
```

clear all;

final19_q7_data;

cvx_begin
    variables x(n) B0
    minimize(P'*x+B0)
    subject to
        -x <= 0
        -B0 <= 0
        B(1) = (1+rp)*B0
        for t=1:T-1
            B(t+1)= min((1+rp)*(B(t)+A(t,:)*x-E(t)),
(1+rn)*(B(t)+A(t,:)*x-E(t)))
        end
        E(T)-B(T)-A(T,:)*x <= 0
cvx_end

% Compare to investment if no bonds were purchased

cvx_begin
    variable D0
    minimize(D0)
    subject to
        -D0 <= 0
        D(1) = (1+rp)*D0
        for t=1:T-1
            D(t+1)=min((1+rp)*(D(t)-E(t)),(1+rn)*(D(t)-E(t)));
        end
        E(T)-D(T) <= 0
cvx_end

disp("Optimal values of x:")
disp(x)
disp("Optimal value of B0:")
disp(B0)
disp("Optimal total initial investment:")
disp(P'*x+B0)
disp("Optimal investment without bonds:")
disp(D0)

figure(1)
plot(1:T,B)
title('Optimal Cash Balance with Investments')
xlabel('Period')
ylabel('Cash Balance')

figure(2)
plot(1:T,D)
title('Optimal Cash Balance without Investments')
xlabel('Period')
ylabel('Cash Balance')

```

$B =$
cvx real affine expression (scalar)

$B =$
cvx mixed concave/real affine expression (1x2 vector)

$B =$
cvx mixed concave/real affine expression (1x3 vector)

$B =$
cvx mixed concave/real affine expression (1x4 vector)

$B =$
cvx mixed concave/real affine expression (1x5 vector)

$B =$
cvx mixed concave/real affine expression (1x6 vector)

$B =$
cvx mixed concave/real affine expression (1x7 vector)

$B =$
cvx mixed concave/real affine expression (1x8 vector)

$B =$
cvx mixed concave/real affine expression (1x9 vector)

$B =$
cvx mixed concave/real affine expression (1x10 vector)

$B =$
cvx mixed concave/real affine expression (1x11 vector)

B =

cvx mixed concave/real affine expression (1x12 vector)

Calling SDPT3 4.0: 30 variables, 18 equality constraints

For improved efficiency, SDPT3 is solving the dual problem.

num. of constraints = 18
dim. of linear var = 30

SDPT3: Infeasible path-following algorithms

version predcorr gam expon scale_data
NT 1 0.000 1 0
it pstep dstep pinfeas dinfeas gap prim-obj dual-obj
cputime

0	/	0.000	/	0.000	/	2.2e+01	/	6.2e+00	/	7.4e+03	/	-8.638509e+02	0.000000e+00	/
0:0:00		chol	1	1										
1	/	0.978	/	1.000	/	4.9e-01	/	2.2e-02	/	4.5e+02	/	-5.247813e+01	-3.011420e+02	/
0:0:00		chol	1	1										
2	/	1.000	/	1.000	/	3.5e-07	/	2.2e-03	/	4.6e+01	/	-3.279908e+01	-7.859801e+01	/
0:0:00		chol	1	1										
3	/	1.000	/	0.929	/	7.7e-08	/	3.6e-04	/	3.1e+00	/	-3.876965e+01	-4.181308e+01	/
0:0:00		chol	1	1										
4	/	0.908	/	0.918	/	3.9e-07	/	5.0e-05	/	3.3e-01	/	-4.063267e+01	-4.095806e+01	/
0:0:00		chol	1	1										
5	/	0.598	/	1.000	/	5.2e-07	/	2.2e-06	/	1.7e-01	/	-4.068372e+01	-4.085830e+01	/
0:0:01		chol	1	1										
6	/	0.930	/	0.772	/	1.4e-07	/	7.1e-07	/	4.4e-02	/	-4.073543e+01	-4.077891e+01	/
0:0:01		chol	1	1										
7	/	0.951	/	1.000	/	3.6e-08	/	5.1e-08	/	1.9e-02	/	-4.074352e+01	-4.076239e+01	/
0:0:01		chol	1	1										
8	/	0.937	/	0.963	/	1.1e-08	/	1.1e-08	/	9.3e-04	/	-4.074909e+01	-4.075002e+01	/
0:0:01		chol	2	2										
9	/	0.981	/	0.955	/	1.4e-07	/	2.6e-09	/	5.2e-05	/	-4.074949e+01	-4.074954e+01	/
0:0:01		chol	2	2										
10	/	0.988	/	0.988	/	1.7e-09	/	1.2e-09	/	6.8e-07	/	-4.074950e+01	-4.074950e+01	/
0:0:01														

stop: max(relative gap, infeasibilities) < 1.49e-08

number of iterations = 10
primal objective value = -4.07495028e+01
dual objective value = -4.07495034e+01
gap := trace(XZ) = 6.78e-07
relative gap = 8.22e-09
actual relative gap = 7.03e-09
rel. primal infeas (scaled problem) = 1.71e-09
rel. dual " " " = 1.23e-09
rel. primal infeas (unscaled problem) = 0.00e+00

```

rel. dual      "      "      "      = 0.00e+00
norm(X), norm(Y), norm(Z) = 3.2e+00, 2.9e+01, 2.5e+01
norm(A), norm(b), norm(C) = 9.0e+00, 3.6e+00, 2.5e+01
Total CPU time (secs) = 0.59
CPU time per iteration = 0.06
termination code      = 0
DIMACS: 3.1e-09  0.0e+00  3.1e-09  0.0e+00  7.0e-09  8.2e-09
-----

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Status: Solved
Optimal value (cvx_optval): +40.7495

D =

    cvx real affine expression (scalar)

Calling SDPT3 4.0: 24 variables, 12 equality constraints
    For improved efficiency, SDPT3 is solving the dual problem.
-----

num. of constraints = 12
dim. of linear var  = 24
*****
    SDPT3: Infeasible path-following algorithms
*****
version  predcorr  gam  expon  scale_data
NT      1      0.000  1      0
it pstep dstep pinfeas dinfeas  gap      prim-obj      dual-obj
cputime
-----
0|0.000|0.000|1.5e+01|5.6e+00|7.0e+03|-8.630333e+02  0.000000e+00|
0:0:00| chol  1  1
1|0.364|1.000|9.8e+00|1.7e-02|3.3e+03|-7.994290e+02 -2.122809e+02|
0:0:00| chol  1  1
2|1.000|1.000|4.3e-06|1.7e-03|1.6e+02|-4.021972e+01 -1.954105e+02|
0:0:00| chol  1  1
3|1.000|0.978|7.2e-07|2.0e-04|3.4e+00|-4.065878e+01 -4.402331e+01|
0:0:00| chol  1  1
4|0.974|0.925|2.4e-07|3.1e-05|4.2e-01|-4.153863e+01 -4.195341e+01|
0:0:00| chol  1  1
5|0.955|0.944|2.9e-08|3.3e-06|5.0e-02|-4.176869e+01 -4.181810e+01|
0:0:00| chol  1  1
6|0.986|0.884|5.3e-09|5.4e-07|5.6e-03|-4.178863e+01 -4.179415e+01|
0:0:00| chol  1  1
7|0.976|0.981|1.7e-09|1.1e-08|1.7e-04|-4.179018e+01 -4.179035e+01|
0:0:00| chol  1  1
8|0.989|0.989|2.9e-10|4.8e-10|2.0e-06|-4.179024e+01 -4.179024e+01|
0:0:00| chol  1  1
9|0.996|0.996|2.6e-12|4.3e-11|3.2e-08|-4.179024e+01 -4.179024e+01|
0:0:00|
stop: max(relative gap, infeasibilities) < 1.49e-08

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-----
number of iterations    = 9
primal objective value = -4.17902433e+01
dual  objective value = -4.17902434e+01
gap := trace(XZ)       = 3.20e-08
relative gap           = 3.79e-10
actual relative gap    = 3.46e-10
rel. primal infeas (scaled problem) = 2.63e-12
rel. dual      "      "      "      = 4.35e-11
rel. primal infeas (unscaled problem) = 0.00e+00
rel. dual      "      "      "      = 0.00e+00
norm(X), norm(Y), norm(Z) = 3.4e+00, 7.1e+01, 4.2e+01
norm(A), norm(b), norm(C) = 7.8e+00, 2.0e+00, 2.9e+01
Total CPU time (secs) = 0.14
CPU time per iteration = 0.02
termination code      = 0
DIMACS: 2.6e-12  0.0e+00  9.1e-11  0.0e+00  3.5e-10  3.8e-10
-----

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-----
Status: Solved
Optimal value (cvx_optval): +41.7902

```

Optimal values of x:

```

0.0000
18.9324
0.0000
0.0000
13.8495
8.9228

```

Optimal value of B0:

```

1.7792e-06

```

Optimal total initial investment:

```

40.7495

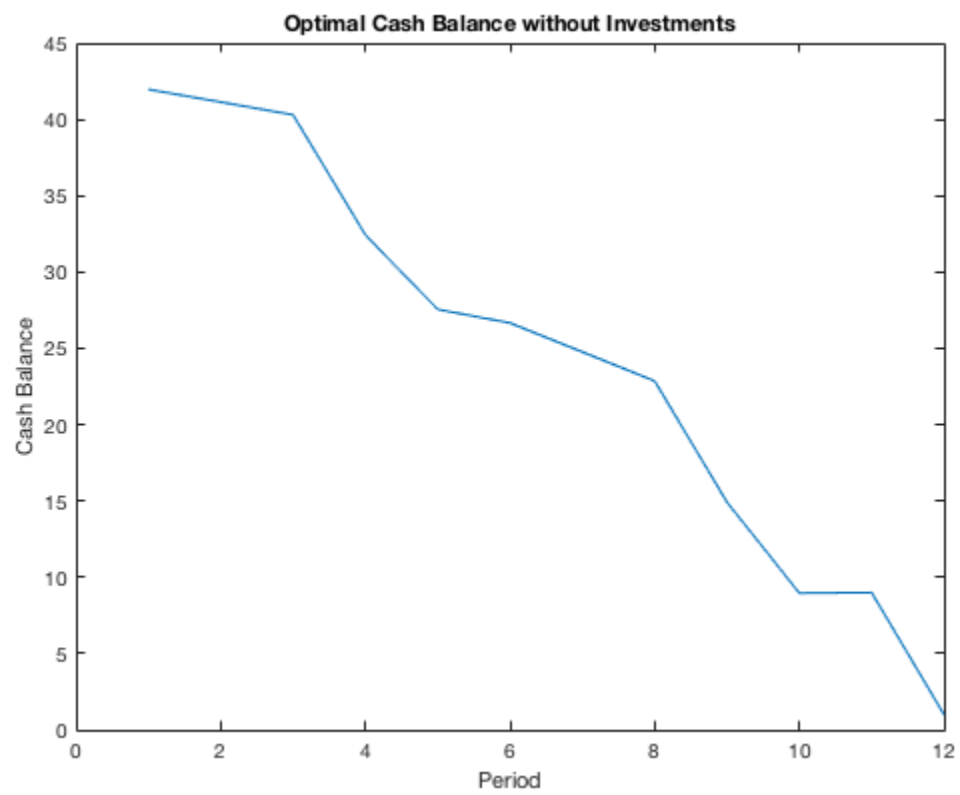
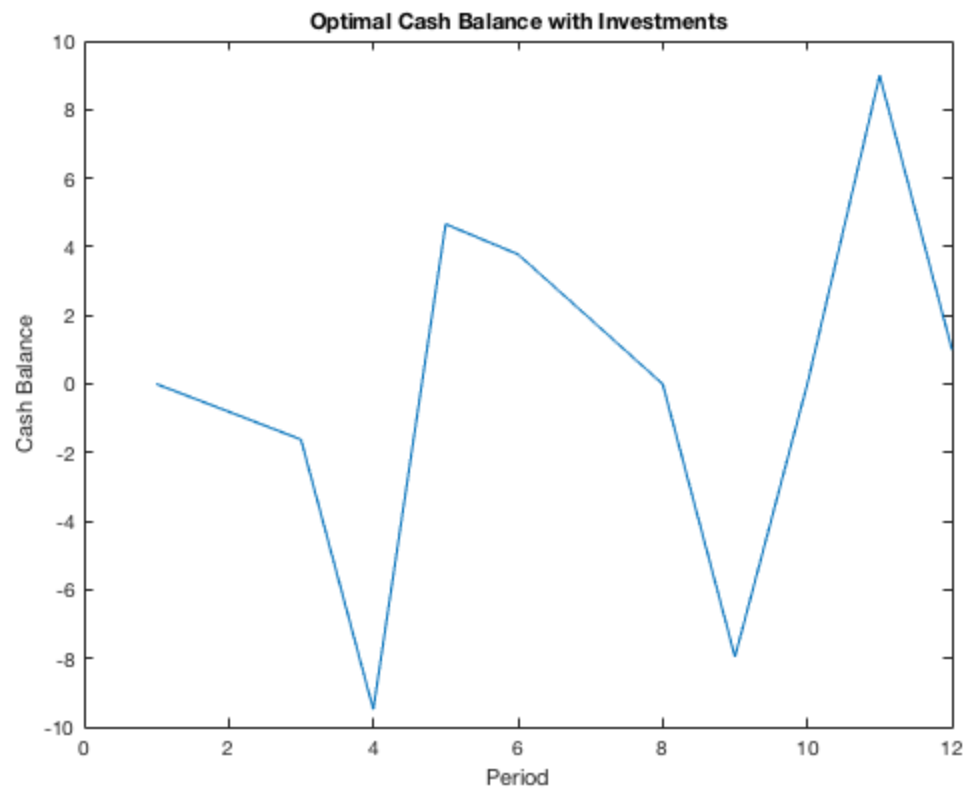
```

Optimal investment without bonds:

```

41.7902

```



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