

ML/AI Introduction + Hands-on Exercise

Umair Mohammad, Florida International University



Scope

- Introduction
- AI, ML and DL
- How useful is ML/AI and why now?
- Tools and Technologies
- Regression
- Classical ML
- Deep Learning
- Generational Age

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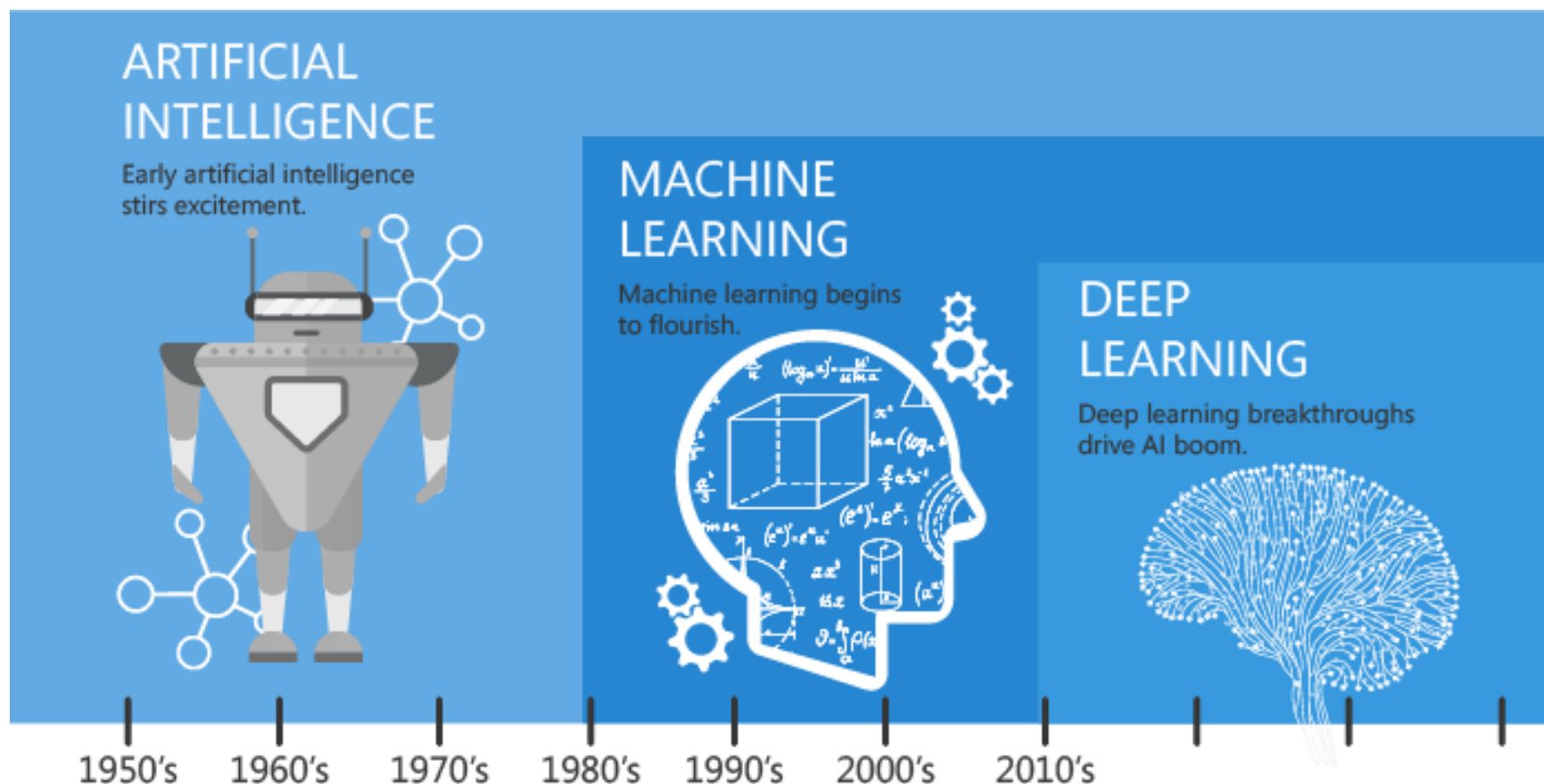
Short Intro



- SaeedLab at FIU School of Computing
- Two Major thrusts
- Machine learning model development for
 - Proteomics
 - Neurological Disorders
- Diagnosing ASD, AD
- Detecting and Predicting Epileptic Seizures

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AI vs ML vs DL

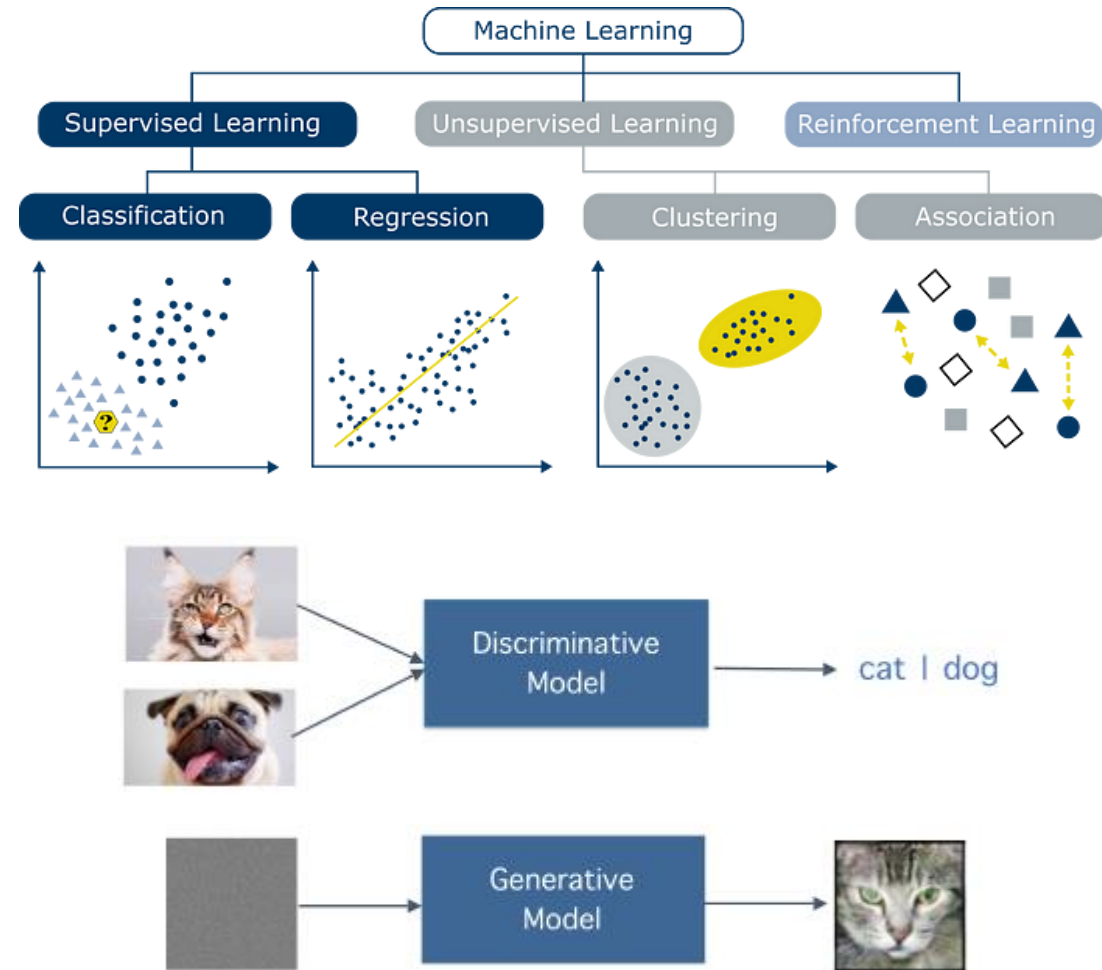


Types of ML Tasks

- Prediction/Forecasting
- Classification/Recognition
- Object Detection
- Image Segmentation
- Recommendation
- Speech-to-text, etc.
- Grouping
- PDF estimation
- Dimensionality Reduction
- Similarity Matching
- Link Prediction
- Anomaly Detection
- Querying
- Synthesis

Learning types

- Supervised Learning
- Unsupervised Learning
- Reinforcement Learning
- Semi/Self-Supervised
- {In/Con/Trans}-Duction
- Summary:
 - Classification Phase
 - Generative Phase



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Applications

- Autonomous Cars
- Unmanned Aerial Vehicles (UAVs)
- Medical Diagnostics/Detection
 - Arrhythmia, Seizure, Cancer, etc.
- Amazon/Social Media Recommender Systems
- Content Generation (Ethical?)
- Bank/Credit Card Fraud Detection
- LLM's e.g. ChatGPT and Bard
 - AI-Whisperer's?



Why Now? Tools and Tech

- AI-Winter 1960's
 - Algorithmic Limits
 - Hardware Limits
- Resurgence
 - 21st century up-to 2010
 - New algorithms
 - Open-source models
- New “Programming”
- Applicable to any area!

TODAY WE WILL USE:	TECH WE WILL USE TOGETHER:	OTHER POPULAR TECHNOLOGIES:
 python	 PyTorch	 TensorFlow
	 NumPy	theano
		
		

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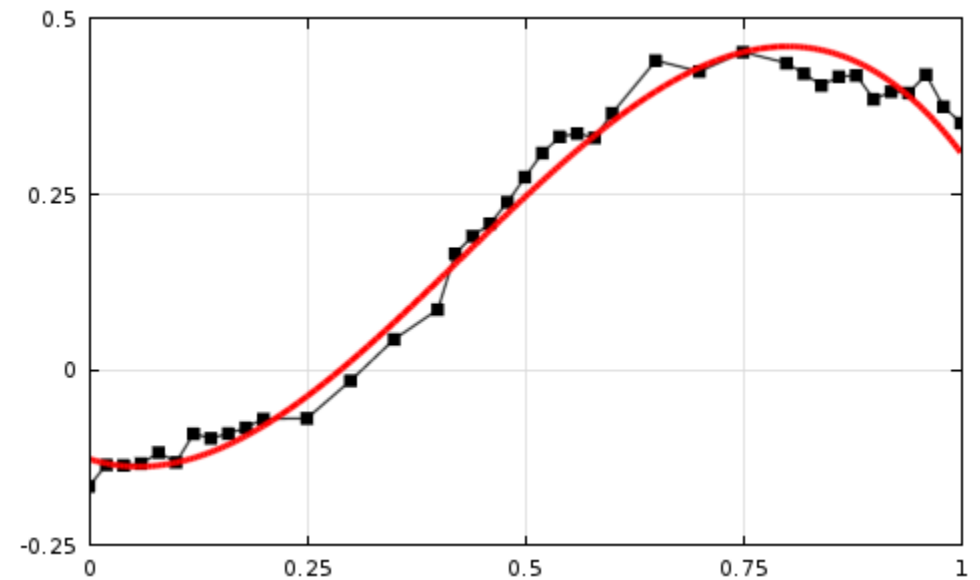
Other tools and technologies

- General-purpose Graphical Processing Units (GPGPUs)
 - Nvidia
- High Performance Computing Clusters (HPC's)
 - Expanse
- Cloud Computing
 - Microsoft Azure, Amazon Web Services (AWS), Google Cloud, etc.
- Open-source and reproducible models
- Python-based libraries; Weights and Biases

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Linear Regression

- All of you have probably done ML in middle school!
- Predict/Forecast a scalar-valued target
- Curve-Fitting simplest example
- Equation of a straight line



Gradient Descent

Model: y is a linear function of x :

$$y = \mathbf{w}^\top \mathbf{x} + b$$

y is the **prediction**

\mathbf{w} is the **weight vector**

b is the **bias**

\mathbf{w} and b together are the **parameters**

$$\begin{aligned} w_j &\leftarrow w_j - \alpha \frac{\partial \mathcal{J}}{\partial w_j} \\ &= w_j - \frac{\alpha}{N} \sum_{i=1}^N (y^{(i)} - t^{(i)}) x_j^{(i)} \end{aligned}$$

Loss function: squared error

$$\mathcal{L}(y, t) = \frac{1}{2}(y - t)^2$$

$y - t$ is the **residual**, and we want to make this small in magnitude

The $\frac{1}{2}$ factor is just to make the calculations convenient.

Cost function: loss function averaged over all training examples

$$\begin{aligned} \mathcal{J}(w, b) &= \frac{1}{2N} \sum_{i=1}^N (y^{(i)} - t^{(i)})^2 \\ &= \frac{1}{2N} \sum_{i=1}^N (\mathbf{w}^\top \mathbf{x}^{(i)} + b - t^{(i)})^2 \end{aligned}$$

$$\mathbf{y} = \mathbf{X}\mathbf{w} + b\mathbf{1}$$

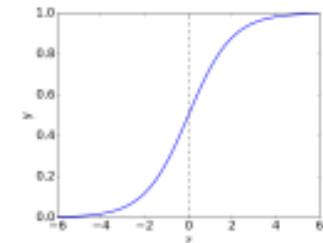
$$\mathcal{J} = \frac{1}{2N} \|\mathbf{y} - \mathbf{t}\|^2$$

Logistic Regression

- Similar to Linear regression
- A sigmoid activation is used
 - Cross-entropy loss
- Used for binary classification
- Outputs are probabilities
- Labels are discrete
- Continuous needed to be differentiable

The **logistic function** is a kind of **sigmoidal**, or S-shaped, function:

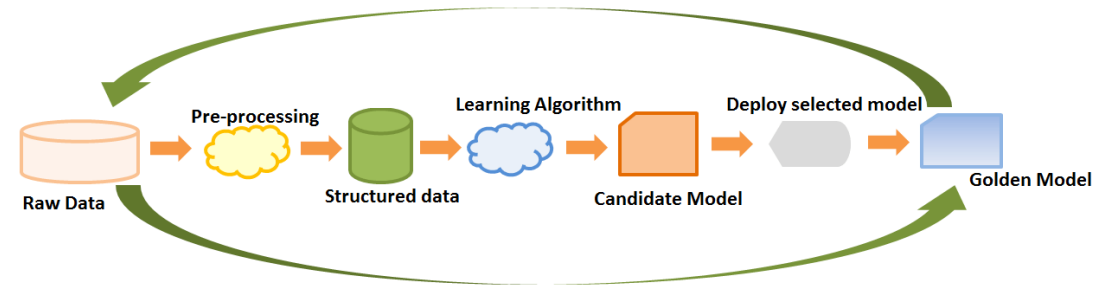
$$\sigma(z) = \frac{1}{1 + e^{-z}}$$



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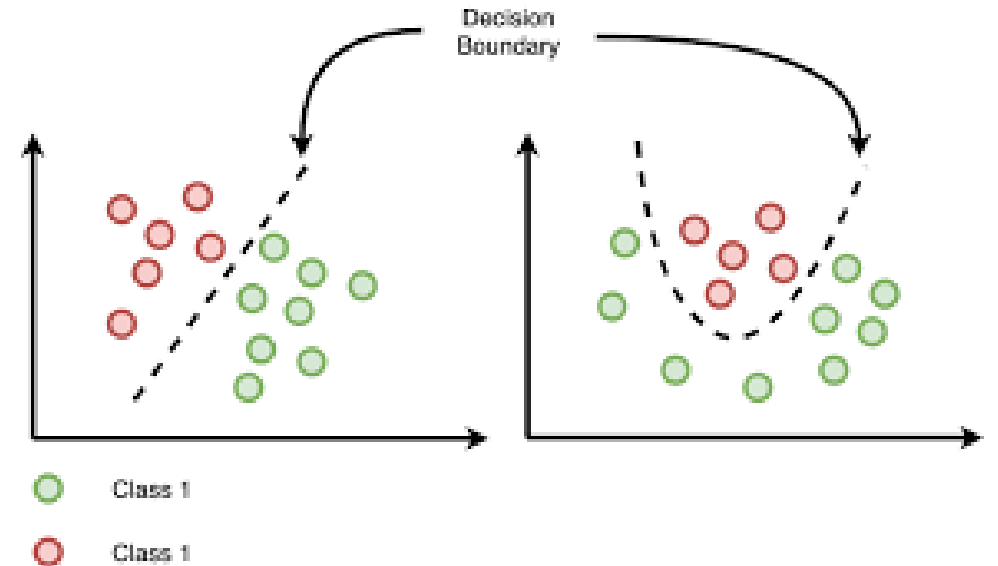
The ML Process

- Should I?
- Data Wrangling
- Preprocessing/Visualization
- Feature Extraction/Selection
- Model Selection
- Optimization
- Evaluation and Improvement



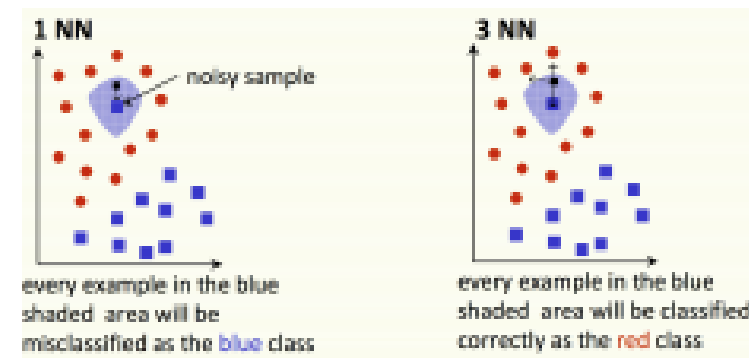
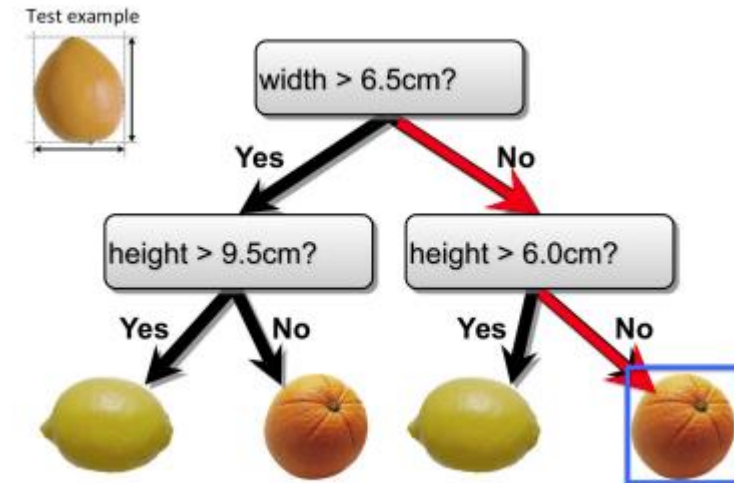
Linear Classification

- Theory
 - Predict a discrete valued target
 - Linearly relate features
- Methods
 - Logistic Regression
 - Naïve Bayes
 - Support Vector Machines
 - Single-Layer Perceptron's



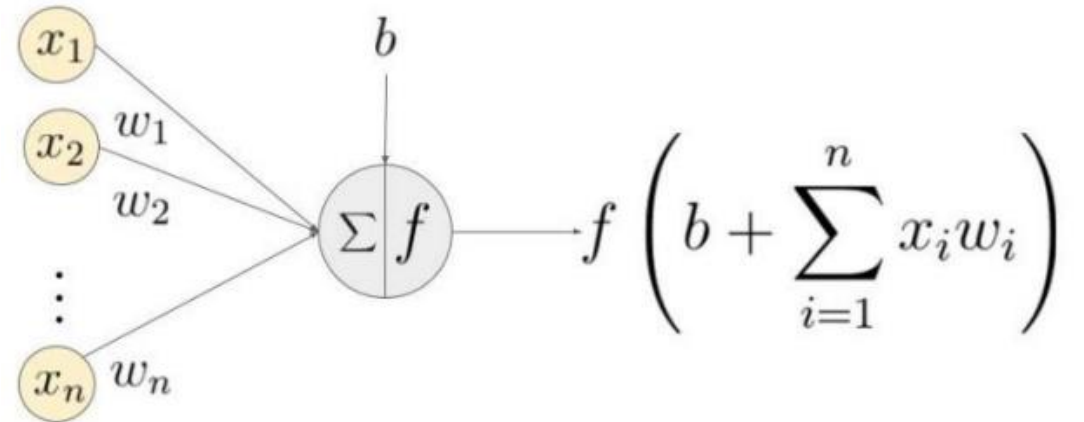
Other Algorithms

- Decision Trees
 - Binary trees with nodes, leaf's, etc.
 - Idea 2
- Random Forests
 - Bagging of decision trees
 - Decreases the variance, reduces over-fitting
- K-nearest Neighbor
 - Euclidean distance with k neighbors
 - Majority Voting
- Boosting and Bagging
- Ensemble Classifiers



Neural Networks (NNs)

- Multiple “hidden” layers
- Build upon single-layer
- Can do non-linear
- Feedforward
- Can approximate any function



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Backpropagation

How you would have done it in calculus class

$$\begin{aligned}\mathcal{L} &= \frac{1}{2}(\sigma(wx + b) - t)^2 \\ \frac{\partial \mathcal{L}}{\partial w} &= \frac{\partial}{\partial w} \left[\frac{1}{2}(\sigma(wx + b) - t)^2 \right] \\ &= \frac{1}{2} \frac{\partial}{\partial w} (\sigma(wx + b) - t)^2 \\ &= (\sigma(wx + b) - t) \frac{\partial}{\partial w} (\sigma(wx + b) - t) \\ &= (\sigma(wx + b) - t) \sigma'(wx + b) \frac{\partial}{\partial w} (wx + b) \\ &= (\sigma(wx + b) - t) \sigma'(wx + b) x\end{aligned}$$

$$\begin{aligned}\frac{\partial \mathcal{L}}{\partial b} &= \frac{\partial}{\partial b} \left[\frac{1}{2}(\sigma(wx + b) - t)^2 \right] \\ &= \frac{1}{2} \frac{\partial}{\partial b} (\sigma(wx + b) - t)^2 \\ &= (\sigma(wx + b) - t) \frac{\partial}{\partial b} (\sigma(wx + b) - t) \\ &= (\sigma(wx + b) - t) \sigma'(wx + b) \frac{\partial}{\partial b} (wx + b) \\ &= (\sigma(wx + b) - t) \sigma'(wx + b)\end{aligned}$$

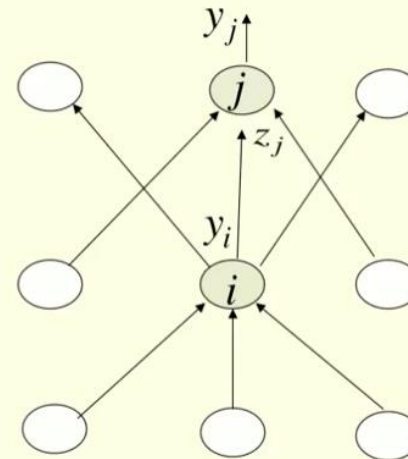
Computing the loss:

$$\begin{aligned}z &= wx + b \\ y &= \sigma(z) \\ \mathcal{L} &= \frac{1}{2}(y - t)^2\end{aligned}$$

Computing the derivatives:

$$\begin{aligned}\frac{d\mathcal{L}}{dy} &= y - t \\ \frac{d\mathcal{L}}{dz} &= \frac{d\mathcal{L}}{dy} \sigma'(z) \\ \frac{\partial \mathcal{L}}{\partial w} &= \frac{d\mathcal{L}}{dz} x \\ \frac{\partial \mathcal{L}}{\partial b} &= \frac{d\mathcal{L}}{dz}\end{aligned}$$

Backpropagating dE/dy



$$\frac{\partial E}{\partial z_j} = \frac{dy_j}{dz_j} \frac{\partial E}{\partial y_j} = y_j (1 - y_j) \frac{\partial E}{\partial y_j}$$

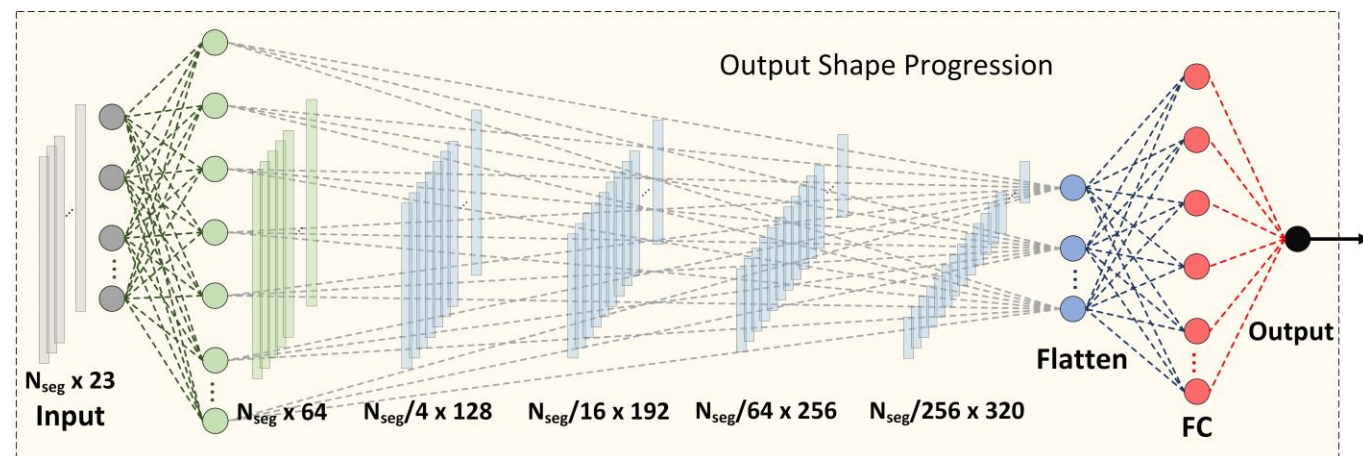
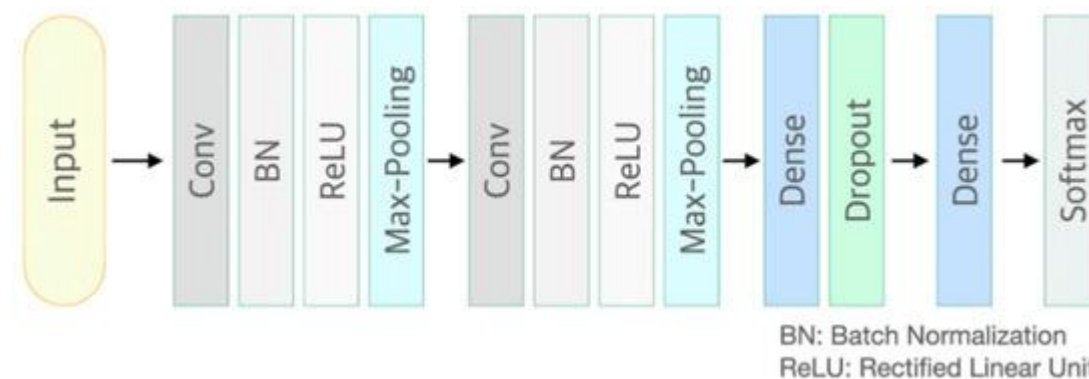
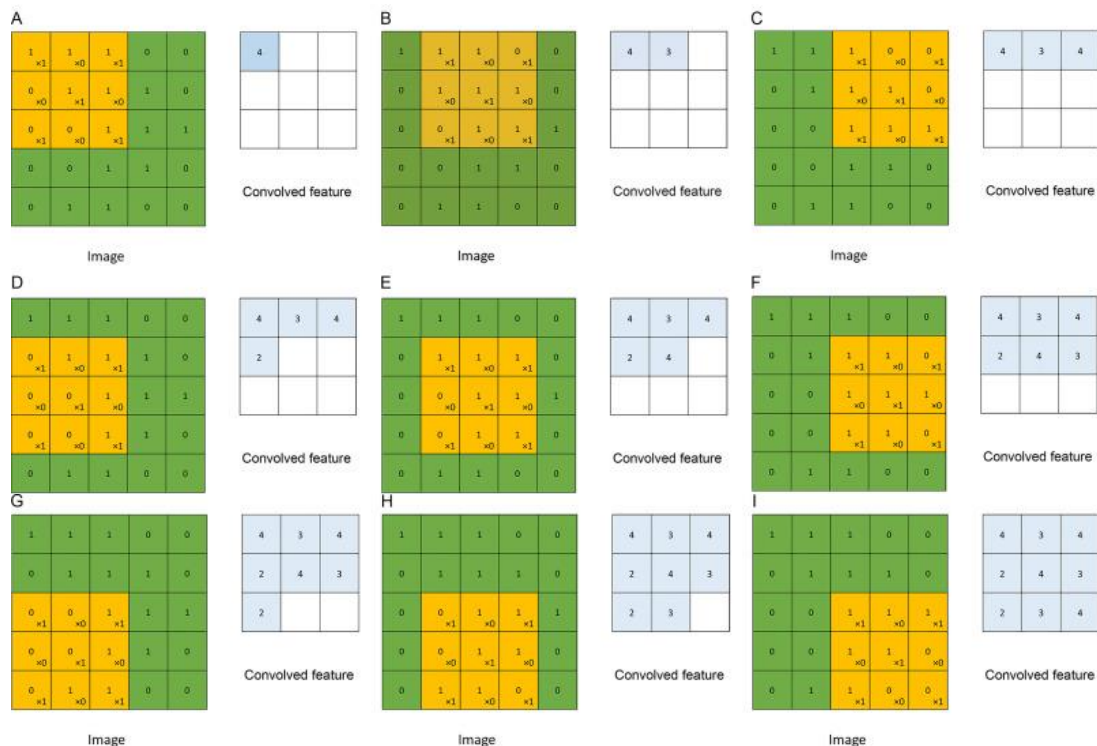
$$\frac{\partial E}{\partial y_i} = \sum_j \frac{dz_j}{dy_i} \frac{\partial E}{\partial z_j} = \sum_j w_{ij} \frac{\partial E}{\partial z_j}$$

$$\frac{\partial E}{\partial w_{ij}} = \frac{\partial z_j}{\partial w_{ij}} \frac{\partial E}{\partial z_j} = y_i \frac{\partial E}{\partial z_j}$$

Deep NN's

- Multiple hidden layers
 - Complex Backpropagation using the chain-rule
- Convolutional
 - Discrete convolution – a DSP concept
 - Element-wise multiplication, summing and aggregation
 - Very powerful tool – represents filtering – Edge Detection
- Convolutional Neural Network (CNN)
 - Yann LeCunn and MNIST (The postal system started the AI revolution)

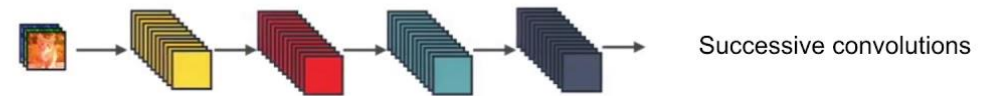
Convolution Neural Networks



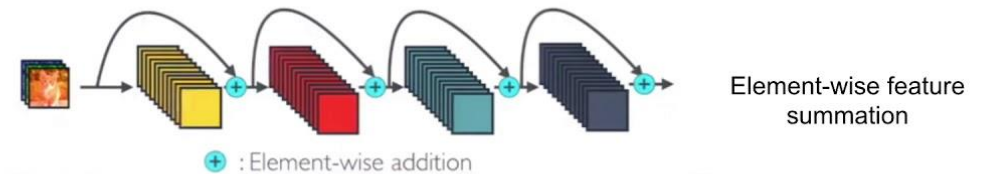
ResNets And DenseNets

- Residual NNs
- Dense NNs
- Feature Skip connections
- ‘Chain’ of convolutions
- May improve CNN performance
- Others
 - AlexNet, LeNet, Unet, etc.

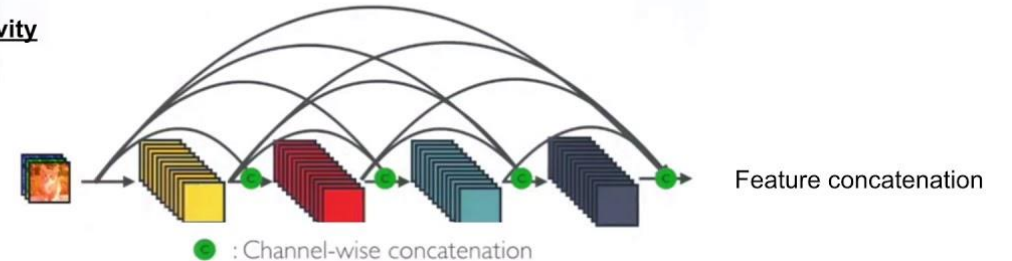
Standard Connectivity



Resnet Connectivity



DenseNet Connectivity



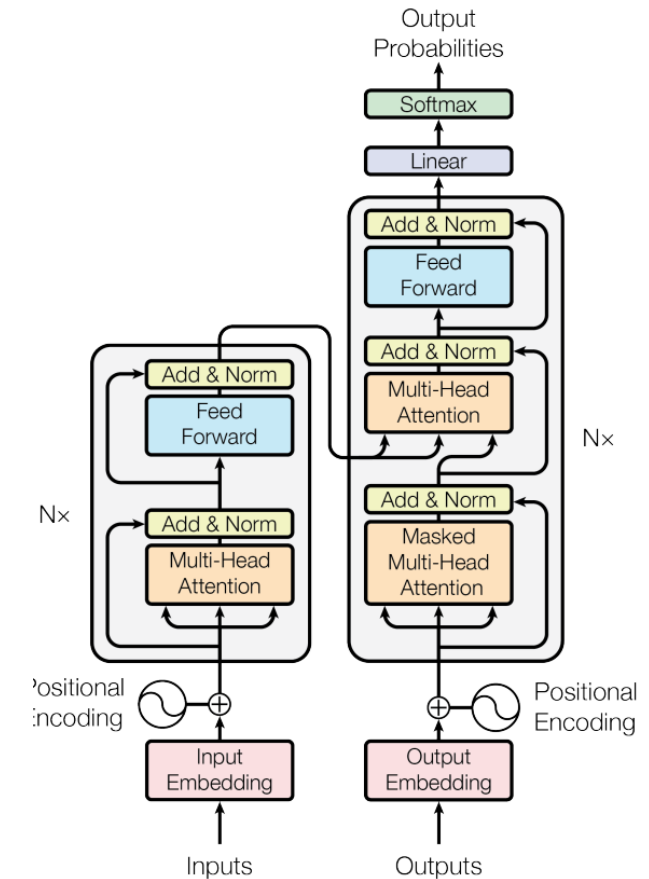
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GANs, Diffusion and Transformers

- General Adversarial Nets
 - Generator-Discriminator
 - Used to generate images such as DeepFake
- Diffusion
 - Stable vs non-stable
- Transformer Architecture
 - Similar Structure to an Autoencoder
 - Both encoder-decoder parts used for training
 - Only the Decoder part for inference

Self-Attention Layers

- Attention Mechanism
 - N Input and Outputs
 - Key, Query and Values
 - Softmax score
- Self-attention
 - Allows inputs to interact with each other
 - More attention to specific features
- Multi-headed self-attention
 - Multiple outputs
 - Parallel



LLMs and Chatbots

- General Purpose Transformer
 - GPT – used to make LLMs
 - Large dataset; large models
- Able to adapt to multiple tasks
- Can do “General-Purpose” AI
- Provide answers to real-world questions

sequence Index of token, k Positional Encoding Matrix with $d=4$, $n=100$

		$i=0$	$i=0$	$i=1$	$i=1$
I	0	$P_{00}=\sin(0)$ = 0	$P_{01}=\cos(0)$ = 1	$P_{02}=\sin(0)$ = 0	$P_{03}=\cos(0)$ = 1
am	1	$P_{10}=\sin(1/1)$ = 0.84	$P_{11}=\cos(1/1)$ = 0.54	$P_{12}=\sin(1/10)$ = 0.10	$P_{13}=\cos(1/10)$ = 1.0
a	2	$P_{20}=\sin(2/1)$ = 0.91	$P_{21}=\cos(2/1)$ = -0.42	$P_{22}=\sin(2/10)$ = 0.20	$P_{23}=\cos(2/10)$ = 0.98
Robot	3	$P_{30}=\sin(3/1)$ = 0.14	$P_{31}=\cos(3/1)$ = -0.99	$P_{32}=\sin(3/10)$ = 0.30	$P_{33}=\cos(3/10)$ = 0.96

Latest Inventions

- Llama 3 (Facebook – HuggingFace)
- Gemini (Google – Collab)
- GPT 4 (OpenAI – GPT 3.5 on GitHub among other tools)

The background features decorative geometric patterns in the corners. The top-right and bottom-left corners are filled with a collage of shapes including triangles, circles, and semi-circles in shades of teal, yellow, and orange. Some shapes contain concentric line patterns. The top-left and bottom-right corners are plain white.

Hands-on Activity