

Solution 5

NOTE: My interpretation of the context is that date and time distinguishes records by highly finite amounts, such as nanoseconds, rather than being grouped into a single time for the whole of a scan.

Records / Rows:

Scanned Area Count (SAC)	= (Single area = 20,000m * 100,000m) * 10 scans = 20,000,000,000 (20 billion measurements)
Co-ordinates Size (COS)	= 8 bytes
Measurement Description (MD)	= 100 bytes
Measurement Size (MS)	= SAT * (CO + MD) = 20,000,000,000 * (8 + 100) bytes = 2,160,000,000,000 bytes = 2,109,375,000 kilobytes = 2,059,936.5234375 megabytes = 2,011.656761169434 gigabytes = 1.964508555829525 terabytes

Data:

Date and Time (DT)	= 10 bytes
Laser Description (LD)	= 5 bytes
Airplane Description (AD)	= 15 bytes

Storage:

Disk Block (DB)	= 16 kilobytes = 16384 bytes
Block Header (BH)	= 80 bytes
Table Header (TH)	= 0 bytes
Row Directory Entry (RDE)	= 4 bytes

Solutions:

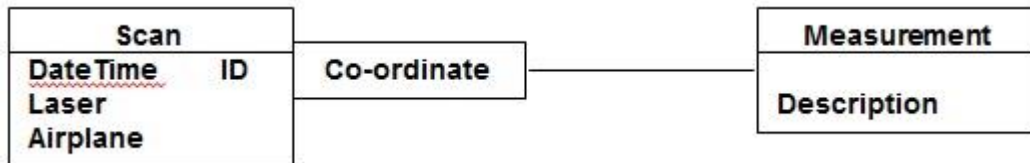
Method 1

Tables:

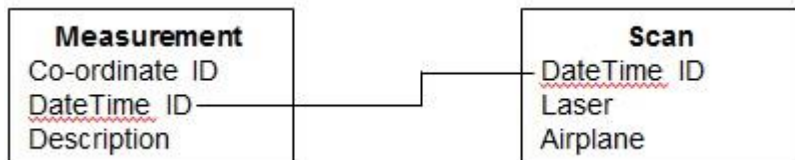
Measurement: Co-ordinate ID, DateTime ID, Description

Scan: DateTime ID, Laser, Airplane

Conceptual Schema:



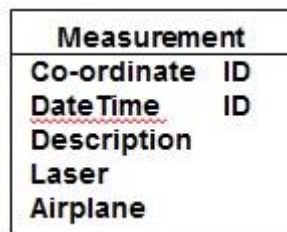
Relational Schema:



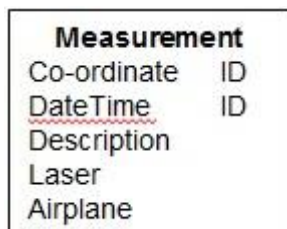
Method 2

Measurement: Co-ordinate ID, DateTime ID, Description, Laser, Airplane

Conceptual Schema:



Relational Schema:



Calculations for Method 1:

Measurement Table:

Average rows per Block (R)	$= ?$
Total Block Header (TBH)	$= BH + RDE * R$ $= 80 + 4 * ?$
PCTFREE = 0 (assumed)	
Available Data Space per Block (ADS)	$= (DB - TBH) * (100 - PCTFREE) / 100$ $= (16384 - (80 + 4 * R)) * (100-0)/100$ $= (16304 - 4 * R) * 1 \approx$ $= 16304 - 4 * R$
RowSize ($RSize$)	$= MD + COS + DT$ $= (100 + 8 + 10) \text{ bytes}$ $= 118 \text{ bytes}$
R	$= ADS / RSize$ $= (16304 - 4 * R) / 118$ $\approx 138 - 0.04 * R$
	hence $138 - 0.04 * R = R \Rightarrow R \approx 137.96$
Blocks	$= SAC / R$ $= 20,000,000,000 / 137.96$ $\approx 144969556 \text{ blocks}$
Bytes	$= \text{Blocks} * DB$ $= (144,969,556 * 16384) \text{ bytes}$ $\approx 2.16021 \text{ terabytes}$

Scan Table:

Average rows per Block (R)	= ?
Total Block Header (TBH)	= $80 + 4 * ?$ (solved previously)
PCTFREE = 0 (assumed)	
Available Data Space per Block (ADS)	= $16304 - 4 * \mathbf{R}$ (solved previously)
RowSize (RSize)	$= \mathbf{DT} + \mathbf{LD} + \mathbf{AD}$ $= (10 + 5 + 15) \text{ bytes}$ $= 30 \text{ bytes}$
R	$= \mathbf{ADS} / \mathbf{RSize}$ $= (16304 - 4 * \mathbf{R}) / 30$ $\approx 543 - 0.13 * \mathbf{R}$
hence $543 - 0.13 * \mathbf{R} = \mathbf{R} \Rightarrow \mathbf{R} \approx 542.87$	
Blocks	$= \mathbf{SAC} / \mathbf{R}$ $= 20,000,000,000 / 542.87$ $\approx 36841233 \text{ blocks}$
Bytes	$= \text{Blocks} * \mathbf{DB}$ $= (36841233 * 16384) \text{ bytes}$ $\approx 0.54898 \text{ terabytes}$

Total Size of Calculations for Method 1:

Storage Size = $(2.16021 + 0.54898) \text{ terabytes}$
= 2.70919 terabytes

Calculations for Method 2:

Measurement Table:

Average rows per Block (R)	= ?
Total Block Header (TBH)	= 80 + 4 * ? (solved previously)
PCTFREE = 0 (assumed)	
Available Data Space per Block (ADS)	= 16304 – 4 * R (solved previously)
RowSize (RSize)	$= \text{MD} + \text{COS} + \text{DT} + \text{LD} + \text{AD}$ $= (100 + 8 + 10 + 5 + 15) \text{ bytes}$ $= 138 \text{ bytes}$
R	$= \text{ADS} / \text{RSize}$ $= (16304 - 4 * \text{R}) / 138$ $\approx 118 - 0.03 * \text{R}$ <p>hence $118 - 0.03 * \text{R} = \text{R} \Rightarrow \text{R} \approx 117.97$</p>
Blocks	$= \text{SAC} / \text{R}$ $= 20,000,000,000 / 117.97$ $\approx 169,534,627 \text{ blocks}$
Bytes	$= \text{Blocks} * \text{DB}$ $= (144,969,556 * 16384) \text{ bytes}$ $\approx 2.52626 \text{ terabytes}$

Total Size of Calculations for Method 2:

Storage Size = 2.52626 terabytes

Result:

Storage size for method 2 is less than method 1:

(2.52626 terabytes < 2.70919 terabytes)

As such, storage method 2 is more optimal, due to storage concerns.