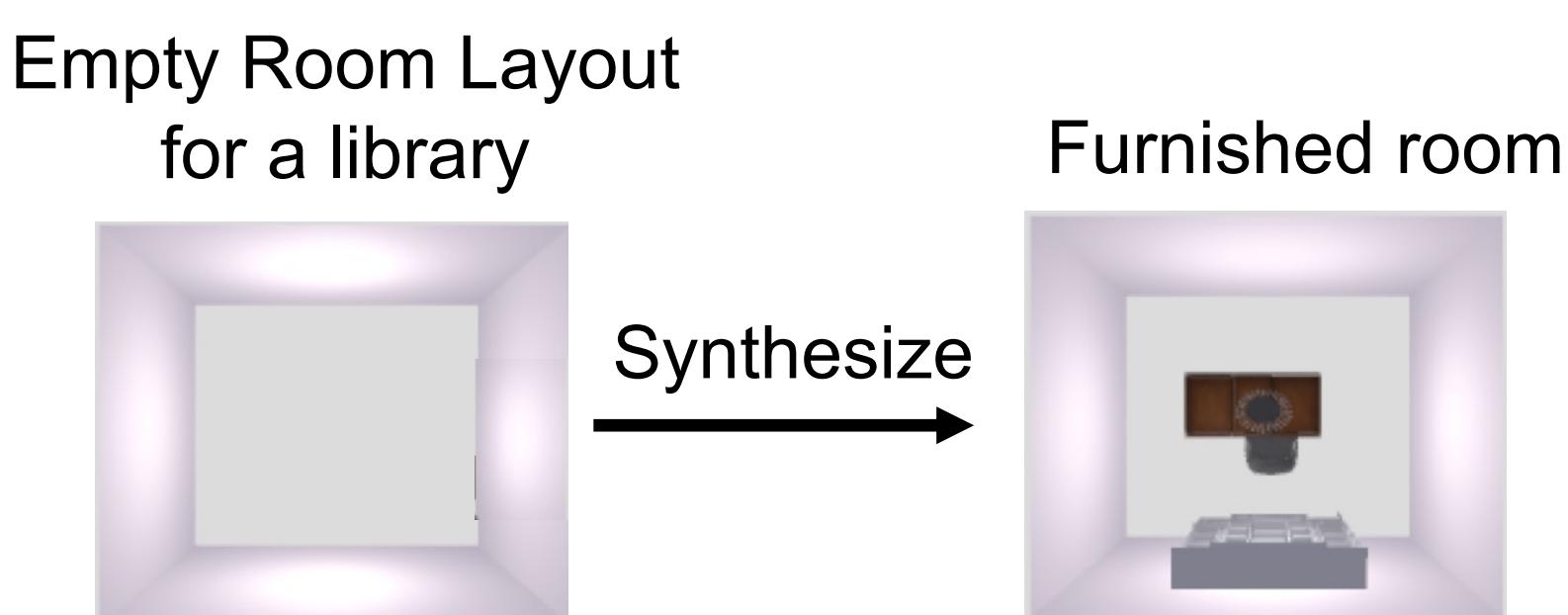
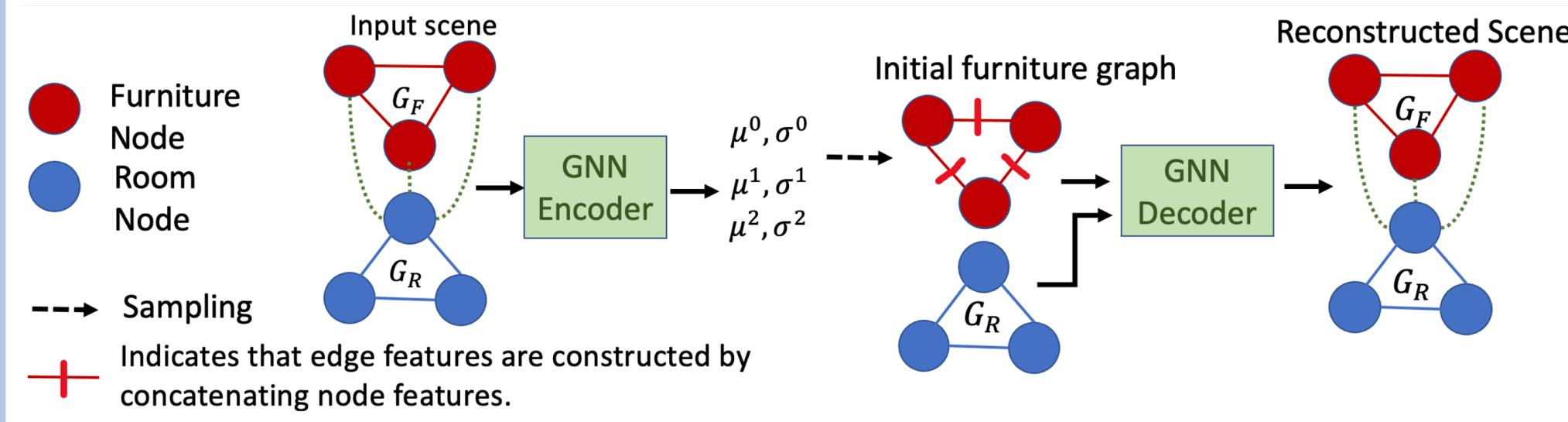


Problem Statement



- Given an empty room layout and room type, can we synthesize diverse sets of furniture items consistent with the layout and room type?
- Challenge:** This requires furniture items to simultaneously satisfy multiple constraints,
 - Each furniture item must be inside the room.
 - Two objects cannot occupy the same volume.
 - Some objects tend to co-occur in particular orientations relative to the room layout.
- Most existing works rely on hand designed heuristics, not scalable!

Proposed VAE Model

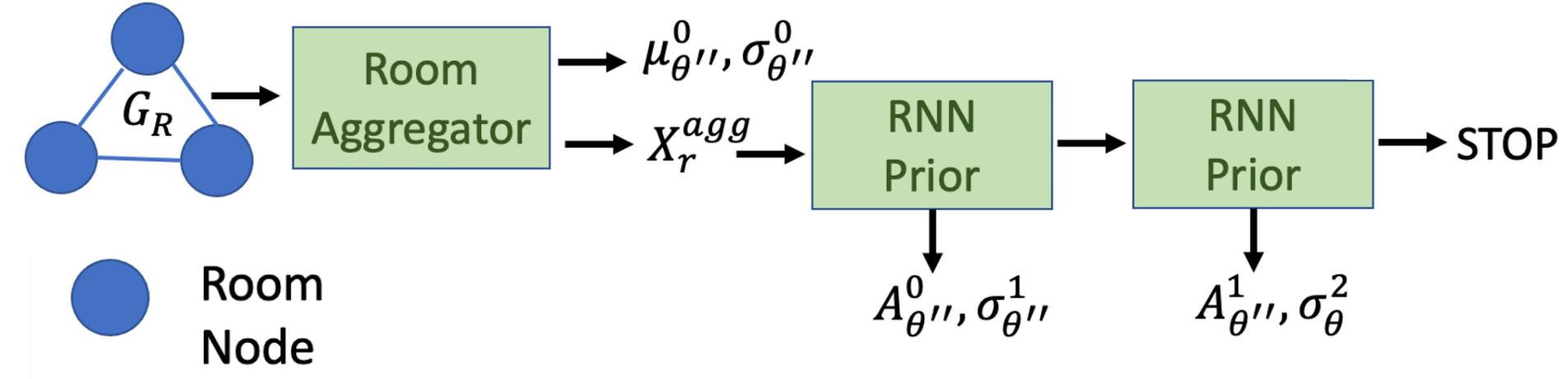


- Input scene graph includes furniture and room sub-graphs and is complete.
- GNN encoder predicts mean and variance per furniture node.
- This mean and variance are used to sample latents for the GNN decoder which reconstructs scene.

Proposed Approach

- We represent room and furniture layouts as attributed graphs.
- We propose a VAE model with a Graph Neural Network (GNN) backbone.
- We propose a novel structured autoregressive prior based on linear gaussian models which effectively captures the structure in 3D scenes.
- To learn our proposed VAE model using this autoregressive prior, we propose an efficient way to compute the KL divergence term in the VAE objective.
- We qualitatively and quantitatively evaluate the efficacy of the proposed model on the 3D-FRONT dataset².

Proposed VAE autoregressive prior



- The prior $P(Z_0, Z_1, \dots, Z_{n_F} | G_R, T, n_F)$ is conditioned on the room graph G_R , type T and # furnitures n_F .
- The first latent, $Z_0 \sim \mathcal{N}(\mu_{\theta''}(G_R, T), \sigma_{\theta''}^0(G_R, T))$
 - $\mu_{\theta''}(G_R, T), \sigma_{\theta''}^0(G_R, T)$ is computed by a Room Aggregator network which is a GNN.
- Subsequent latents, $Z_i \sim \mathcal{N}(\sum A_{\theta''}^k(G_R, T)Z^k, \sigma_{\theta''}^i(G_R, T))$
 - $A_{\theta''}^{i-1}(G_R, T), \sigma_{\theta''}^i(G_R, T)$ is computed recursively using the RNN Prior network.

Computing KL divergence term

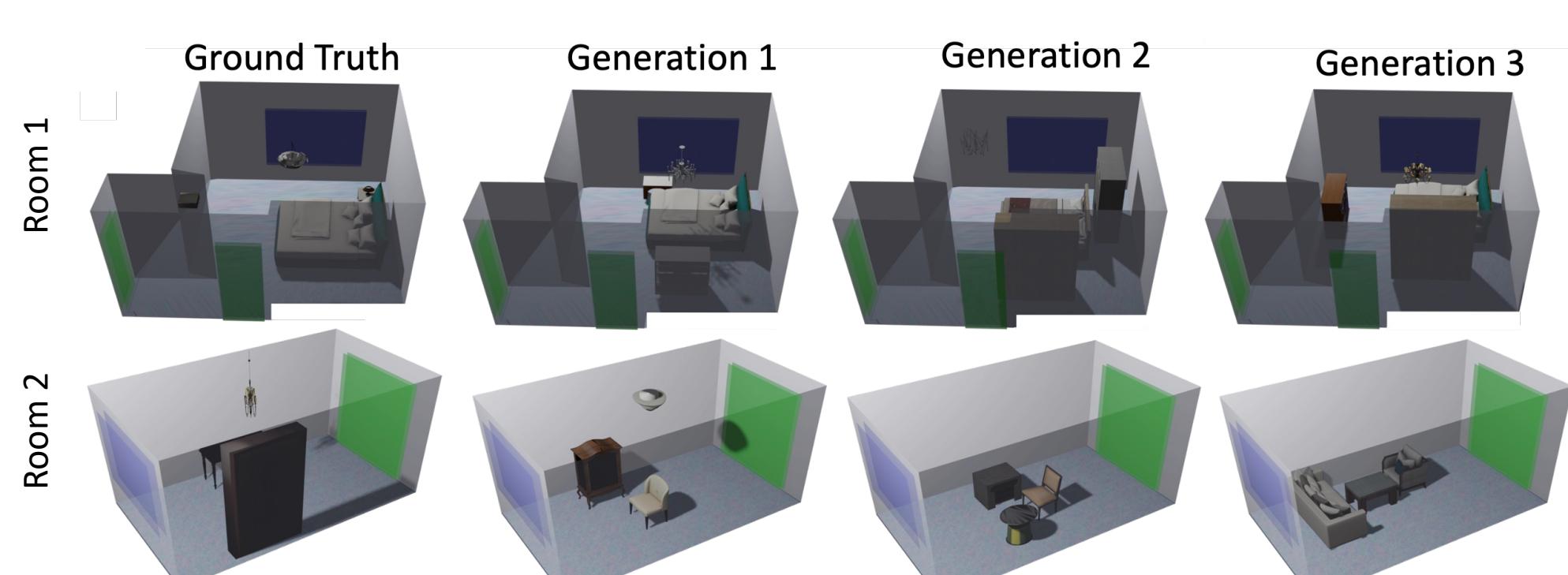
- VAE objective = Reconstruction Loss + KL div.
- But *a priori*, the KL div. term cannot be computed
 - The autoregressive prior induces an ordering over the latent variables.
 - Thus, we need to match these latents to the latents obtained from the posterior distribution.
 - How can we compute this matching?
- We prove that the proposed autoregressive prior reduces this matching problem to a quadratic assignment problem (QAP) which can be “approximately” solved efficiently!

Qualitative comparison with Prior work



- Baseline 1 is a VAE with the standard normal i.i.d prior.
- Baseline 2 is a VAE where the prior is normal i.i.d, but with mean and variance parameters depend on the room graph.

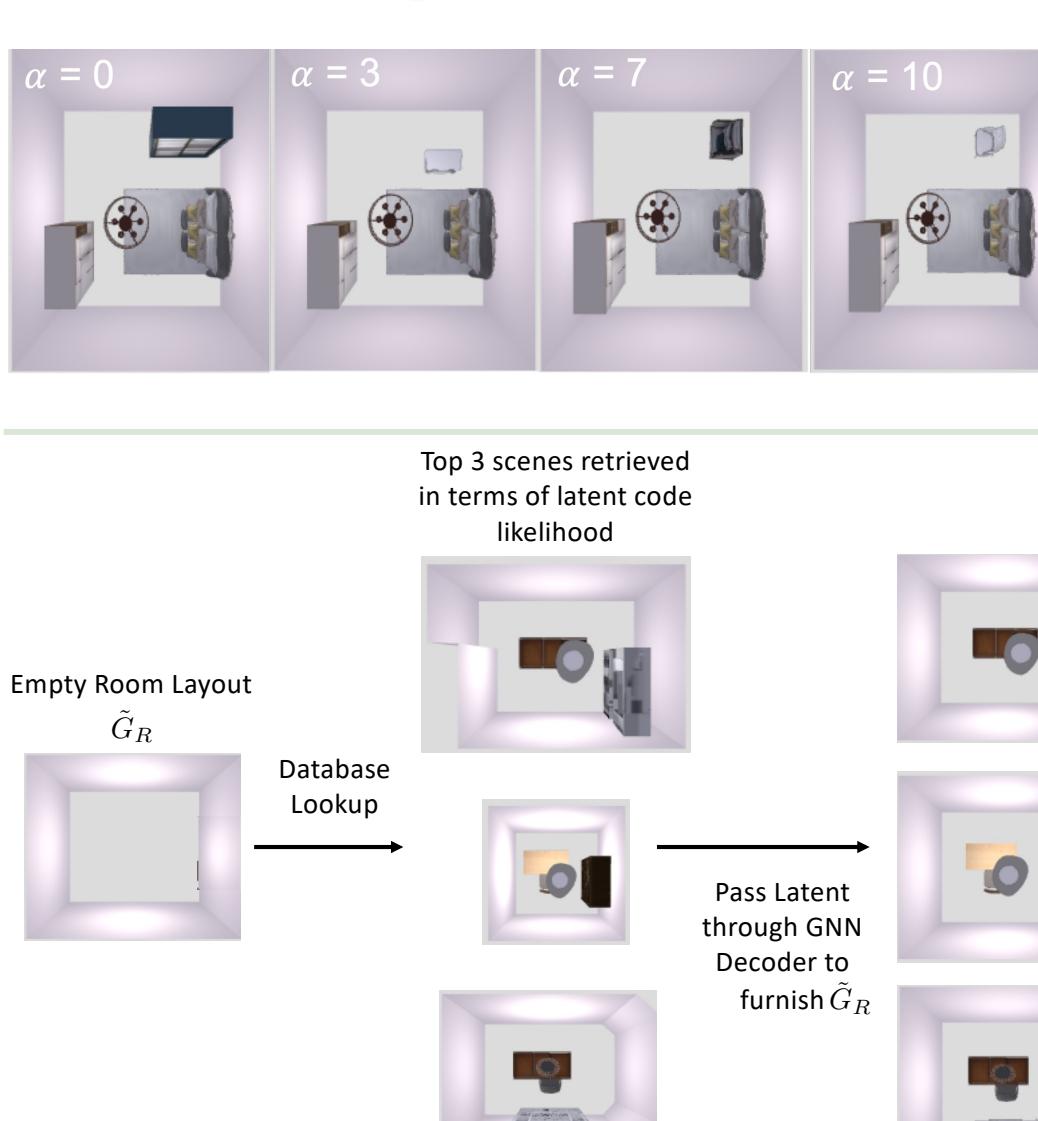
Diverse generations for same room layout



References

- Paschalidou, Despoina, et al. "Atiss: Autoregressive transformers for indoor scene synthesis." *Advances in Neural Information Processing Systems* 34 (2021): 12013-12026.
- Fu, Huan, et al. "3d-front: 3d furnished rooms with layouts and semantics." *Proceedings of the IEEE/CVF International Conference on Computer Vision*. 2021.

Utility of the learned latent space



Case 1: editing scenes by latent space interpolation, for example, morphing the top cabinet into a chair.

Case 2: Ranking and finding the most appropriate furnished room from a database for a given empty floorplan using the learned latent space.