] = X[i-1,j] V X[i-1,j-ai]
Discuss i	
Quescion	•
In the ab	ove question, which entry of the array X, if TRUE, implies that there is a subset whose sum to W?
In the ab	ove question, which entry of the array X, if TRUE, implies that there is a subset whose
In the ab	ove question, which entry of the array X, if TRUE, implies that there is a subset whose s sum to W?
In the ab	ove question, which entry of the array X, if TRUE, implies that there is a subset whose s sum to W?  X[1, W]
In the ab	ove question, which entry of the array X, if TRUE, implies that there is a subset whose s sum to W?  X[1, W]  X[n,0]

## **Question 8**

A sub-sequence of a given sequence is just the given sequence with some elements (possibly none or all) left out. We are given two sequences X[m] and Y[n] of lengths m and n respectively, with indexes of X and Y starting from N. We wish to find the length of the longest common subsequence (LCS) of X[m] and Y[n] as I(m,n), where an incomplete recursive definition for the function I(i,j) to compute the length of The LCS of X[m] and Y[n] is given below:

- A expr1 ≡ l(i-1, j) + 1
- $\Rightarrow$  expr1 = l(i, j-1)
- expr2 = max(l(i-1, j), l(i, j-1))
- expr2  $\equiv$  max(l(i-1,j-1),l(i,j))

## Discuss it

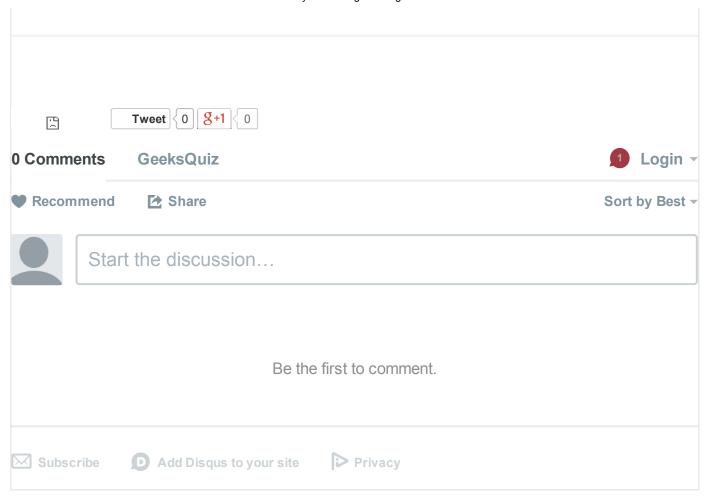
## **Question 9**

Consider two strings A = "qpqrr" and B = "pqprqrp". Let x be the length of the longest common subsequence (not necessarily contiguous) between A and B and let y be the number of such longest common subsequences between A and B. Then x + 10y =\_\_\_.

- A 33
- **B** 23
- ( 43
- 34

## Discuss it

There are 9 questions to complete.



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