

Algorithm Engineering – Exercise 1

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1. Implemented Features

Algorithm 1 Cluster graph

```
1: function SOLVE
2:   while BRANCH(k) != CLUSTER_GRAPH do
3:     k ← k+1
4:   end while
5: end function
//—————
1: function BRANCH(k)
2:   if k < 0 then return NONE
3:   end if
4:
5:   u, v, w ← GET_P3
6:
7:   if BRANCH_EDGE(u, v, k) == CLUSTER_GRAPH
   then return CLUSTER_GRAPH
8:   end if
9:   if BRANCH_EDGE(v, w, k) == CLUSTER_GRAPH
   then return CLUSTER_GRAPH
10:  end if
11:  if BRANCH_EDGE(u, w, k) == CLUSTER_GRAPH
   then return CLUSTER_GRAPH
12:  end if
13:
14:  return NONE
15: end function
//—————
1: function BRANCH_EDGE(u, v, k)
2:   if WEIGHT(u, v) == ALREADY_MODIFIED
   then return NONE
3:   end if
4:
5:   weight ← WEIGHT(u, v)
6:
7:   if WEIGHT(u, v) > 0 then
8:     DELETE_EDGE(u, v)
9:   end if
10:  if WEIGHT(u, v) < 0 then
11:    ADD_EDGE(u, v)
12:  end if
13:
14:  if BRANCH(k-abs(weight)) == CLUSTER_GRAPH
   then return CLUSTER_GRAPH
15:  end if
16:
17:  WEIGHT(u, v) ← weight      ▷ backtracking
18:
19:  return NONE
20: end function
```

We have used the same method explained in the lecture of converting a graph into cluster graph. Complexity of our program is $3^k * n^3$, k is the minimum cost to convert graph to cluster graph, n is the no of nodes in graph, 3^k are the search states possible, n^3 is the time for finding a p3.

Pseudo code of our program is:

2. Data Structures

10 Graph is implemented as a adjacency matrix of size n^3 ,
positive weights represents connection, negative weights
represents no connection, DO_NOT_DELETE preproces-
sor directive is replaced with INT32_MAX and repre-
sents weights of edge that has been added and should
15 not be removed to avoid cycles in search space, similarly
DO_NOT_ADD is replaced with INT32_MIN and repre-
sents weight of edge that has been removed and should
not be added.

3. Experiments

20 Time dependence on the value of n (vertices) and
 k (optimal cost) is actually not seen from the data acquired
from test except for real world data which shows time de-
pendence a little bit. Our algorithm time complexity is
 $O(3^k n^3)$

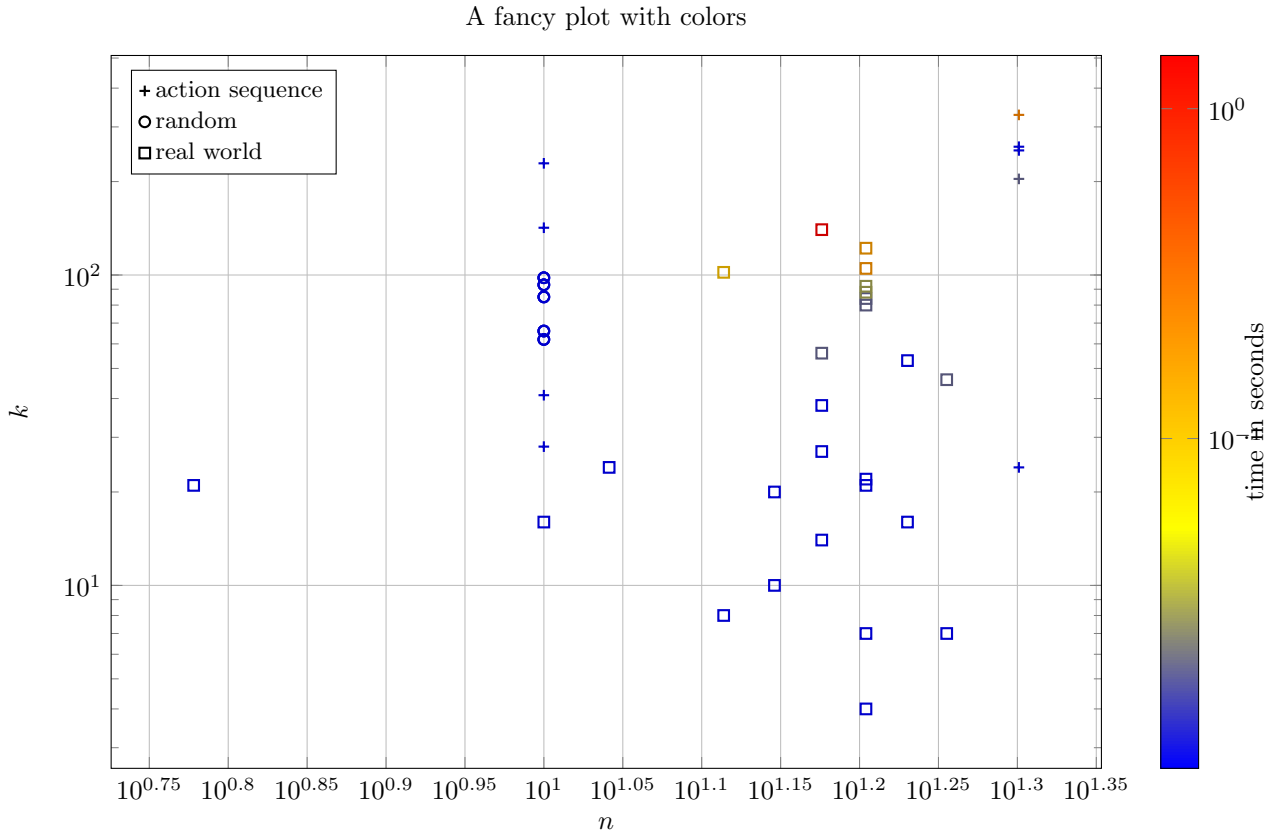


Figure 1: algorithm ran on different datasets, plus symbol representing action sequence data set, circle symbol representing random data set and square symbol representing real world data set.