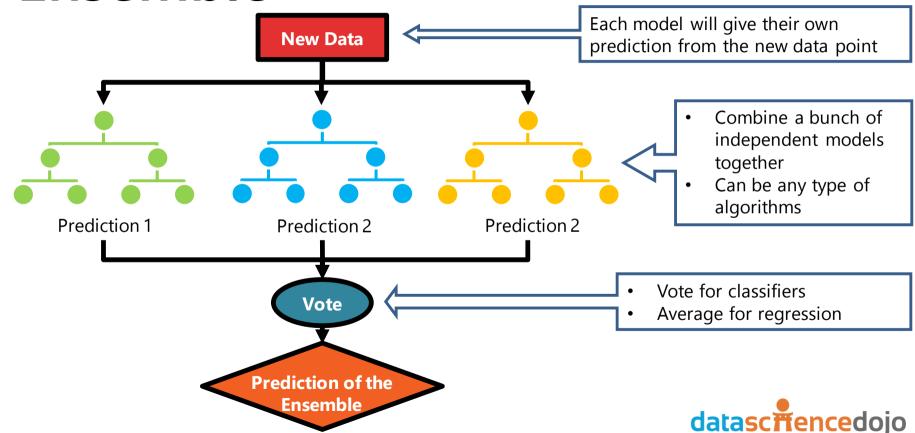
BOOSTING



Ensemble



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Examples of Ensemble Methods

Bagging

All classifiers are created equal

Boosting

• Not all classifiers are created equal



Boosting

- An iterative procedure to adaptively change distribution of training data by focusing more on previously misclassified records
 - Initially, all N records are assigned equal weights
 - Unlike bagging, weights may change at the end of boosting round

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Boosting

- Records that are wrongly classified will have their weights increased
- Records that are classified correctly will have their weights decreased

Original Data	1	2	3	4	5	6	7	8	9	10
Boosting (Round 1)	7	3	2	8	7	9	4	10	6	3
Boosting (Round 2)	5	4	9	4	2	5	1	7	4	2
Boosting (Round 3)	4	4	8	10	4	5	4	6	3	4

- Example 4 is hard to classify
- Its weight is increased, therefore it is more likely to be chosen again in subsequent rounds

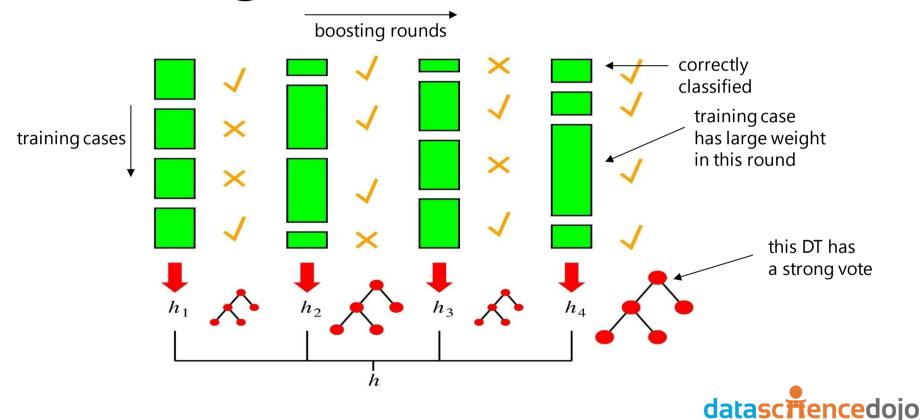


Boosting Intuition

- We adaptively weight each data case.
- Data cases which are wrongly classified get high weight (the algorithm will focus on them).
- Each boosting round learns a new (simple) classifier on the weighed dataset.
- These classifiers are weighed to combine them into a single powerful classifier.
- Classifiers that obtain low training error rate have high weight.
- We stop by monitoring a hold out set.



Boosting in a Picture



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Ensemble Methods

- Overview and rationale
- Binomial Distribution
- Bagging
- Random Forests
- Boosting
- AdaBoost



ADABOOST (ADAPTIVE BOOSTING)



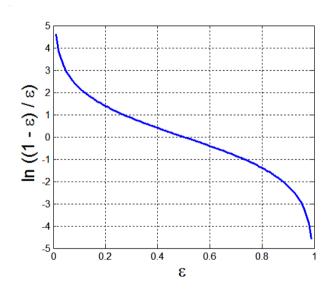
AdaBoost (Adaptive Boosting)

- Base classifiers: C₁, C₂, ..., C_T
- Error rate [Weighted loss function]:

$$\varepsilon_{i} = \frac{1}{N} \sum_{j=1}^{N} w_{j} \delta \left(C_{i}(x_{j}) \neq y_{j} \right)$$

Importance of a classifier:

$$\alpha_i = \frac{1}{2} \ln \left(\frac{1 - \varepsilon_i}{\varepsilon_i} \right)$$





AdaBoost

Weight update:

$$w_i^{(j+1)} = \frac{w_i^{(j)}}{Z_j} \begin{cases} \exp^{-\alpha_j} & \text{if } C_j(x_i) = y_i \\ \exp^{\alpha_j} & \text{if } C_j(x_i) \neq y_i \end{cases}$$

where Z_i is the normalization factor

- If any intermediate rounds produce error rate higher than 50%, the weights are reverted back to 1/n and the resampling procedure is repeated.
- Classification: $C*(x) = \arg\max_{y} \sum_{j=1}^{I} \alpha_{j} \delta(C_{j}(x) = y)$



Common Pitfall

A Random Forest and a Boosted Decision Tree are **not** the same



QUESTIONS

